

What is Recursion?

- A recursive method is one that calls itself

Application of recursion

Recursion characteristics

- One or more base cases are used to stop recursion
- Each recursive call reduces the original problem to smaller same sub problem



- Each recursive call progresses towards a base case until it becomes that case

Example 1 - Factorials

$$0! = 1 \text{ (By Definition!)}$$

$$n! = n \times (n - 1)! \quad \text{If } n > 0$$

$$3! = 3 \times 2!$$

$$2! = 2 \times 1!$$

$$1! = 1 \times 0!$$

$$0! = 1 \text{ (Base Case!)}$$

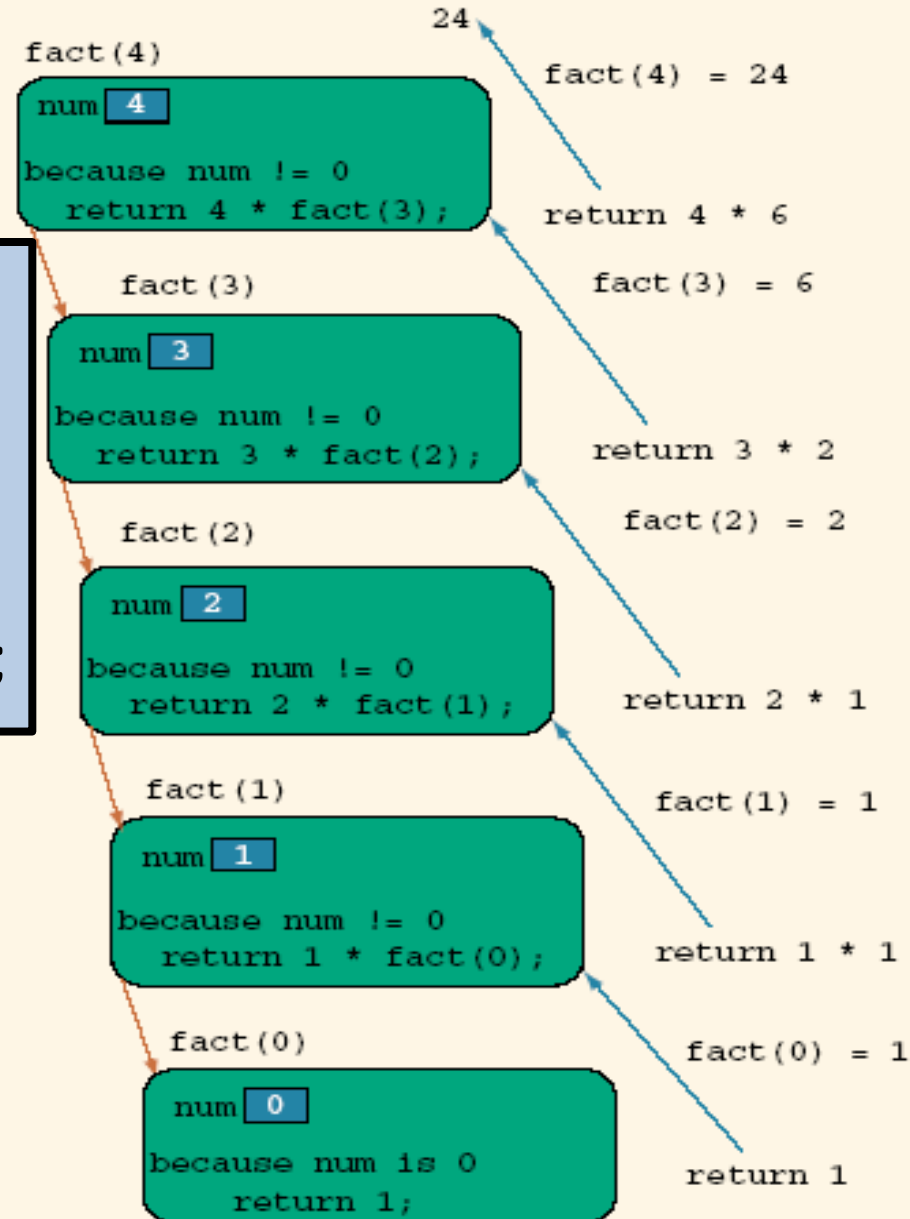
$$1! = 1 \times 0! = 1 \times 1 = 1$$

$$2! = 2 \times 1! = 2 \times 1 = 2$$

$$3! = 3 \times 2! = 3 \times 2 = 6$$

Example 1 - Factorials

```
public static int fact(int num) {  
    if (num == 0)  
        return 1;  
    else  
        return num * fact(num - 1);  
}
```



Example 2 – Find maximum

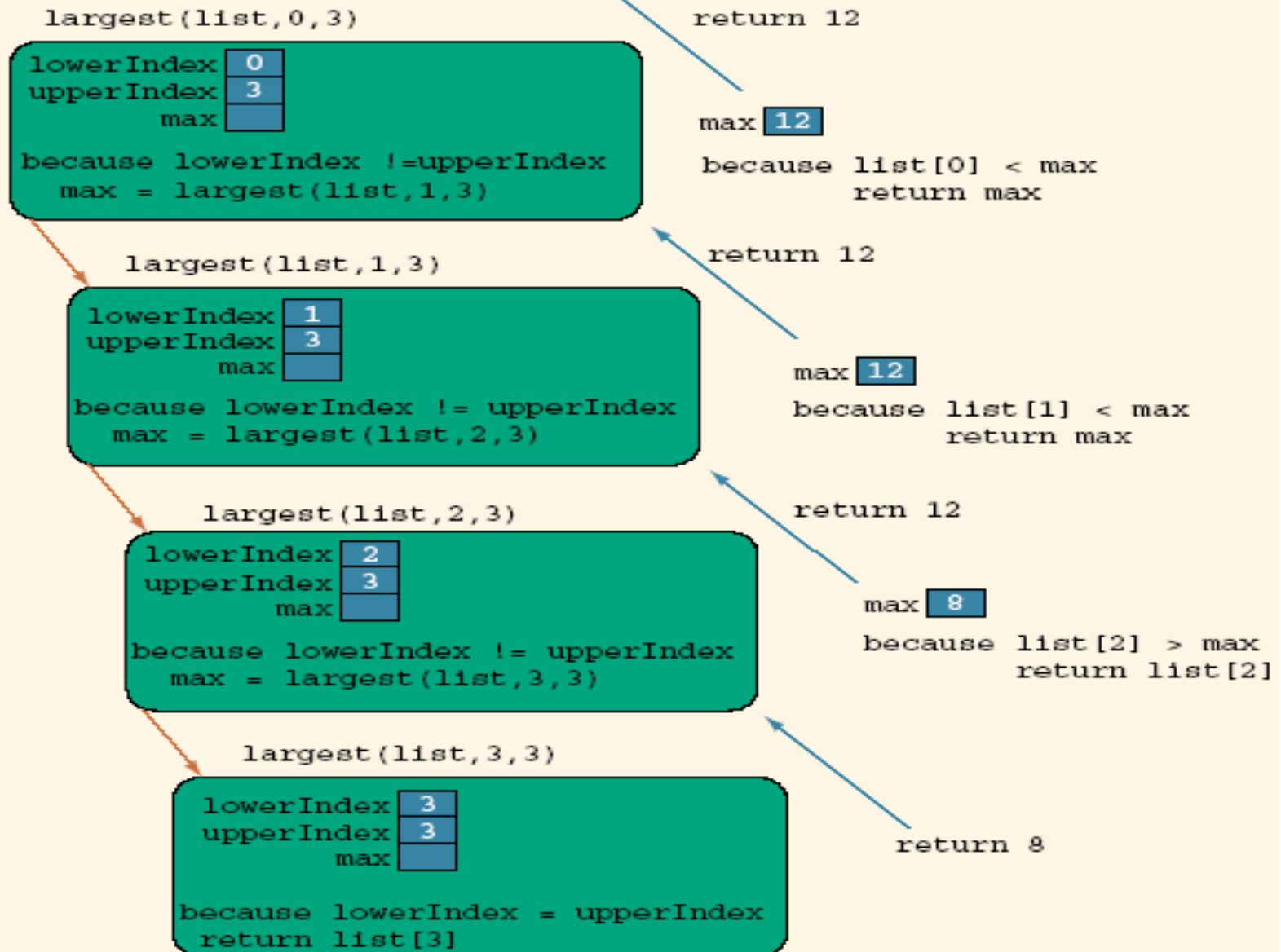
	[0]	[1]	[2]	[3]
list	5	10	12	8

- Integers stored in array named *list* in arbitrary order

Example 2 – Find maximum

```
public static int largest(int[] list, int lowerIndex, int upperIndex) {  
    int max;  
    if (lowerIndex == upperIndex)  
        return list[lowerIndex];  
    else {  
        max = largest(list, lowerIndex + 1,  
                        upperIndex);  
        if (list[lowerIndex] >= max)  
            return list[lowerIndex];  
        else  
            return max;  
    }  
}
```

Example 2 – Find maximum




```
public class FibonacciPerf {  
    public static long Fibolterative(int n) {  
        int f0 = 0, f1 = 1,  
        int currentFib;  
        if (n == 0) return 0;  
        if (n == 1) return 1;  
        for (int i = 2; i <= n; i++) {  
            currentFib = f0 + f1;  
            f0 = f1;  
            f1 = currentFib;  
        }  
        return f1;  
    }  
}
```

```
public static int FiboRecursive(int n) {  
    if (n == 0) return 0;  
    if (n == 1) return 1;  
    return FiboRecursive(n - 1) + FiboRecursive(n - 2);  
}
```

