

2018 Computer Vision

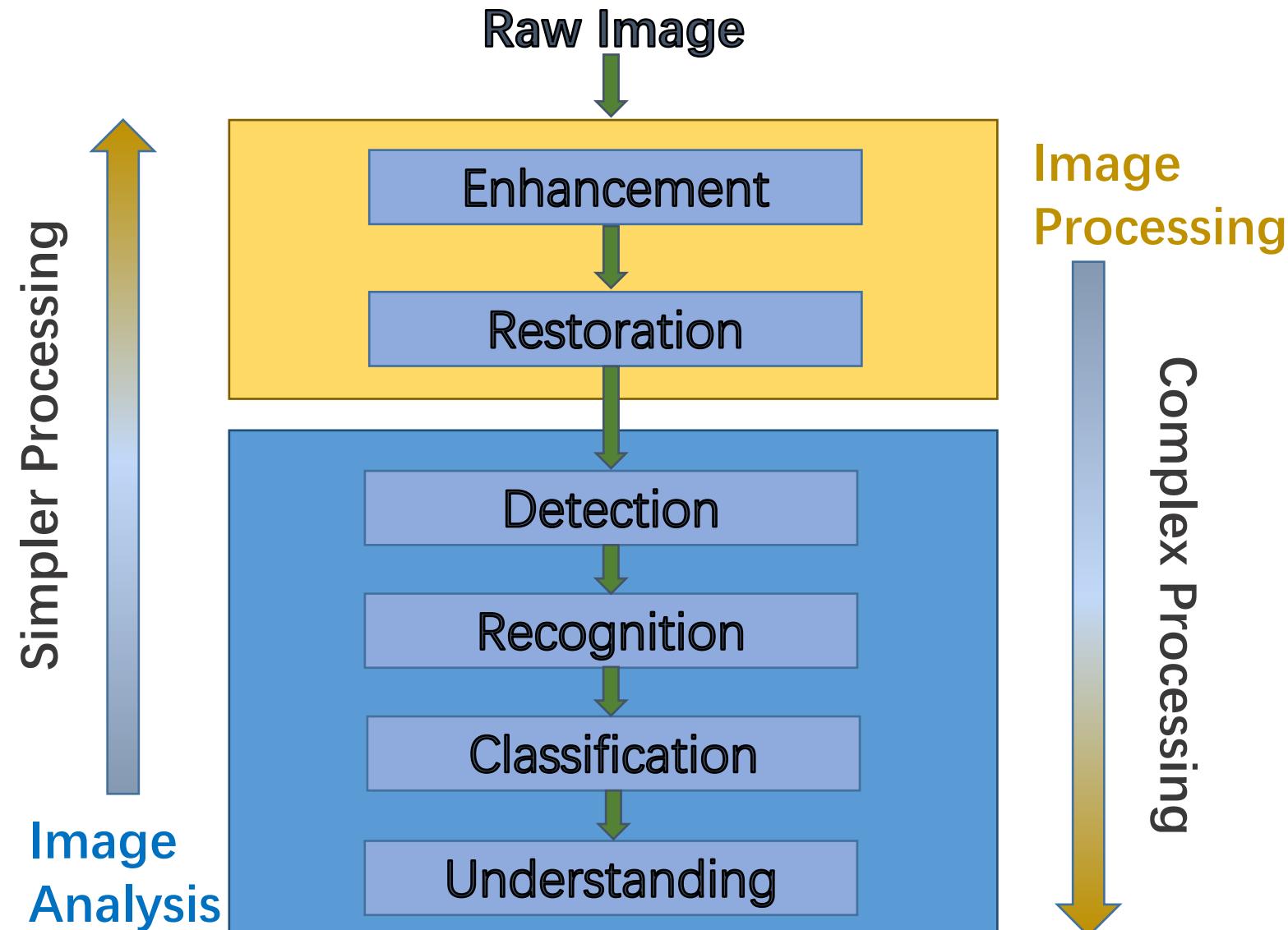
Image Enhancement and Restoration

Things which we see are not by themselves
what we see...

It remains completely unknown to us what the
objects may be by themselves and apart from
the receptivity of our senses. We know nothing
but our manner of perceiving them.

Immanuel Kant

Structure of a Vision System



Overview

- **Introduction to image enhancement**

- The concept of image enhancement

- The traditional methods of image enhancement

- **Introduction to image restoration**

- The concept of image restoration

- The traditional methods of image restoration

Overview

- **Image Dehazing**

- The concept of haze and atmospheric scattering model

- Some methods of image dehazing

- **Super-Resolution Image Reconstruction**

- The concept of SR

- Some methods of SR

- **Underwater Image Enhancement and Restoration**

- The concept of image restoration

- Some methods of underwater image enhancement and restoration

01

Introduction to Image Enhancement

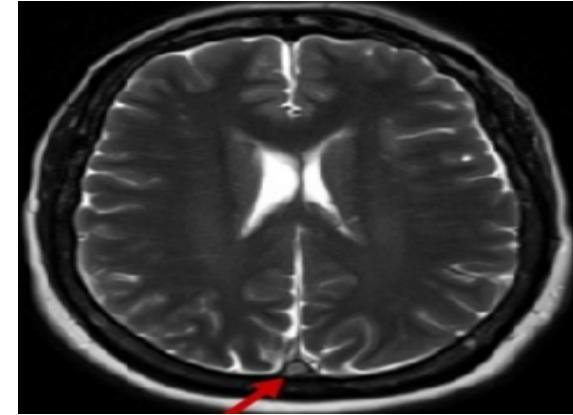
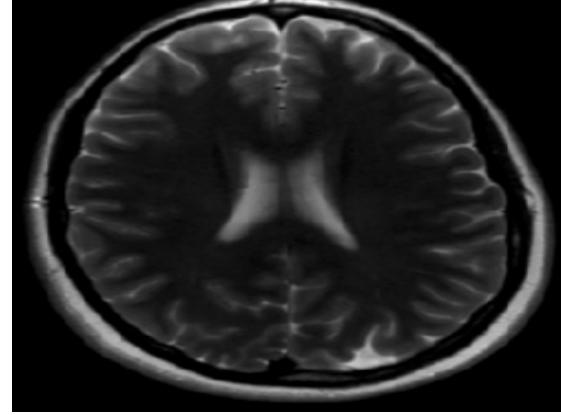
Image Enhancement

- Goal: improve the ‘visual quality’ of the image
 - for human viewing
 - for subsequent processing
- No general theory of ‘visual quality’
 - General assumption: if it looks better, it is better
 - Often not a good assumption

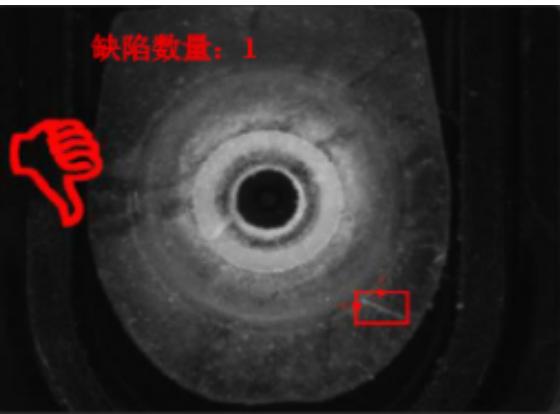
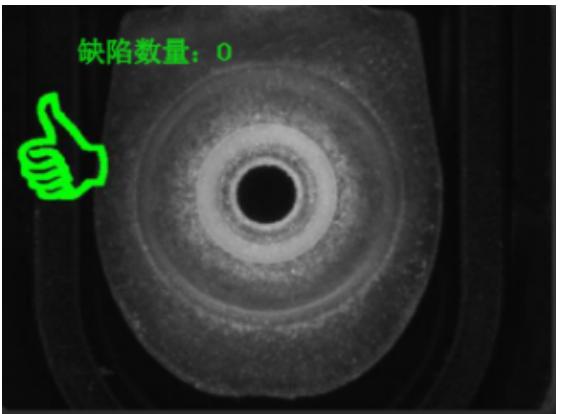
Application Field



Aeronautics and astronautics



Biomedical

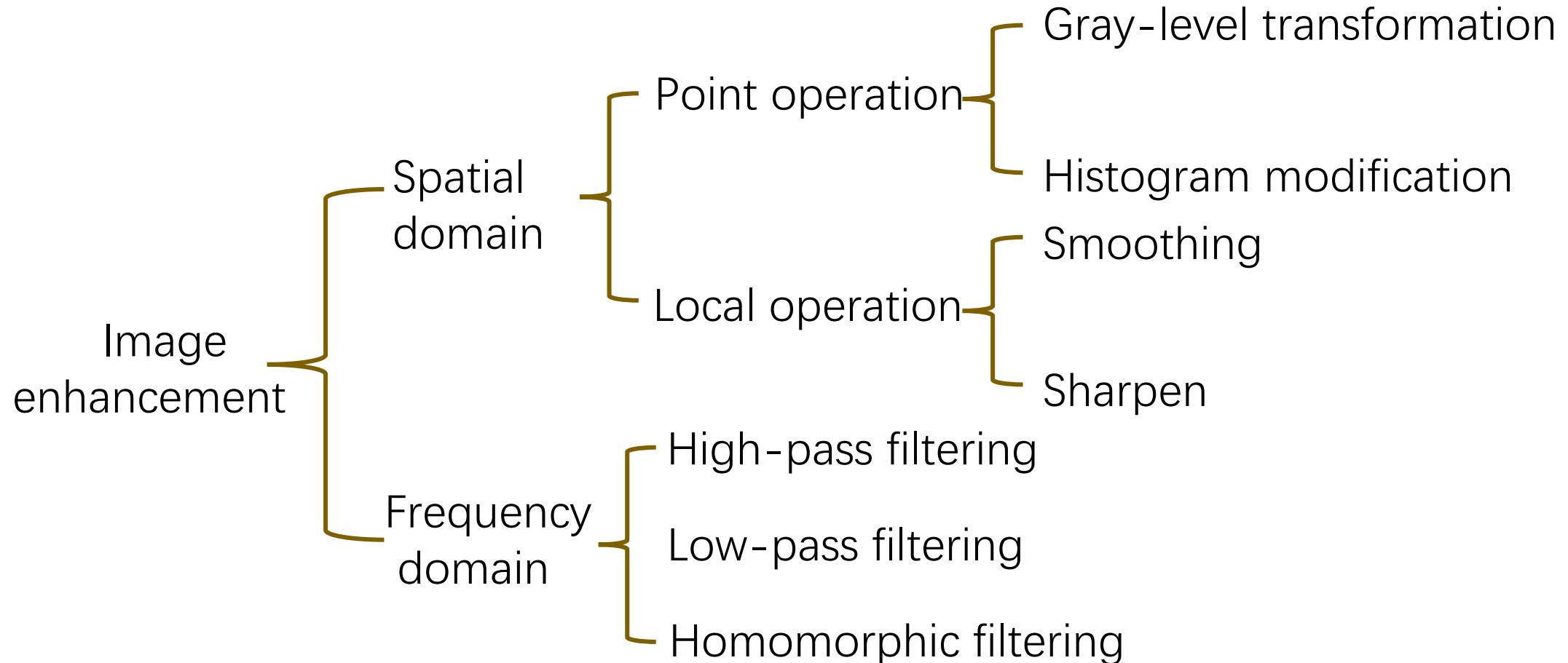


Industrial production



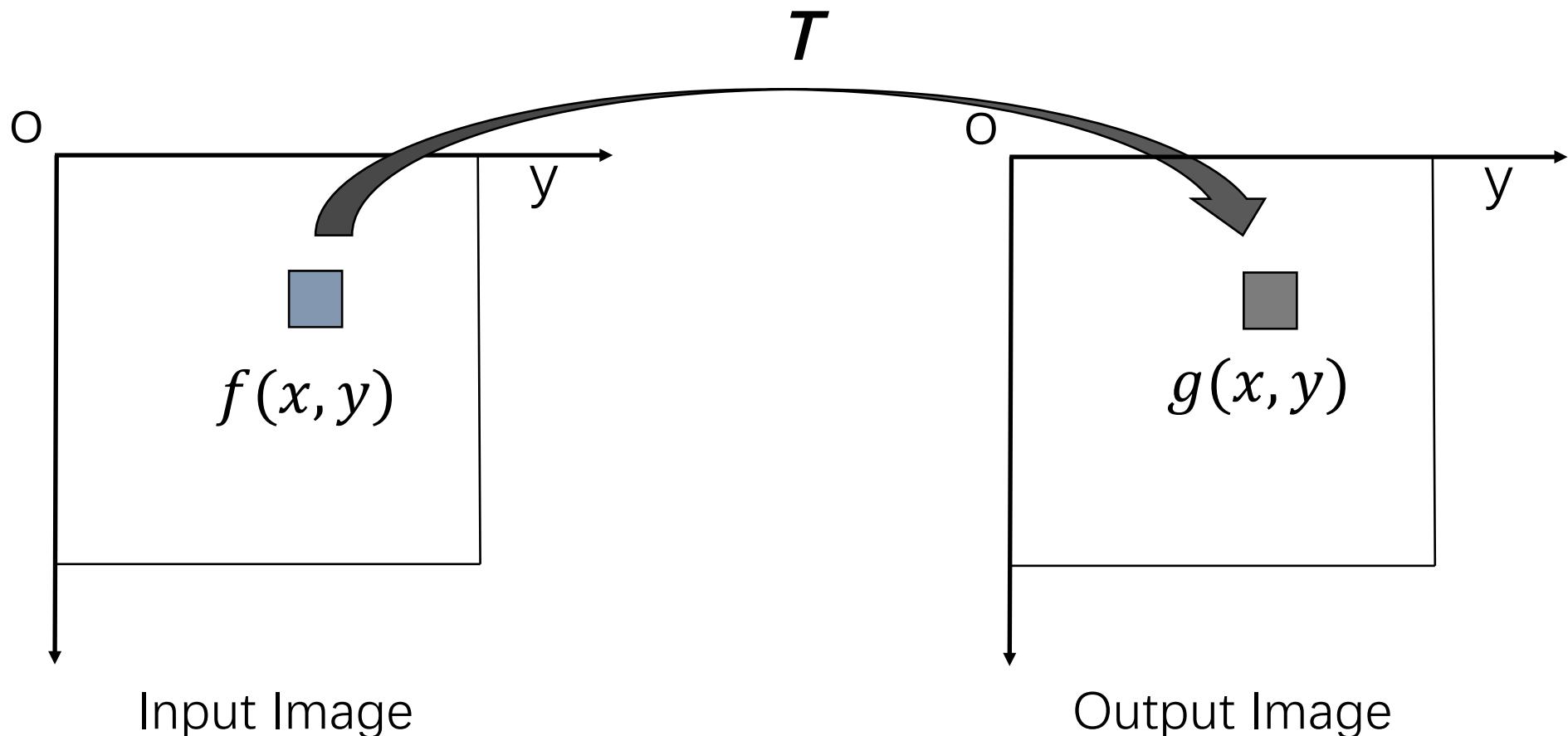
Public safety

Image Enhancement Methods



Spatial domain method

- Point operation



Spatial domain method

- Point operation

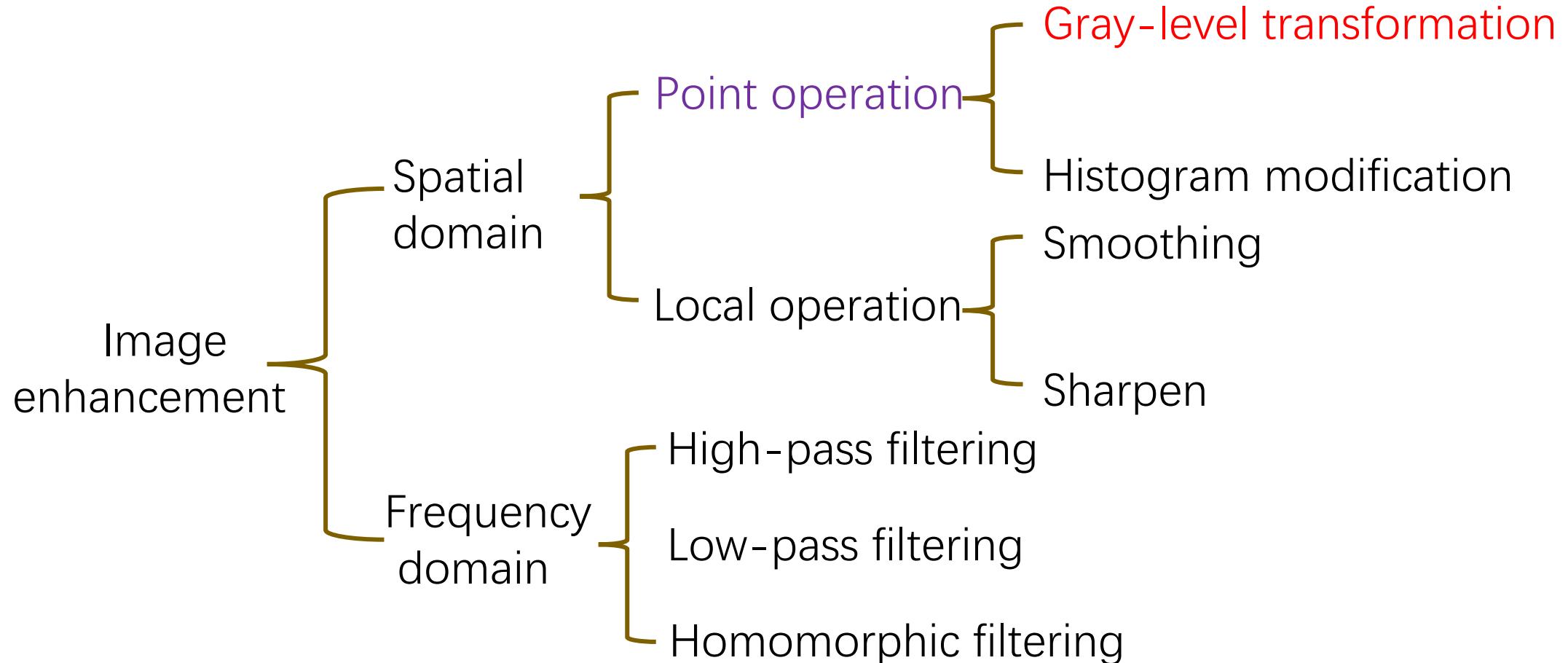
$$g(x, y) = T[f(x, y)]$$

$f(x, y)$ - - - - - *Original image*

T - - - - - *Space conversion function*

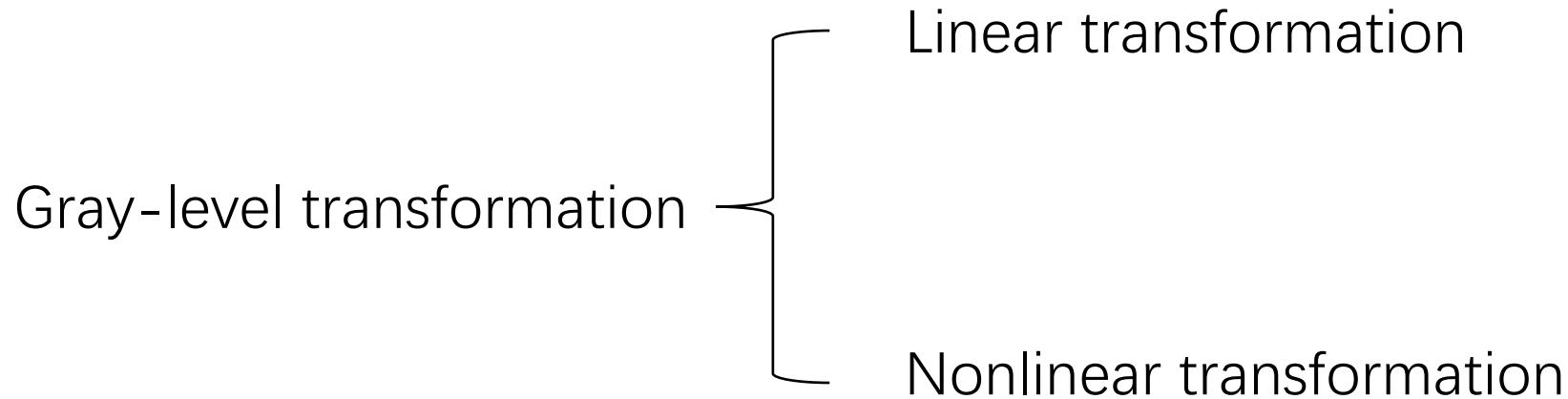
$g(x, y)$ - - - - - *Processed image*

Image Enhancement Methods



Spatial domain method

- Point operation



Spatial domain method

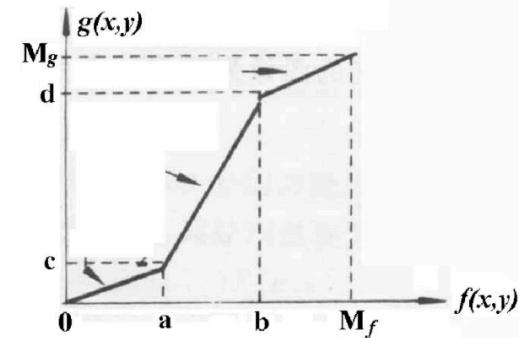
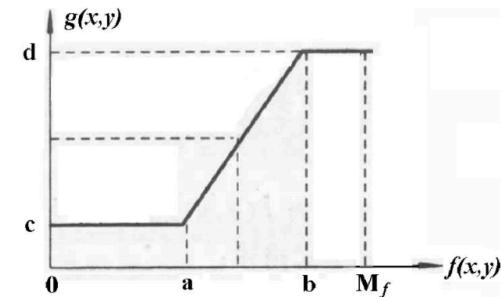
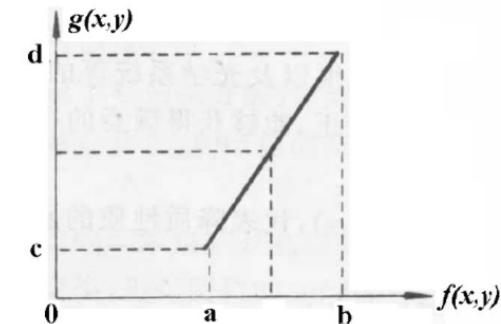
● Point operation

Linear transformation

$$g(x, y) = \frac{d - c}{b - a} [f(x, y) - a] + c$$

$$g(x, y) = \begin{cases} c & 0 < f(x, y) < a \\ \frac{d - c}{b - a} [f(x, y) - a] + c & a \leq f(x, y) \leq b \\ d & b < f(x, y) \leq M_f \end{cases}$$

$$g(x, y) = \begin{cases} \frac{c}{a} f(x, y) & 0 < f(x, y) < a \\ \frac{d - c}{b - a} [f(x, y) - a] + c & a \leq f(x, y) \leq b \\ \frac{M_g - d}{M_f - b} [f(x, y) - b] + d & b \leq f(x, y) \leq M_f \end{cases}$$



Spatial domain method

● Point operation

Nonlinear transformation

Logarithmic transformation

$$g(x, y) = a + \frac{\ln[f(x, y) + 1]}{b \cdot \ln c}$$

Exponential transformation

$$g(x, y) = b^c[f(x, y) - a] - 1$$

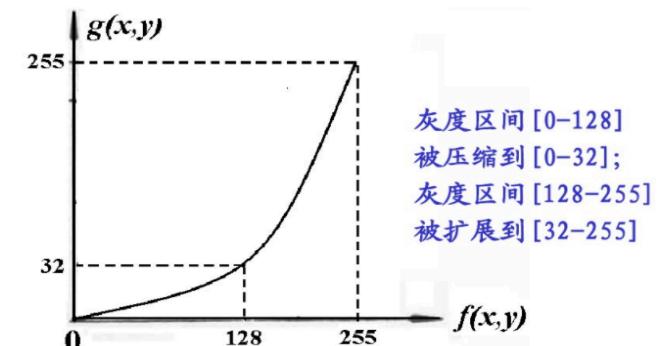
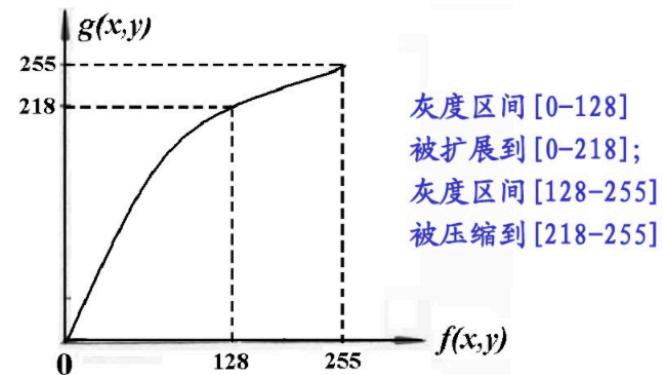
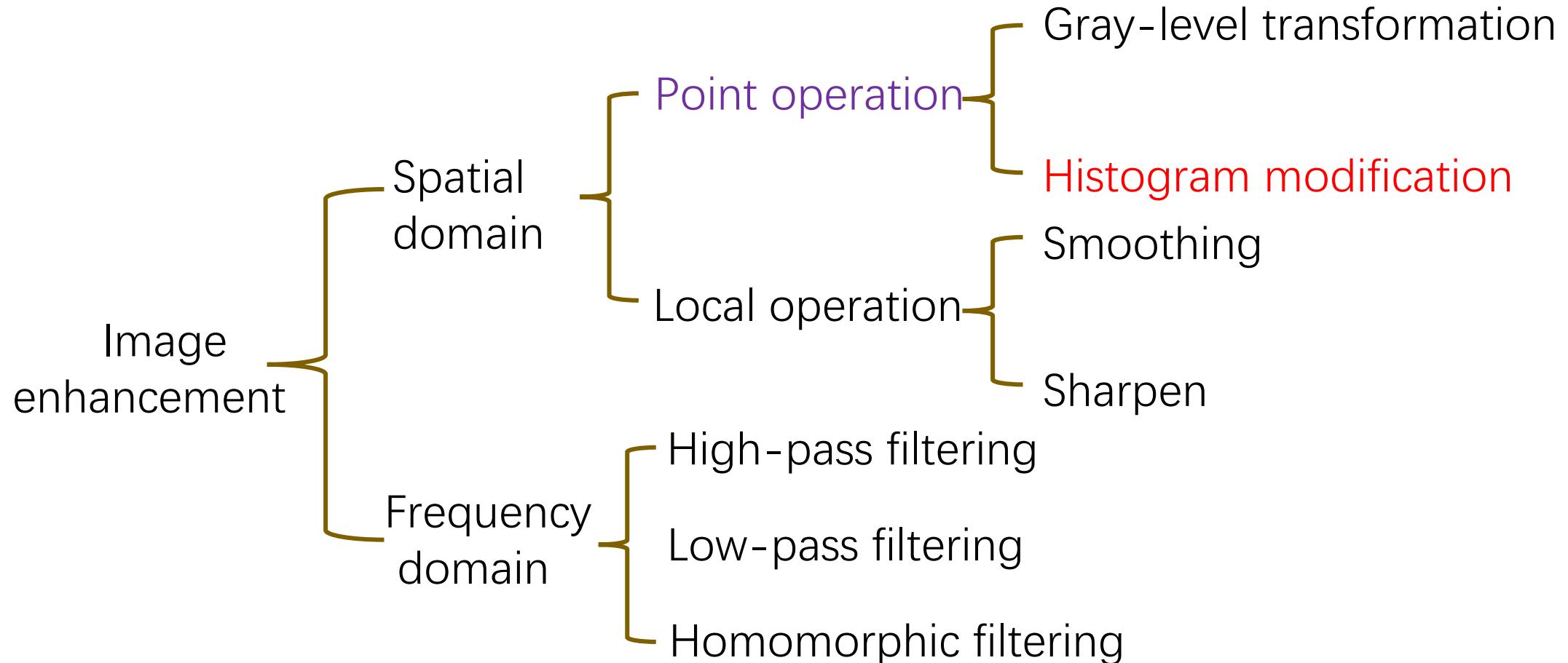


Image Enhancement Methods



Spatial domain method

- Point operation

Histogram

The histogram of a digital image with gray levels from 0 to L-1 is a discrete function $p(r) = n_r/N$, where:

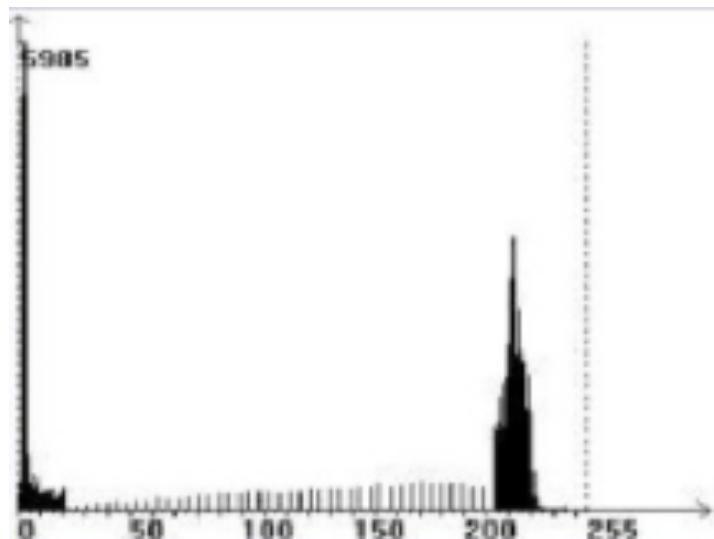
- r is the gray level , 0,1,2, \cdots , L-1
- n_r is the number of pixels in the image with that gray level
- N is the total number of pixels in the image

Spatial domain method

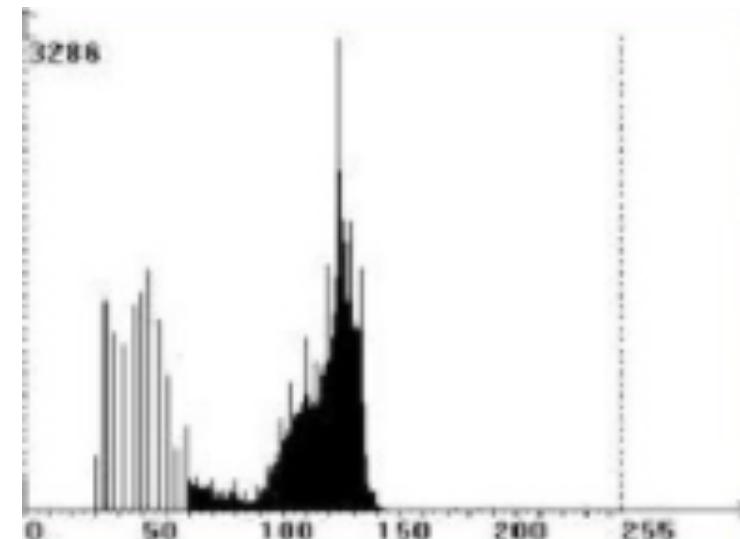
- Point operation

Histogram

Grayscale histograms reflect the gray distribution of an image



(a)

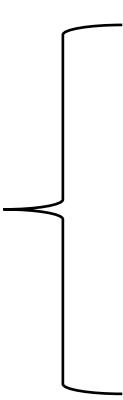


(b)

Spatial domain method

- Point operation

Histogram modification



Histogram equalization

Histogram specification

$$S = T(r)$$

r - - - - Gray level of original image

T - - - - Gray transformation function

S - - - - Gray level of output image

Spatial domain method

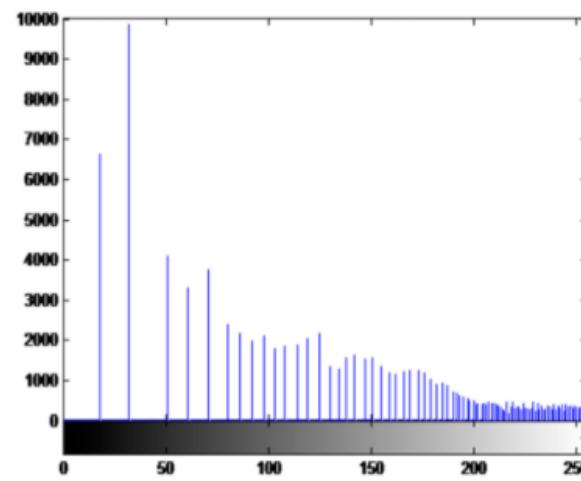
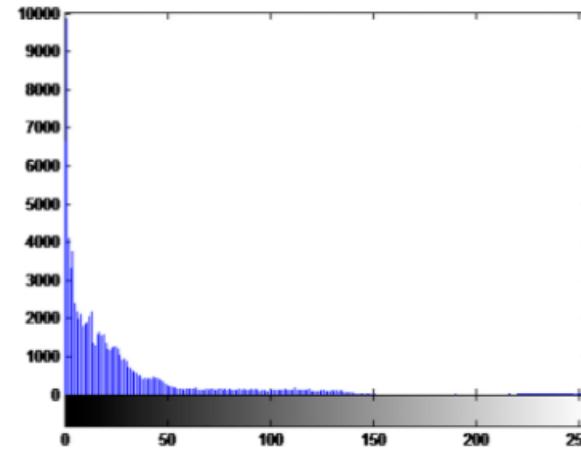
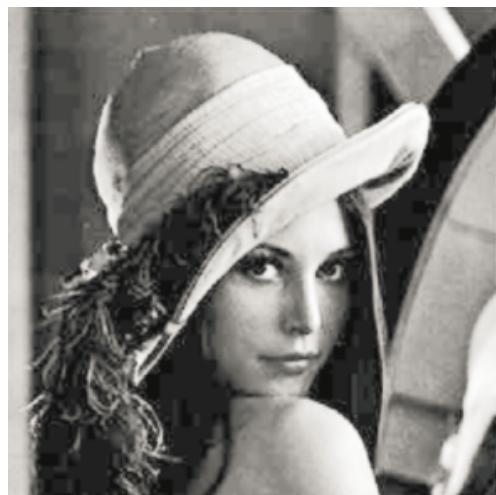
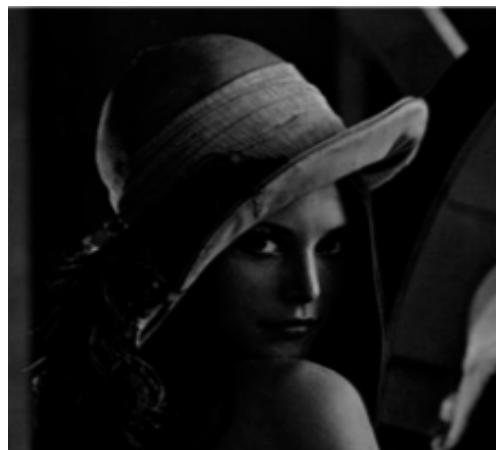
- Point operation
 - Histogram equalization

The goal is to modify the gray levels of an image so that the histogram of the modified image is flat.

- Expand pixels in peaks over a wider range of gray-levels.
- “Squeeze” low plains pixels into a narrower range of gray levels.

Spatial domain method

- Point operation
Histogram equalization



Spatial domain method

- Point operation

- Histogram specification

The method used to generate a processed image
that has a specified histogram.

- Equalize the histogram of the input image
- Equalize the specified histogram
- Relate the two equalized histograms

Spatial domain method

- Point operation
Histogram specification

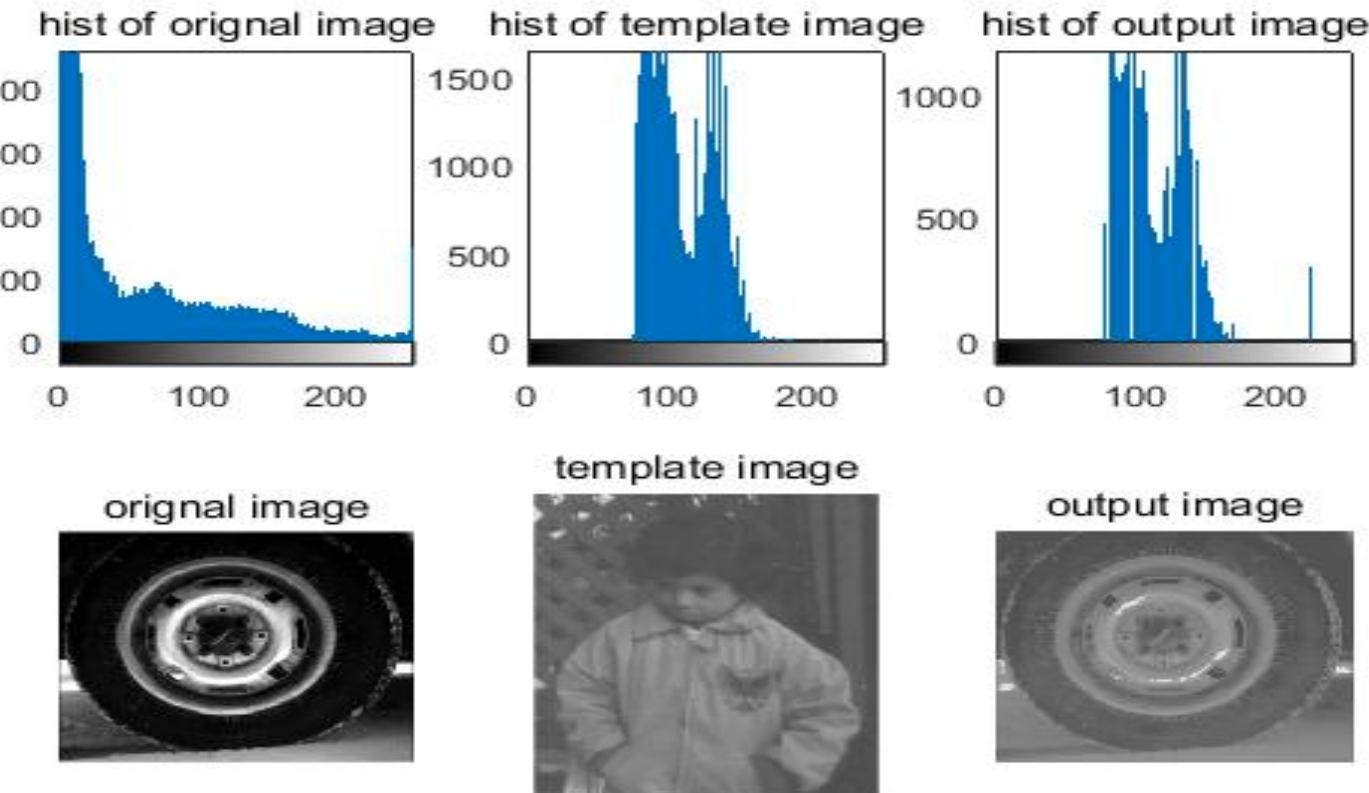
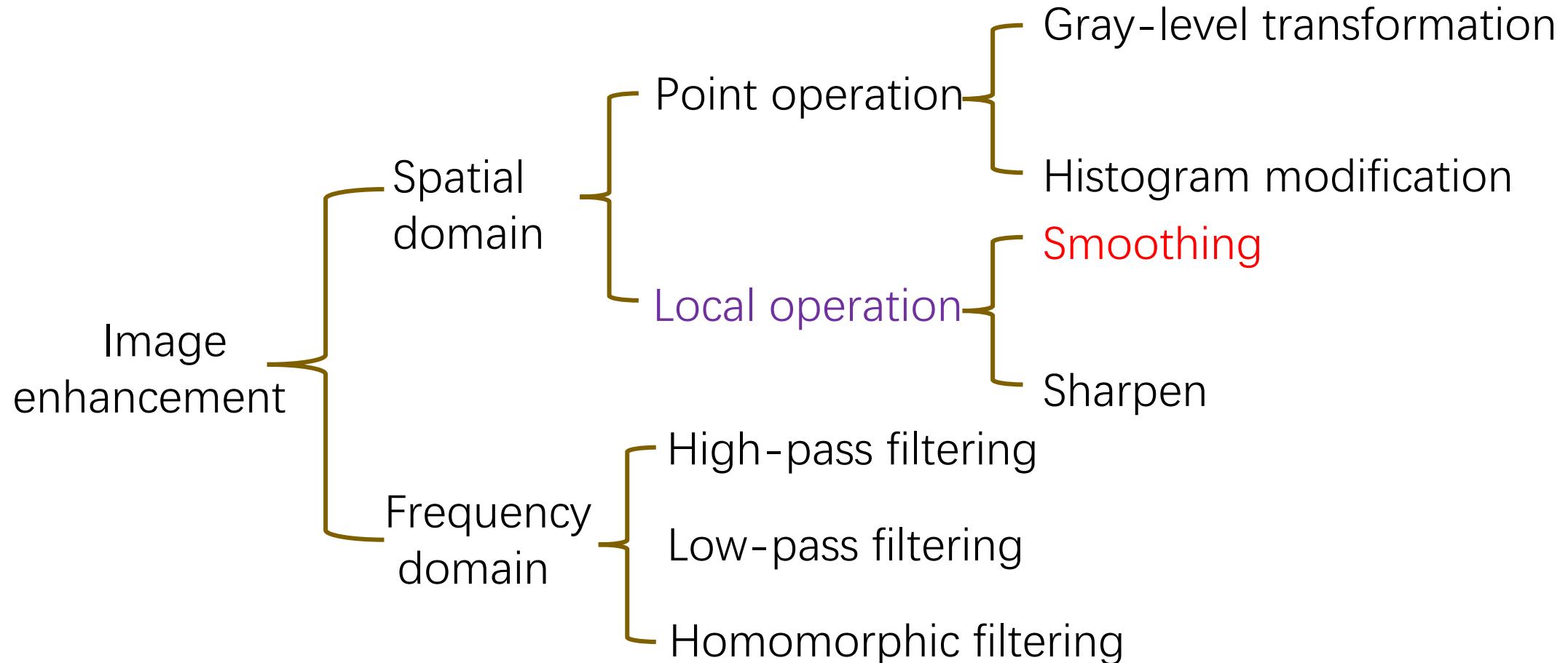
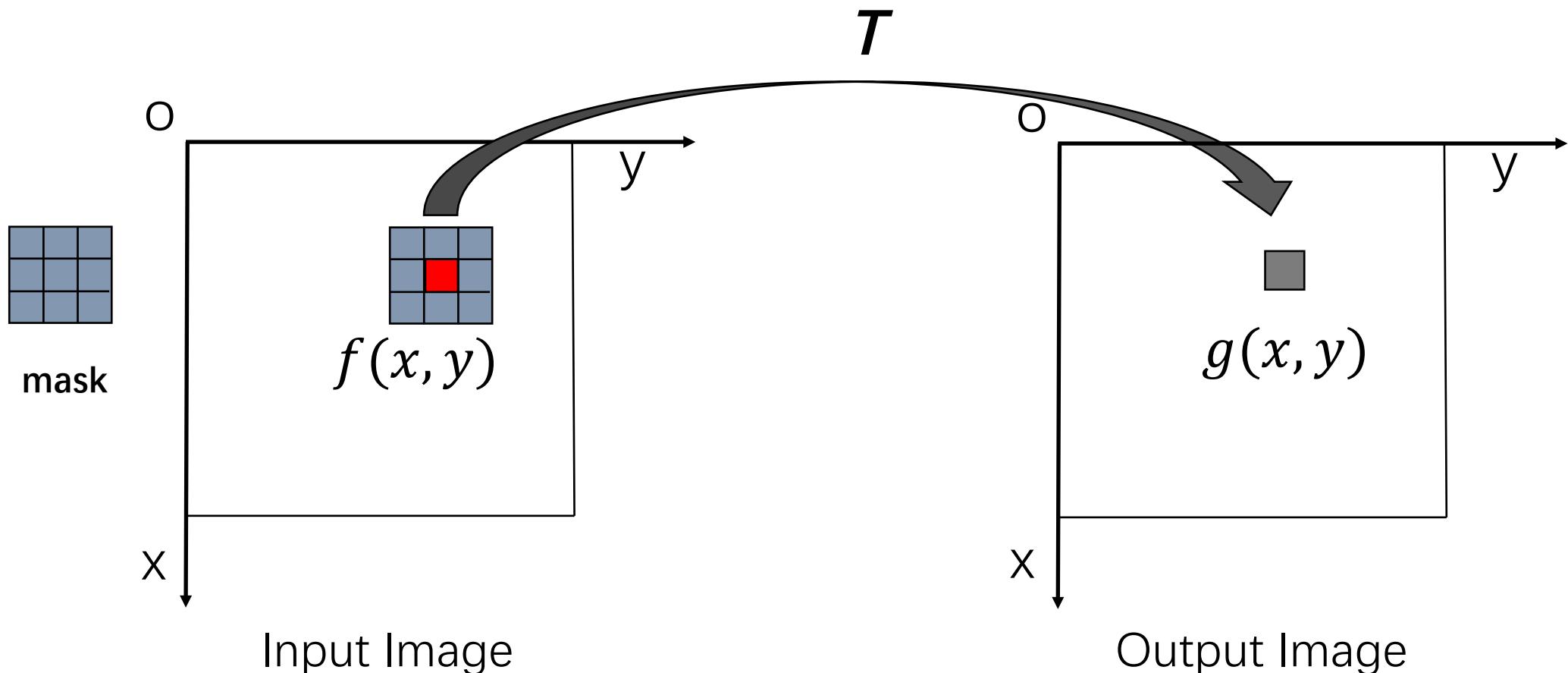


Image Enhancement Methods



Spatial domain method

- Local operation



Spatial domain method

- Local operation

Smoothing

Smooth (average, blur) an image without disturbing

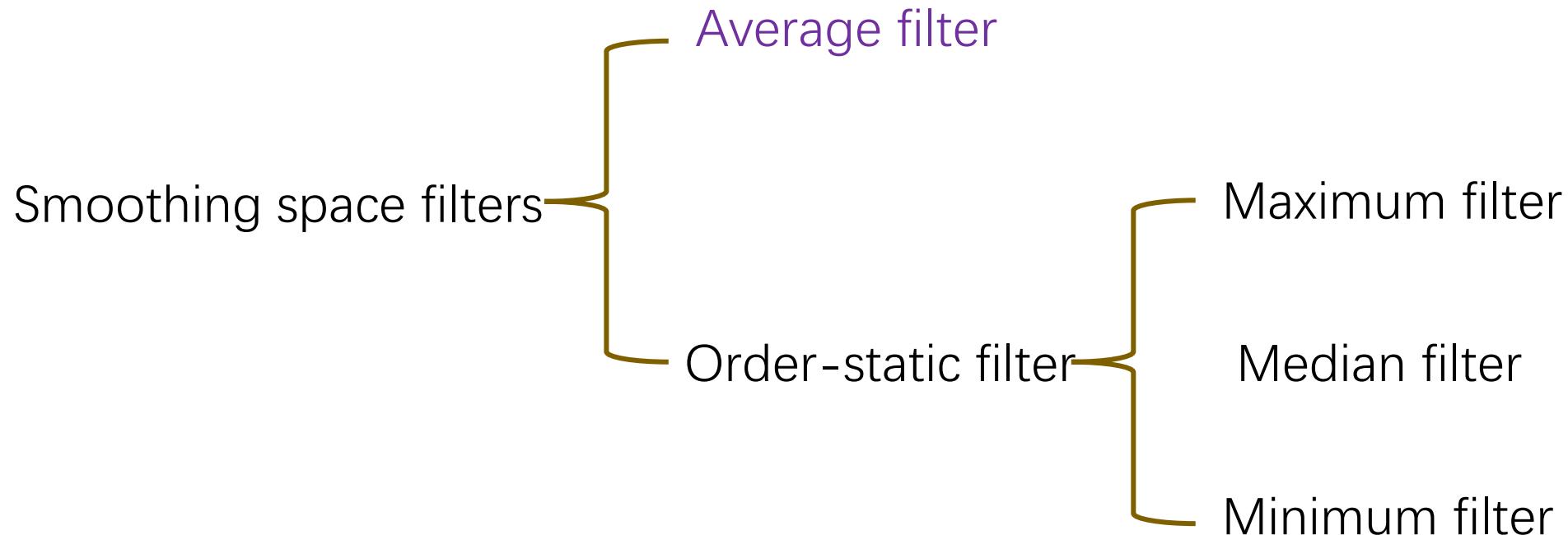
- sharpness or
- position

of the edges

Spatial domain method

- Local operation

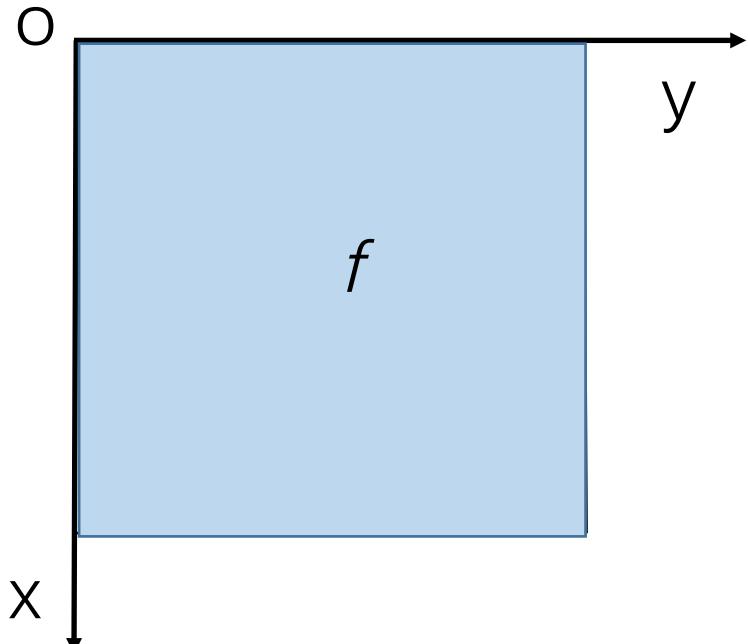
Smoothing



Spatial domain method

- Local operation

Average filter



$$\frac{1}{9} \times \begin{array}{|c|c|c|}\hline 1 & 1 & 1 \\ \hline 1 & 1 & 1 \\ \hline 1 & 1 & 1 \\ \hline \end{array}$$
$$\frac{1}{16} \times \begin{array}{|c|c|c|}\hline 1 & 2 & 1 \\ \hline 2 & 4 & 2 \\ \hline 1 & 2 & 1 \\ \hline \end{array}$$

$$g(x, y) = \frac{\sum_{s=-a}^a \sum_{t=-b}^b w(s, t) f(x + s, y + t)}{\sum_{s=-a}^a \sum_{t=-b}^b w(s, t)}$$

Spatial domain method

- Local operation

Average filter



Raw Image

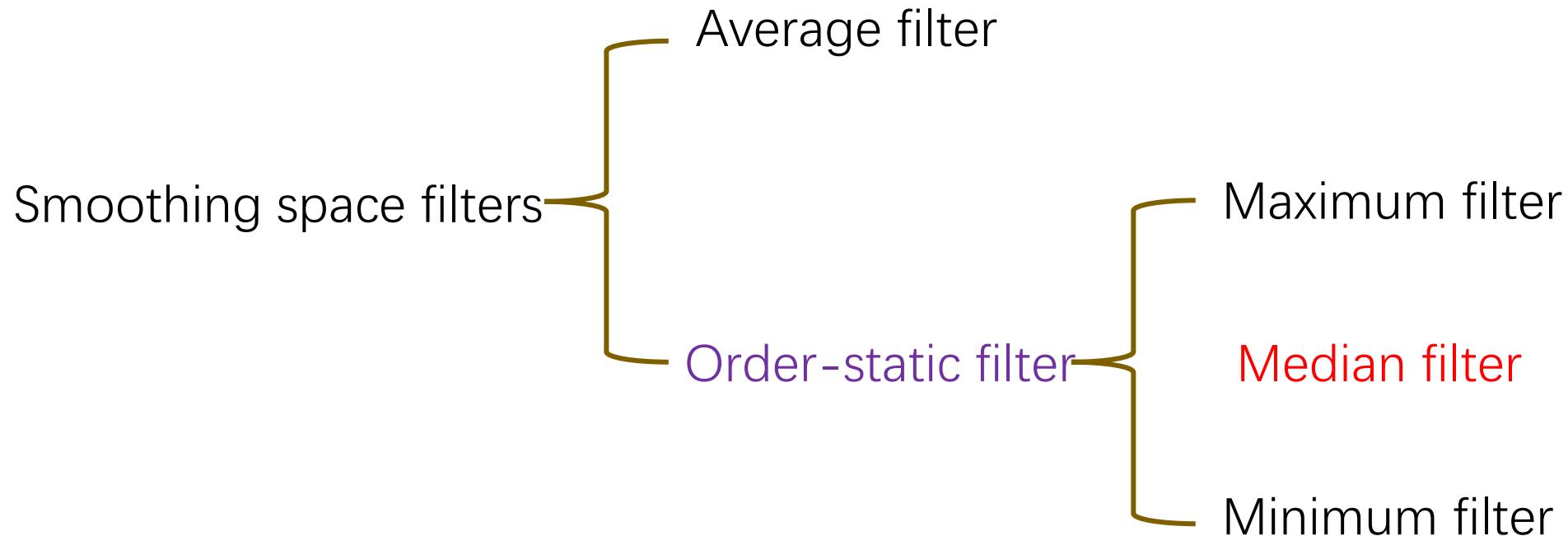


Result

Spatial domain method

- Local operation

Smoothing

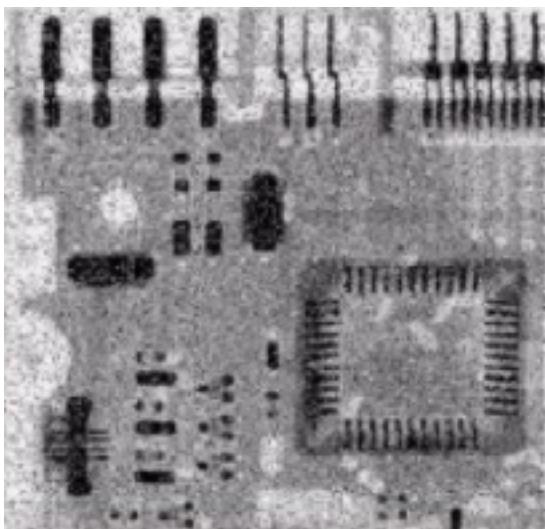


Spatial domain method

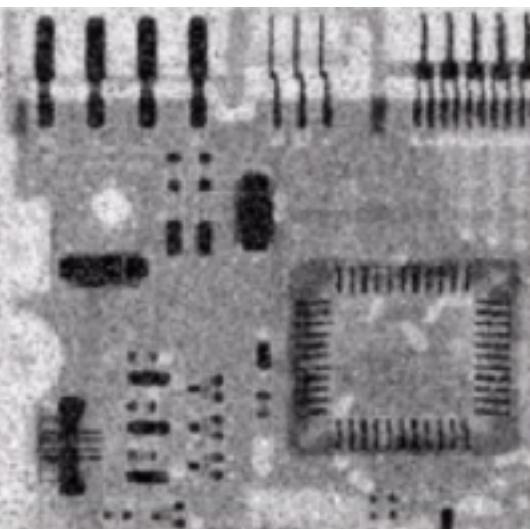
- Local operation

Median filter

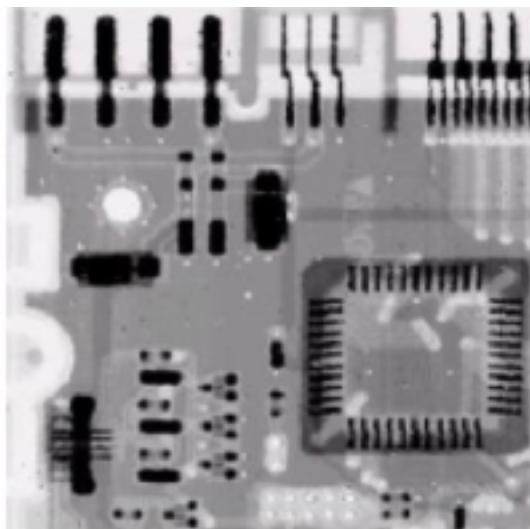
Replace pixel by the median value of its neighbor.



Raw Image

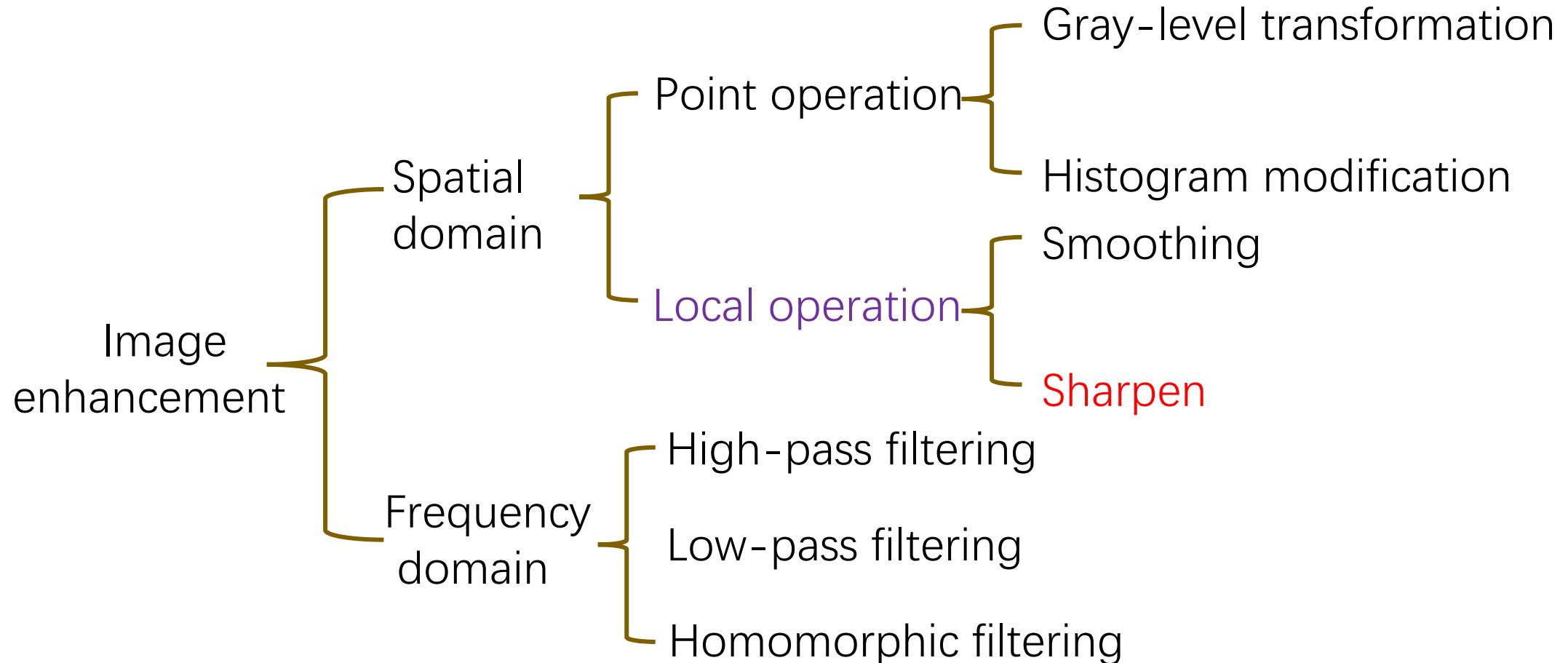


3×3 Average filter



3×3 Median filter

Image Enhancement Methods

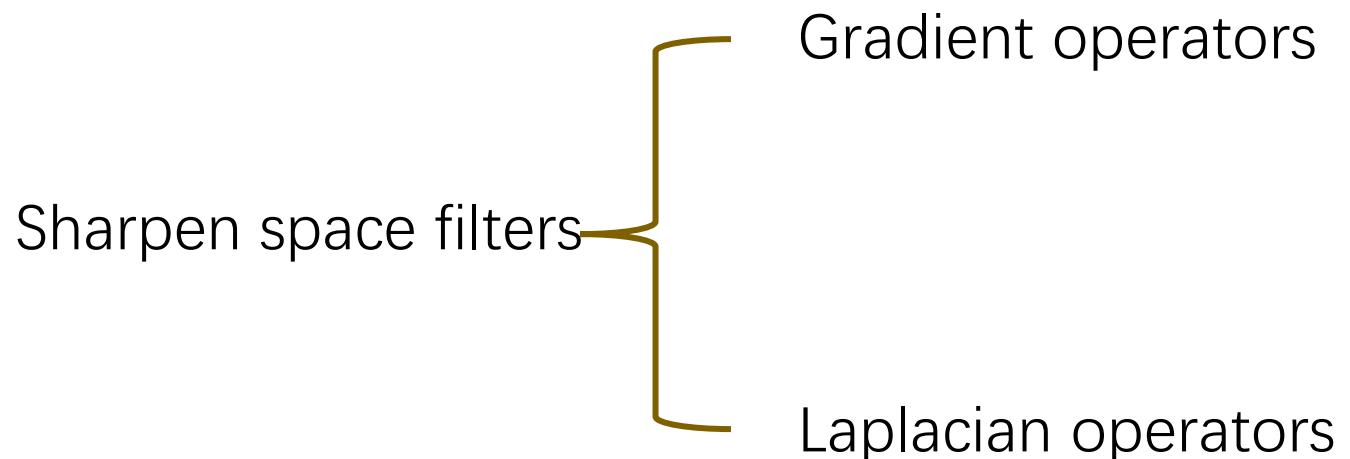


Spatial domain method

- Local operation

Sharpen

Enhance detail features in a blurred image without increasing noise.



Spatial domain method

- Local operation

- Gradient operators

- Roberts operators

$$G_x = \begin{array}{|c|c|} \hline 1. & 0 \\ \hline 0 & -1 \\ \hline \end{array}$$

$$G_y = \begin{array}{|c|c|} \hline 0. & 1 \\ \hline -1 & 0 \\ \hline \end{array}$$

$$G_x = 1 * f(x, y) + 0 * f(x + 1, y) + 0 * f(x, y + 1) + (-1) * f(x + 1, y + 1) = f(x, y) - f(x + 1, y + 1)$$

$$G_y = 0 * f(x, y) + 1 * f(x + 1, y) + (-1) * f(x, y + 1) + 0 * f(x + 1, y + 1) = f(x + 1, y) - f(x, y + 1)$$

$$G(x, y) = |G_x| + |G_y| = |f(x, y) - f(x + 1, y + 1)| + |f(x + 1) - f(x, y + 1)|$$

- Sobel operators

$$S_x = \begin{array}{|c|c|c|} \hline -1 & 0 & 1 \\ \hline -2 & 0. & 2 \\ \hline -1 & 0 & 1 \\ \hline \end{array}$$

$$S_y = \begin{array}{|c|c|c|} \hline 1 & 2 & 1 \\ \hline 0 & 0. & 0 \\ \hline -1 & -2 & -1 \\ \hline \end{array}$$

Spatial domain method

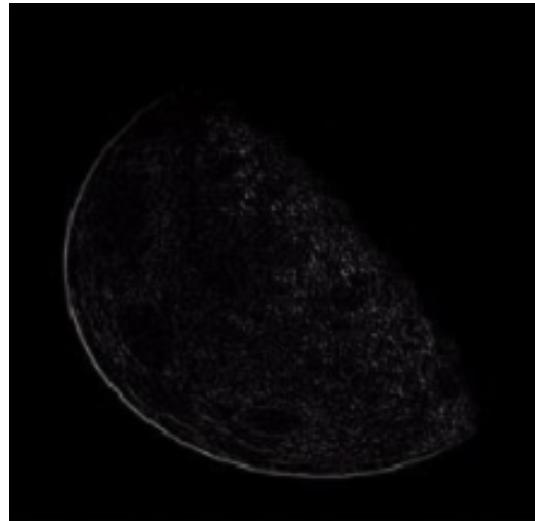
- Local operation

Gradient operators



$f(x, y)$

+



$G(\cdot)$

=



$g(x, y)$

Spatial domain method

- Local operation

Laplacian operators

0	1	0
1	-4	1
0	1	0

1	1	1
1	-8	1
1	1	1

0	-1	0
-1	4	-1
0	-1	0

-1	-1	-1
-1	8	-1
-1	-1	-1

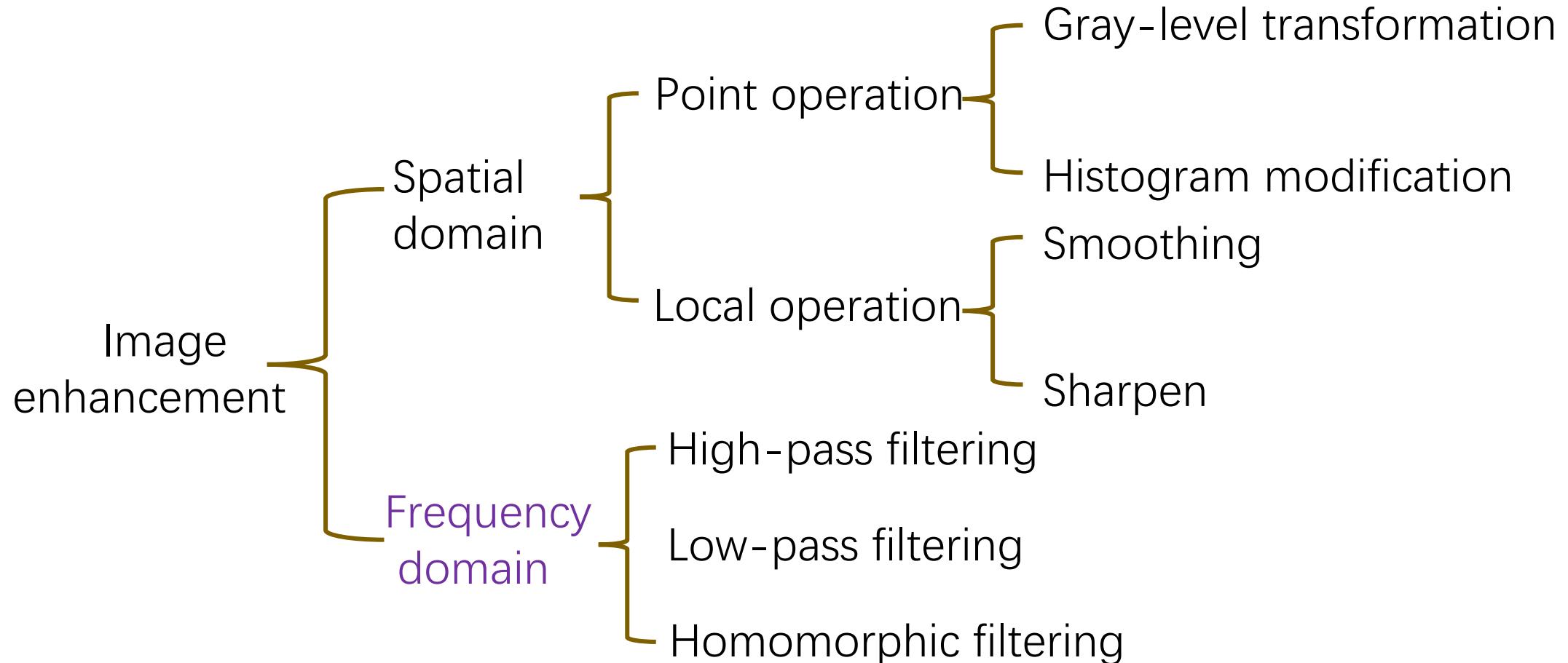


Raw image



Result

Image Enhancement Methods



Frequency domain method

Spatial domain \longrightarrow Frequency domain
(transfer function) \longrightarrow Spatial domain

$$f(x, y) \xrightarrow{DFT} F(u, v) \xrightarrow{H(u, v)} G(u, v) \xrightarrow{IDFT} g(x, y)$$

$$G(u, v) = H(u, v) \cdot F(u, v)$$

Frequency domain method

Low-pass filtering : Smooth image and remove noise

High-pass filtering : Sharpen image remove blur and show the edge

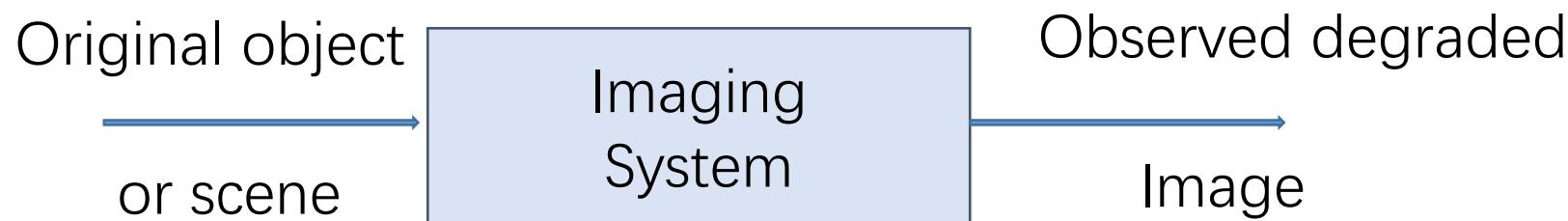
Homomorphic filtering : detail enhancement and contrast enhancement

02

Introduction to Image Restoration

Image Restoration

- This is the second stage in the processing of digital images.
- The observed image is assumed to be a degraded version of an original or “perfect” image.



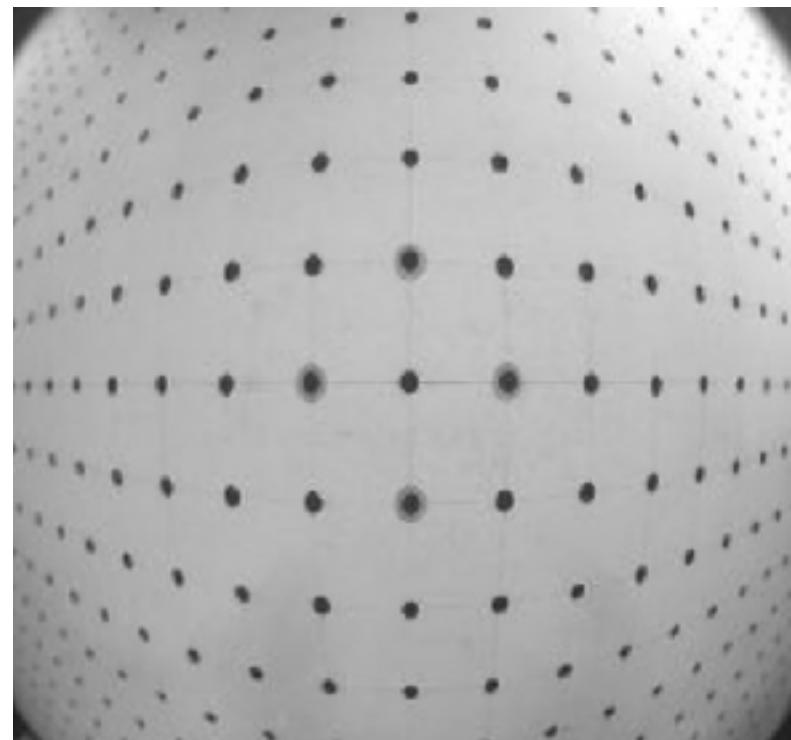
Degradations: blur, noise, etc.

Image Restoration

- Geometric distortion



(a)



(b)

Image Restoration

- Blur

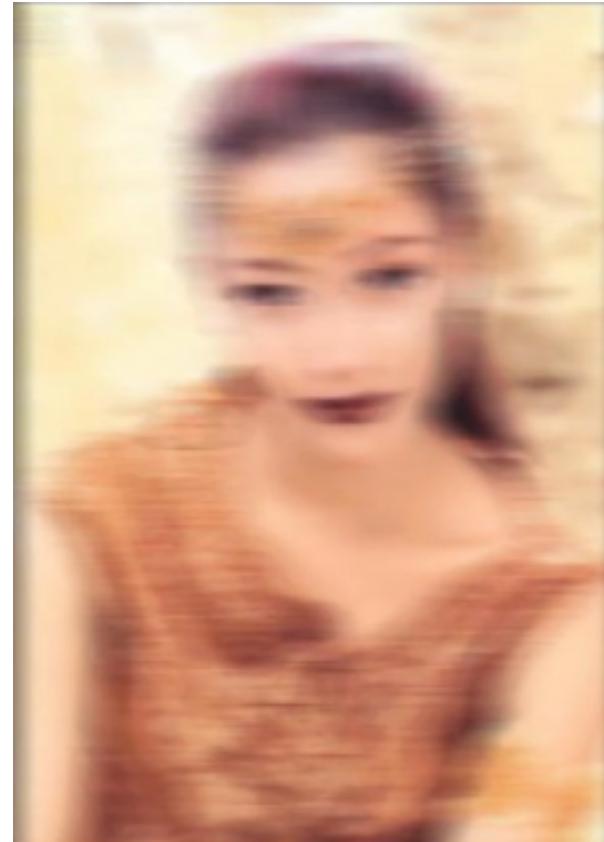


Image Restoration

- Goal: Obtain a restored image such that the error between the original and the restored image is minimum in some sense.

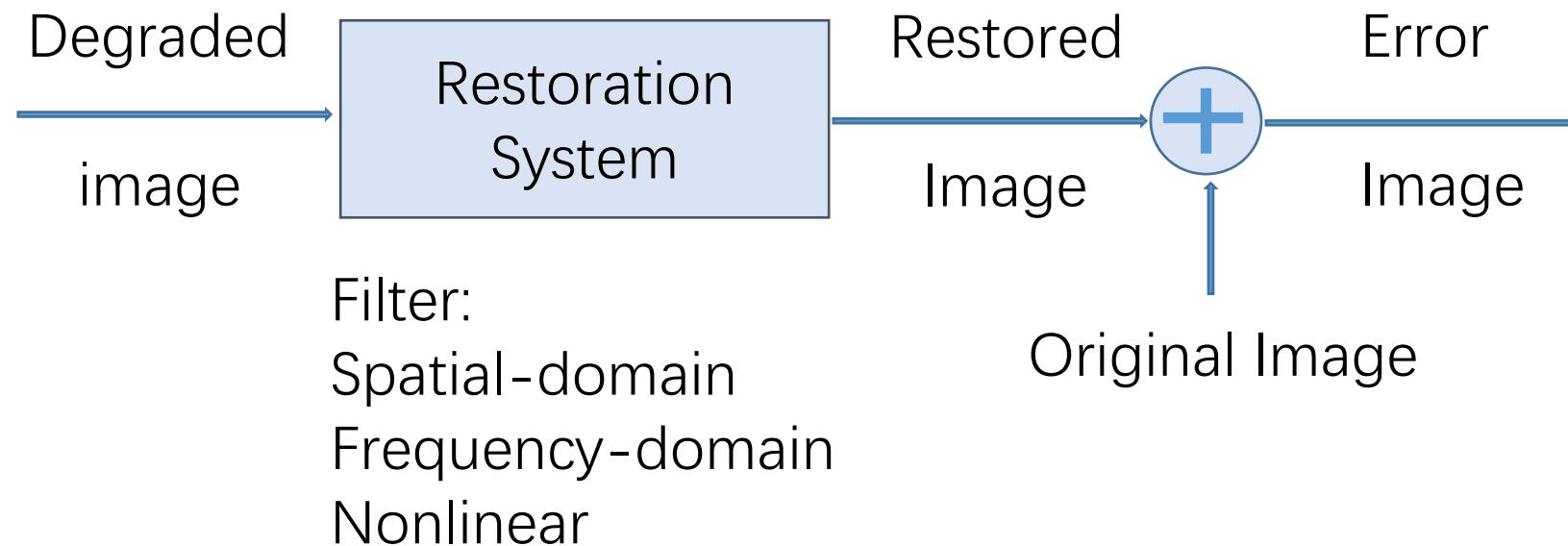
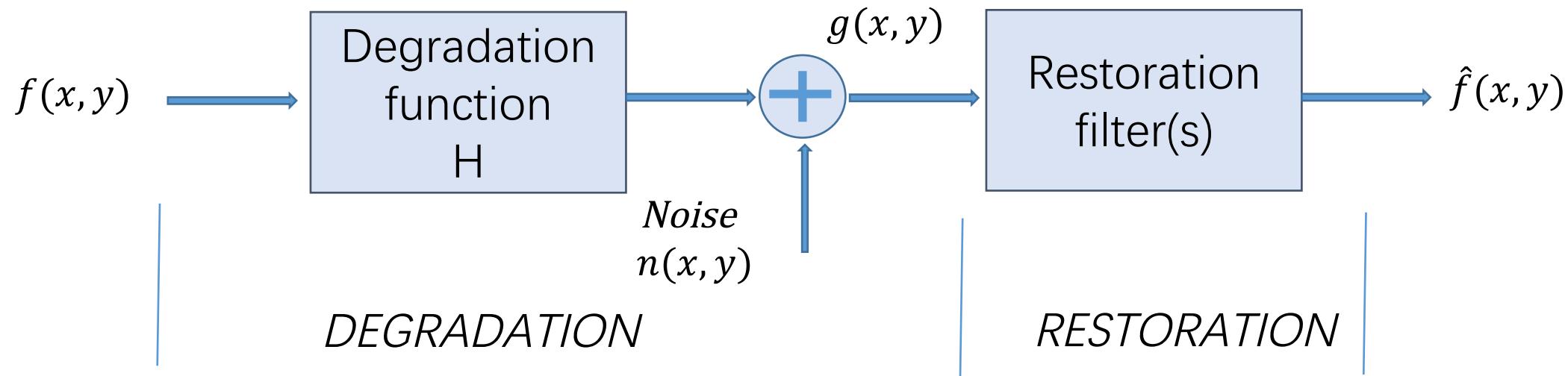


Image Restoration

- Model of the image degradation/restoration process



Spatial domain
$$g(x, y) = h(x, y) * f(x, y) + n(x, y)$$

Frequency domain
$$G(u, v) = H(u, v) \times F(u, v) + N(u, v)$$

Image Restoration

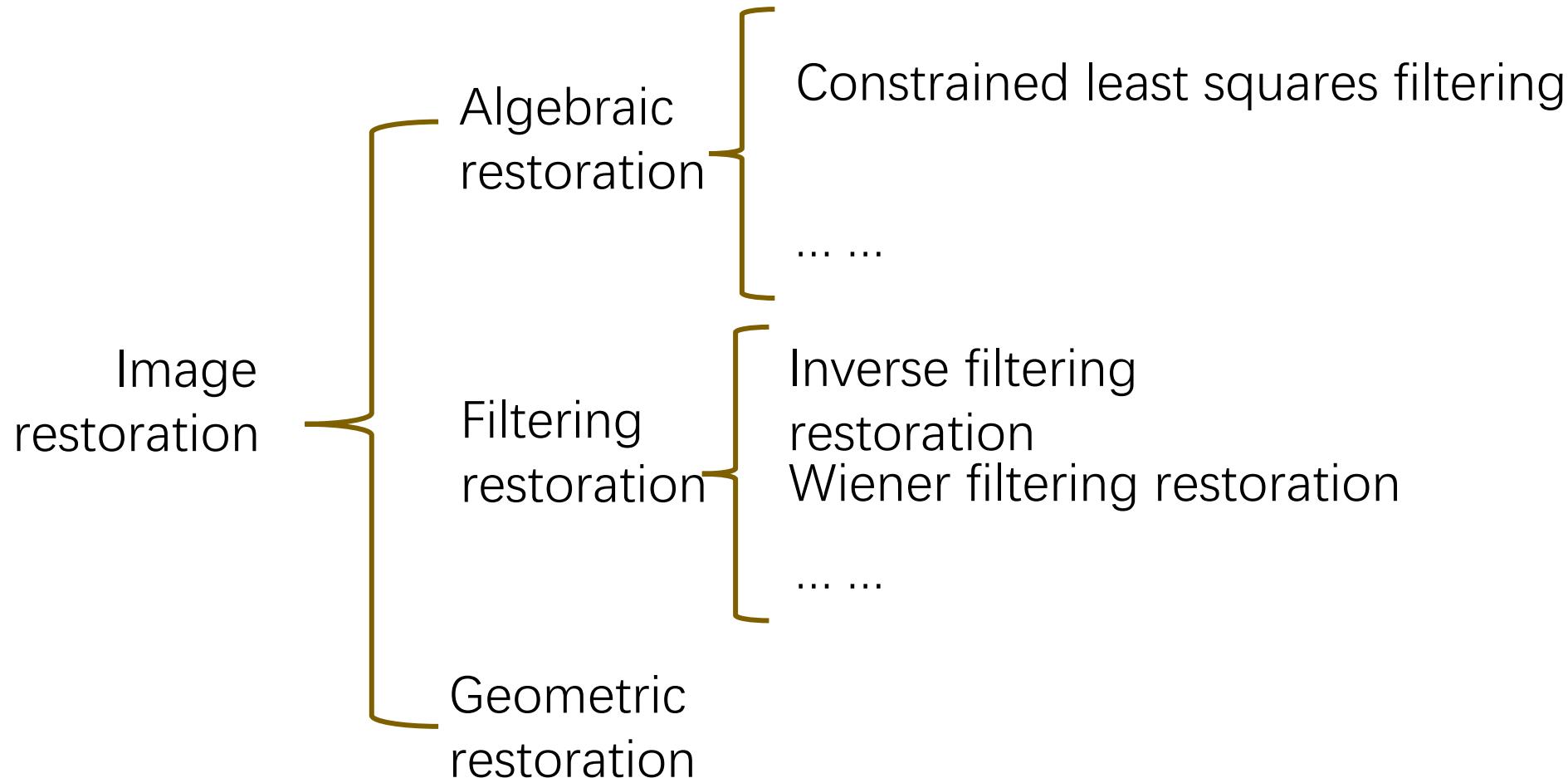


Image Restoration

- Filtering restoration

- Inverse filtering restoration

Degradation model : $G(u, v) = H(u, v)F(u, v) + N(u, v)$

Without considering noise : $\hat{F}(u, v) = \frac{G(u, v)}{H(u, v)}$

Transfer function : $H_1(u, v) = \frac{1}{H(u, v)} = \frac{\hat{F}(u, v)}{G(u, v)}$

Consider noise : $\hat{F}(u, v) = F(u, v) + \frac{N(u, v)}{H(u, v)}$

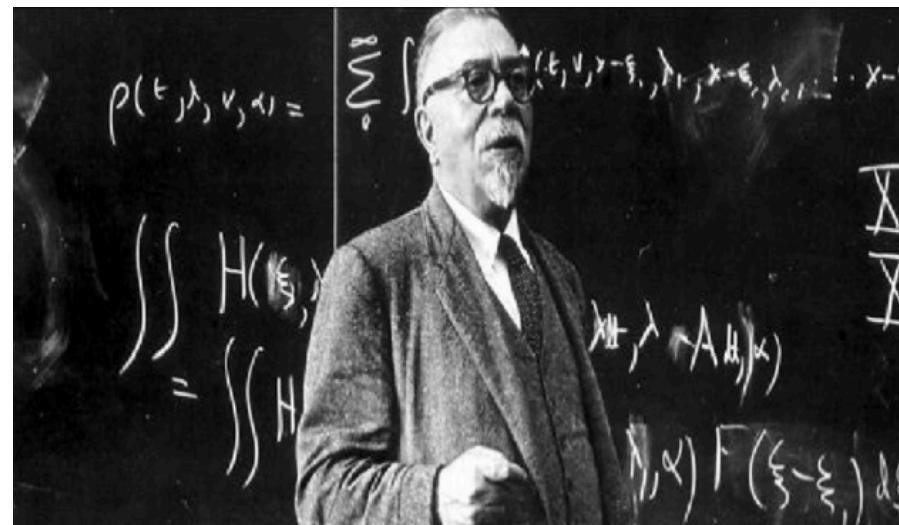
Image Restoration

- Filtering restoration

Wiener filtering restoration

Consider the (desired) image and noise as random fields

Produce a linear estimate from the observed image to minimize MSE


$$\rho(t, \lambda, \nu, \xi) = \sum_i \int H(t, \nu, \xi - \xi_i, \lambda, \nu, \xi) F(\xi_i) d\xi$$
$$= \int H(t, \nu, \xi, \lambda, \nu, \xi) F(\xi) d\xi$$

Norbert Wiener

Image Restoration

- Filtering restoration

Wiener filtering restoration

Minimize MSE between the original and restored

$$\min : e^2 = E \{ (f - \hat{f})^2 \}$$

Transfer function

$$\frac{\hat{F}(u, v)}{G(u, v)} = \frac{1}{H(u, v)} \cdot \frac{|H(u, v)|^2}{|H(u, v)|^2 + s \frac{P_n(u, v)}{P_f(u, v)}}$$

Result

$$\hat{F}(u, v) = \left[\frac{H^*(u, v)}{|H(u, v)|^2 + \frac{P_n(u, v)}{P_f(u, v)}} \right] G(u, v)$$

Image Restoration

- Filtering restoration

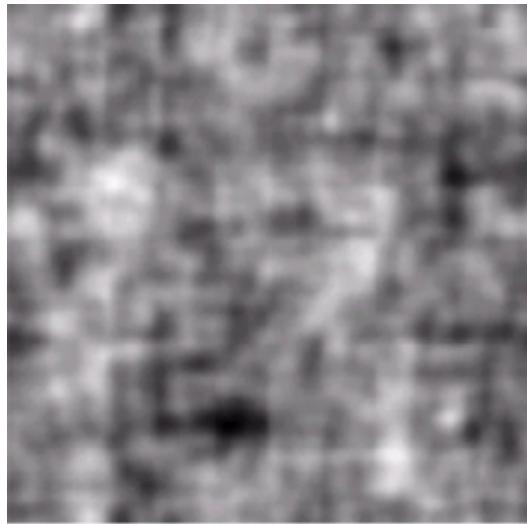
Wiener filtering restoration



(a)



(b)



(c)



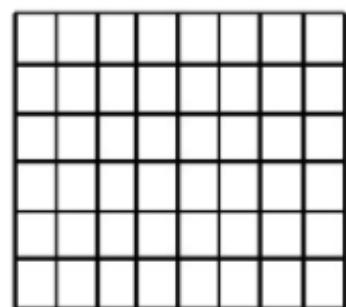
(d)

Image Restoration

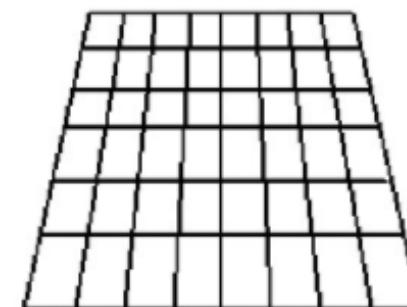
- Geometric restoration

Space transformation

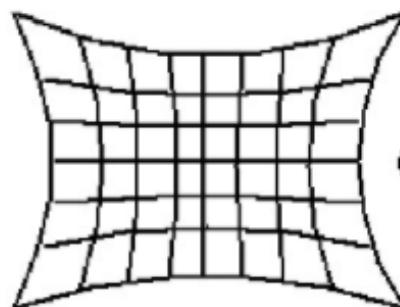
Gray-level difference



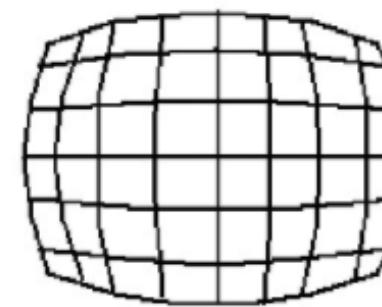
(a)



(b)



(c)



(d)

Image Restoration

● Geometric restoration

Space transformation

This is a spatial transformation, i.e., from one coordinate system to another.

- Let $f(x, y)$ be defined over the co-ordinate system (x, y)
- Let $g(x', y')$ be a geometrically transformed image defined over the co-ordinate system (x', y')
- Then we have

$$x' = h_1(x, y)$$

$$y' = h_2(x, y)$$

Image Restoration

- Geometric restoration

Space transformation

Known $h_1(x, y)$ and $h_2(x, y)$

Direct method

The pixel co-ordinates of degraded image (x', y')  (x, y)

Indirect method

The integer coordinates of a hypothetical corrected image (x, y)

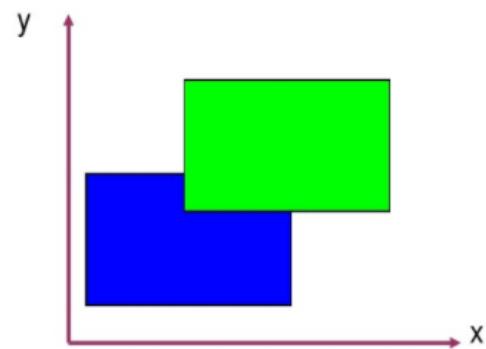
 (x', y')

Image Restoration

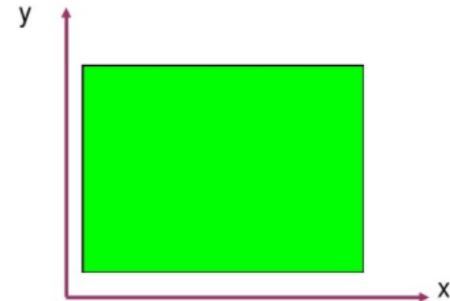
● Geometric restoration

Space transformation

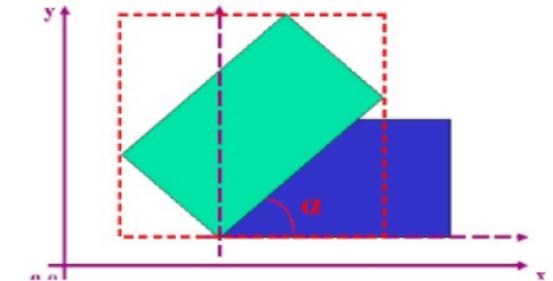
(a) $\begin{cases} x' = x + tx \\ y' = y + ty \end{cases}$



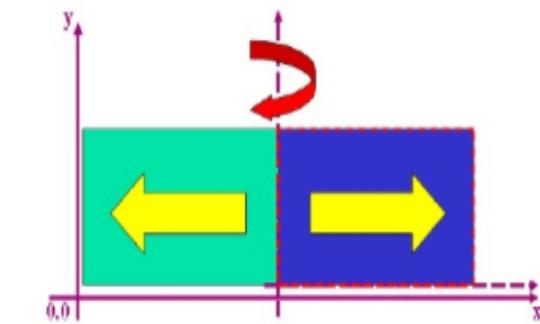
(b) $\begin{cases} x' = cx \\ y' = dy \end{cases}$



(c) $\begin{cases} x' = x \cos \alpha - y \sin \alpha \\ y' = x \sin \alpha + y \cos \alpha \end{cases}$



(d) $\begin{cases} x' = -x \\ y' = y \end{cases}$



(e) $\begin{cases} x' = x \\ y' = -y \end{cases}$

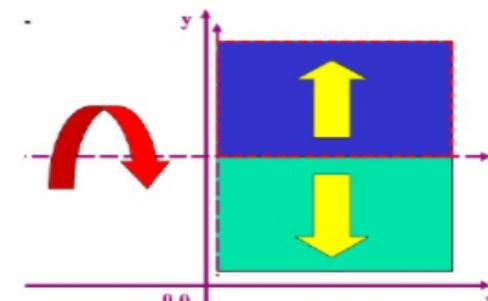


Image Restoration

- Geometric restoration

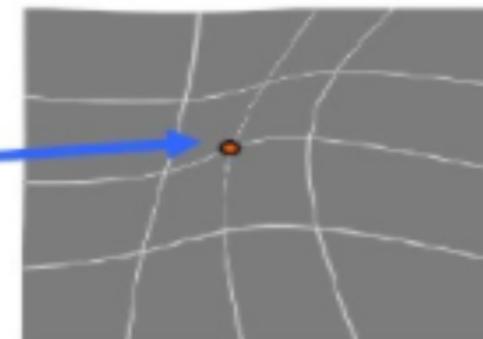
Space transformation

Unknown $h_1(x, y)$ and $h_2(x, y)$

$$x' = \sum_{i=0}^n \sum_{j=0}^{n-i} a_{ij} x^i y^j \quad y' = \sum_{i=0}^n \sum_{j=0}^{n-i} b_{ij} x^i y^j$$



(a)



(b)

Image Restoration

- Geometric restoration

Space transformation

Unknown $h_1(x, y)$ and $h_2(x, y)$

$$\begin{cases} x' = ax + by + c \\ y' = dx + ey + f \end{cases}$$

Distorted image $(x'_1, y'_1), (x'_2, y'_2), (x'_3, y'_3)$

Undistorted image $(x_1, y_1), (x_2, y_2), (x_3, y_3)$

$$x'_1 = ax_1 + by_1 + c \quad y'_1 = dx_1 + ey_1 + f$$

$$x'_2 = ax_2 + by_2 + c \quad y'_2 = dx_2 + ey_2 + f$$

$$x'_3 = ax_3 + by_3 + c \quad y'_3 = dx_3 + ey_3 + f$$

Image Restoration

- Geometric restoration

Gray-level difference

$$\begin{cases} x' = ax + by + c \\ y' = dx + ey + f \end{cases}$$

The pixel value of a non integer is judged by the pixel values around its integer coordinates.

- Nearest neighbor interpolation
- Bilinear interpolation

Image Restoration

- Geometric restoration

Gray-level difference

- Nearest neighbor interpolation

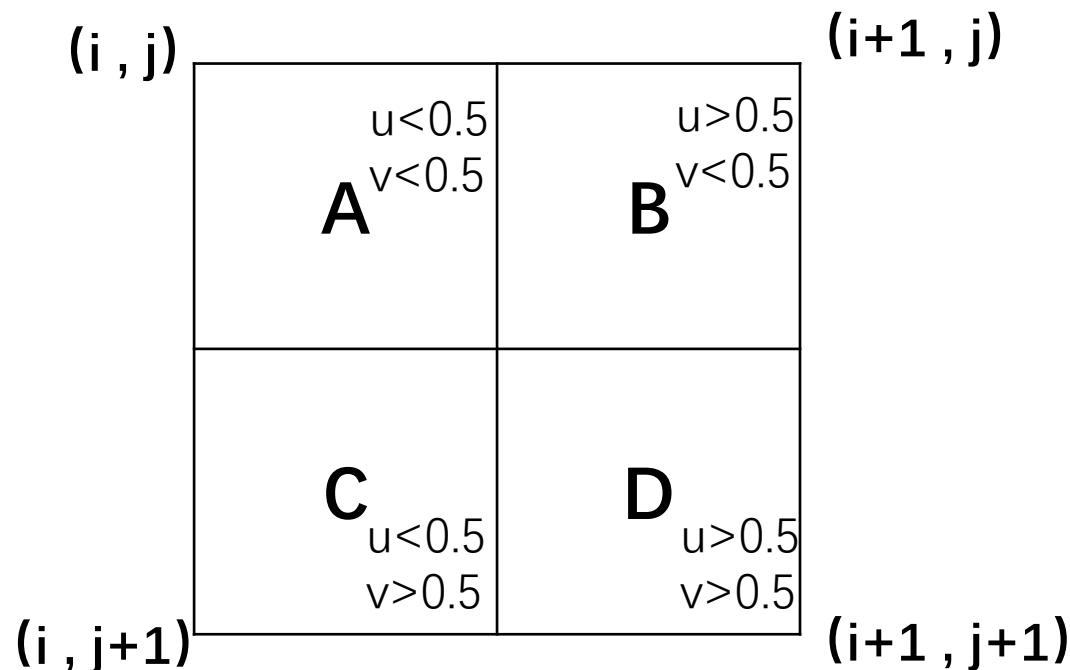


Image Restoration

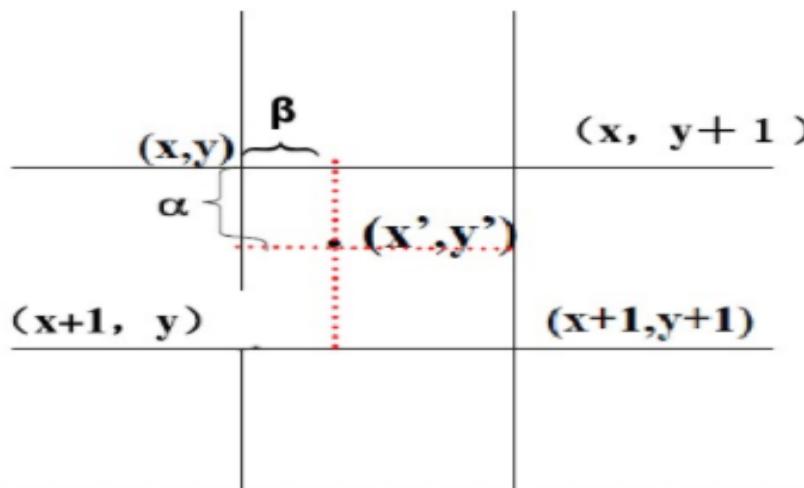
- Geometric restoration

Gray-level difference

- Bilinear interpolation

$$f(x', y') = (1 - \alpha)(1 - \beta)f(x, y) + (1 - \alpha)\beta f(x, y + 1)$$

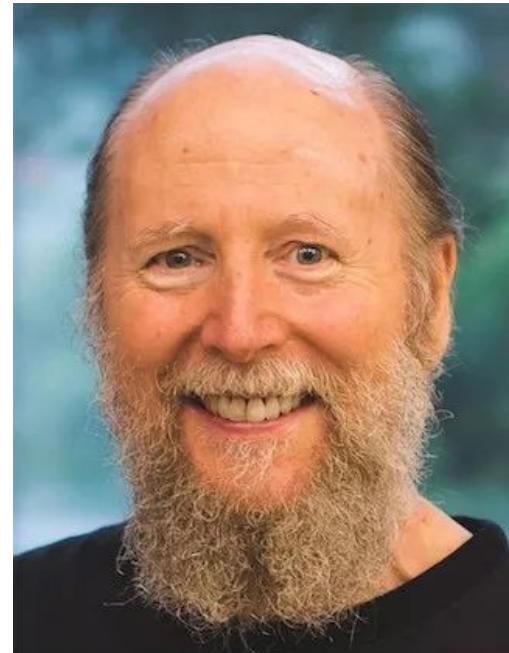
$$+ \alpha(1 - \beta)f(x + 1, y) + \alpha\beta f(x + 1, y + 1)$$



Reinforcement Learning

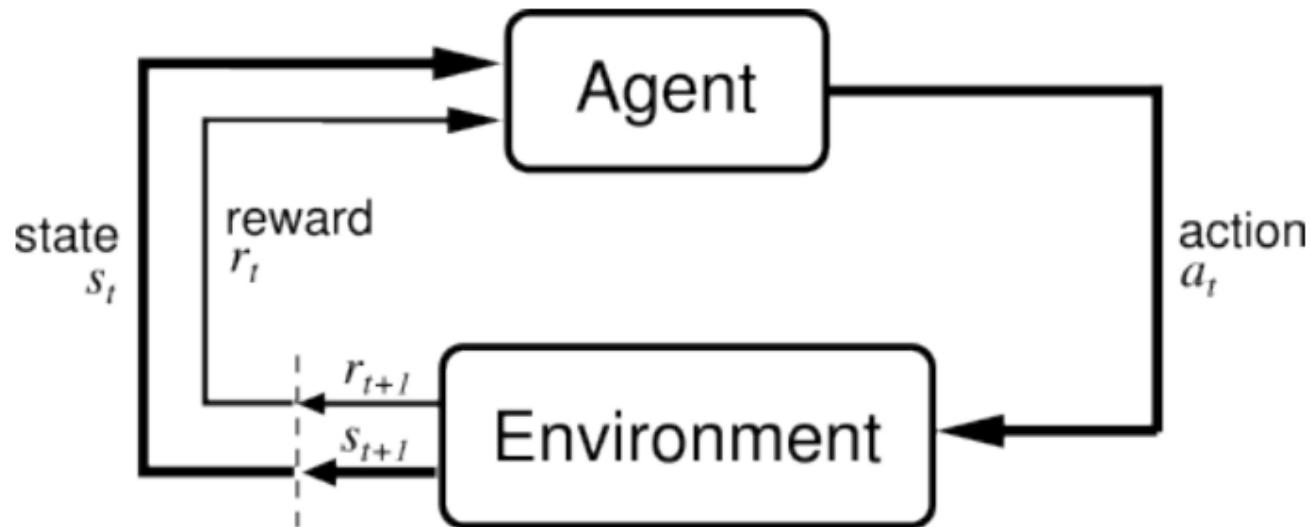
《Reinforcement Learning: An Introduction》

Richard S. Sutton and Andrew G. Barto



Reinforcement Learning

“Reinforcement learning problems involve learning what to do—how to map situations to actions—so as to maximize a numerical reward signal.”



Reinforcement Learning

- Formally this is a Markov decision process (MDP)

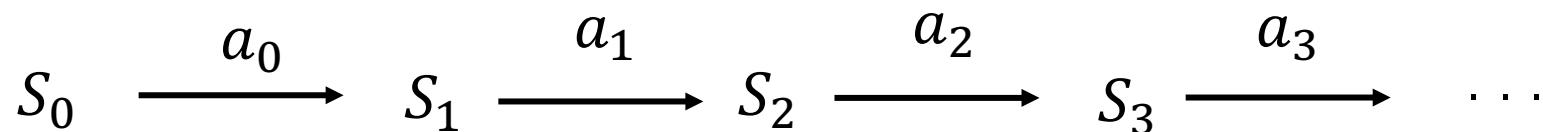
S : a set of states

A : a set of actions

P_{sa} : state transition distributions

$$\sum_{s'} P_{sa}(s') = 1 \quad , \quad P_{sa}(s') \geq 0$$

R : the reward function



Crafting a Toolchain for Image Restoration by Deep Reinforcement Learning

Ke Yu Chao Dong Liang Lin Chen Change Loy

Image Restoration

- There are many individual tasks
 - Denoising
 - Deblurring
 - JPEG Deblocking
 - Super-Resolution
 - ...
- Towards more complicated distortions
 - Address multiple levels of degradation in one task [1,2]
 - Address multiple individual tasks [3]

[1] J. Kim, J. Kwon Lee, and K. Mu Lee. Accurate image super-resolution using very deep convolutional networks. In CVPR, 2016.

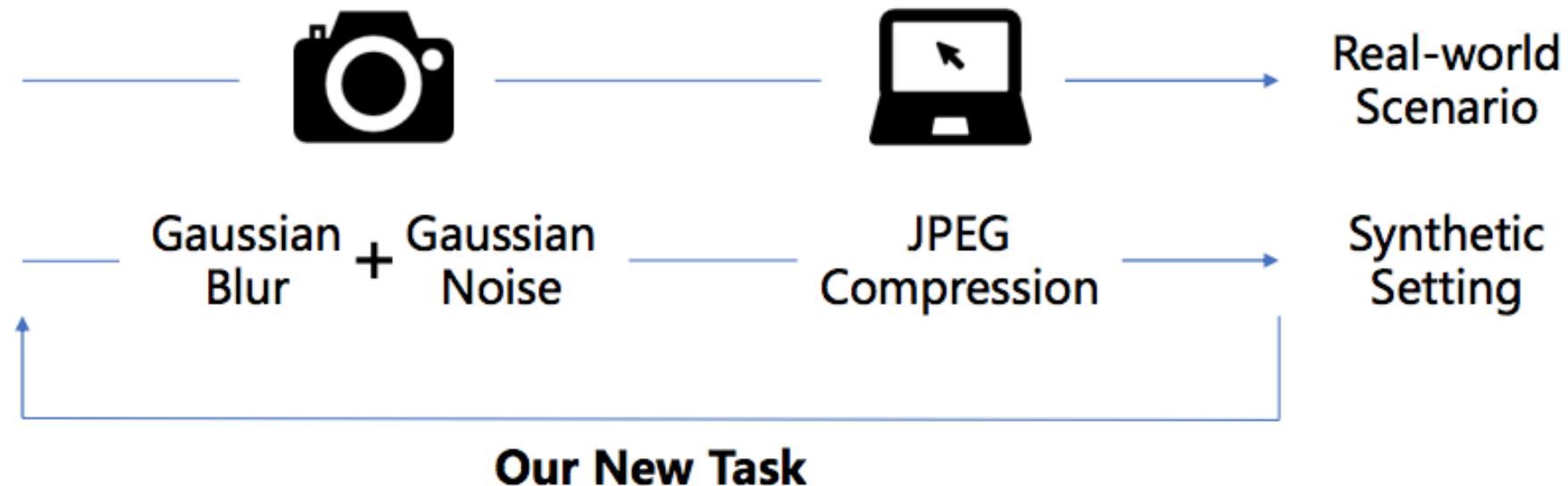
[2] Y. Tai, J. Yang, X. Liu, and C. Xu. Memnet: A persistent memory network for image restoration. In ICCV, 2017.

[3] K. Zhang, W. Zuo, Y. Chen, D. Meng, and L. Zhang. Beyond a gaussian denoiser: Residual learning of deep cnn for image denoising. TIP, 2017.

Image Restoration – A New Setting

- Consider **multiple distortions simultaneously**

- Real-world: Image capture and storage
- Synthetic: Gaussian blur, Gaussian noise and JPEG compression

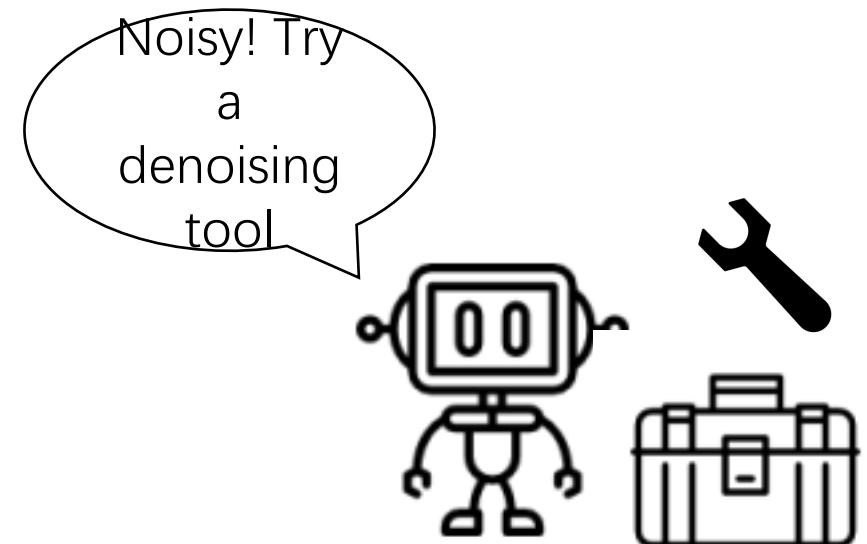


Motivation

- Can we use a single CNN to address multiple distortions
 - Inefficient: Require a huge network to handle all the possibilities
 - Inflexible: All kinds of distorted images are processed with the same structure
- Find a more **efficient** and **flexible** approach!
 - Process different distortion in a different way

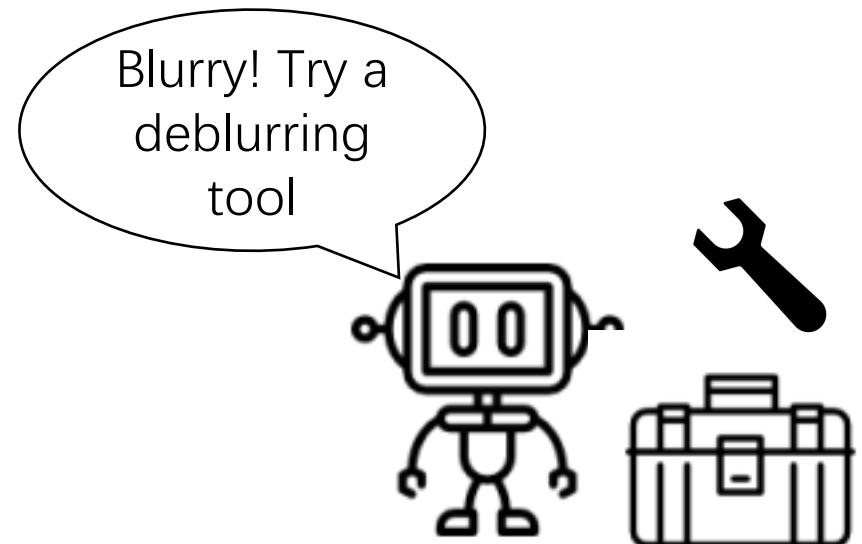
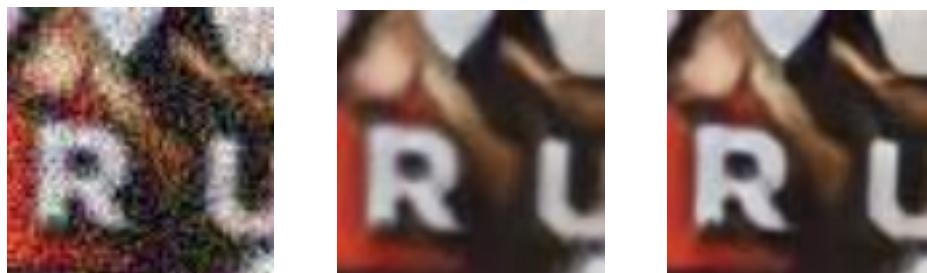
Method – Decision Making

- Progressively restore the image quality
- Treat image restoration as a **decision making** process



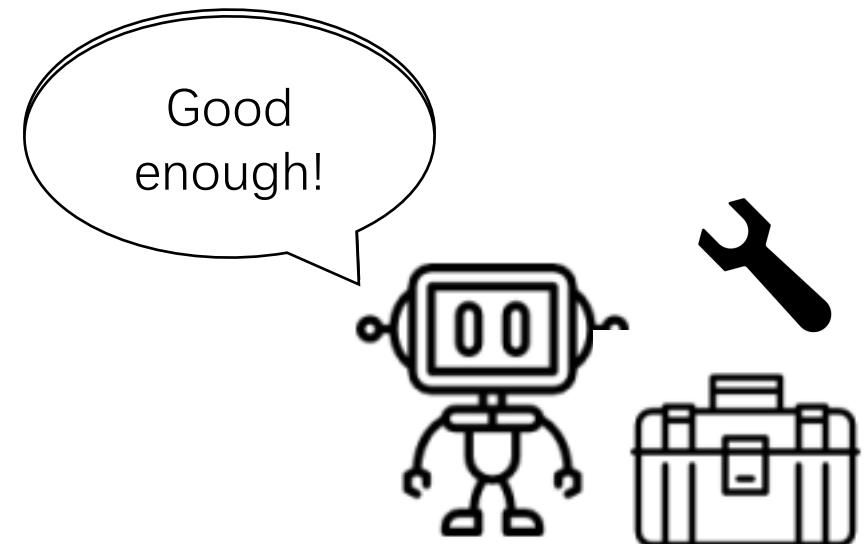
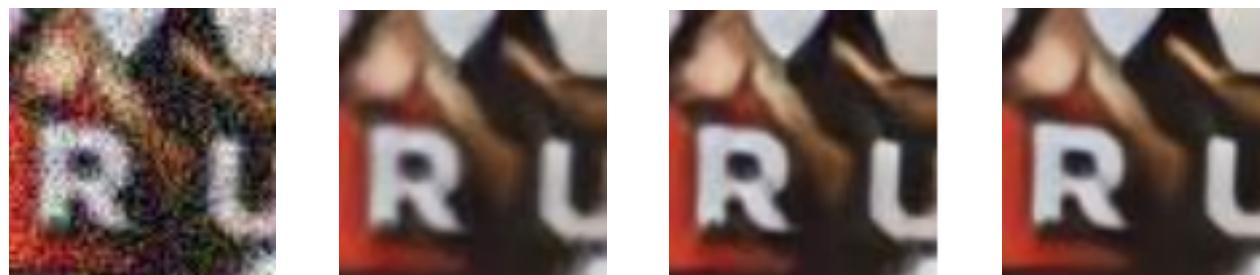
Method – Decision Making

- Progressively restore the image quality
- Treat image restoration as a **decision making** process



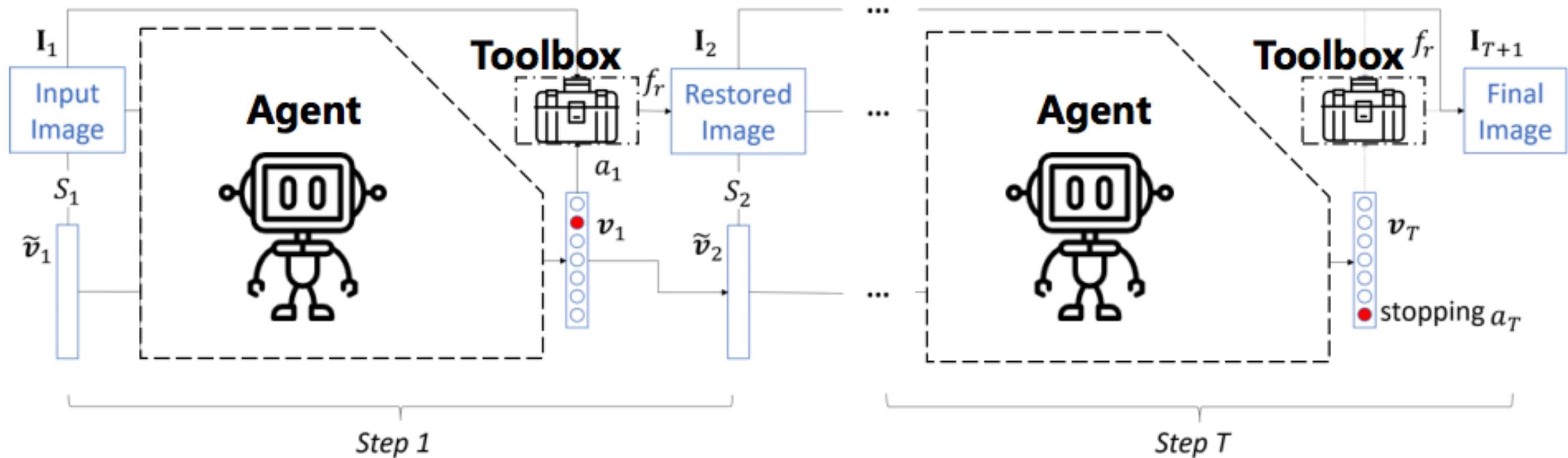
Method – Decision Making

- Progressively restore the image quality
- Treat image restoration as a **decision making** process



Method – Overview

- Our framework requires a **toolbox** and an **agent**



Method – Toolbox

- We design 12 tools, each of which addresses a simple task

- 3-layer CNN [1]
- 8-layer CNN

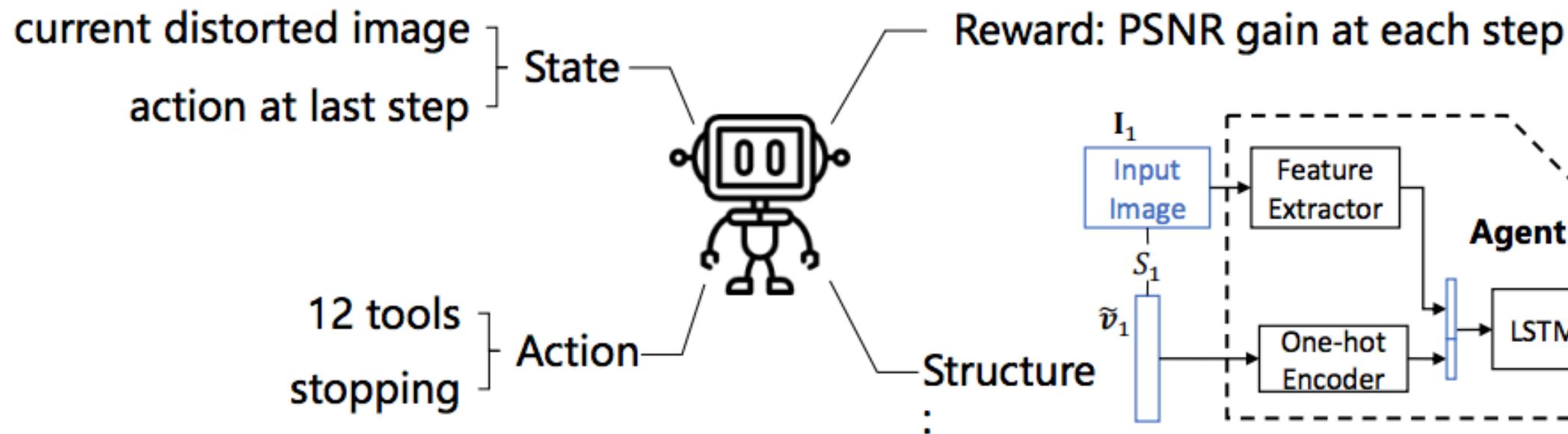


Distortion Type (Parameters)	Distortion Level Interval	CNN Depth
Gaussian Blur (σ)	[0, 1.25], [1.25, 2.5]	3
	[2.5, 3.75], [3.75, 5]	8
Gaussian Noise (σ)	[0, 12.5], [12.5, 25]	3
	[25, 37.5], [37.5, 50]	8
JPEG Compression (Q)	[60, 100], [35, 60]	3
	[20, 35], [10, 20]	8

[1] C. Dong, C. C. Loy, K. He, and X. Tang. Image super-resolution using deep convolutional networks. TPAMI, 38(2):295–307, 2016.

Method – Agent

- Use reinforcement learning to address tool selection

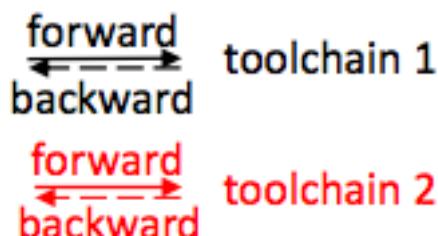


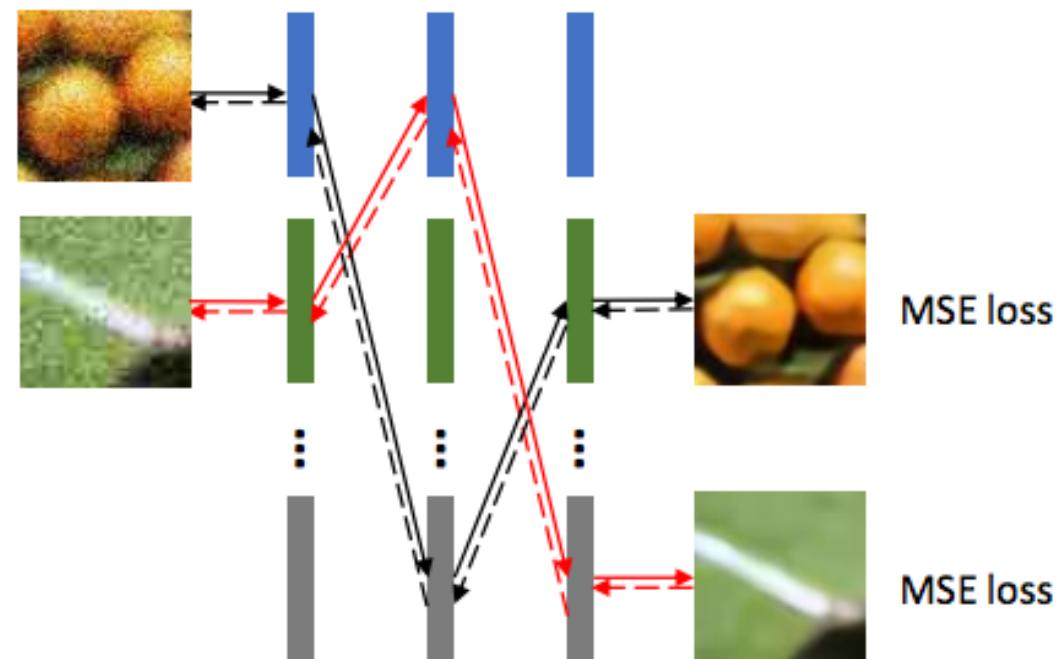
Method – Joint Training

- Challenge of ‘Middle State’

- Intermediate results after several steps of processing
- None of the tools has seen these intermediate results

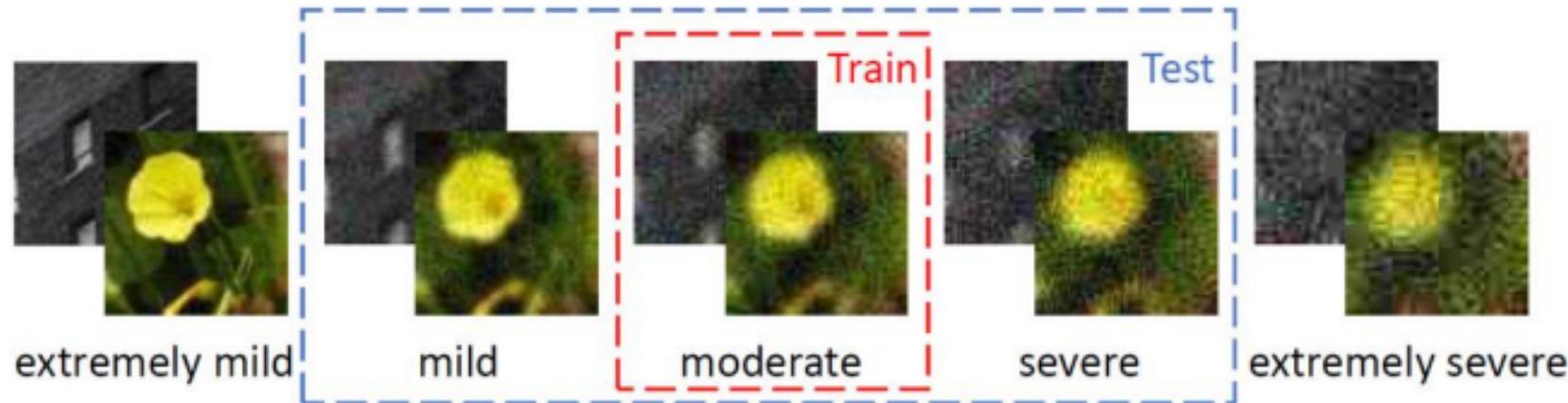
- Joint Training


forward
backward
toolchain 1
forward
backward
toolchain 2



Experimental Results

- Dataset: DIV2K [1]



- Comparison with generic models for image restoration

- VDSR [2]
- DnCNN [3]

[1] E. Agustsson and R. Timofte. Ntire 2017 challenge on single image super-resolution: Dataset and study. In CVPR Workshop, 2017.

[2] J. Kim, J. Kwon Lee, and K. Mu Lee. Accurate image super-resolution using very deep convolutional networks. In CVPR, 2016.

[3] K. Zhang, W. Zuo, Y. Chen, D. Meng, and L. Zhang. Beyond a gaussian denoiser: Residual learning of deep cnn for image denoising. TIP, 2017.

Experimental Results

- Quantitative results on DIV2K

Test Set	Mild (unseen)		Moderate		Severe (unseen)	
Metric	PSNR	SSIM	PSNR	SSIM	PSNR	SSIM
DnCNN	28.03	0.6503	26.42	0.5554	24.99	0.4658
VDSR	28.04	0.6496	26.40	0.5544	24.90	0.4629
VDSR-s	27.69	0.6383	25.99	0.5399	24.50	0.4505
<i>RL-Restore</i>	28.04	0.6498	26.45	0.5587	25.20	0.4777

Competitive performance

Better generality

Test Set	Mild	Moderate	Severe
DnCNN	28.03	26.42	24.99
<i>RL-Restore + BN</i>	28.02	26.48	25.29

- Runtime Analyses

Model	DnCNN	VDSR	VDSR-s	<i>RL-Restore</i>
Time	0.0280	0.0238	0.0144	0.0128

More efficient

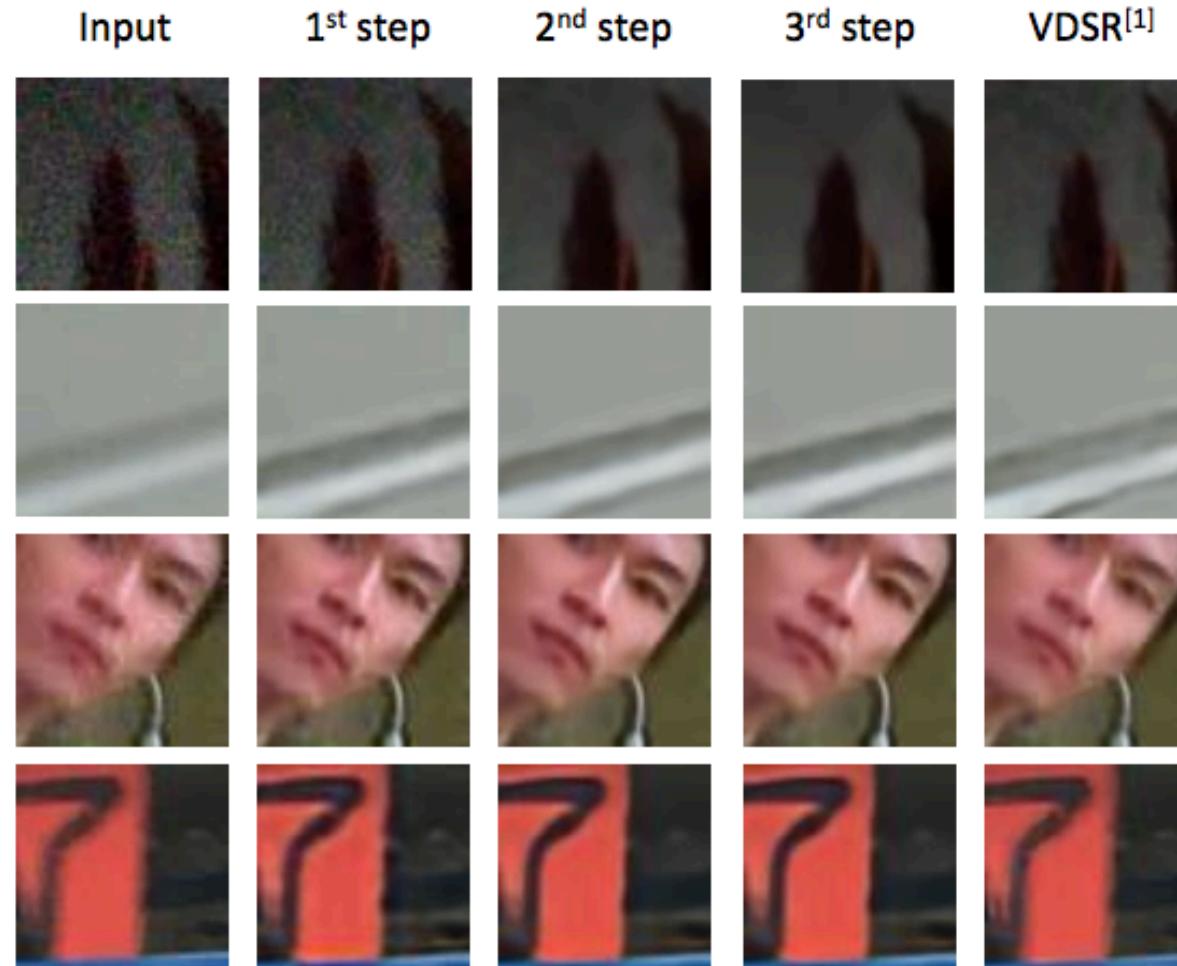
Experimental Results

- Quantitative results on DIV2K



Experimental Results

- Quantitative results on real-world images



[1] J. Kim, J. Kwon Lee, and K. Mu Lee. Accurate image super-resolution using very deep convolutional networks. In CVPR, 2016.
<http://ice.dlut.edu.cn/valse2018/ppt/2018ValseDChao.pdf> 77
vision@ouc

Experimental Results

● Ablation Study

Test Set	Mild (unseen)		Moderate		Severe (unseen)	
Metric	PSNR	SSIM	PSNR	SSIM	PSNR	SSIM
+Joint	28.04	0.6498	26.45	0.5587	25.20	0.4777
+Noise	27.78	0.6372	26.20	0.5441	24.97	0.4643
Original	27.52	0.6027	25.91	0.5119	24.81	0.4490

Joint training

Test Set	Mild (unseen)		Moderate		Severe (unseen)	
Metric	PSNR	SSIM	PSNR	SSIM	PSNR	SSIM
w/ Stopping	27.78	0.6372	26.20	0.5441	24.97	0.4643
w/o Stopping	27.61	0.6284	26.08	0.5351	24.85	0.4589

Stopping action

Conclusion

- Contributions

- Address image restoration in a reinforcement learning framework
- Propose joint learning to cope with middle process state
- Dynamically formed toolchain performs competitively against human-designed networks with less computational complexity

- Future work

- Incorporate more tools (trained with GAN loss)
- Handle spatial-variant distortions