## MCMC Algorithm

Consider a Poisson distribution with parameter lambda = 3 conditioned to be nonzeros, Implement an MCMC algorithm to simulate from this distribution, using a proposal distribution that is geometric with parameter p = 1/3. Use your simulation to estimate the mean and variance.

```
N<-50000
p<-1/3
lamda < -3
X < -rep(0, N)
X[1] < -0
for(istep in 2:N){
#the current state
i<-X[istep-1]
#sample from proposal density
#since we want to generate from p(i-p)^{(i-1)}
#the proposed state
j<-rgeom(1,p) +1</pre>
#calculate the acceptance probability
\#al \leftarrow (lamda^j)*factorial(i)*((1-p)^(j-i))/((lamda^i)*factorial(j))
accept<-min(1,(dpois(j,lamda)*dgeom(i,p))/(dpois(i,lamda)*dgeom(j,p)))</pre>
dgeom(i,p)
u<-runif(1)
if(u < accept){</pre>
X[istep]<-j</pre>
}else{
X[istep]<-i</pre>
}
}
mean(X)
## [1] 3.14512
var(X)
```

## [1] 2.625873