Network Security Contd

COMP90007

Internet Technologies

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Public Key Algorithms

- Fundamentally different to symmetric key ones
- Diffe & Hellman proposed the new model
 - Asymmetric key algorithms
 - Key used to encrypt and key used to decrypt different
 - Not easily derivable from each other
- Diffe-Hellman key system
 - Key 1: public key, usable by anyone to encrypt messages to the owner of the key, this key known to all
 - Key 2: private key, required to decrypt the message and known only by the owner of this key

The Process

- C = ciphertext, P = plaintext, E = encryption, D=decryption
 K1, K2 = keys
- $C = E_{K1}(P)$
 - Sender knows the public key K1 and the P
- $P = D_{K2}(C)$
 - Only receiver knows private K2 which can undo K1's effect
- $D_{K2}(E_{K1}(P)) = P$

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RSA: An Asymmetric Key Algorithm

- RSA Rivest, Shamir, Adleman
- Famous and robust algorithm
- Key generation:
 - Choose two large primes, p and q
 - Compute $n = p \times q$ and $z = (p-1) \times (q-1)$.
 - Choose d to be relatively prime to z, i.e., no common factors
 - Find e such that
 - \Box (d x e) mod z = 1
 - Public key is (e, n), and private key is (d, n)
- Encryption:
 - □ Cipher = Plain^e (mod n)
- Decryption:
 - Plain = Cipher^d (mod n)

RSA Security

- RSA's security is <u>based on the difficulty</u> <u>involved in factoring large numbers in</u> <u>math theory</u> - approx 10²⁵ years to factor a 500 digit number and RSA uses 1024 bits!
- RSA is too slow for encrypting/decrypting large volumes of data, but is widely used for many other things such as <u>secure key</u> <u>distribution</u>
- RSA can be used in tandem with symmetric key algorithms

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RSA Example
       Let p=3, q=11: then z is (3-1) \times (11-1) = 20
       What is a potential d?
       If d = 7 then z and 20 has no common factors
       What is an e?
    □ If e = 3, then (d \times e) is 1 in mod z
       What are the two key tuples then?
    □ Enc: 3. 33 Dec: 7. 33 (as n=3 x 11=33 and d=7 and e=3)
   Plaintext (P)
                            Ciphertext (C)
                                                                    After decryption
                     P^3
                             P<sup>3</sup> (mod 33)
                                                                C<sup>7</sup> (mod 33)
Symbolic Numeric
                                                  C7
                                                                            Symbolic
                                 28
                    6859
                                            13492928512
          21
                    9261
                                 21
                                            1801088541
                                                                   21
                   17576
                                             1280000000
                                                                   26
                                                                                Z
   Z
           26
                                 20
          01
                                                                   01
                    2744
                                                  78125
   N
           14
                    2744
                                 5
                                                  78125
                                                                   14
                                                                                N
                                 26
                                             8031810176
           05
                     125
                                                                   05
Encryption: C = P^3 \mod 33
                                           Decryption: P = C^7 \mod 33
      S is the 19th character in the alphabet...
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Another Use of Cryptography: Digital Signatures

- Cryptographic approaches can also be used to ensure authenticity and allow for non-repudiation
- Requirements
 - Receiver can <u>verify the claimed identity of the sender</u>
 - Sender cannot deny she created contents of the message
 - Receiver cannot have derived the message themselves
- Three approaches
 - Using symmetric keys via an intermediary
 - You need a BIG BROTHER to do all the messaging, not good!
 - Using <u>public keys</u> as individuals

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Using Public Keys

- Sender Alice uses <u>private key on P</u>
- Receiver Bob uses her public key to undo and get P
- RSA can do this as well, as <u>E(D(P)) = P in RSA</u>
- Alice cannot deny signing as she only knows her private key

Signatures with Message Digests

- Basic concept of a <u>message digest is to use a one-way hash</u> <u>function</u> for an arbitrary length of plaintext, so that it becomes a "unique" small fixed-length bit string
- Thus no need to deal with huge message text and encryption just for authentication purposes
- A message digest (MD) has four important properties:
 - □ 1 Given P, it is easy to compute MD(P)
 - 2 Given MD(P) it is effectively impossible to find P
 - \Box 3 Given P, no one can find P' such that MD(P') = MD(P)
 - 4 A change in even a single bit of input produces a very different output

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Famous Message Digest Algorithms

- MD5
- SHA-1
- Outputs
 - Given "this is a test" (text could have been longer)
 - □ MD5:

e19c1283c925b3206685522acfe3e6

□ SHA-1:

6476df3aac780622368173fe6e768a2edc3932c8

Public Key Management

- There is <u>specific PK infrastructure</u> to avoid compromising the security of PK's <u>during the initial</u> <u>distribution process</u>.
- Certification Authority (CA)
 - A trusted intermediary who uses non-electronic identification to identify users prior to certifying keys and certificates
- X.509
 - An international standard for certificate expression
- PKI (Public Key Infrastructure) is a
 - Hierarchically structured certificate authorities allow for the establishment of a chain of trust or certification path
 - Verisign was such a company

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Certificate Issuing

A Certificate authority (CA) says:

I hereby certify that the public key

19836A8B03030CF83737E3837837FC3s87092827262643FFA8271038282828A

belongs to

Robert John Smith

12345 University Avenue

Berkeley, CA 94702

Birthday: July 4, 1958

Email: bob@superdupernet.com

SHA-1 hash of the above certificate signed with the CA's private key