



线性表数据类型

# Chapter 3

## List, Stack, and Queue

- Introduce the concept of Abstract Data Types(ADTS).
- show how to efficiently perform operations on lists.
- Introduce the stack ADT and its use in implementing recursion.
- Introduce the queue ADT and its use in operating systems and algorithm design.

## 3.1 Abstract Data Types(ADTS)

1. ADT-----a set of objects together with a set of operations.

Abstract data types are mathematical abstractions;  
nowhere in an ADT's definition is there any mention of  
how the set of operations is implemented.

# 3.1 Abstract Data Types(ADTS)

## 2. data object---

a set of instances or values

for example:

Boolean={false,true}

Digit={0,1,2,3,4,5,6,7,8,9}

Letter={A,B,.....Z,a,b,.....z}

NaturalNumber={0,1,2,.....}

Integer = {0, +1, -1, +2, -2, +3, -3, ...}

String={a,b,.....,aa, ab, ac,.....}

# 3.1 Abstract Data Types<sub>(ADTS)</sub>

## 3. data structure

is a data object together with the relationships among the instances and among the individual elements that compose an instance

- Data\_Structure={D,R}
- D---data object,
- R ---a set of relationships of all the data members in D.

## 3.2 The List ADT

$L = (e_1, e_2, e_3, \dots, e_n)$   
list size is n

if  $n=0$ : empty list

if  $n(\text{finite}) > 0$ :

$e_1$  is the first element

$e_n$  is the last element

$e_i$  precedes  $e_{i+1}$

线性表是逻辑结构  
若用单链表实现线性表，则物理结构

逻辑结构影响功能

物理结构影响性能

e.g. 语言选择影响性能

影响开发周期、维护成本

而实现的功能可以是一样的

## 3.2 The List ADT

Example:

Students = (Jack, Jill, Abe, Henry, Mary, ..., Judy)

Exams = (exam1, exam2, exam3)

Days of Week = (S, M, T, W, Th, F, Sa)

Months = (Jan, Feb, Mar, Apr, ..., Nov, Dec)

## 3.2 The List ADT

### Operations:

Create a linear list

determine whether the list is empty

determine the length of the list

find the kth of the element 一线性表专门术语

search for a given element

delete the kth element

insert a new element just after the kth

## 3.2 The List ADT

ADT specification of a linear list

AbstractDataType LinearList

{ instances

    ordered finite collections of zero or more elements

operations

    Create();          Destroy();

    IsEmpty();        Length();

    Find(k,x);       Search(x);

    Delete(k,x);     Insert(k,x);

    Output(out);

}

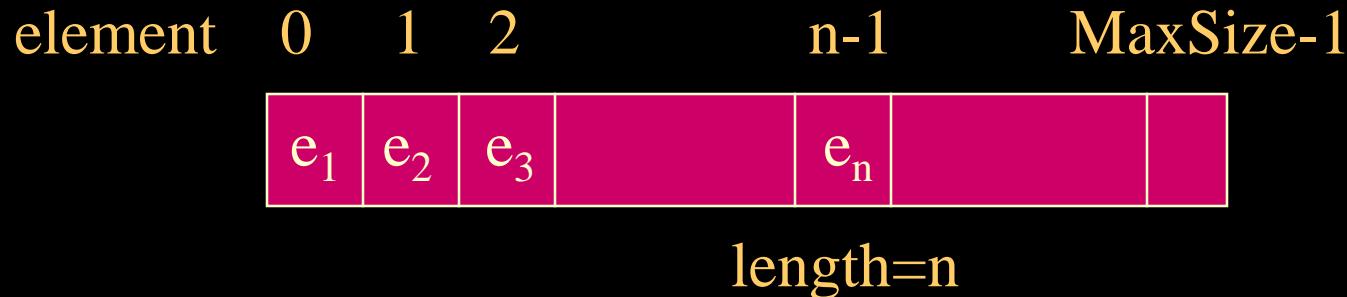
从左到右  
下标开始

### 3.2.1. Simple Array Implementation of Lists

数组

1. Use an array to represent the instance of an object

$(e_1, e_2, \dots, e_n)$

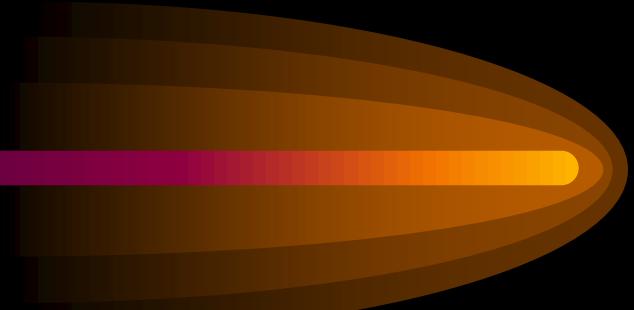


each position of the array is called a cell or a node  
mapping formula: location( $i$ )= $i-1$  O(1) ↪

已知位置求数据

### 3.2.1. Simple Array Implementation of Lists

- Search( x )  $\underbrace{O(\text{length})}$



$$L = (a, b, d, b, e)$$

$$\text{Search}(d) = 3$$

线性表下标从 1 开始

$$\text{Search}(a) = 1$$

$$\text{Search}(z) = 0$$

没有是 z

Average Compare Number

$$\text{ACN} = (1+2+\dots+n)/n$$

$$= (1+n)*n / (2n) = \underline{\underline{(n+1)/2}}$$

### 3.2.1. Simple Array Implementation of Lists

- $\text{remove}(k, x)$

delete the  $k$ 'th element and return it in  $x$

$$L = (a, b, c, d, e)$$

$\text{delete}(2, x) \Rightarrow$

$$L = (a, c, d, e), \quad x = b,$$

and index of  $c, d, e$  decrease by 1

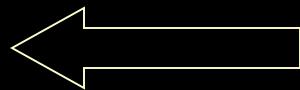
$\text{delete}(0) \Rightarrow$  error

$\text{delete}(20) \Rightarrow$  error

O( n )

### 3.2.1. Simple Array Implementation of Lists

$e_1$	$e_2$		$\times$		$e_n$	
-------	-------	--	----------	--	-------	--



$$AMN = \sum_{i=0}^{n-1} (n-i-1)/n = (n-1+n-2+\dots+1+0)/n = (n-1)/2$$

Average Moving Number

$$\frac{(0+n-1)n}{2} \cdot \frac{1}{n} \Rightarrow O(n)$$

### 3.2.1. Simple Array Implementation of Lists

- $\text{insert}(x, i)$

insert  $x$  after the  $i$ 'th element

$$L = (a, b, c, d, e, f, g)$$

$\text{insert}(0, h) \Rightarrow$

$$L = (h, a, b, c, d, e, f, g)$$

index of  $a, b, c, d, e, f$ , and  $g$  increase by 1

$\text{insert}(10, h) \Rightarrow \text{error}$

$\text{insert}(-6, h) \Rightarrow \text{error}$

$\underbrace{O(n)}$

### 3.2.1. Simple Array Implementation of Lists

0	1	2			n-1	n
e <sub>1</sub>	e <sub>2</sub>				e <sub>n</sub>	

$$AMN = \sum_{i=0}^n (n-i) / (n+1) = (n+n-1+\dots+1+0) / (n+1) = n/2$$

$$\frac{(0+n)n+1}{2} \cdot \frac{1}{n+1}$$

↑  
情况没变了吗

$O(n)$

### 3.2.1. Simple Array Implementation of Lists

2. Use array Implementation 线性

merit : easy Search.

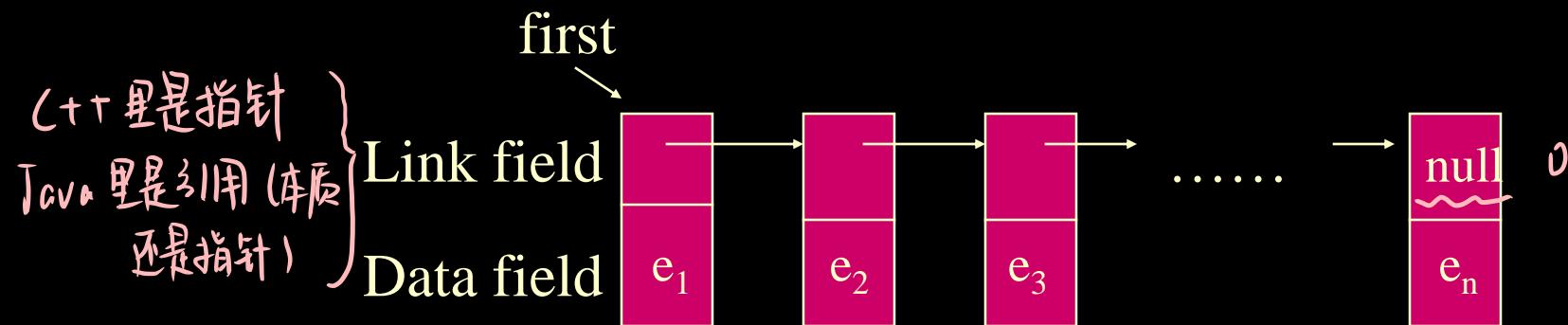
short coming : Insertion and Removing(Deletion) spend  
a lot of time.

### 3.2.2. Linked Lists

In order to avoid the linear cost of insertion and deletion.

- 1) Each node of a data object keeps a link or a pointer about the location of other relevant nodes

$$L = (e_1, e_2, \dots, e_n)$$



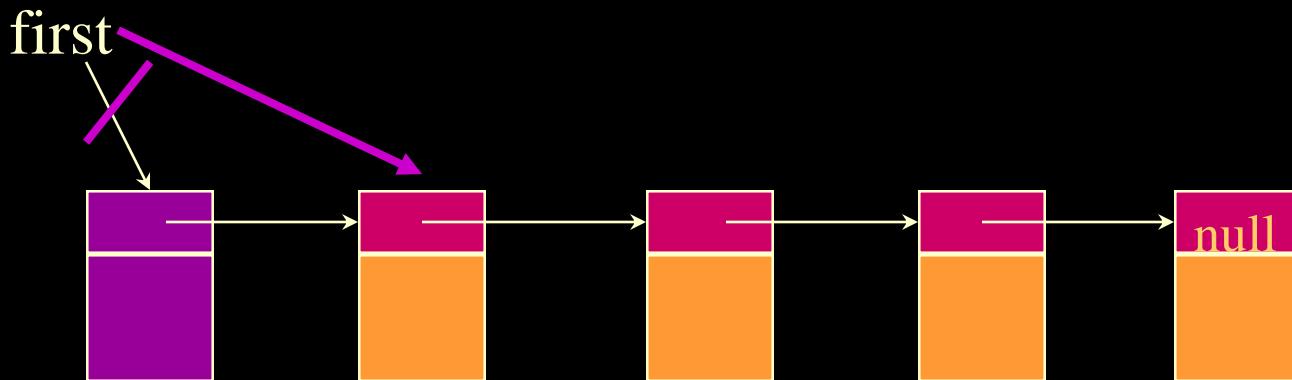
### 3.2.2. Linked Lists

- The figure above is called a single linked list, and the structure is also called a chain.
- A chain is a linked list in which each node represents one element.
- There is a link or pointer from one element to the next.
- The last node has a null pointer.

## 3.2.2. Linked Lists

- Deletion a element of a chain

Delete(1,x)



JAVA

first = first.link;

不需要回收内存。

first是个引用

C++

Link \*temp=first

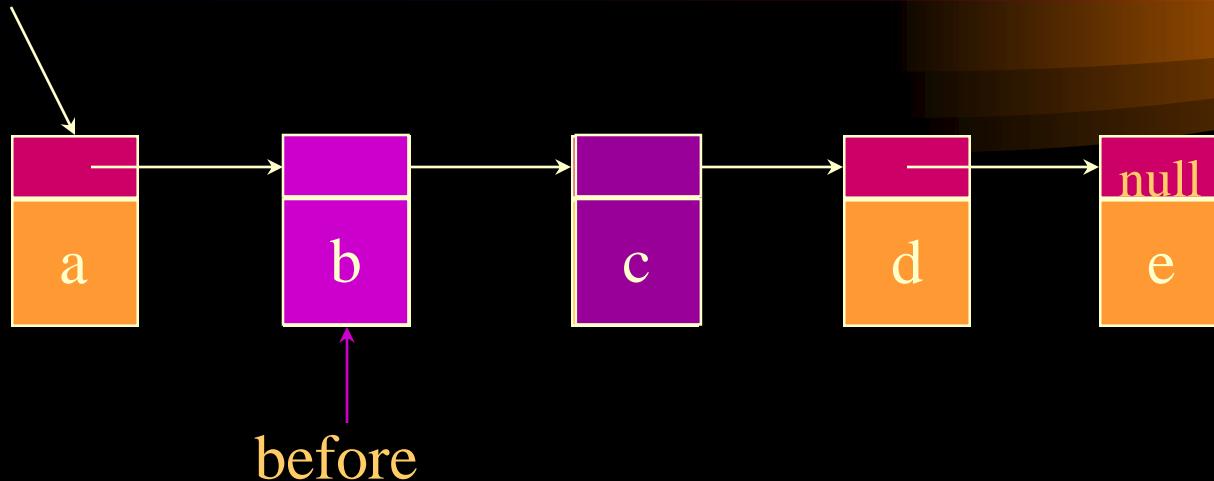
first=temp->next

free(temp)

## 3.2.2. Linked Lists

first

Delete(3,x)



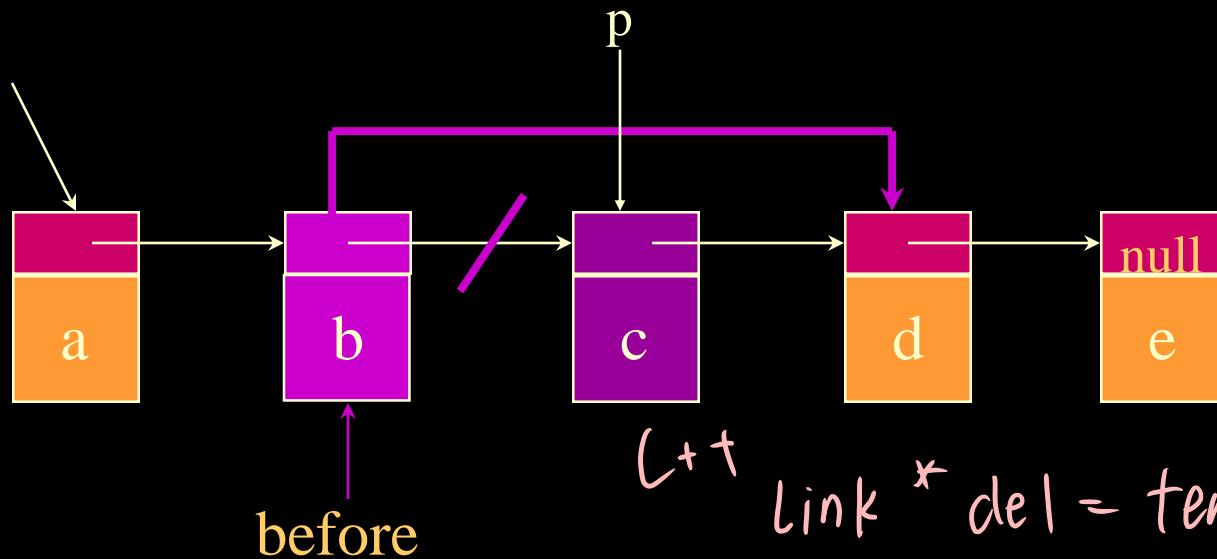
first get to node just before node to be removed

before= first .link;

## 3.2.2. Linked Lists

now change pointer in before

first



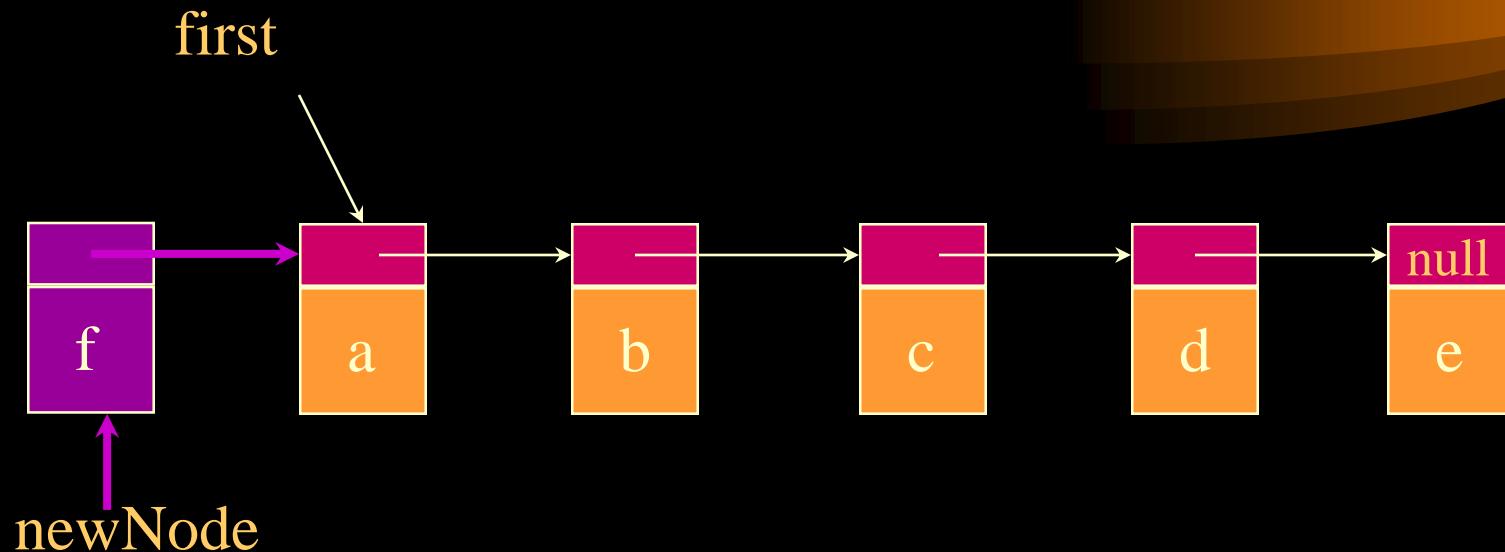
Java

before .link = before .link .link;

$\text{link}^* \text{del} = \text{temp} \rightarrow \text{link}$   
 $\text{before} \rightarrow \text{link} = \text{before} \rightarrow \text{link}$   
 $\rightarrow \text{link}$   
 $\text{free}(\text{del})$

## 3.2.2. Linked Lists

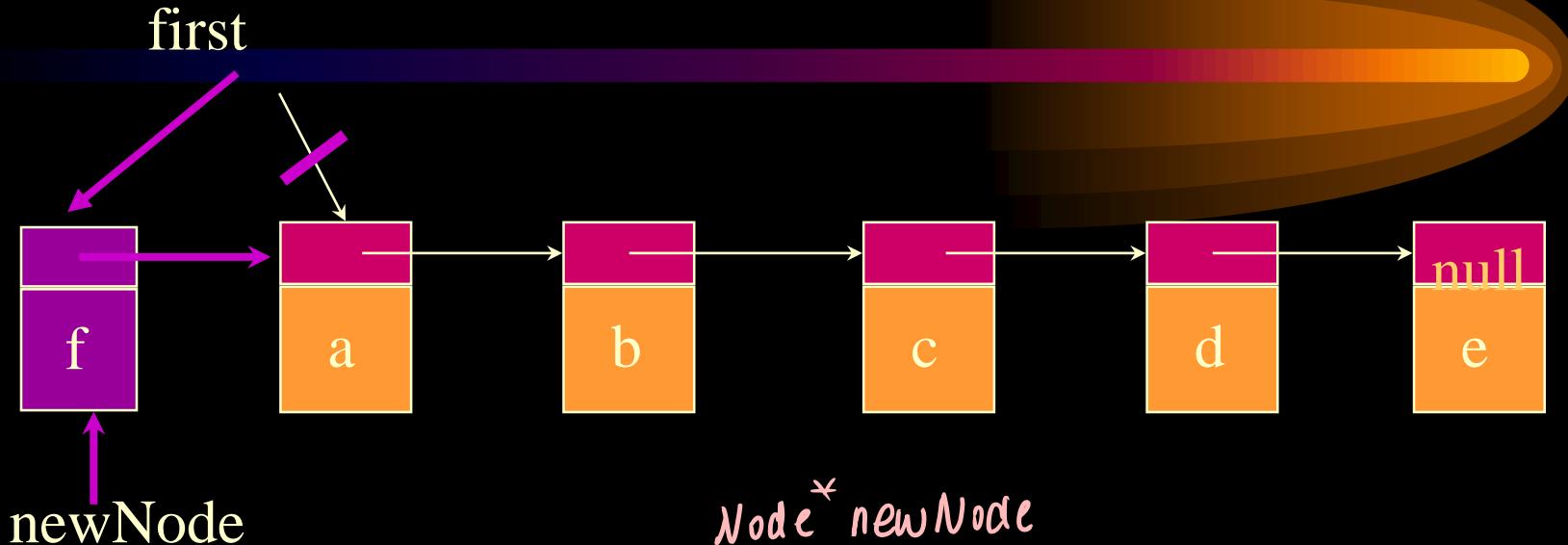
- insert operation ----insert(0,'f')



Step 1: get a node, set its data and link fields

```
Java   ChainNode newNode =  
          new ChainNode('f', first);
```

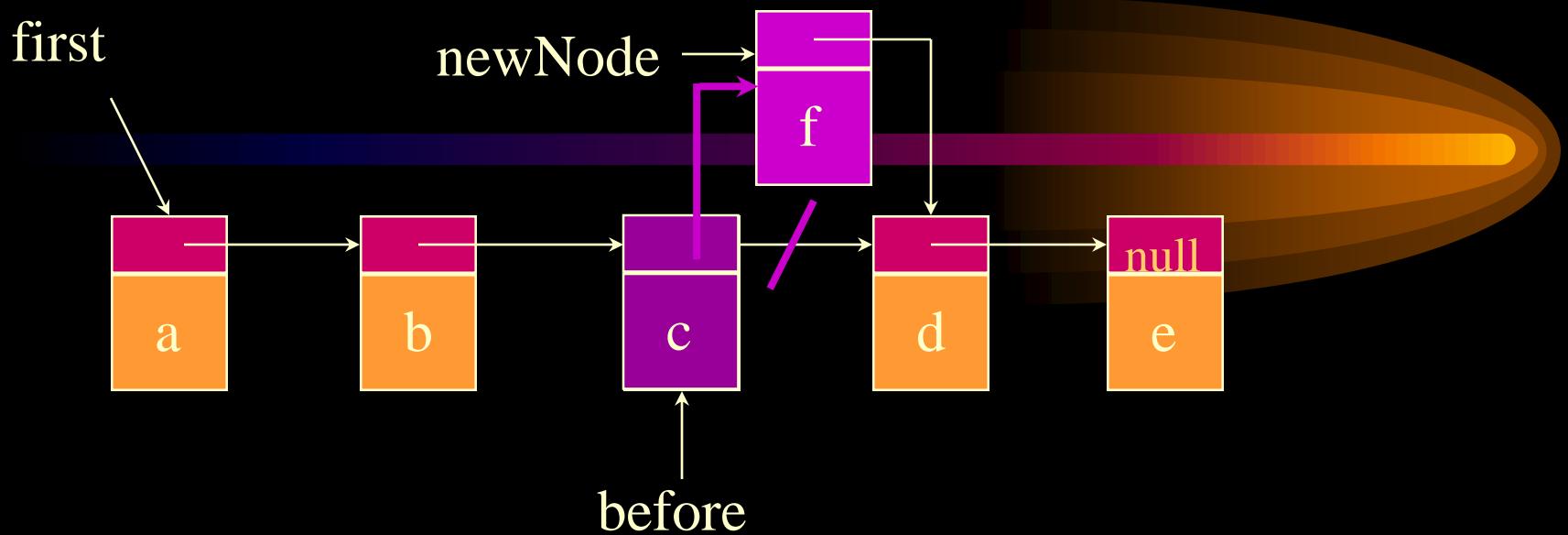
### 3.2.2. Linked Lists



Step 2: update `first`

```
first = newNode;
```

insert(3,'f')



1. first find node whose index is 3

2. next create a node and set its data and link fields

① ChainNode newNode = new ChainNode('f', before .link);

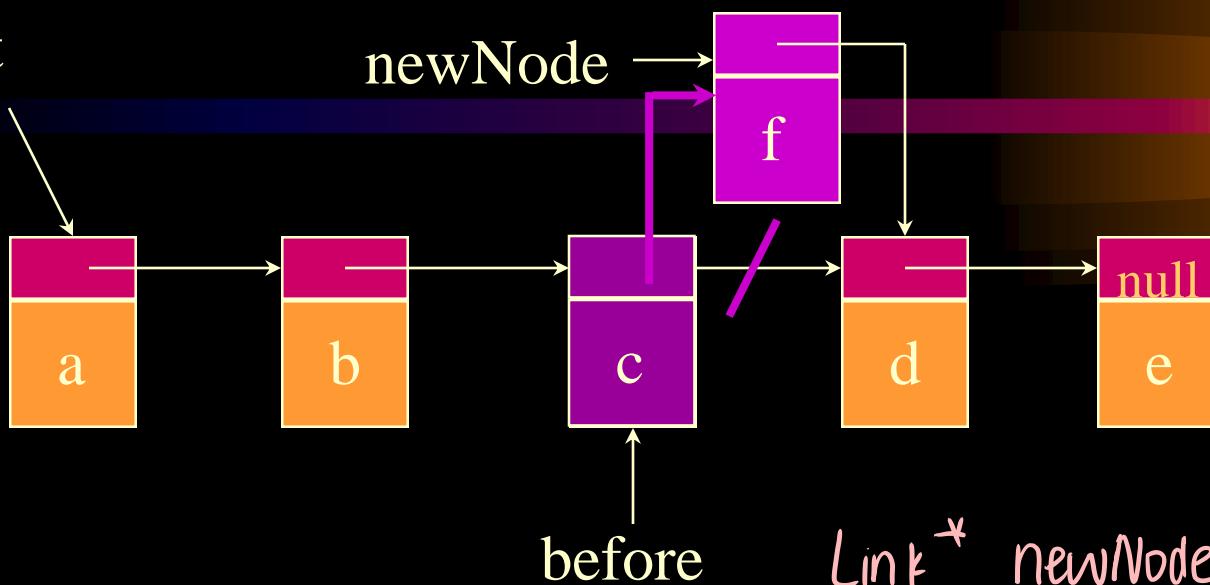
다음에 넣을 노드

3. finally link before to newNode

② before .link = newNode;

## Two-Step insert(3,'f')

first



$\text{Link}^* \text{ newNode} = (\text{Link}^*) \text{ malloc}$   
 $(\text{sizeof}(\text{link}))$

$\text{newNode} \rightarrow \text{elem} = 'f'$ ;  
 $\text{newNode} \rightarrow \text{next} = \text{before} \rightarrow \text{next}$ ;  
 $\text{before} \rightarrow \text{next} = \text{newNode}$ ;

`before = first .link .link;`

`newNode .link = before .link;`

`before .link = newNode;`

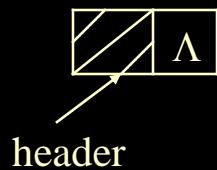
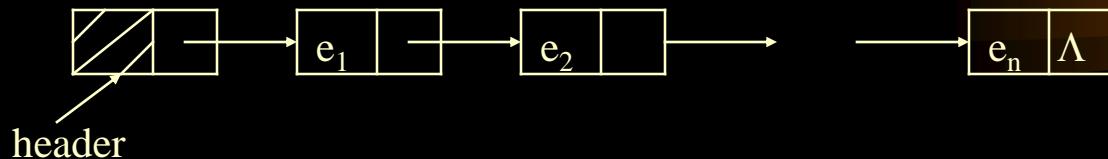
### 3.2.3 Programming Details

代码简洁 (e.g. 在开头插入点时相当于插在中间)  
易维护

#### 1. Header (dummy node)

带表头结点的单链表

否则有一个 head 指针就行了



## 3.2.2. Linked Lists

### 2. Class definition

ListNode —— 代表结点的类

LinkedList —— 代表表本身的类

LinkedListItr —— 代表位置的类

包含 first 指针

都会用到，特别是在面向对象编程

都是包 DataStructures  
的一部分

▷ 编练不写

## 3.2.2. Linked Lists

### 1) ListNode class



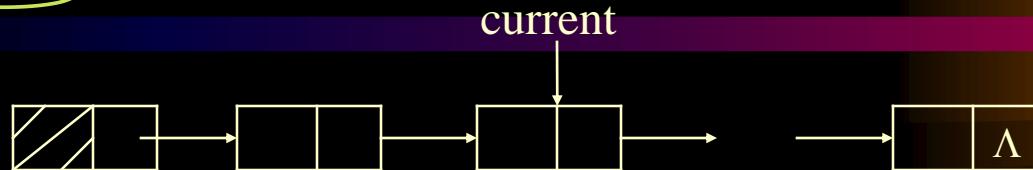
```
package DataStructures;  
class ListNode  
{  ListNode( object theElement)  
  {  this( theElement, null);  
  }  
  ListNode( object theElement, ListNode n)  
  {    element = theElement;  
    next = n;  
  }  
  object element;  数據.  
  ListNode next;  連接  
}
```

① 构造函数 .

### 3.2.2. Linked Lists

2) Iterator class for linked lists

訪問節點  
可以不定义。

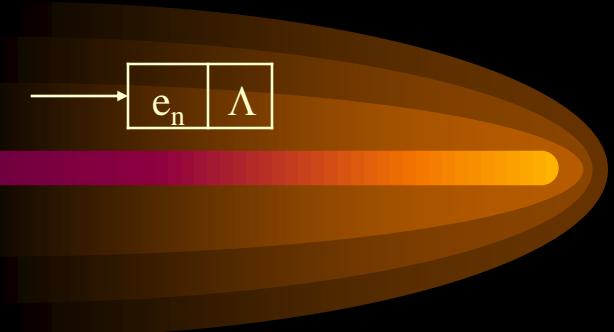
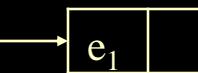


```
package DataStructures
public class LinkedListItr
{ LinkedListItr( ListNode theNode)
    { current = theNode; }  
    public boolean isPastEnd()
    { return current == null; }
    public object retrieve()
    { return isPastEnd() ? Null : current.element; }
    public void advance()
    { if( ! isPastEnd() )
        current = current.next; }
    ListNode current;
}
```

构造函数  
是否是尾 (空?)  
获得当前 node 数据  
向后移 1 次

### 3) LinkedList class

header



# 带表头结点的单链表

```
package DataStructures;  
public class LinkedList  
{ public LinkedList()  
    { header = new ListNode( null ); }
```

▲ public void makeEmpty() 只有 header

{ header.next = null; } Java 自动收集

public LinkedListItr zeroth()

{ return new LinkedListItr( header ); }

public LinkedListItr first()

{ return new LinkedListItr( header.next ); }

public LinkedListItr find( object x )

public void remove( object x )

▲ public LinkedListItr findPrevious( object x )

public void insert( object x, LinkedListItr p )

? 为什么新建一个指向表头的引用

一插到底插入 p 的后面

private ListNode header;

}

# Operation:

- Constructors
- isEmpty
- makeEmpty
- Zeroth and first return iterators corresponding to the header and first element.
- Find(x)

Method to print a list

```
public static void printList( LinkedList theList )
{   if ( theList.isEmpty( ) )
    System.out.print( "Empty list" );
else
{   LinkedListItr itr = theList.first( );
    for( ; ! Itr.isPastEnd( ); itr. Advance( ) )
        System.out.print( itr.retrieve( ) + " " );
}
System.out.println( );
```

此处展示的 itr 使用方法失而方洁..

```
public LinkedListItr find (object x)
{   ListNode itr = header.next;
    while ( itr != null && !itr.element.equals( x ) ) ↗条件
        itr = itr.next;
    return new LinkedListItr( itr );
}
```

O(N) 和 array - 比

- Remove( x )

public void remove( object x )

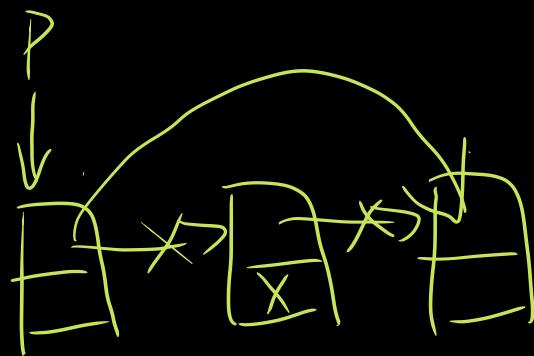
```
{
    LinkedListItr p = findprevious( x );
    if( p.current.next != null ) 表示是x找到了.
        p.current.next = p.current.next.next;
}
```

O(1)



P 是前一个

p. current P node



- Findprevious ( x )

```
public LinkedListItr findPrevious( object x )
{
    ListNode itr = header;
    while( itr.next !=null && !itr.next.element.equals( x ))
        itr = itr.next;
    return new LinkedListItr( itr );
}
```

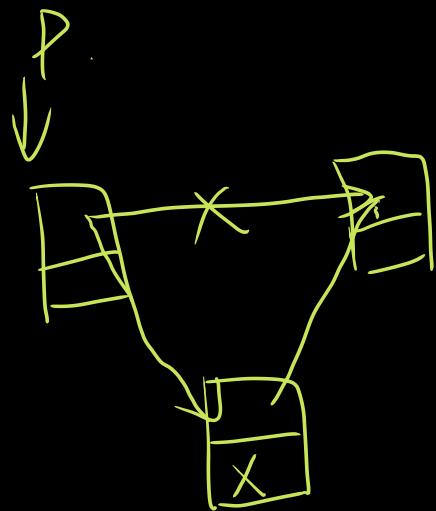
O(N)

```
public LinkedListItr find (object x)
{
    ListNode itr = header.next;
    while ( itr != null && !itr.element.equals( x ) )  ↗条件
        itr = itr.next;
    return new LinkedListItr( itr );
}
```

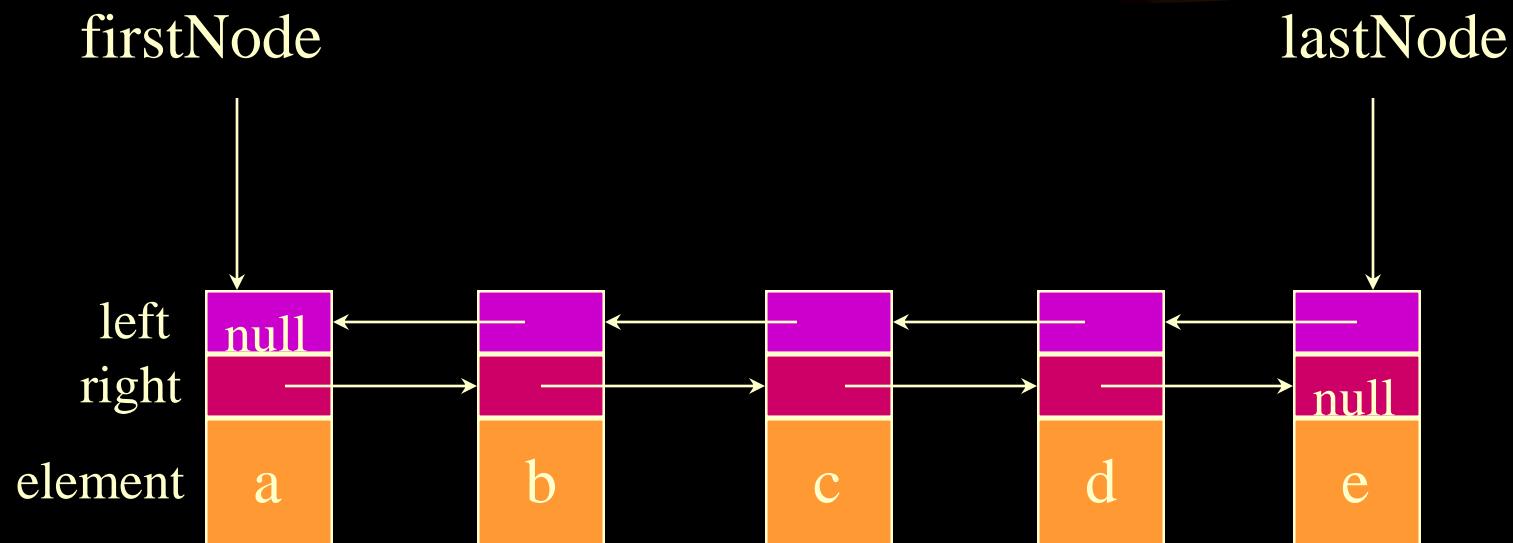
- Insert(x, p)

```
public void insert( object x, LinkedListItr p )
{   if( p!=null && p.current != null )
    p.current.next = new ListNode( x, p.current.next );
}
```

O(1)



### 3.2.4. Doubly Linked Lists



单链表 + 缓存

### 3.2.4. Doubly Linked Lists

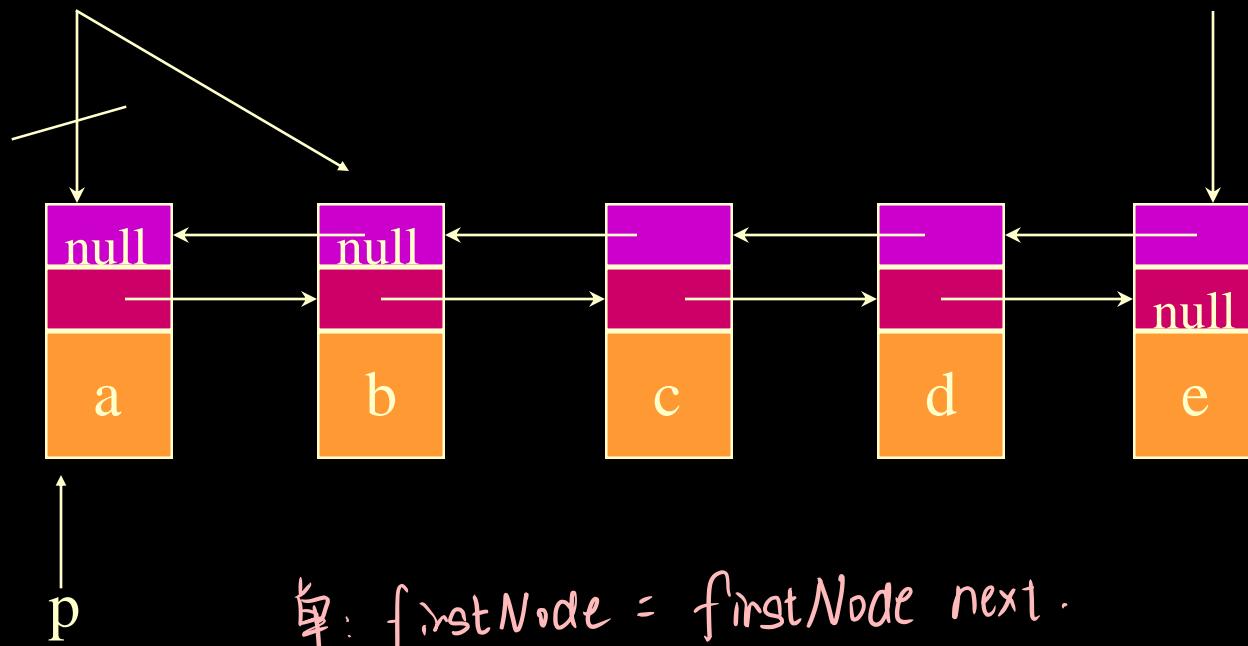
operations: **insert** **delete**

### 3.2.4. Doubly Linked Lists

Delete(1)

firstNode

lastNode



单:  $\text{firstNode} = \text{firstNode} \text{ next}$ .

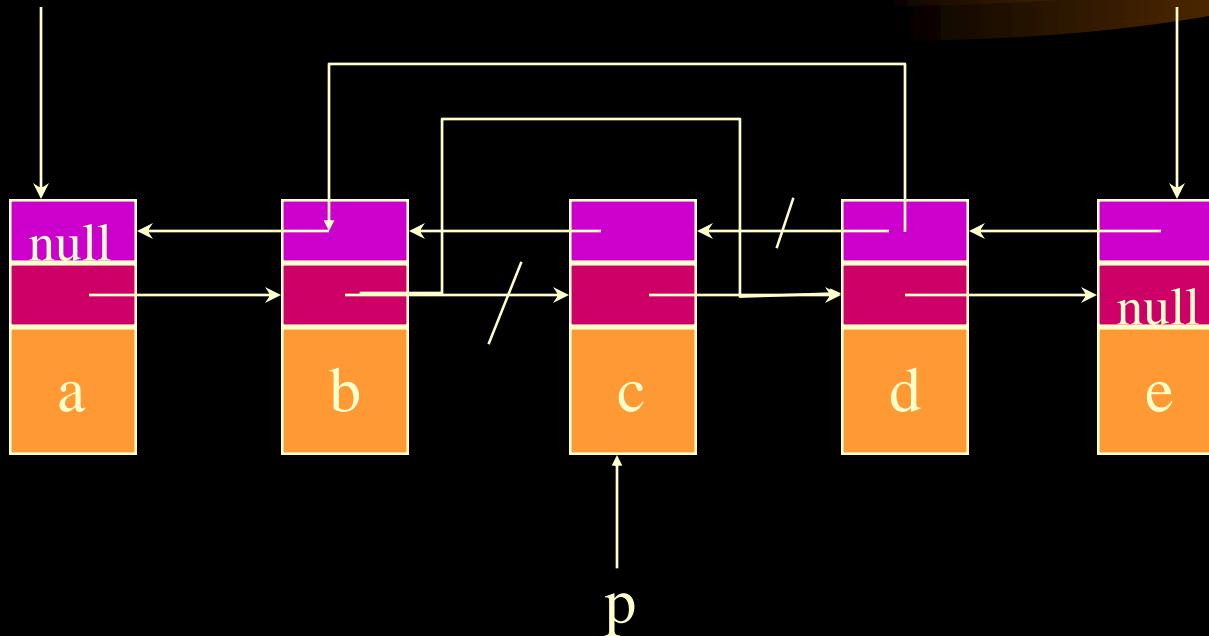
- 双:
- ①  $P = \text{firstNode}; \text{firstNode} = P \text{ .right}; \text{firstNode} \text{ .left} = \text{null};$
  - ②  $\text{firstNode} = \text{firstNode} \text{ .right}, \text{firstNode} \text{ .left} = \text{null};$

### 3.2.4. Doubly Linked Lists

Delete(3)

firstNode

lastNode



P .left .right=p .right;

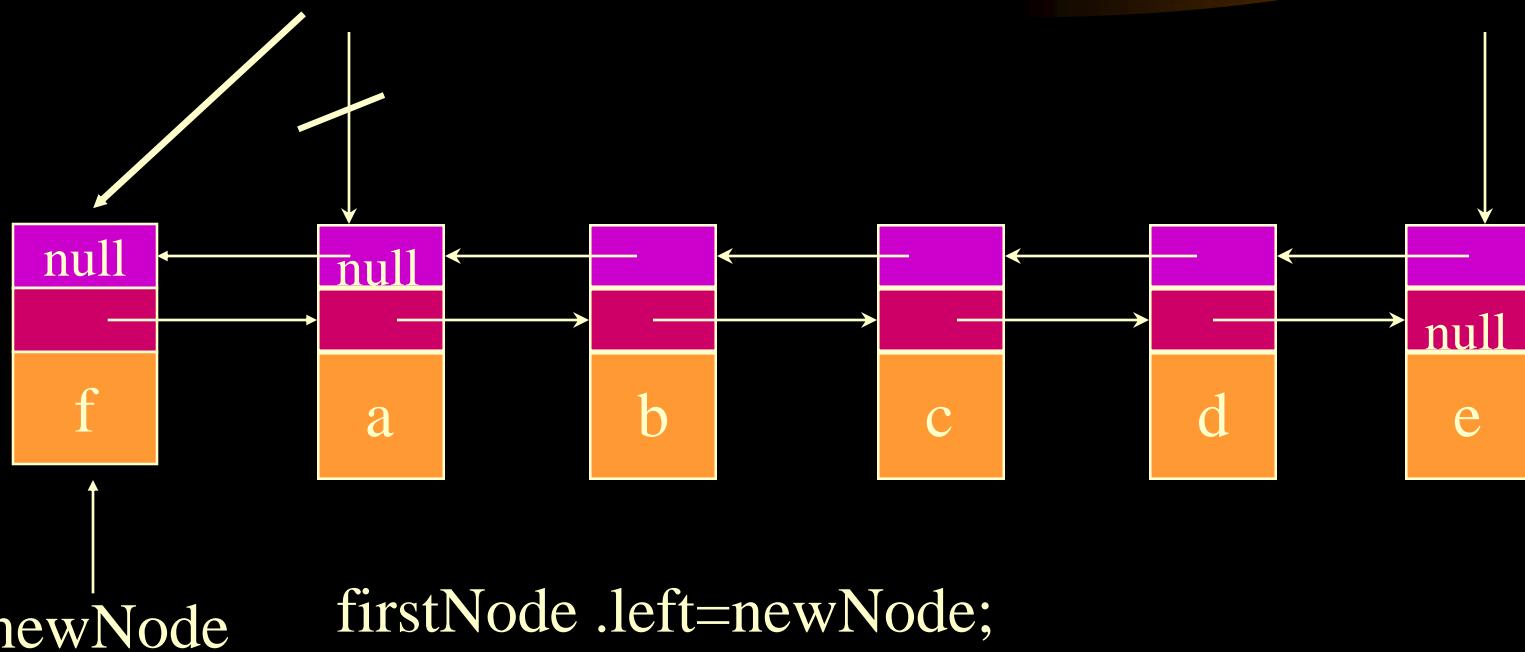
p .before .next = before next .next;

P .right .left=p .left;

### 3.2.4. Doubly Linked Lists

insert(0,'f')

firstNode

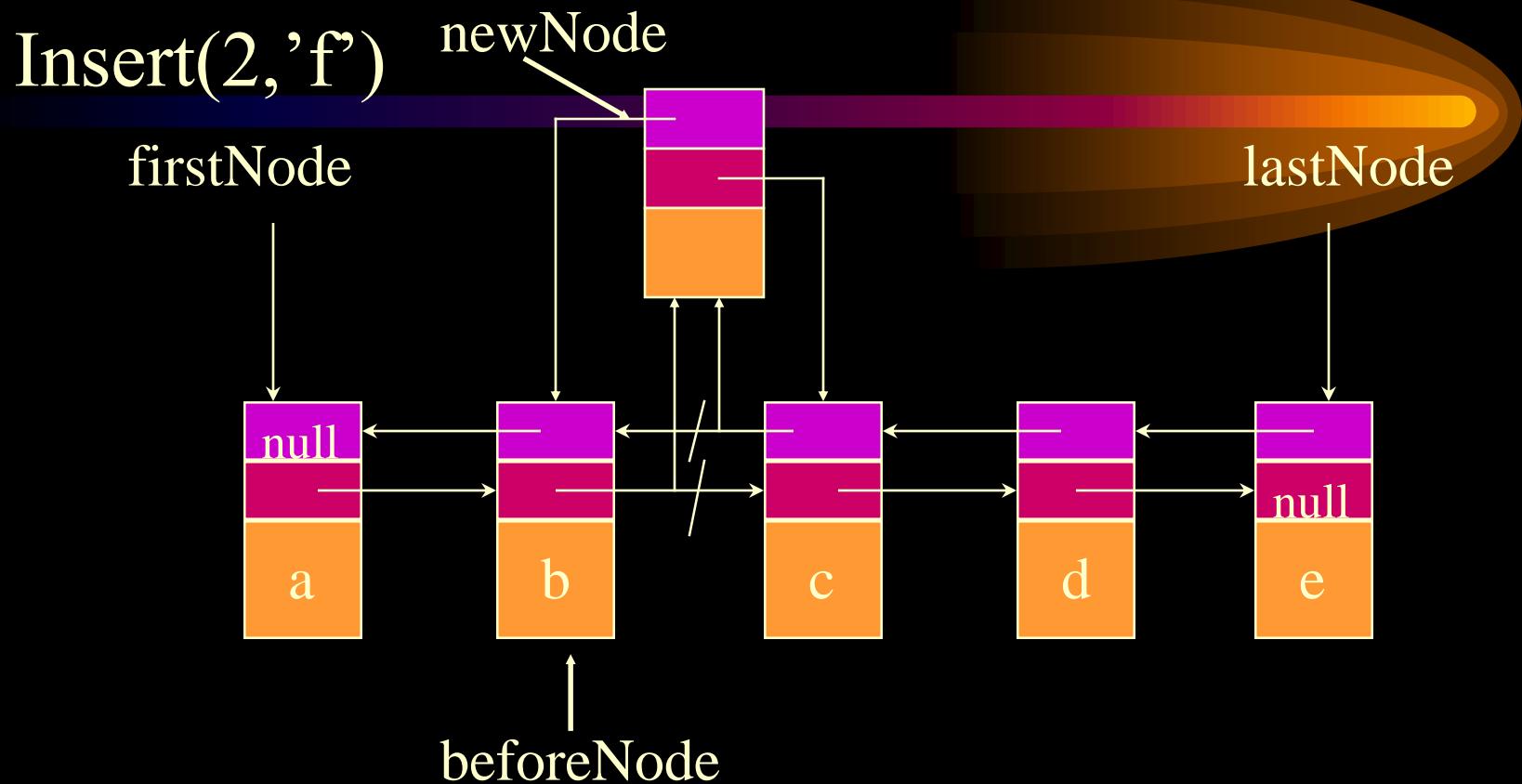


firstNode .left=newNode;

newNode .left=null;    newNode .right=firstNode;

firstNode=newNode

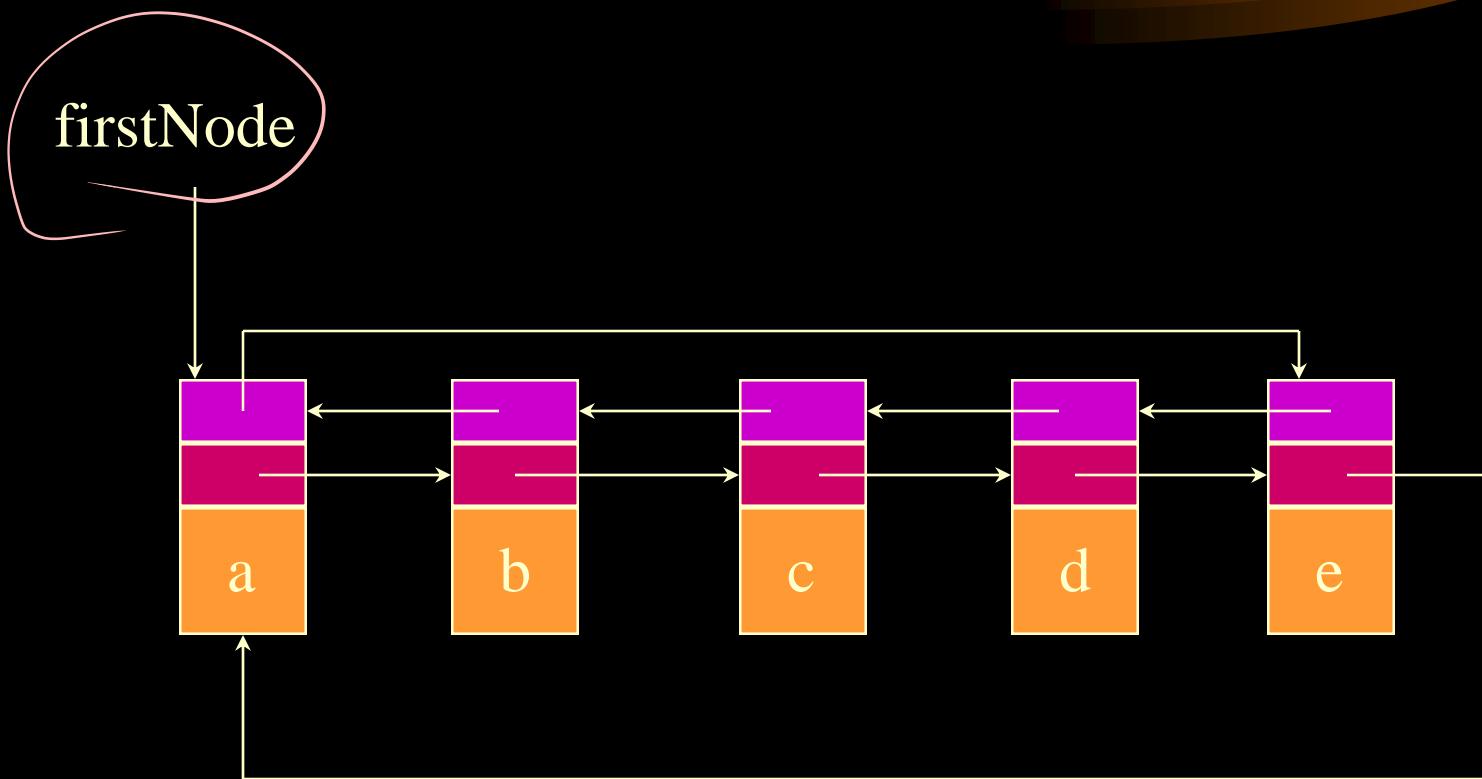
### 3.2.4. Doubly Linked Lists



newNode .left=beforeNode;    newNode .right=beforeNode .right;  
beforeNode .right .left=newNode;    beforeNode .right=newNode;

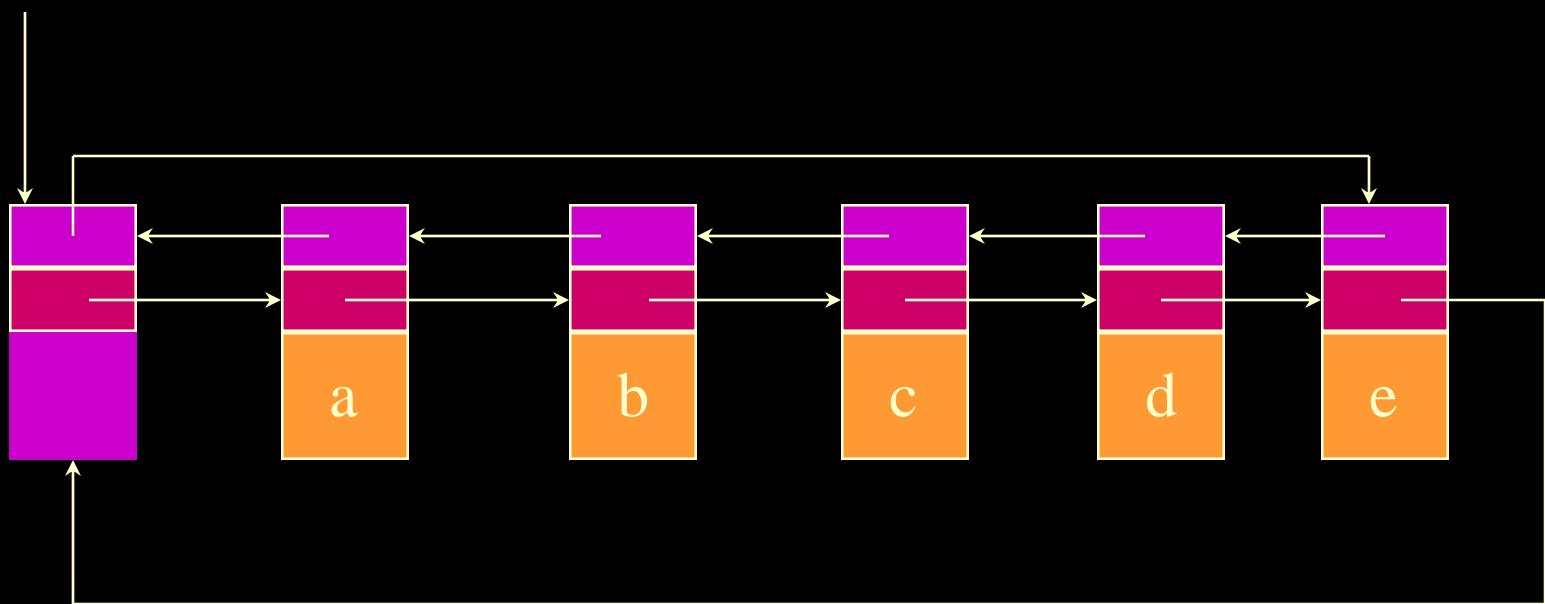
### 3.2.4. Doubly Linked Circular Lists

循环  
单向也叫循环



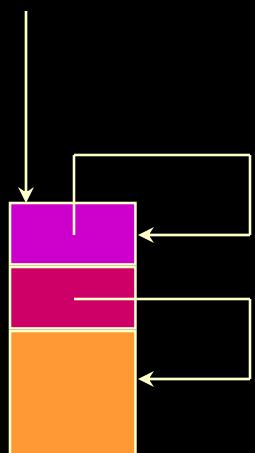
# Doubly Linked Circular List With Header Node

headerNode

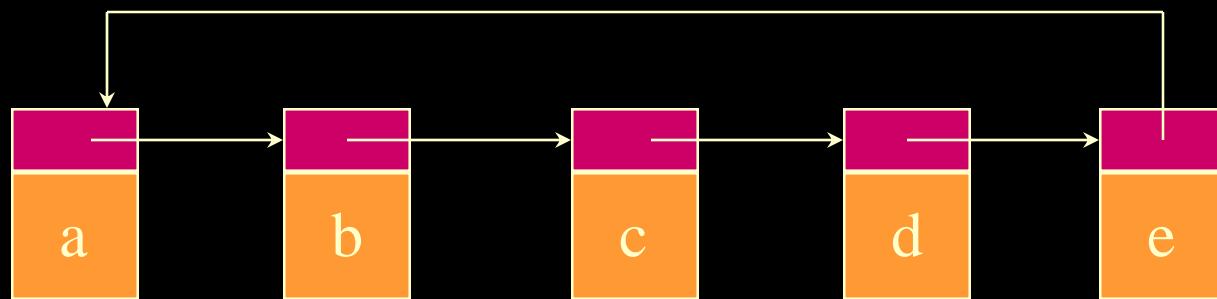


# Empty Doubly Linked Circular List With Header Node

headerNode

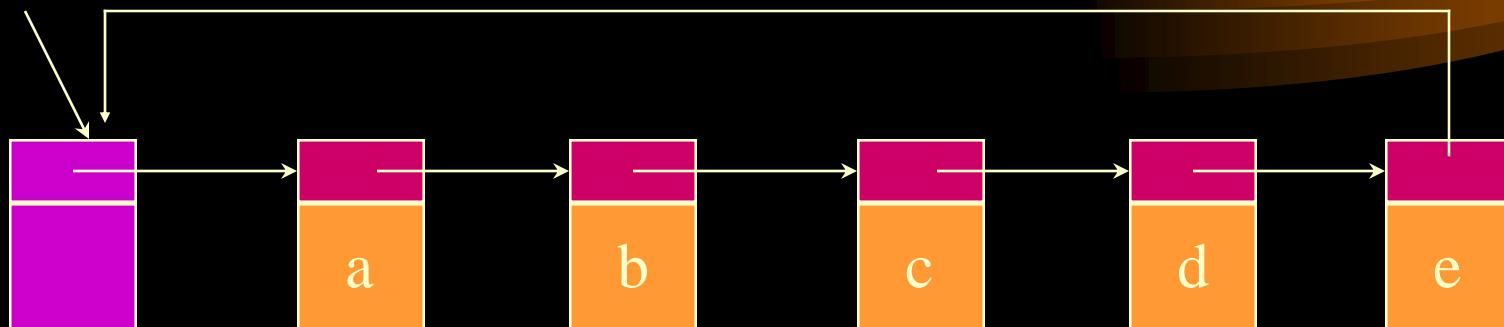


### 3.2.5. Circular Linked Lists

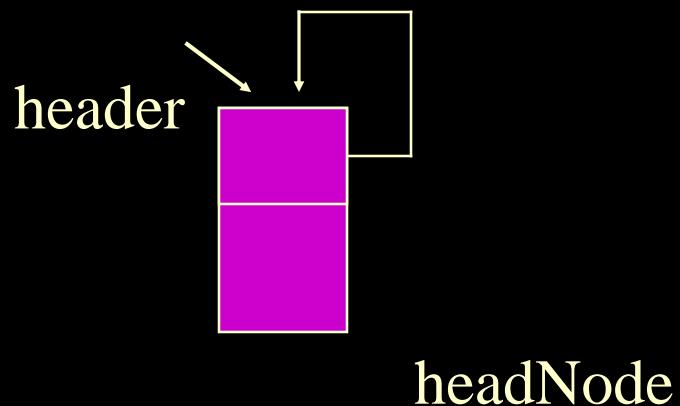


### 3.2.5. Circular Linked Lists

header



headNode

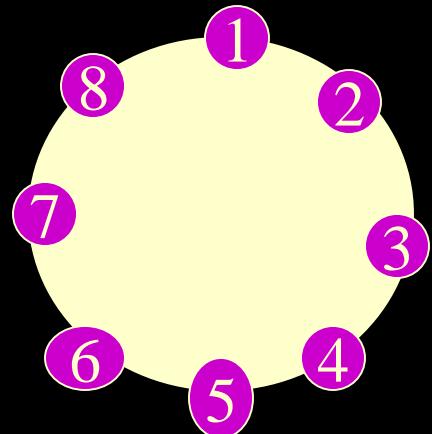


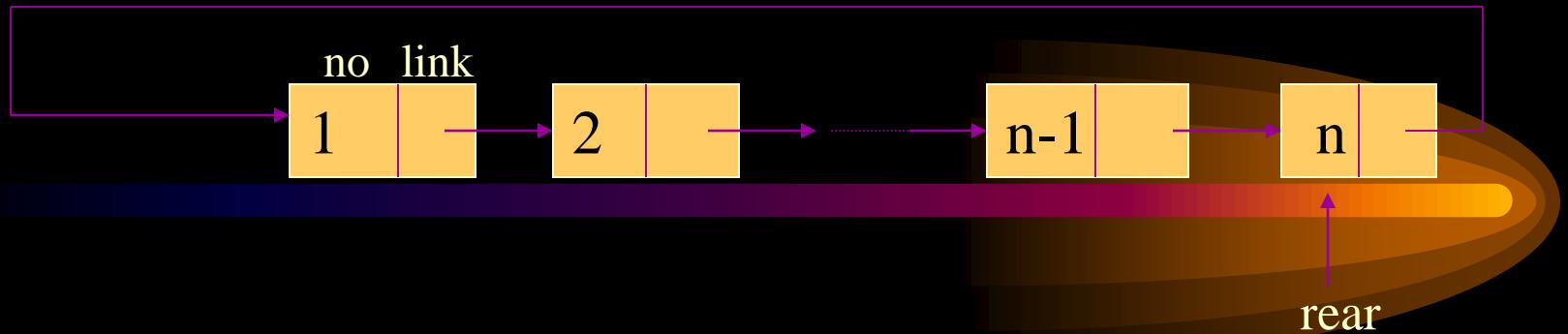
例子：

用循环链表求解约瑟夫(josephus)问题

约瑟夫问题：实际上是一个游戏。书中以旅行社从n个旅客中选出一名旅客，为他提供免费环球旅行服务。

例， $n=8, m=3$ （报数）从1号开始报数出列顺序为：3, 6, 1, 5, 2, 8, 4。最后一个编号7的旅客将赢得环球旅游。





rear: 每次指向要出队列的前一个结点 起始时指向尾结点

出队列的人也用链表来表示： 表示出列顺序

head: 指向出队列结点链表的开头结点

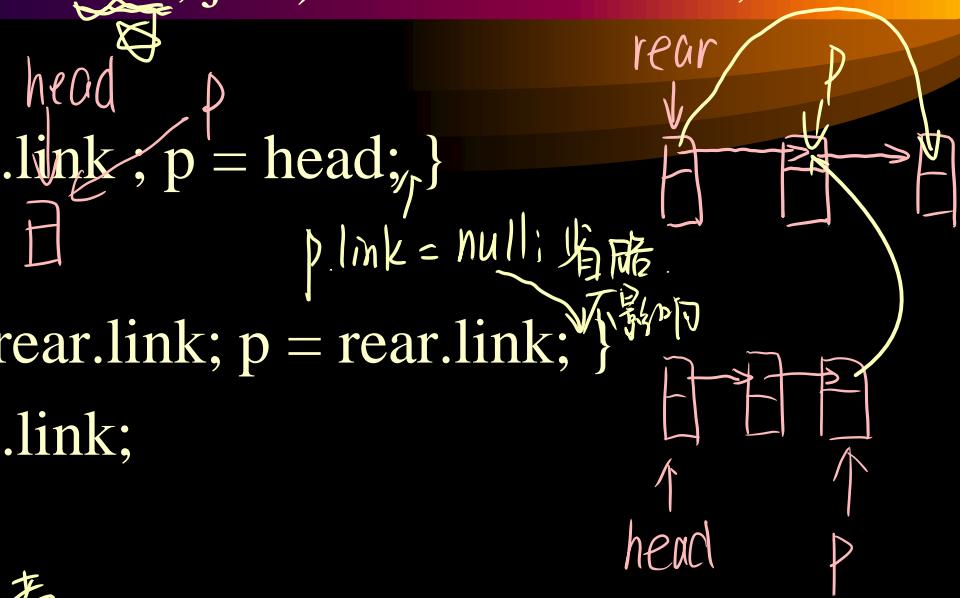
p: 指向出队列结点链表的尾结点

以上rear, head, p都是ListNode的一个对象引用。

```

1. w = m;
2. for( int i = 1; i<= n-1; i++)
   //报错. 1) for (int j =1; j<=w-1; j++) rear = rear.link;
   //将该判断的 2) if (i == 1)
      //将该插入到队列 { head = rear.link; p = head; }
      //链表           else
      //               { p.link = null; 虽然不影响
      //                 p.link = rear.link; p = rear.link; }
      //将该结点从队列 3) rear.link = p.link;
      //链表删除.    }

```



3. P.link = rear;  $\Leftarrow$  边存者

**rear.link = null;**

— 15 —

rear.link = null;

### 3.2.6. Examples

#### 1. Polynomial ADT 多项式 抽象数据结构

$$p_n(x) = a_0x^{e_0} + a_1x^{e_1} + a_2x^{e_2} + \dots + a_nx^{e_n}$$

- Array implementation

example:  $p(x) = 3x^4 - 5x^3 + 8x^2 + 2x - 1$

coeffArray 

3	-5	8	2	-1
---	----	---	---	----

$$p(x) = 2x^{1000} + 8x^{50} - 2$$

也即  $\rightarrow 2 \ 8 \ -5 \ 3$

用数组下标代表指数

但在这种情况下，高们浪费了大量内存

$\Rightarrow$  同时求数下指针

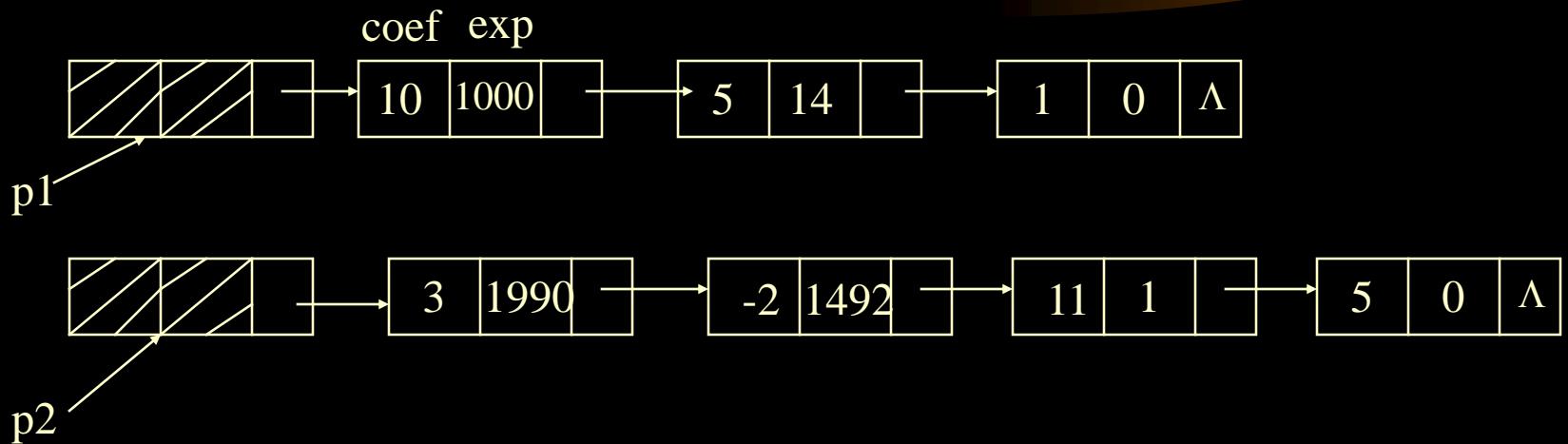
优点：以较小的代价节省空间

### 3.2.6. Examples

- Linked list representations

$$p_1(x) = 10x^{1000} + 5x^{14} + 1$$

$$p_2(x) = 3x^{1990} - 2x^{1492} + 11x + 5$$



polynomial operations: addition , multiplication, and so on.

# 1) Array implementation of the polynomial ADT



```
public class Polynomial
{
    public Polynomial() { zeroPolynomial(); }
    public void insertTerm( int coef, int exp )
    public void zeroPolynomial()   清空
    public Polynomial add( Polynomial rhs )
    public Polynomial multiply( Polynomial rhs ) throws Overflow
    public void print()

    public static final int MAX-DEGREE = 100;
    private int coeffArray[ ] = new int [MAX-DEGREE + 1];
    private int highPower = 0;
}
```

```

public void zeroPolynomial()      多项式置0
{
    for( int i = 0; i<=MAX-DEGREE; i++)
        coeffArray[i] = 0;
    highPower = 0;
}

```

```

public Polynomial add( Polynomial rhs )
{
    Polynomial sum = new Polynomial();
    sum.highPower = max( highPower, rhs.highPower );
    for( int i = sum.highPower; i>=0; i-- )
        sum.coeffArray[i] = coeffArray[i] + rhs.coeffArray[i];
    return sum;
}

```

Example:

$$p_1(x) = 3x^8 - 5x^3 + 3x - 1$$

$$p_2(x) = 4x^6 + 2x^2 + 2$$

$$ax^i + bx^i = (a+b)x^i$$

0	1	2	3	4	5	6	7	8
-1	3	0	-5	0	0	0	0	3
2	0	2	0	0	0	4	0	0

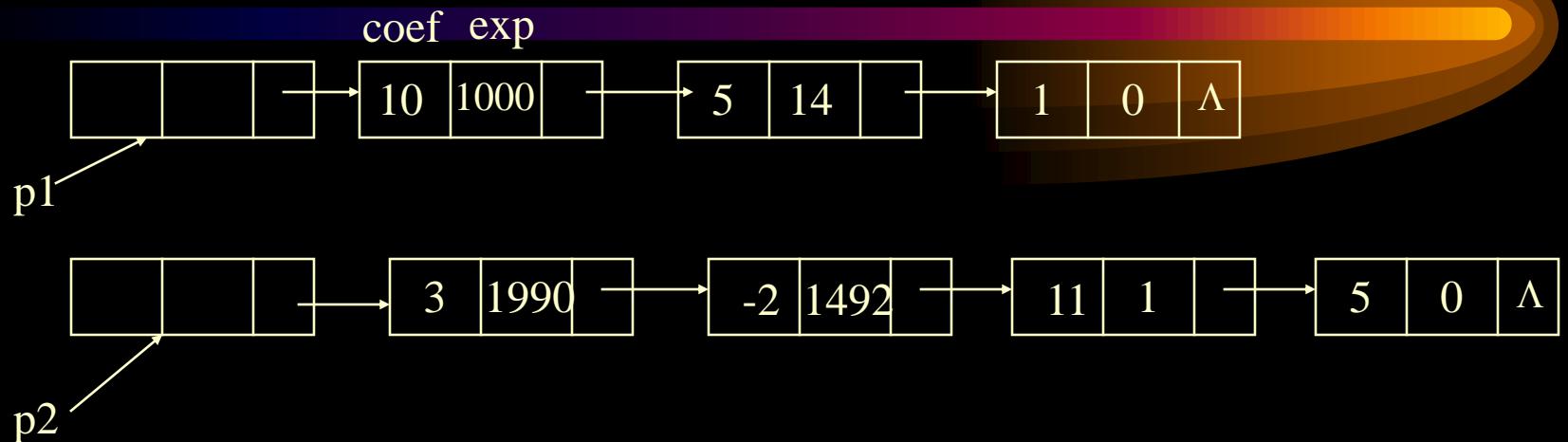
Public Polynomial multiply( Polynomial rhs ) throws overflow

```
{   Polynomial product = new Polynomial();
    product.highPower = highPower + rhs.highPower;
    if( product.highPower > MAX-DEGREE )
        throw new overflow();
    for( int i = 0; i<= highPower; i++ )
        for( int j = 0; j<= rhs.highPower; j++ )
            product.coeffArray[ i+j ] += coeffArray[i] * rhs.coeffArray[j];
    return product;
}
```

$$\begin{array}{c} \downarrow \\ ax^i \times bx^j = ab x^{i+j}. \end{array}$$

合并同类项

## 2) Class skeletons for linked list implemetation of the Polynomial ADT



```
public class Literal    构造函数.  
{ //Various constructors(not shown)  
    int coefficient;  
    int exponent;  
}  
  
public class Polynomial  
{ public Polynomial( ) { /* Exercise */ }  
    public void insertTerm( int coef, int exp ) { /* Exercise */ }  
    public void zeroPolynomial( ) { /* Exercise */ }  
    public Polynomial add( Polynomial rhs ) { /* Exercise */ }  
    public Polynomial multiply( Polynomial rhs ) { /* Exercise */ }  
    public void print( ) { /* Exercise */ }  
  
    private List terms; /* A List of Literals, sorted by exponent */  
}
```

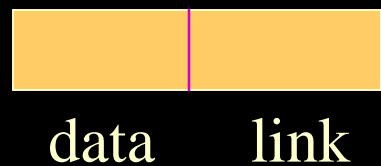
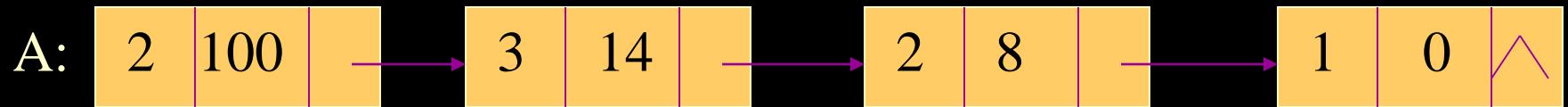
多项式相加：

$$* \text{问题: } A(X) = 2X^{100} + 3X^{14} + 2X^8 + 1$$

$$B(X) = -2X^{100} + 8X^{14} - 3X^{10} + 10X^6 - X$$

$$A(X) + B(X) = 11X^{14} - 3X^{10} + 2X^8 + 10X^6 - X + 1$$

存放非零指数的系数与指数，因此每个结点有三个域组成。



$$A(X) + B(X) \Rightarrow A(X)$$

具体实现时，并不要再重新申请结点，完全利用原来两个链表的结点。

方法：设4个引用变量：

用释放结点

pa, pb, pc, p(c++需要)

1) 初始化：pc, pa, pb；

2) 当pa和pb都有项时

pc永远指向相加时结果链表的最后一个结点。

a) 指数相等 ( $pa.\exp = pb.\exp$ )

对应系数相加:  $pa.\text{coef} = pa.\text{coef} + pb.\text{coef}$  ;  
暂存

$p = pb$ (c++需要) ;  $pb$ 前进 ;

if (系数相加结果为0){  $p=pa$ ;  $pa$ 前进; }

else {  $pc.\text{link}=pa$ ;  $pc=pa$ ;  $pa$ 前进 }

b) 指数不等  $pa.\exp < pb.\exp$  //  $pb$ 要插入结果链表

{ $pc.\text{link}=pb$  ;  $pc=pb$  ;  $pb$ 前进}

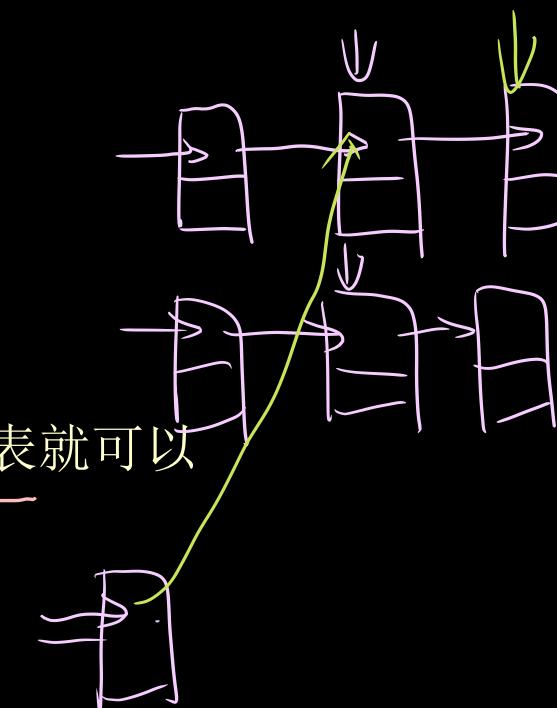
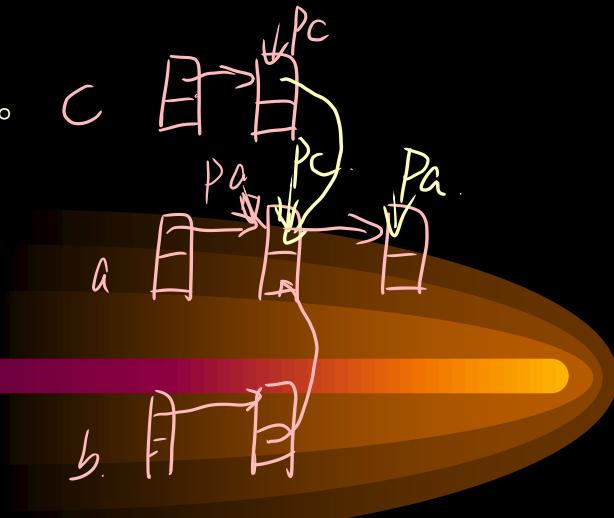
c) 指数不等  $pa.\exp > pb.\exp$  //  $pa$ 要插入结果链表

{ $pc.\text{link}=pa$  ;  $pc=pa$  ;  $pa$ 前进}

3) 当两链表中有一链表为空, 则将另一链表链入结果链表就可以

if ( $pb$ 空了){  $pc.\text{link}=pa$  ; }

else  $pc.\text{link}=pb$ ;



算法分析：设两个多项式的项数分别是m和n，则总的比较次数  
为 $\underbrace{O(m+n)}$

最坏情况下：两个多项式的指数项都不等且交叉递增，如

$$A(x): \quad a_5x^5 + a_3x^3 + a_1x + a_0 \quad m=4 \quad \text{比较} \underbrace{m+n-1}_{\text{次}}$$
$$B(x): \quad b_4x^4 + b_2x^2 + b_0 \quad n=3$$

# 2009年考研统考题

(15分)已知一个带有表头结点的单链表,结点结构为 

data	link
------	------

, 假设该链表只给出了头指针 list. 在不改变链表的前提下, 请设计一个尽可能高效的算法, 查找链表中倒数第k个位置上的结点(k为正整数). 若查找成功, 算法输出该结点的data域的值, 并返回1; 否则返回0. 要求:

- 1) 描述算法的基本设计思想;
- 2) 描述算法的详细实现步骤;
- 3) 根据设计思想和实现步骤, 采用程序设计语言描述算法(使用C或C++或JAVA语言实现), 关键之处请给出简要注释.



复杂度只能降到O(n)

“缓存”的思路

### 3.2.6. Cursor implementation of Linked Lists

游标、

use array to implement linked list:

cursorSpace

	element	next
0	1	
1	2	
2	3	
3	4	

header → 0

p → 2

element next

6	
30	2
50	3
67	8
15	7
81	0
10	4
20	1
78	5

→ 口是结点  
成员指针  
(由自己定义)

P = p.next



p = cursorSpace[p].next

p.data

cursorSpace[p].data

### 3.2.6. Cursor implementation of Linked Lists

#### 1) Node and iterator for cursor implemetation of linked lists

```
class CursorNode
{ CursorNode( object theElement )
    { this( theElement, 0 ); } 这里 0 表示单链表的结束，相当于指向了表头结点
  CursorNode( object theElement, int n )
    { element = theElement;
      next = n;
    }
    object element;
    int next;
}
```

### 3.2.6. Cursor implementation of Linked Lists

```
public class CursorListItr
{ CursorListItr( int theNode ) { current = theNode; }
  public boolean isPastEnd( ) { return current == 0; }
  public object retrieve( )
  { return isPastEnd( ) ? null:
    CursorList.cursorSpace[ current ].element;
  }
  public void advance( )
  { if( !isPastEnd( ) )
    current = CursorList.cursorSpace[ current ].next;
  }
  int current;
}
```

### 3.2.6. Cursor implementation of Linked Lists

#### 2) Class skeleton for CursorList

! : 模拟了内存管理

public class CursorList

```
{ private static int alloc() } 系统给应用软件提供的功能  
private static void free( int p )  
public CursorList() 没有 static 是应用软件的功能  
{ header = alloc(); cursorSpace[ header ].next = 0; }  
public boolean isEmpty()  
{ return cursorSpace[ header ].next == 0; }  
public void makeEmpty() ~在后面 PPT  
public CursorListItr zeroth() 获得表头  
{ return new CursorListItr( header ); }  
public CursorListItr first() 获得第一个元素  
{ return new CursorListItr( cursorSpace[ header ].next ); }
```

↓ 回去想为什么

带 static:

① 代表类成员变量

类共有

② 类方法

↓ 不需创建对象即可调用

类方法

```
public CursorListItr find( object x )
public void insert( object x, CursorListItr p )
public void remove( object x )
public CursorListItr findPrevious( object x )
```

(一个类的实例相当于一个应用软件)

①是空间内存的链表的表头

private int header; 应用软件唯一维持的数据 是其占用内存的链表的表头

static CursorNode [ ] cursorSpace;

```
private static final int SPACE-SIZE = 100;
```

static

数组(相当于此块内存)做了初始化

```
{   cursorSpace = new CursorNode[ SPACE-SIZE ];
    for( int i = 0; i<SPACE-SIZE; i++)
        cursorSpace[ i ] = new CursorNode( null, i + 1 );
    cursorSpace[ SPACE-SIZE-1 ].next = 0;
}
```

}

### 3.2.6. Cursor implementation of Linked Lists

Some Routines:

- Alloc and free

```
private static int alloc()
```

```
{ int p = cursorSpace[ 0 ].next;
```

```
cursorSpace[0].next = cursorSpace[p].next;
```

```
if( p == 0 )
```

```
    throw new OutOfMemoryError( );
```

return p; 宽间对应如下所示。

```
}
```

```
private static void free( int p )
```

```
{ cursorSpace[p].element = null;
```

```
cursorSpace[p].next = cursorSpace[0].next;
```

```
cursorSpace[0].next = p;
```

```
}
```

链表代表着空闲的内存空间 (节点)

分配一块内存 口号的 next , 即 P 节点  
再将 P 从该链表删除 , 意味着 P 不再是  
空闲内存 , P 不会再被分配

系统将 P 结点再次标注为空闲内存

将 P 插入到链表中 (口号节点后用)

### 3.2.6. Cursor implementation of Linked Lists

- Find routine----cursor implementation

```
public CursorListItr find( object x )
{
    int itr = cursorSpace[ header ].next;      使用内存的表头
    while( itr != 0 && !cursorSpace[ itr ].element.equals( x ) )
        itr = cursorSpace[ itr ].next;
    return new CursorListItr( itr );
}
```

### 3.2.6. Cursor implementation of Linked Lists

- Insertion routine for linked lists---cursor implementation

```
public void insert( object x, CursorListItr p )
```

```
{  if( p != null && p.current != 0)
```

```
    {  int pos = p.current;
```

```
      int tmp = alloc( );
```

```
      cursorSpace[ tmp ].element = x;
```

```
      cursorSpace[ tmp ].next = cursorSpace[ pos ].next;
```

```
      cursorSpace[ pos ].next = tmp;
```

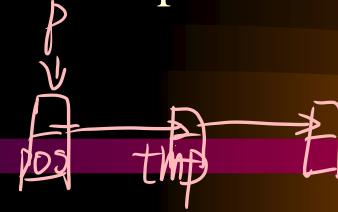
```
    }
```

```
}
```

### 3.2.6. Cursor implementation of Linked Lists

- Deletion routine for linked lists----cursor implementation

```
public void remove( object x )  
{   CursorListItr p = findPrevious( x );  
    int pos = p.current;  步数组下标.
```



```
if( cursorSpace[ pos ].next != 0 ) (x找到)  
{   int tmp = cursorSpace[ pos ].next;  
    cursorSpace[ pos ].next = cursorSpace[ tmp ].next;  
    free( tmp );  
}  
}
```

- makeEmpty for cursor implementation

```
public void makeEmpty()  
{   while( !isEmpty() )  
        remove( first().retrieve() );  
}
```

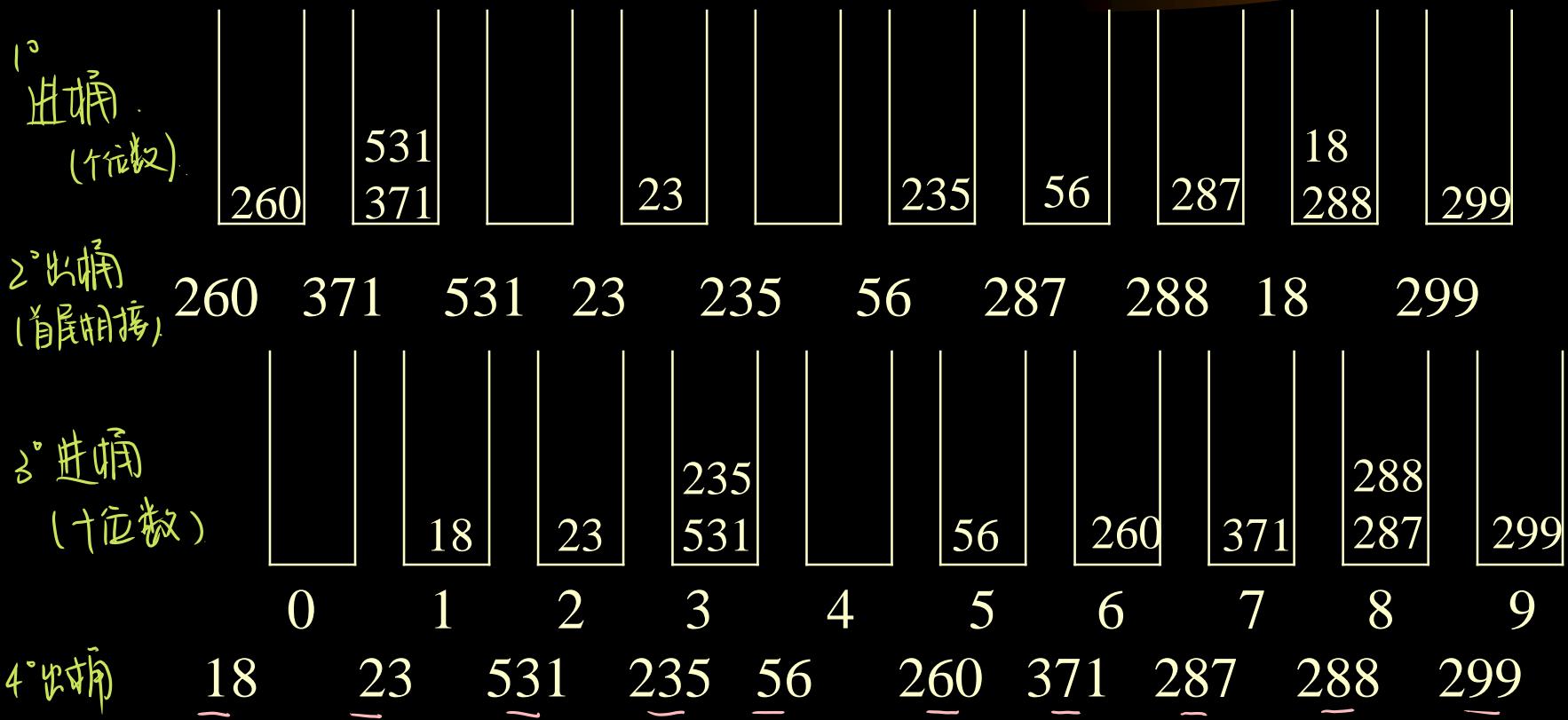
和桶排序 在“排序”一章中不会再讲

### 3.2.7. Examples

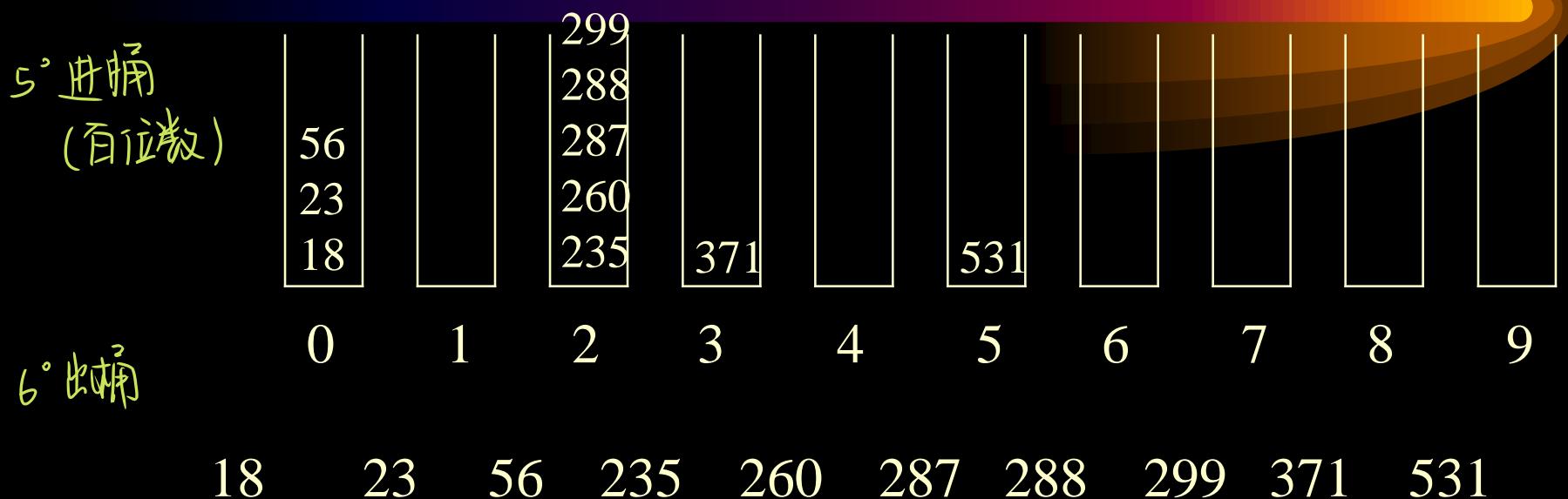
基数排序

Radix Sort

288 371 260 531 287 235 56 299 18 23



### 3.2.7. Examples

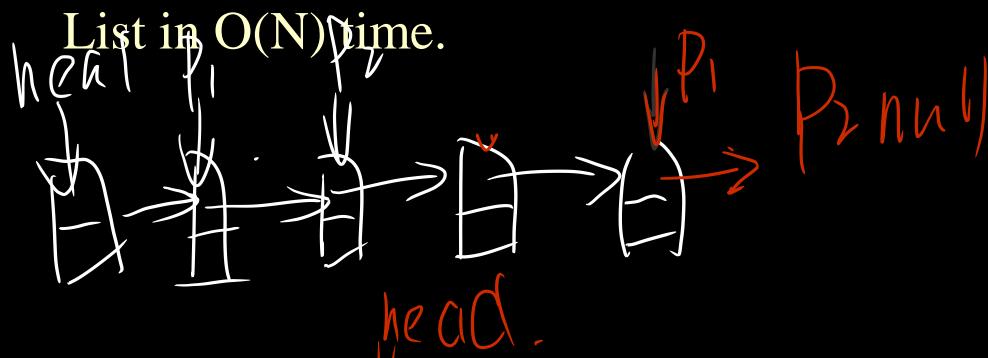


实现：原始要排序的数据、桶中的数据都可以用链表来实现。

# Chapter 3

exercises:

1. Swap two adjacent elements by adjusting only the links (and not the data) using:
  - a. Singly linked lists.
  - b. Doubly linked lists.
2. Given two sorted lists  $L_1$  and  $L_2$ , write a procedure to compute  $L_1 \cap L_2$  using only the basic list operations.
3. Given two sorted lists,  $L_1$  and  $L_2$ , write a procedure to compute  $L_1 \cup L_2$  using only the basic list operations.
4. Write a nonrecursive method to reverse a singly linked



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# Chapter 3

上机实习题：

3. 多项式相加，用链表实现。
4. Josephus( n, m), 用数组、链表实现。