



华南理工大学

South China University of Technology

The Experiment Report of Machine Learning

SCHOOL: SCHOOL OF SOFTWARE ENGINEERING

SUBJECT: SOFTWARE ENGINEERING

Author:

ZiWen Zhao

Supervisor:

Mingkui Tan

Student ID:

201530613764

Grade:

Undergraduate or Graduate

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Linear Regression, Linear Classification and Gradient Descent

Abstract—

I. INTRODUCTION

Adam

Adam is essentially a RMSprop with momentum term, which dynamically adjusts the learning rate of each parameter by using the first order moment estimation of the gradient and the two order moment estimation. The main advantage of Adam is that after the offset correction, each iterative learning rate has a definite range, which makes the parameters more stable.

Adagrad

Adagrad is a kind of optimization algorithm based on gradient, it can be different for each parameter of the adaptive learning rate, the sparse feature, get a big update on learning, non sparse feature, get smaller learning updates, so the optimization algorithm for sparse feature data.

RMSprop

In fact, RMSprop is intermediate form of Adadelta, is to reduce the learning rate of Adagrad in the fast decay

NAG

NAG and in the calculation of the gradient parameters, the loss function is subtracted from the momentum term is calculated $J(\theta_t - \gamma \nabla J(\theta_t - 1))$, the estimated parameters of the next position.

Adadelta

There are three problems in the Adagrad algorithm

The learning rate is monotonous and decreasing, and the learning rate is very small in the later period of training.

It needs to manually set up a global initial learning rate

When the XT is updated, the units of the left and right sides are different

Adadelta puts forward a more beautiful solution to the above three problems.

II. METHODS AND THEORY

Adam

$$m_t = \beta_1 m_{t-1} + (1 - \beta_1) g_t$$

$$v_t = \beta_2 v_{t-1} + (1 - \beta_2) g_t^2$$

m_t and v_t are gradient weighted mean and weighted weighted partial difference respectively. They are initially 0 vectors. The authors of Adam find that they tend to have 0 vectors (close to 0 vectors), especially when the attenuation factor (decay rate) is 1, and the β_2 is close to 1. In order to improve this problem, m_t and v_t deviation correction (bias-corrected):

$$\hat{m}_t = m_t - \beta_1 m_{t-1}$$

$$\hat{v}_t = v_t - \beta_2 v_{t-1} \quad \theta_{t+1} = \theta_t - \eta \frac{\hat{m}_t}{\sqrt{\hat{v}_t + \epsilon}}$$

RMSprop

$$E[g^2]_t = \gamma E[g^2]_{t-1} + (1 - \gamma) g_t^2$$

$$\theta_{t+1} = \theta_t - \eta \frac{g_t}{\sqrt{E[g^2]_t + \epsilon}} \odot g_t$$

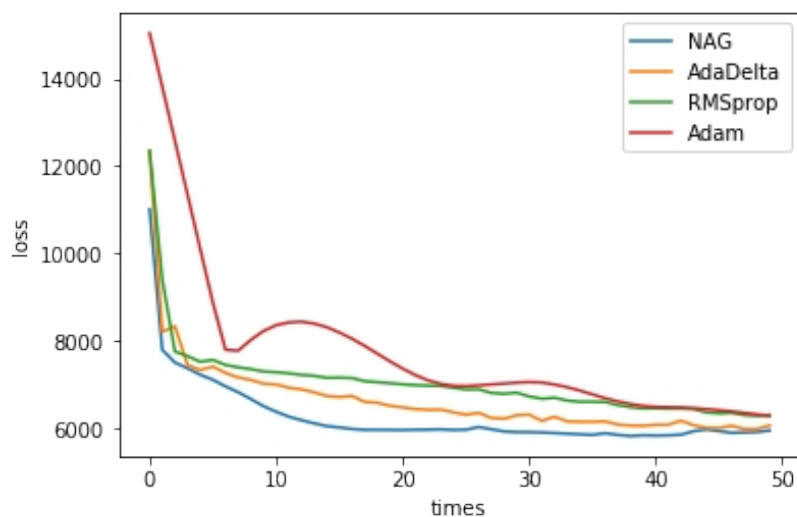
NAG

$$v_t = \gamma v_{t-1} + \eta \cdot \nabla J(\theta - \gamma v_{t-1})$$

$$\theta = \theta - v_t$$

III. EXPERIMENT

#NAG 实现



```
ganma = 0.9
aita = 0.001
wnag, vnag = NAG(X_trainset, y_trainset, wnag, vnag, ganma, aita)
```

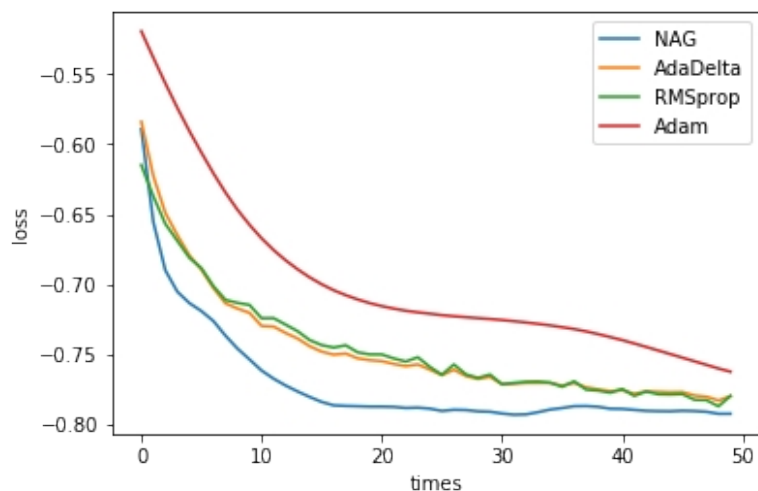
```
nag_train.append(hingeloss(X_trainset, y_trainset, wnag))
nag_test.append(hingeloss(X_test, y_test, wnag))
```

#RMSProb 实现

```
ganma = 0.9
aita = 0.01
wrms, Grms = RMSprob(X_trainset, y_trainset, wrms, Grms, ganma, aita, e)
rms_train.append(hingeloss(X_trainset, y_trainset, wrms))
rms_test.append(hingeloss(X_test, y_test, wrms))
```

```
ganma=0.9
aita=0.001
```

```
wada, Gada, Tada = AdaDelta(X_trainset, y_trainset, wada, Gada, ganma, Tada, aita, e)
ada_train.append(hingeloss(X_trainset, y_trainset, wada))
ada_test.append(hingeloss(X_test, y_test, wada))
```



#Adam 实现

```
ganma = 0.9
aita = 0.01
```

```
wadam,Gadam,madam=Adam(X_trainset, y_trainset, wadam, Gadam, madam, ganma, i+1, aita, belta)
adam_train.append(hingeloss(X_trainset, y_trainset, wadam))
adam_test.append(hingeloss(X_test, y_test, wadam))
```

```
ganma=0.9
aita=0.001
wnag,vnag = NAG(X_trainset, y_trainset, wnag, vnag, ganma, aita)
nag_train.append(cost(X_trainset, y_trainset, wnag))
nag_test.append(cost(X_test, y_test, wnag))
```

#RMSProb 实现

```
ganma = 0.9
aita = 0.02
wrms, Grms = RMSprob(X_trainset, y_trainset, wrms, Grms, ganma, aita, e)
rms_train.append(cost(X_trainset, y_trainset, wrms))
rms_test.append(cost(X_test, y_test, wrms))
```

#Adadelta

```
ganma = 0.95
etha = 0.01
wada, Gada, Tada = AdaDelta(X_trainset, y_trainset, wada, Gada, ganma, Tada, e)
ada_train.append(cost(X_trainset, y_trainset, wada))
ada_test.append(cost(X_test, y_test, wada))
```

#Adam 实现

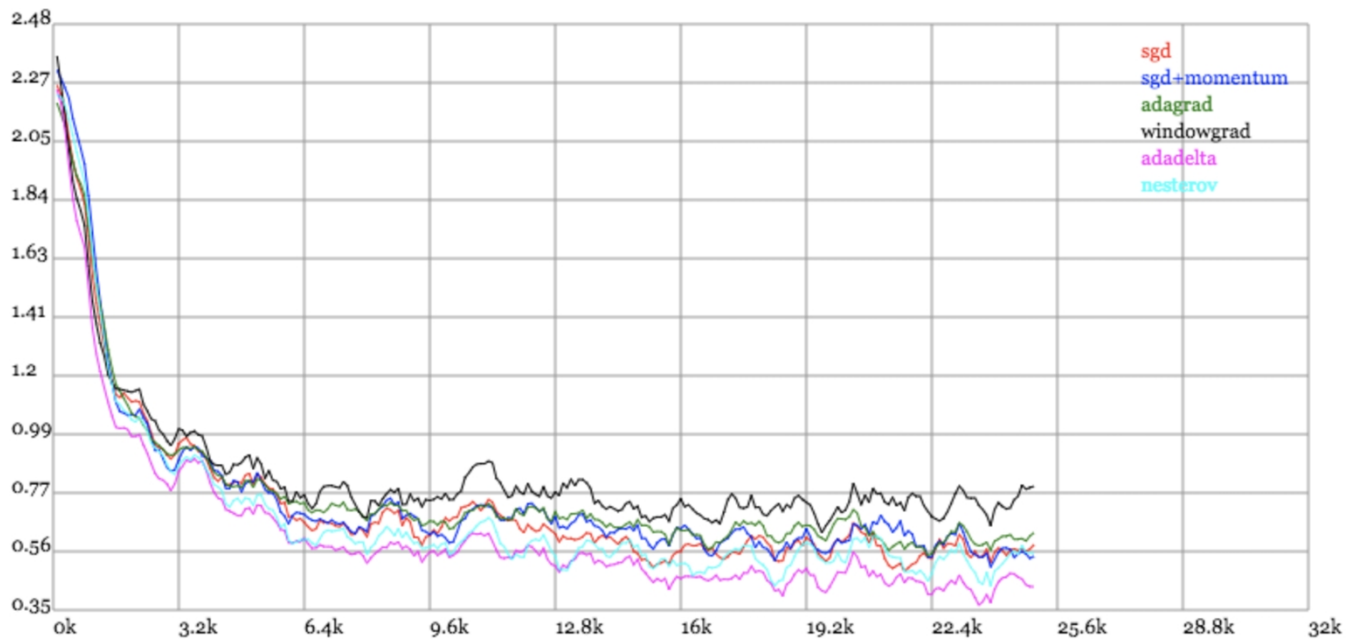
```
ganma = 0.9
aita = 0.01
wadam,Gadam,madam=Adam(X_trainset, y_trainset, wadam, Gadam, madam, ganma, i+1, aita, belta)
adam_train.append(cost(X_trainset, y_trainset, wadam))
adam_test.append(cost(X_test, y_test, wadam))
```

IV.CONCLUSION

Karpathy makes a comparison of the performance of these methods on the MNIST, and the conclusion is:

Adagrad is more stable than SGD and momentum, that is, there is no need to adjust the parameters. The refined SGD and momentum series methods are better than adagrad in both convergence speed and precision. Under the fine tuning parameters, the general Nesterov is superior to the momentum than the SGD. Adagrad, on the one hand, does not need to adjust the parameters, on the other hand, its performance is better than other methods.

The experimental results are as follows:



Testing Accuracy vs. Number of examples seen

