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  ??
(y_1, x_2)^T \in ^2_+:= \{(y_1, y_2)^T \in ^2: y_2 > 0\}_1(x), u_2(x)) \in ^2
(y_1, y_2)^T \in ^2: y_2 > 0
(y_1, y_2)^T \in ^2: y_2 > 0
(y_2, y_2)^T \in ^2: y_2 > 0
(y_3, y_2)^T \in ^2: y_3 > 0
(y_3, y_3)^T \in ^2: y_3 > 0
         \overset{\mathbf{v}}{\sigma}(u(x)) + \overset{2}{u(x)} = 
           f(x)x\sigma(u) \in {}^{2\times 2}
           \sigma(u) =
        \sigma(u) = 2\mu(u) + \lambda \dot{\varphi},
\dot{\psi},
(u) = \frac{1}{2}(u + (u)^T). \in 2^{2 \times 2}
\rho = 1
\Delta_e u := (\lambda + u) \nabla \dot{\varphi}
      \begin{array}{l} (\lambda + \\ \mu) \nabla \div \\ u + \\ \mu \Delta u \Delta_e u(x) = \\ \nabla \cdot \\ \sigma(u(x)) \\ \Delta_e u(x) + \\ \rho \omega^2 u(x) = \\ -f[?,?], \subset^2_+ \\ q \in \\ R^2 \\ u_q(x,x_s) \end{array} 
  \begin{array}{l} u_{q}(x,x_{s}) \\ \Delta_{e}u_{q}(x,x_{s}) + \\ \omega^{2}u_{q}(x,x_{s}) = \\ -\delta_{x_{s}}(x)_{+}^{2}\bar{D}, \\ u_{q}(x,x_{s}) = \\ 0_{D}, \\ \sigma(u_{q}(x,x_{s}))e_{2} = \\ 0_{0}, D \\ \nu(x) \\ 0 = \\ \{(x_{1},x_{2})^{T} \in^{2} : \\ x_{2} = \\ 0\}_{+}^{2} \\ e_{i} \\ x_{i} = \\ 1, 2 \\ (x,y) \end{array}
           u_q(x,x_s)
      \begin{array}{l} (x,y) \\ (x,y)q \\ (x,y)q \\ \Delta_e[(x;y)q] + \\ \omega^2[(x,y)q] = \\ -\delta_y(x)q_+^2, \end{array} 
           \sigma((x,y)q)e_2 =
           0\Gamma_0, Neumann Green_q^i(x,x_s) =

\begin{pmatrix} (x, x_s)q \\ u_q^s(x_r, x_s) = 0
\end{pmatrix}

\begin{array}{l} u_{q}^{s}(x_{r},x_{s}) = \\ u_{q}(x_{r},x_{s}) - \\ (x_{r},x_{s})q,x_{r} \in_{0} \\ \Delta_{e}u_{q}^{s}(x,x_{s}) + \\ \omega^{2}u_{q}^{s}(x,x_{s}) = \\ 0_{+}^{2}D, \\ u_{q}^{s}(x,x_{s}) = \\ -(x,x_{s})q_{D}, \\ \sigma(u_{q}^{s}(x,x_{s}))e_{2} = \\ 0_{0},(??) - \\ (??)^{s}(x) \\ u_{s}^{s} = \\ \frac{1}{k_{s}^{2}}\nabla \times \\ \nabla_{s}^{s} \times \\ u_{s}^{s} \end{array}
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