



UC Berkeley  
Teaching Professor  
Dan Garcia

# CS61C

Great Ideas  
in  
**Computer Architecture**  
(a.k.a. Machine Structures)



UC Berkeley  
Professor  
Bora Nikolić

## Parallelism

# New-School Machine Structures

## Software

### Parallel Requests

Assigned to computer  
e.g., Search “Cats”

### Parallel Threads

Assigned to core e.g., Lookup, Ads

### Parallel Instructions

>1 instruction @ one time  
e.g., 5 pipelined instructions

### Parallel Data

>1 data item @ one time  
e.g., Add of 4 pairs of words

### Hardware descriptions

All gates work in parallel at same time

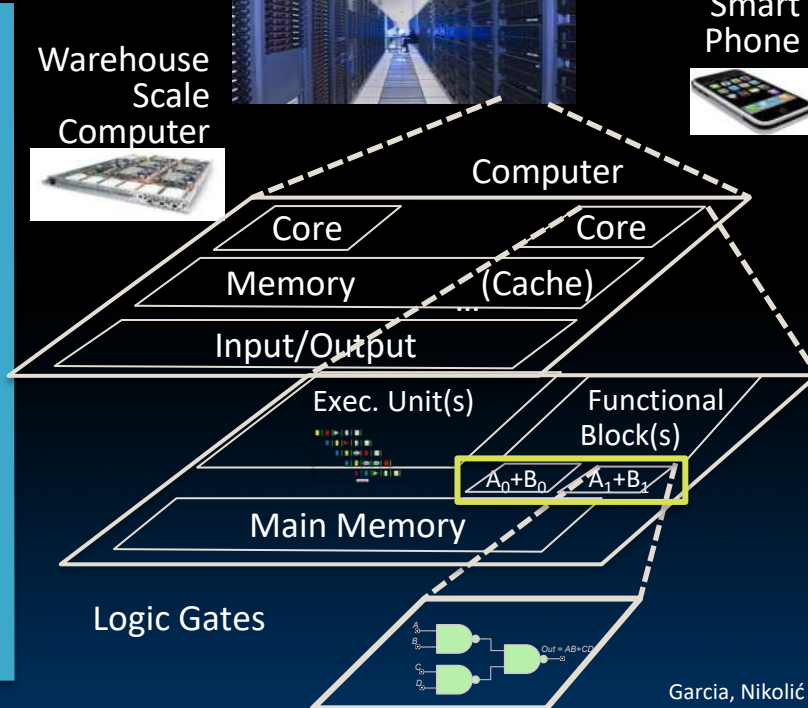
Harness  
Parallelism &  
Achieve High  
Performance

## Hardware

Warehouse  
Scale  
Computer

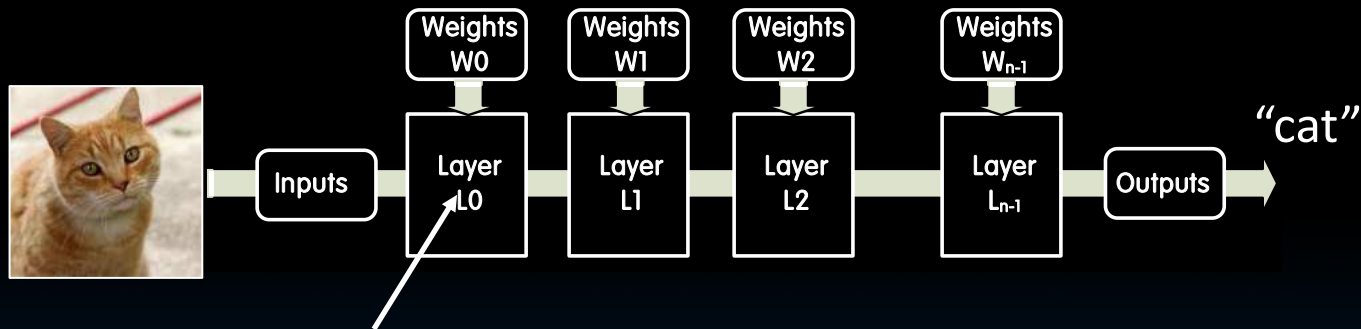


Smart  
Phone



# Application: Machine Learning

- Inference in machine learning applications



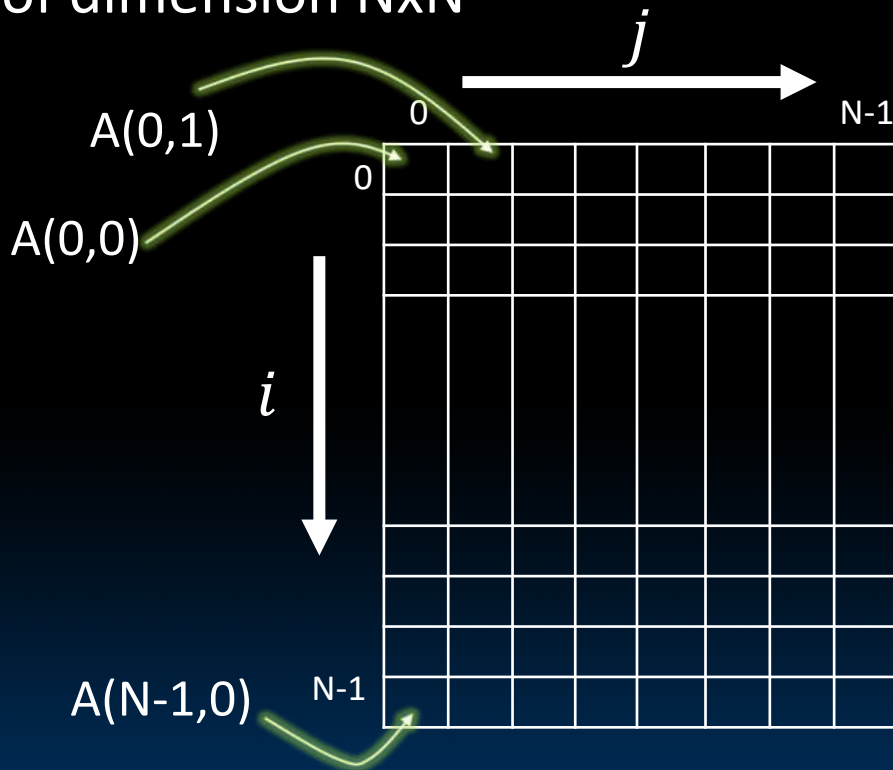
Matrix-vector multiplications

# Reference Problem: Matrix Multiplication

- Matrix multiplication
  - Basic operation in many engineering, data, and imaging processing tasks
  - Image filtering, noise reduction, machine learning...
  - Many closely related operations
- **dgemm**
  - double-precision floating-point matrix multiplication
    - In FORTRAN

# Matrices

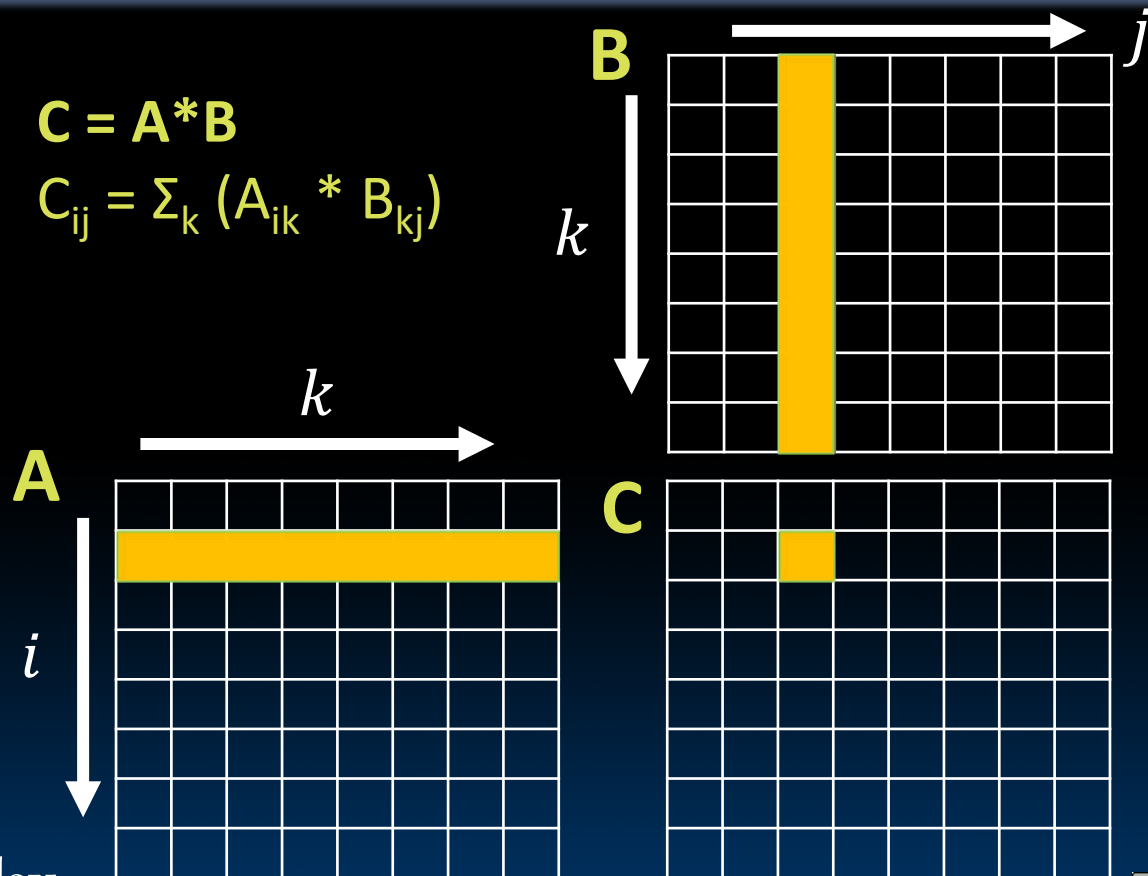
- Square matrix of dimension  $N \times N$



# Matrix Multiplication

$$C = A * B$$

$$C_{ij} = \sum_k (A_{ik} * B_{kj})$$



# Matrix Multiplication

# Example: 2 x 2 Matrix Multiply

Matrix Multiply:

$$C_{i,j} = (A \times B)_{i,j} = \sum_{k=1}^2 A_{i,k} \times B_{k,j}$$

$$\begin{bmatrix} A_{1,1} & A_{1,2} \\ A_{2,1} & A_{2,2} \end{bmatrix} \times \begin{bmatrix} B_{1,1} & B_{1,2} \\ B_{2,1} & B_{2,2} \end{bmatrix} = \begin{bmatrix} C_{1,1} & C_{1,2} \\ C_{2,1} & C_{2,2} \end{bmatrix}$$

$$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \times \begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix} = \begin{bmatrix} C_{1,1} & C_{1,2} \\ C_{2,1} & C_{2,2} \end{bmatrix}$$

$$\begin{bmatrix} C_{1,1} = 1 \cdot 1 + 0 \cdot 2 = 1 & C_{1,2} = 1 \cdot 3 + 0 \cdot 4 = 3 \\ C_{2,1} = 0 \cdot 1 + 1 \cdot 2 = 2 & C_{2,2} = 0 \cdot 3 + 1 \cdot 4 = 4 \end{bmatrix}$$



# Reference: Python

## ▪ Matrix multiplication in Python

```
def dgemm(N, a, b, c):  
    for i in range(N):  
        for j in range(N):  
            c[i+j*N] = 0  
            for k in range(N):  
                c[i+j*N] += a[i+k*N] * b[k+j*N]
```

N	Python [MFLOPs]
32	5.4
160	5.5
480	5.4
960	5.3

- 1 MFLOP = 1 Million floating-point operations per second (fadd, fmul)
- dgemm(N ...) takes  $2 \cdot N^3$  FLOPs

- $c = a * b$
- $a, b, c$  are  $N \times N$  matrices

```
// Scalar; P&H p. 226
void dgemm_scalar(int N, double *a, double *b, double *c) {
    for (int i=0; i<N; i++)
        for (int j=0; j<N; j++) {
            double cij = 0;
            for (int k=0; k<N; k++)
                // a[i][k] * b[k][j]
                cij += a[i+k*N] * b[k+j*N];
            // c[i][j]
            c[i+j*N] = cij;
        }
}
```

# Timing Program Execution

```
#include <stdio.h>
#include <stdlib.h>
#include <time.h>

int main(void) {
    // start time
    // Note: clock() measures execution time, not real time
    //       big difference in shared computer environments
    //       and with heavy system load
    clock_t start = clock();

    // task to time goes here:
    // dgemm(N, ...);

    // "stop" the timer
    clock_t end = clock();

    // compute execution time in seconds
    double delta_time = (double)(end-start)/CLOCKS_PER_SEC;
}
```

# C vs. Python

N	C [GFLOPS]	Python [GFLOPS]
32	1.30	0.0054
160	1.30	0.0055
480	1.32	0.0054
960	0.91	0.0053

**240x****!**

Which class gives you this kind of power?  
We could stop here ... but why? Let's do  
better!

# Flynn's Taxonomy

# Software vs. Hardware Parallelism

		Software	
		Sequential	Concurrent
Hardware	Serial	Matrix Multiply written in MatLab running on an Intel Pentium 4	Windows Vista Operating System running on an Intel Pentium 4
	Parallel	Matrix Multiply written in MATLAB running on an Intel Core i7	Windows Vista Operating System running on an Intel Core i7

- Choice of hardware and software parallelism are independent
  - Concurrent software can also run on serial hardware
  - Sequential software can also run on parallel hardware
- Flynn's Taxonomy* is for parallel hardware

# Flynn's Taxonomy

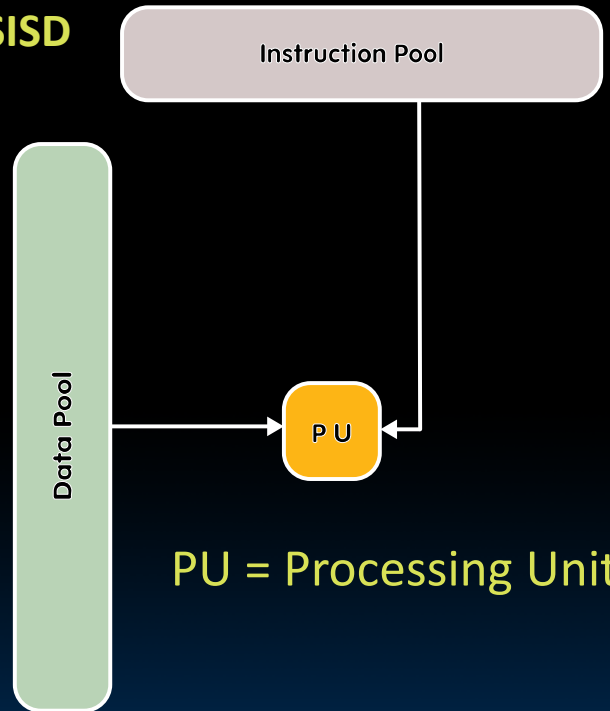


		Data Streams	
		Single	Multiple
Instruction Streams	Single	SISD: Intel Pentium 4	SIMD: SSE instructions of x86
	Multiple	MISD: No examples today	MIMD: Intel Xeon e5345 (Clovertown)

- SIMD and MIMD most commonly encountered today
- Most common parallel processing programming style: Single Program Multiple Data (“SPMD”)
  - Single program that runs on all processors of an MIMD
  - Cross-processor execution coordination through conditional expressions (will see later in Thread Level Parallelism)
- SIMD: specialized function units (hardware), for handling lock-step calculations involving arrays
  - Scientific computing, machine learning, signal processing, multimedia (audio/video processing)

# Single Instruction/Single Data Stream (SISD)

SISD



PU = Processing Unit

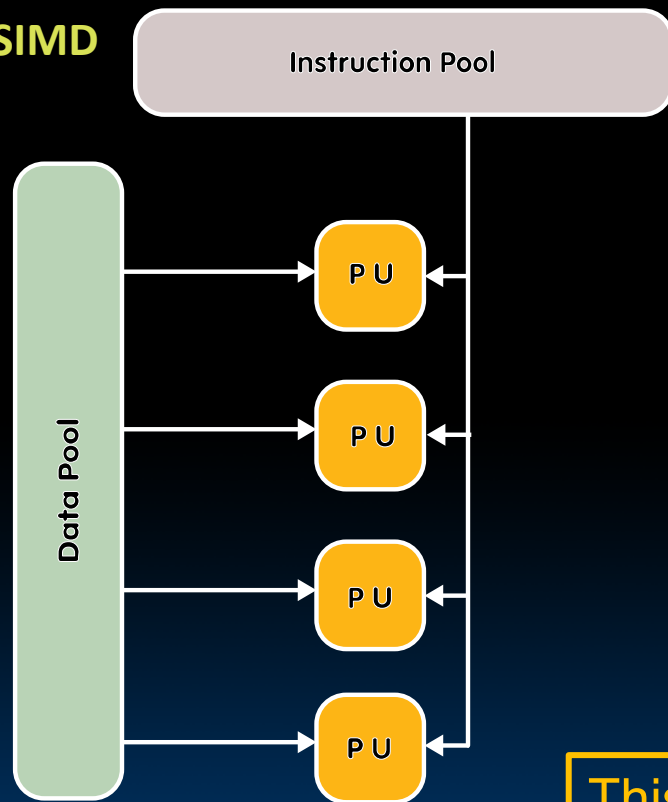
- Sequential computer that exploits no parallelism in either the instruction or data streams
- Examples of SISD architecture are traditional uniprocessor machines

This is what we did up to now in 61C



# Single Instruction/Multiple Data Stream (SIMD)

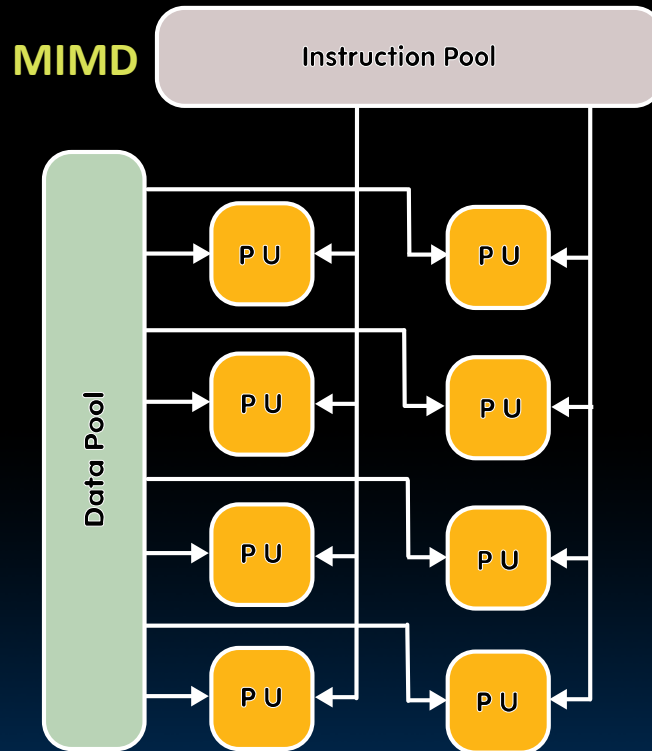
SIMD



- Computer that applies a single instruction stream to multiple data streams for operations that may be naturally parallelized (e.g. SIMD instruction extensions or Graphics Processing Unit)

This segment

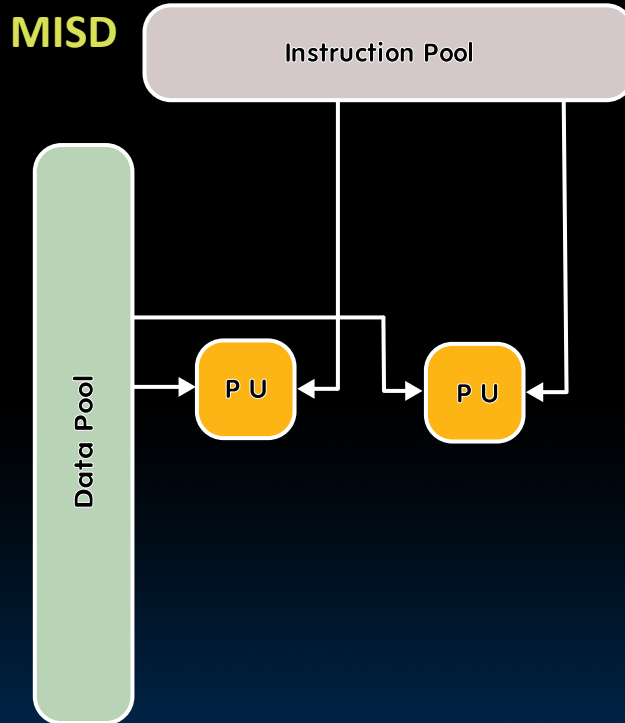
# Multiple Instruction/Multiple Data Stream (MIMD)



- Multiple autonomous processors simultaneously executing different instructions on different data
- MIMD architectures include multicore and Warehouse Scale Computers

Later in this module

# Multiple Instruction/Single Data Stream (MISD)



- Exploits multiple instruction streams against a single data stream for data operations that can be naturally parallelized (e.g. certain kinds of array processors)
- MISD no longer commonly encountered, mainly of historical interest only

This has few applications. Not covered in 61C.

# SIMD Architectures

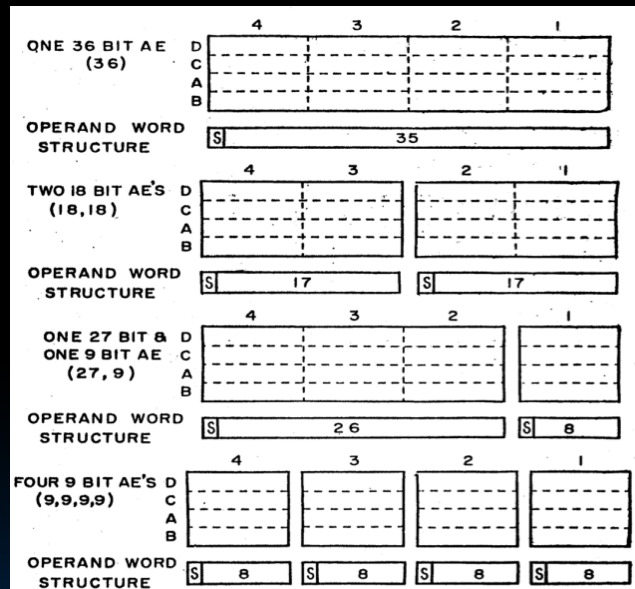
# SIMD Architectures

- *Data-Level Parallelism (DLP):*  
operation on multiple data streams
- **Example:** Multiplying a coefficient vector by a data vector (e.g. in filtering)

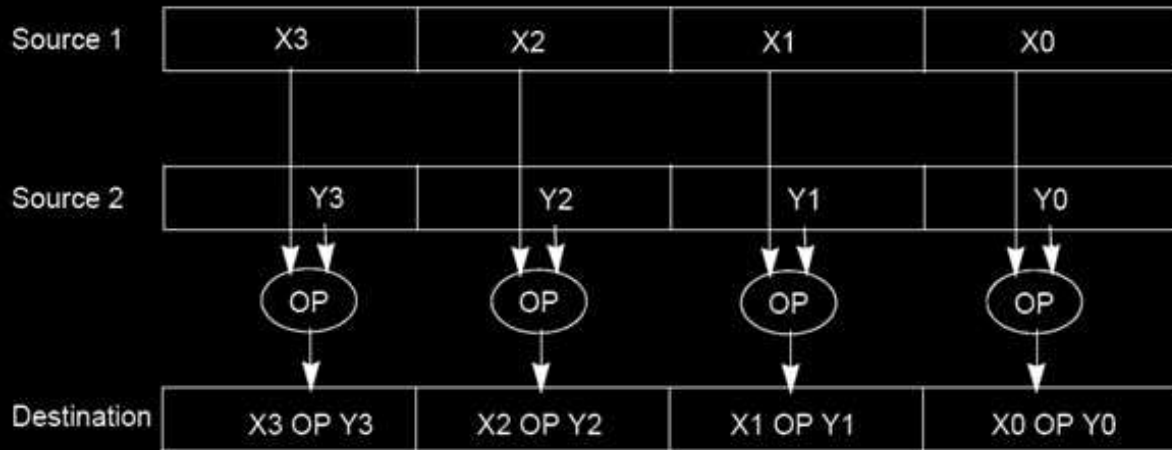
$$y[i] := c[i] \times x[i], \quad 0 \leq i < n$$

- Sources of performance improvement:
  - One instruction is fetched & decoded for entire operation
  - Multiplications are known to be independent
  - Pipelining/concurrency in memory access as well

# First SIMD Extensions: MIT Lincoln Labs TX-2, 1957



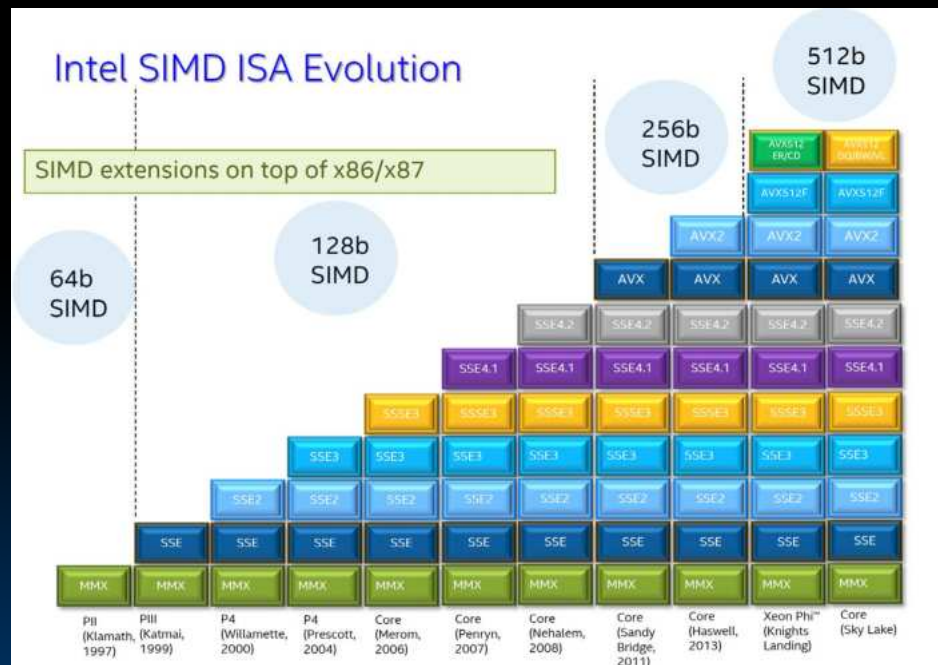
# “Advanced Digital Media Boost”



- To improve performance, Intel’s SIMD instructions
  - Fetch one instruction, do the work of multiple instructions
  - MMX (MultiMedia eXtension, Pentium II processor family)
  - *SSE (Streaming SIMD Extension, Pentium III and beyond)*

# Intel x86 SIMD Evolution

- Started with multimedia extensions (MMX)
  - New instructions every few years
  - New and wider registers
  - More parallelism





# C vs. Python

4x!

N	AVX [GFLOPS]	C [GFLOPS]	Python [GFLOPS]
32	4.56	1.30	0.0054
160	5.47	1.30	0.0055
480	5.27	1.32	0.0054
960	3.64	0.91	0.0053

Theoretical Intel i7-5557U performance is ~25 GFLOPS

$3.1\text{GHz} \times 2 \text{ instructions/cycle} \times 4 \text{ mults/inst} = 24.8\text{GFLOPS}$

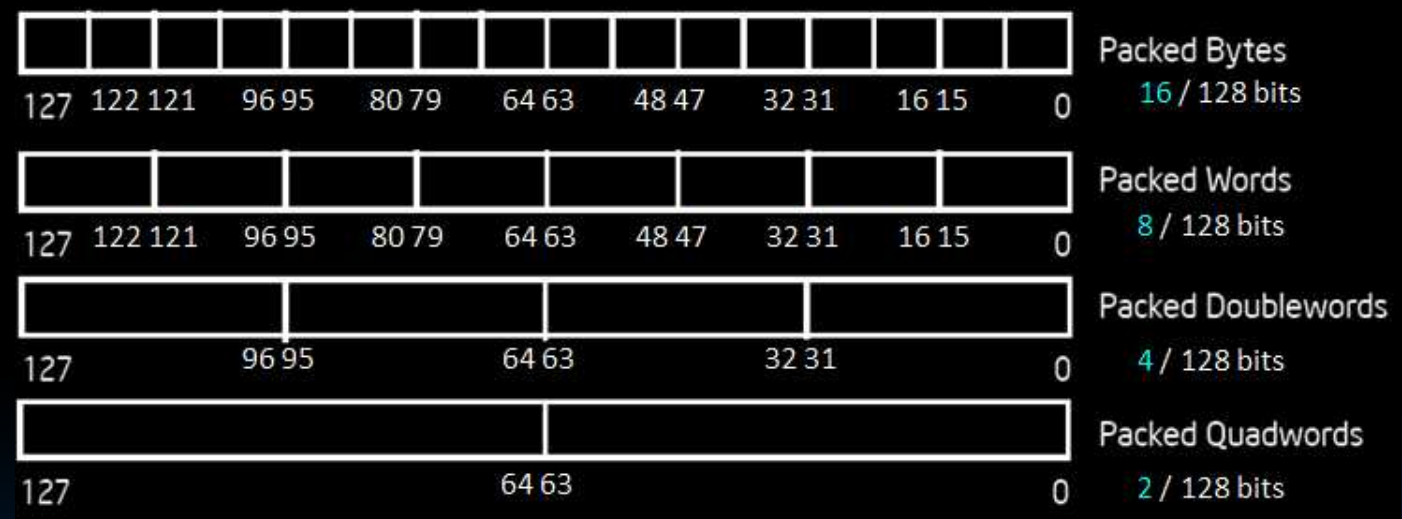
# XMM Registers in SSE

- Architecture extended with eight 128-bit data registers
  - 64-bit address architecture: available as 16 64-bit registers (XMM8 – XMM15)
  - e.g. 128-bit packed single-precision floating-point data type (doublewords), allows four single-precision operations to be performed simultaneously

XMM7
XMM6
XMM5
XMM4
XMM3
XMM2
XMM1
XMM0

# Intel Architecture SSE2+128-Bit SIMD Data Types

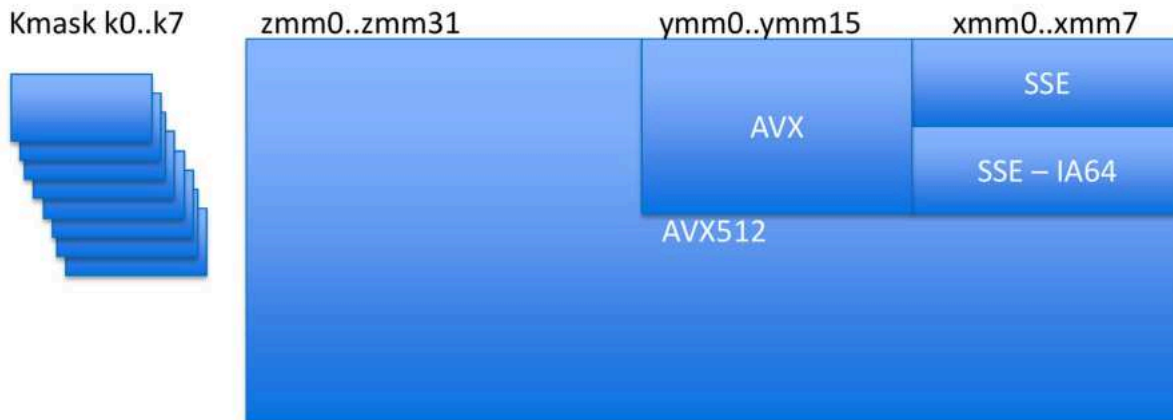
Fundamental 128-Bit Packed SIMD Data Types



- Note: in Intel Architecture (unlike RISC V) a word is 16 bits
  - Single precision FP: Double word (32 bits)
  - Double precision FP: Quad word (64 bits)

# SIMD Registers in AVX512

## AVX512 state



High amounts of compute need large amounts of state to compensate for memory BW  
AVX512 has 8x state compared to SSE (commensurate with its 8x flops level)

Intel confidential — presented under NDA only — under embargo until 6:01 a.m. PDT, June 19, 2017



# Check Out My Laptop (lscpu)

```
Model: 126
Model name: Intel(R) Core(TM) i7-1065G7 CPU @ 1.30GHz
Stepping: 5
CPU MHz: 1497.605
BogoMIPS: 2995.21
Hypervisor vendor: Microsoft
Virtualization type: full
L1d cache: 192 KiB
L1i cache: 128 KiB
L2 cache: 2 MiB
L3 cache: 8 MiB
Vulnerability Itlb multihit: KVM: Vulnerable
Vulnerability L1tf: Not affected
Vulnerability Mds: Not affected
Vulnerability Meltdown: Not affected
Vulnerability Spec store bypass: Mitigation; Speculative Store Bypass disabled via prctl and seccomp
Vulnerability Spectre v1: Mitigation; usercopy/swapgs barriers and __user pointer sanitization
Vulnerability Spectre v2: Mitigation; Enhanced IBRS, IBPB conditional, RSB filling
Vulnerability Srbds: Not affected
Vulnerability Tsx async abort: Not affected
Flags: fpu vme de pse tsc msr pae mce cx8 apic sep mtrr pge mca cmov pat pse36 clflush mmx fxsr
sse sse2 ss ht syscall nx pdpe1gb rdtscp lm constant_tsc rep_good nopl xtopology cpui
d pni pclmulqdq ssse3 fma cx16 pcid sse4_1 sse4_2 movbe popcnt aes xsave avx f16c rdran
d hypervisor lahf_lm abm 3dnowprefetch invpcid_single ssbd ibrs ibpb stibp ibrs_enhance
d fsgsbase bmi1 avx2 smep bmi2 erms invpcid avx512f avx512dq rdseed adx smap avx512ifma
clflushopt avx512cd sha_ni avx512bw avx512vl xsaveopt xsavec xgetbv1 xsaves avx512vbmi
umip avx512_vbmi2 gfni vaes vpclmulqdq avx512_vnni avx512_bitalg avx512_vpopcntdq rdp
d flush_l1d arch_capabilities
```

# SIMD Array Processing

# Example: SIMD Array Processing

for each f in array:

    f = sqrt(f)

} pseudocode

for each f in array {

    load f to the floating-point register

    calculate the square root

    write the result from the register to memory

}

} SISD

for every 4 members in array {

    load 4 members to the SSE register

    calculate 4 square roots in one operation

    write the result from the register to memory

}

} SIMD

# Example: Add Single-Precision FP Vectors

Computation to be performed:

```
vec_res.x = v1.x + v2.x;
```

```
vec_res.y = v1.y + v2.y;
```

```
vec_res.z = v1.z + v2.z;
```

```
vec_res.w = v1.w + v2.w;
```

move from mem to XMM register  
memory aligned, packed single precision

add from mem to XMM register  
packed single precision

move from XMM register to mem  
memory aligned, packed single precision

SSE Instruction Sequence:

```
movaps address-of-v1, %xmm0
```

```
// v1.w | v1.z | v1.y | v1.x -> xmm0
```

```
addps address-of-v2, %xmm0
```

```
// v1.w+v2.w | v1.z+v2.z | v1.y+v2.y | v1.x+v2.x  
-> xmm0
```

```
movaps %xmm0, address-of-vec_res
```





# Intel SSE Intrinsics

- Intrinsics are C functions and procedures for putting in assembly language, including SSE instructions
  - With intrinsics, can program using these instructions indirectly
  - One-to-one correspondence between SSE instructions and intrinsics

## Intrinsics:

- Vector data type:  
  `_m128d`
- Load and store operations:  
  `_mm_load_pd`  
  `_mm_store_pd`
- Arithmetic:  
  `_mm_add_pd`  
  `_mm_mul_pd`

## Corresponding SSE instructions:

`MOVAPD`/aligned, packed double  
`MOVAPD`/aligned, packed double

`ADDPD`/add, packed double  
`MULPD`/multiple, packed double

# Matrix Multiply Example

# Example: 2 x 2 Matrix Multiply

Matrix Multiply:

$$C_{i,j} = (A \times B)_{i,j} = \sum_{k=1}^2 A_{i,k} \times B_{k,j}$$

$$\begin{bmatrix} A_{1,1} & A_{1,2} \\ A_{2,1} & A_{2,2} \end{bmatrix} \times \begin{bmatrix} B_{1,1} & B_{1,2} \\ B_{2,1} & B_{2,2} \end{bmatrix} = \begin{bmatrix} C_{1,1} = A_{1,1}B_{1,1} + A_{1,2}B_{2,1} & C_{1,2} = A_{1,1}B_{1,2} + A_{1,2}B_{2,2} \\ C_{2,1} = A_{2,1}B_{1,1} + A_{2,2}B_{2,1} & C_{2,2} = A_{2,1}B_{1,2} + A_{2,2}B_{2,2} \end{bmatrix}$$

$$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \times \begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix} = \begin{bmatrix} C_{1,1} = 1*1 + 0*2 = 1 & C_{1,2} = 1*3 + 0*4 = 3 \\ C_{2,1} = 0*1 + 1*2 = 2 & C_{2,2} = 0*3 + 1*4 = 4 \end{bmatrix}$$

# Example: 2 x 2 Matrix Multiply

- Initialization

$C_1$	0	0
$C_2$	0	0

# Example: 2 x 2 Matrix Multiply

## Initialization

$$\begin{bmatrix} A_{1,1} & A_{1,2} \\ A_{2,1} & A_{2,2} \end{bmatrix} \times \begin{bmatrix} B_{1,1} & B_{1,2} \\ B_{2,1} & B_{2,2} \end{bmatrix} = \begin{bmatrix} C_{1,1}=A_{1,1}B_{1,1}+A_{1,2}B_{2,1} & C_{1,2}=A_{1,1}B_{1,2}+A_{1,2}B_{2,2} \\ C_{2,1}=A_{2,1}B_{1,1}+A_{2,2}B_{2,1} & C_{2,2}=A_{2,1}B_{1,2}+A_{2,2}B_{2,2} \end{bmatrix}$$

$C_1$	0	0
$C_2$	0	0

## $i = 1$

A	$A_{1,1}$	$A_{2,1}$
---	-----------	-----------

`_mm_load_pd`: Stored in memory in Column order

$B_1$	$B_{1,1}$	$B_{1,1}$
$B_2$	$B_{1,2}$	$B_{1,2}$

`_mm_load1_pd`: SSE instruction that loads a double word and stores it in the high and low double words of the XMM register

# Example: 2 x 2 Matrix Multiply

$$\begin{bmatrix} A_{1,1} & A_{1,2} \\ A_{2,1} & A_{2,2} \end{bmatrix} \times \begin{bmatrix} B_{1,1} & B_{1,2} \\ B_{2,1} & B_{2,2} \end{bmatrix} = \begin{bmatrix} C_{1,1}=A_{1,1}B_{1,1}+A_{1,2}B_{2,1} & C_{1,2}=A_{1,1}B_{1,2}+A_{1,2}B_{2,2} \\ C_{2,1}=A_{2,1}B_{1,1}+A_{2,2}B_{2,1} & C_{2,2}=A_{2,1}B_{1,2}+A_{2,2}B_{2,2} \end{bmatrix}$$

$$\begin{array}{l} C_1 \quad \boxed{0+A_{1,1}B_{1,1} \quad | \quad 0+A_{2,1}B_{1,1}} \\ C_2 \quad \boxed{0+A_{1,1}B_{1,2} \quad | \quad 0+A_{2,1}B_{1,2}} \end{array}$$

`c1 = _mm_add_pd(c1, _mm_mul_pd(a,b1));`  
`c2 = _mm_add_pd(c2, _mm_mul_pd(a,b2));`  
 SSE instructions first do parallel multiplies  
 and then parallel adds in XMM registers

- `l = 1`, intermediate result

$$A \quad \boxed{A_{1,1} \quad | \quad A_{2,1}}$$

`_mm_load_pd`: Stored in memory in  
 Column order

$$B_1 \quad \boxed{B_{1,1} \quad | \quad B_{1,1}}$$

$$B_2 \quad \boxed{B_{1,2} \quad | \quad B_{1,2}}$$

`_mm_load1_pd`: SSE instruction that loads  
 a double word and stores it in the high and  
 low double words of the XMM register

# Example: 2 x 2 Matrix Multiply

$$\begin{bmatrix} A_{1,1} & A_{1,2} \\ A_{2,1} & A_{2,2} \end{bmatrix} \times \begin{bmatrix} B_{1,1} & B_{1,2} \\ B_{2,1} & B_{2,2} \end{bmatrix} = \begin{bmatrix} C_{1,1}=A_{1,1}B_{1,1}+A_{1,2}B_{2,1} & C_{1,2}=A_{1,1}B_{1,2}+A_{1,2}B_{2,2} \\ C_{2,1}=A_{2,1}B_{1,1}+A_{2,2}B_{2,1} & C_{2,2}=A_{2,1}B_{1,2}+A_{2,2}B_{2,2} \end{bmatrix}$$

$$\begin{array}{l} C_1 \quad \boxed{0+A_{1,1}B_{1,1} \quad | \quad 0+A_{2,1}B_{1,1}} \\ C_2 \quad \boxed{0+A_{1,1}B_{1,2} \quad | \quad 0+A_{2,1}B_{1,2}} \end{array}$$

`c1 = _mm_add_pd(c1, _mm_mul_pd(a, b1));`  
`c2 = _mm_add_pd(c2, _mm_mul_pd(a, b2));`  
 SSE instructions first do parallel multiplies  
 and then parallel adds in XMM registers

- $l = 2$ , intermediate result

$$A \quad \boxed{A_{1,2} \quad | \quad A_{2,2}}$$

`_mm_load_pd`: Stored in memory in  
 Column order

$$\begin{array}{l} B_1 \quad \boxed{B_{2,1} \quad | \quad B_{2,1}} \\ B_2 \quad \boxed{B_{2,2} \quad | \quad B_{2,2}} \end{array}$$

`_mm_load1_pd`: SSE instruction that loads  
 a double word and stores it in the high and  
 low double words of the XMM register

# Example: 2 x 2 Matrix Multiply

$$\begin{array}{cc}
 & \begin{matrix} C_{1,1} & C_{1,2} \end{matrix} \\
 \begin{matrix} C_1 \\ C_2 \end{matrix} & \begin{bmatrix} A_{1,1}B_{1,1} + A_{1,2}B_{2,1} & A_{2,1}B_{1,1} + A_{2,2}B_{2,1} \\ A_{1,1}B_{1,2} + A_{1,2}B_{2,2} & A_{2,1}B_{1,2} + A_{2,2}B_{2,2} \end{bmatrix} \\
 & \begin{matrix} C_{2,1} & C_{2,2} \end{matrix}
 \end{array}$$

- I = 2, intermediate result

$$A \quad \begin{bmatrix} A_{1,2} & A_{2,2} \end{bmatrix}$$

`_mm_load_pd`: Stored in memory in Column order

$$\begin{array}{cc}
 B_1 & \begin{bmatrix} B_{2,1} & B_{2,1} \end{bmatrix} \\
 B_2 & \begin{bmatrix} B_{2,2} & B_{2,2} \end{bmatrix}
 \end{array}$$

`_mm_load1_pd`: SSE instruction that loads a double word and stores it in the high and low double words of the XMM register

$$\begin{bmatrix} A_{1,1} & A_{1,2} \\ A_{2,1} & A_{2,2} \end{bmatrix} \times \begin{bmatrix} B_{1,1} & B_{1,2} \\ B_{2,1} & B_{2,2} \end{bmatrix} = \begin{bmatrix} C_{1,1}=A_{1,1}B_{1,1}+A_{1,2}B_{2,1} & C_{1,2}=A_{1,1}B_{1,2}+A_{1,2}B_{2,2} \\ C_{2,1}=A_{2,1}B_{1,1}+A_{2,2}B_{2,1} & C_{2,2}=A_{2,1}B_{1,2}+A_{2,2}B_{2,2} \end{bmatrix}$$



# Example: 2 x 2 Matrix Multiply

```
#include <stdio.h>
// header file for SSE compiler intrinsics
#include <emmintrin.h>

// NOTE: vector registers will be represented in
// comments as v1 = [ a | b ]
// where v1 is a variable of type __m128d and
// a, b are doubles

int main(void) {
    // allocate A,B,C aligned on 16-byte boundaries
    double A[4] __attribute__((aligned(16)));
    double B[4] __attribute__((aligned(16)));
    double C[4] __attribute__((aligned(16)));
    int lda = 2;
    int i = 0;
    // declare several 128-bit vector variables
    __m128d c1,c2,a,b1,b2;
```

```
// Initialize A, B, C for example
/* A = (note column order!)
    1 0
    0 1
*/
A[0] = 1.0; A[1] = 0.0; A[2] = 0.0; A[3] = 1.0;

/* B = (note column order!)
    1 3
    2 4
*/
B[0] = 1.0; B[1] = 2.0; B[2] = 3.0; B[3] = 4.0;

/* C = (note column order!)
    0 0
    0 0
*/
C[0] = 0.0; C[1] = 0.0; C[2] = 0.0; C[3] = 0.0;
```

# Example: 2 x 2 Matrix Multiply

```
// used aligned loads to set
// c1 = [c_11 | c_21]
c1 = _mm_load_pd(C+0*lda);
// c2 = [c_12 | c_22]
c2 = _mm_load_pd(C+1*lda);

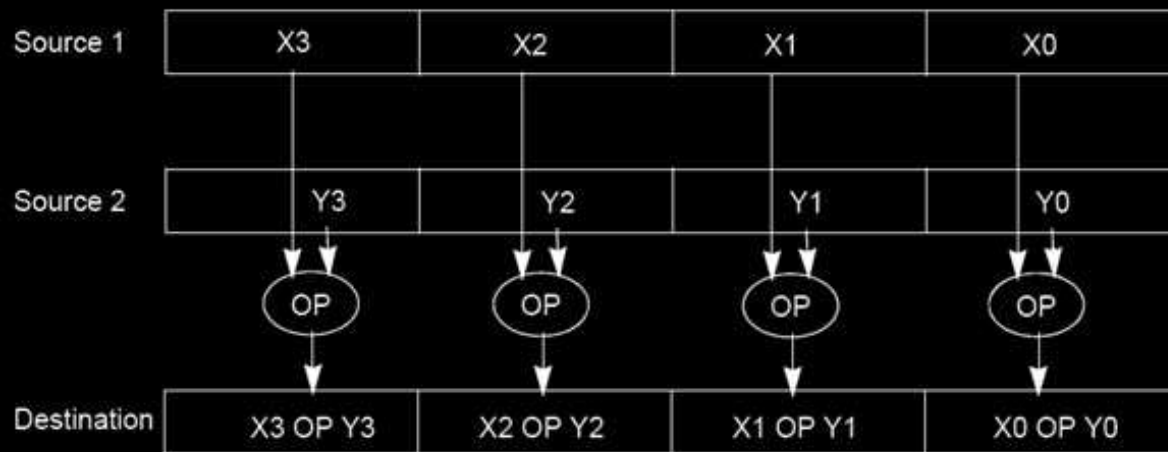
for (i = 0; i < 2; i++) {
    /* a =
       i = 0: [a_11 | a_21]
       i = 1: [a_12 | a_22]
    */
    a = _mm_load_pd(A+i*lda);
    /* b1 =
       i = 0: [b_11 | b_11]
       i = 1: [b_21 | b_21]
    */
    b1 = _mm_load1_pd(B+i*0*lda);
    /* b2 =
       i = 0: [b_12 | b_12]
       i = 1: [b_22 | b_22]
    */
    b2 = _mm_load1_pd(B+i+1*lda);
```

```
/* c1 =
   i = 0: [c_11 + a_11*b_11 | c_21 + a_21*b_11]
   i = 1: [c_11 + a_21*b_21 | c_21 + a_22*b_21]
*/
c1 = _mm_add_pd(c1, _mm_mul_pd(a, b1));
/* c2 =
   i = 0: [c_12 + a_11*b_12 | c_22 + a_21*b_12]
   i = 1: [c_12 + a_21*b_22 | c_22 + a_22*b_22]
*/
c2 = _mm_add_pd(c2, _mm_mul_pd(a, b2));
}

// store c1, c2 back into C for completion
_mm_store_pd(C+0*lda, c1);
_mm_store_pd(C+1*lda, c2);

// print C
printf("%g,%g\n%g,%g\n", C[0], C[2], C[1], C[3]);
return 0;
}
```

# Back to RISC-V: Vector Extensions (Draft)



- To improve RISC-V performance, add SIMD instructions (and hardware) – V extension
  - Fetch one instruction, do the work of multiple instructions
  - OP denotes a vector instruction, prefix v – vector register
  - **vadd vd, vs1, vs2** (adds two vectors stored in vector registers)
  - Assume vectors are 512-bits wide

# “And in Conclusion...”

- Flynn Taxonomy of Parallel Architectures
  - SIMD: Single Instruction Multiple Data
  - MIMD: Multiple Instruction Multiple Data
  - SISD: Single Instruction Single Data
  - MISD: Multiple Instruction Single Data (unused)
- Intel AVX SIMD Instructions
  - One instruction fetch that operates on multiple operands simultaneously
  - 512/256/128/64-bit AVX registers
  - Use C intrinsics