

FIG. 2: This figure shows how to find the CSS for the Bell-diagonal state. First, extend the line segment between  $\rho$  and the point corresponding to the nearest vertex of  $\mathcal{T}$ . Second, compute the coordinate of the crossing point between the line and the nearest surface of the octahedron  $\mathcal{L}$ . Finally, find the CSS of  $\rho$  which corresponds to the crossing point.

has z-directional Bloch vectors and its correlation vector changes from  $(g_1, g_2, g_3)$  to  $(-g_3, g_2, g_1)$ . Similarly, one can change the state with y-directional Bloch vectors into the state with z-directional Bloch vectors without altering the diagonal property of the correlation term.

In this reason it is reasonable to assume that the directions of the Bloch vectors are z-direction by writing  $\mathbf{r} = (0, 0, r)$  and  $\mathbf{s} = (0, 0, s)^4$ . In this case the arbitrary two-qubit

<sup>&</sup>lt;sup>4</sup> Even if r and s are not parallel with each other, one can make them to be z-directional via an appropriate local-unitary transformation. In this case, however, the correlation term loses its diagonal property.