### **Notes on Lesson 1**

#### Notes on Lesson 2

#### • 1. Bohr-Sommerfeld Quantization (Old quantum theory)

$$\oint p \, dq = nh$$

While p is the momentum of a particle, which is a function of position of particle q. This equation constrains the movement of a particle in a specific potential field V(q).

# **Notes on Lesson 3**

## • 1. Born Statistical Interpretation of Wave Function

The wave function  $\Psi(x,t)$  discribes the "Amplitude" of the probability finding the paticle at coordinate(x,t). While the probability density equals amplitude squared.

That is, the probability finding the particle among  $x \in [a, b]$  at time  $t_0$  is discribed as:

$$P(x \in [a, b], t = t_0) = \int_a^b |\psi|^2 dx = \int_a^b \psi^* \psi dx$$

Or, to say, the Probability Density can be written as:

$$p(x,t) = |\psi(x,t)|^2 = \psi^*(x,t)\psi(x,t)$$