## ECE637 Lab report 4 Pointwise Operations and Gamma

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## Section 1. Histogram of an Image

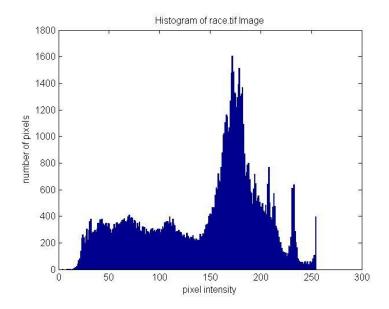


Figure 1.1 Histogram of race.tif

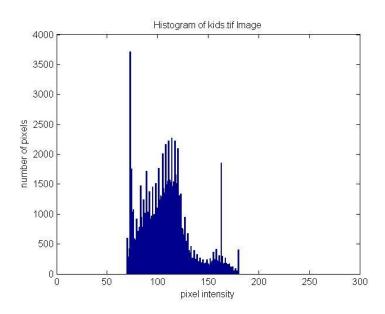


Figure 1.2 Histogram of kids.tif

### Section 2. Histogram Equalization

#### Part 1. function equalize.m.

```
function [Y] = equalize(X)

L = 256;
H = hist(X(:),[0:255]);
```

```
total = sum(H);
Fx = zeros(1,L);
Z = zeros(1,L);
for i = 1:1:L
   Fx(i) = sum(H(1:i))/total;
end
clf;
figure(1)
plot(Fx);
title('CDF of the image');
xlabel('intensity');
Ymax = max(Fx);
Ymin = min(Fx);
Z = (L-1)*(Fx - Ymin)/(Ymax-Ymin);
[m n] = size(X);
Y = zeros(m,n,'uint8');
for i = 1:1:m
   for j = 1:1:n
   Y(i,j) = Z(X(i,j));
   end
end
road = 'E:\2016spring\ECE637\lab4\equalized kids.jpg';
imwrite(Y, road);
```

## Part 2. a labeled plot of $F^x(i)$ for the image kids.tif

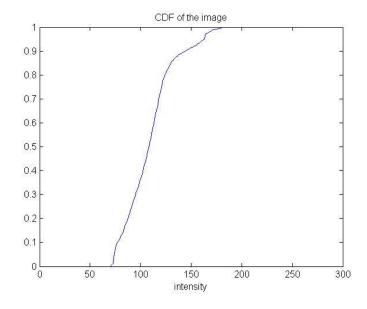


Figure 2.1 F<sup>^</sup> x(i) for the image kids.tif

# Part 3. a labeled plot of the of the equalized image's histogram.

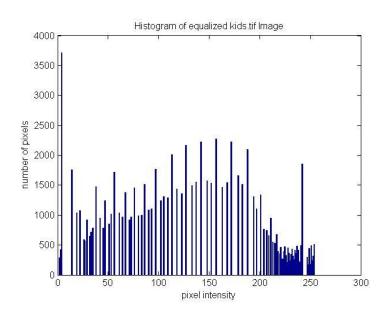


Figure 2.2 the equalized image's histogram.

#### Part 4. the equalized image.



Figure 2.3 the equalized image.

## **Section 3. Contrast Stretching**

#### Part 1. Code for stretch

```
function output = stretch(input,T1,T2)
map = zeros(1,256);
```

```
map(T2:end) = 255;
[m n] = size(input);
output = zeros(m,n,'uint8');
for i = T1:1:T2
    map(i) = 255*(i-T1)/(T2-T1);
end
for k = 1:1:m
    for j = 1:1:n
        output(k,j) = round(map(input(k,j)));
    end
end
road = 'E:\2016spring\ECE637\lab4\stretched_kids.jpg';
imwrite(output,road)
```

#### Part 2. the transformed image and its histogram



Figure 3.1 the transformed image.

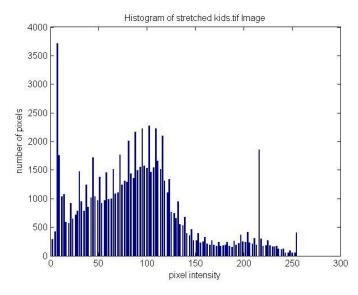


Figure 3.2 the transformed image's histogram.

#### Section 4. Gamma (γ)

## Part 2. Determining the Gamma of Your Computer Monitor

My gray level = 200.

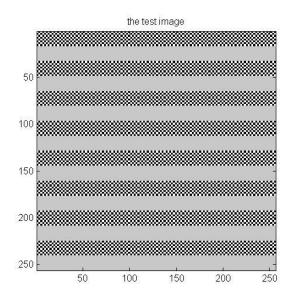


Figure 4.1 gray level image

#### **Procedures:**

First we know that  $I_g = I_c$ , through calculation we can have

$$\frac{I_{255}+0}{2} = I_{255} \left(\frac{g}{255}\right)^{\gamma}, \text{ which gives the result as } \gamma = \frac{\log \left(\frac{1}{2}\right)}{\log \left(\frac{g}{255}\right)}$$

Results:  $\gamma = 2.85, g = 200$ .

#### Part 3. Gamma Correction

For the linear.tif:

Use  $\gamma = 2.85$  to correct the image.

The formula used in this part:  $g = I_{255} \cdot \left(\frac{I_g}{255}\right)^{\frac{1}{2.85}}$ 

linear image



output image(gamma = 2.85)



Figure 4.2 linear.tif original image and corrected image

For the gamma15.tif:

Use  $\gamma = 2.85$  to correct the image.

The formulas used in this part:

Since the picture has already been corrected by 1.5, the first step is to transfer it back:

$$I_g = I_{255} \left(\frac{g}{255}\right)^{1.5}$$

Next part, we choose  $\gamma$ =2.85 to correct the image.

$$g' = I_{255} \cdot \left(\frac{I_g}{255}\right)^{\frac{1}{2.85}}$$



Figure 4.3 gamma15.tif original image and corrected image