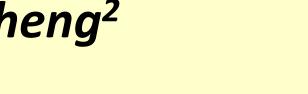


Improved Fault Phase Selection Scheme for Lines Terminated by Inverter Based Resources

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Fault Phase Selection Problem for Inverter Based Resources (IBRs)

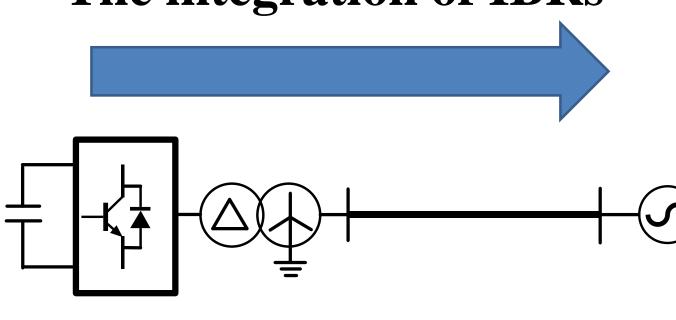
The Phase Selector for Power System

- > Distinguish fault types when faults occurs.
- Provides information to other protective devices and assists relays in cutting out.
- Support fault location and automatic reclosing.

Limitations of Classic Selection Methods:

- > Traditional current-based phasor schemes.
- Incorrect selection results for line with IBRs.
- Uncertain results due to small negative sequence current.
- Existing voltage-based phasor schemes.
- Need additional assumptions (such as specific system) or availability of extra data.

The integration of IBRs



The Impact of IBRs:

- The system connected to the IBR are nonhomogeneous. Due to the sequence impedance of IBRs is determined by the control strategy.
- Some strategies of IBR restrain negative sequence current during the asymmetric fault.

Proposed method

- Compound proportion criterion.
- Use both voltage and current information.

Advantages

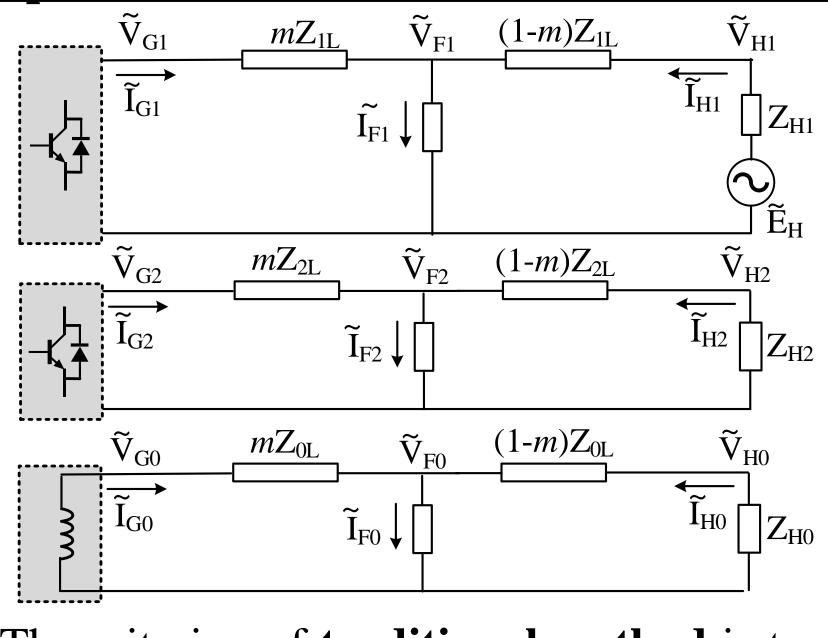
- High accuracy for system with IBRs connected to local terminal.
- Work under different control strategies and grid codes.
- Based on phasor, easy to implement and reliable.

Make full use of

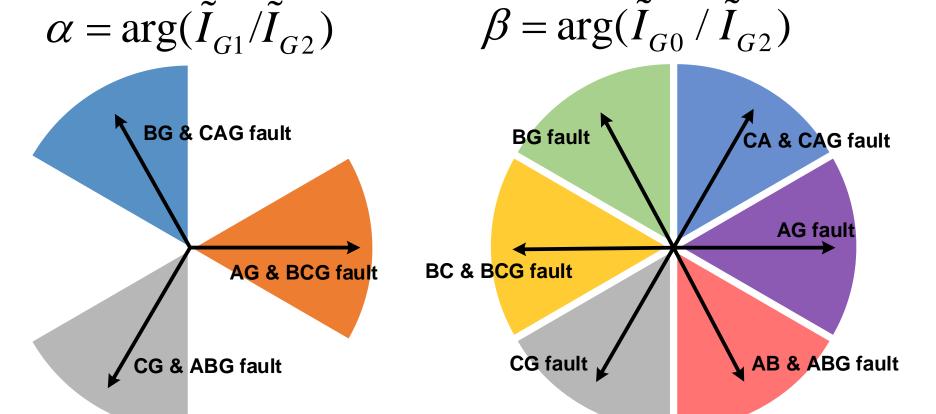
measurement data

Proposed Composite Criterion and Fault Phase Selector Design

Sequence network and traditional method



The criterion of **traditional method** is to use local terminal currents criterion:



Angle range of traditional method, left: α , right: β It is not valid for line with IBRs.

Proposed method

There is still a equation of fault current. e.g. in A-G fault $\tilde{I}_{F1} = \tilde{I}_{F2} = \tilde{I}_{F0}$ holds. The fault current can be expressed as:

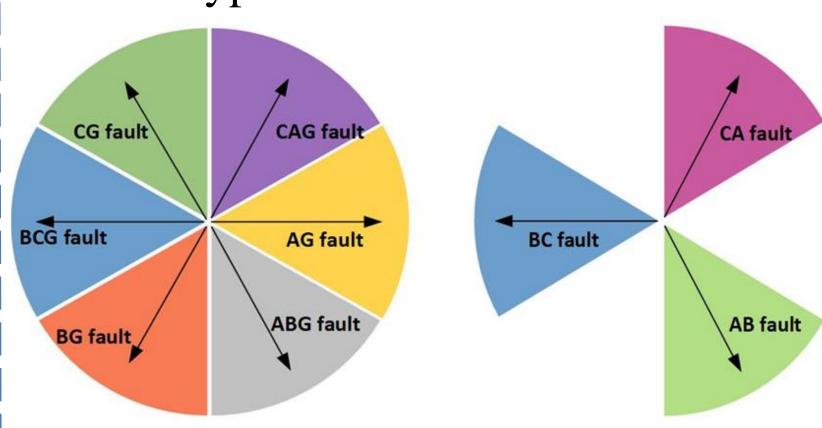
$$\tilde{I}_{F1} = \frac{-\Delta \tilde{V}_{G1} + \Delta \tilde{I}_{G1}(Z_{1L} + Z_{H1})}{(1 - m)Z_{1L} + Z_{H1}}$$

$$\tilde{I}_{F2} = \frac{-\tilde{V}_{G2} + \tilde{I}_{G2}(Z_{2L} + Z_{H2})}{(1 - m)Z_{2L} + Z_{H2}}$$

Thus the proposed criterion is defined as:

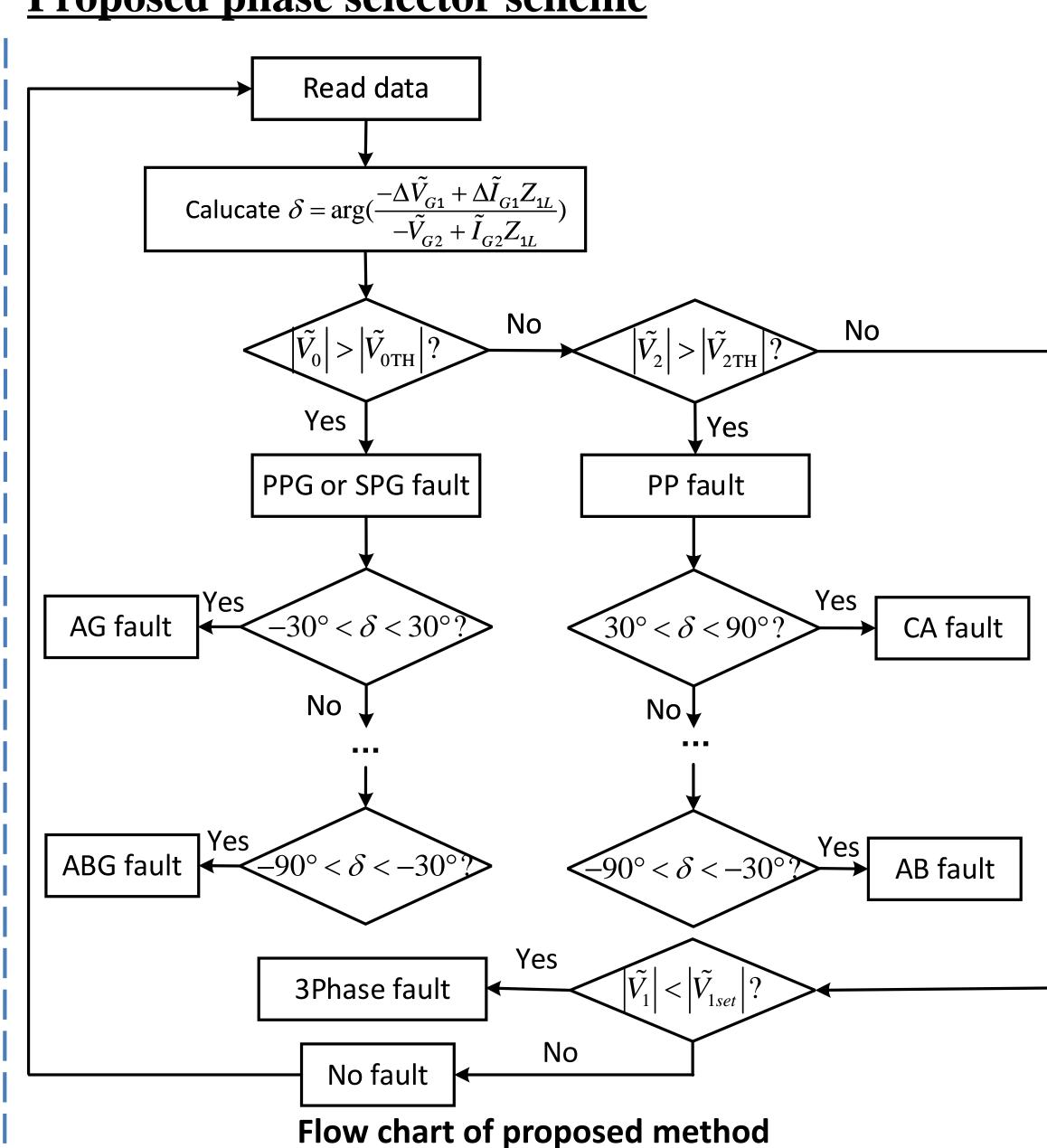
$$\delta = \arg(\frac{-\Delta \tilde{V}_{G1} + \Delta \tilde{I}_{G1}(Z_{1L} + Z_{H1})}{-\tilde{V}_{G2} + \tilde{I}_{G2}(Z_{1L} + Z_{H2})})$$

- Requires only local measurement
- Different value for corresponding fault type

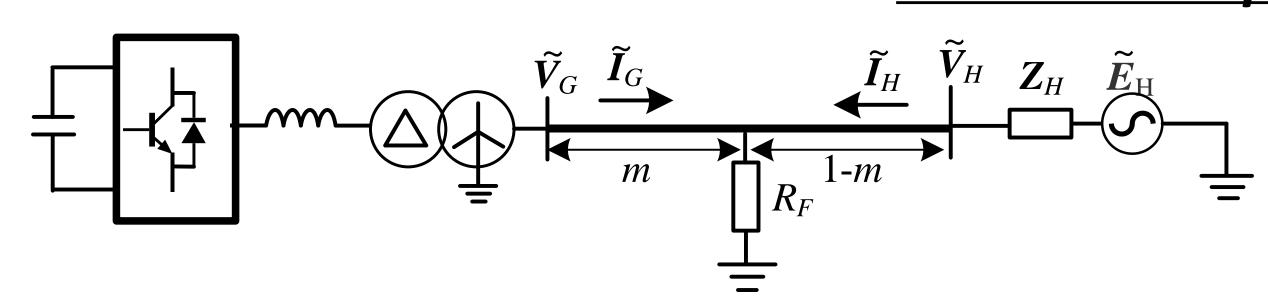


Fault type zones of proposed method left: PPG or SPG faults, right: PP faults

Proposed phase selector scheme



Numerical Experiments and Conclusion



- 110 KV, 50Hz, 3-phase AC system, 50km transmission line
- Local bus is connected to a PV plant, Remote bus is dominated by SG.
- The inverter of PV uses P-Q control, utilize multiple control strategies.
- > Three fault phase selection methods are compared
- The **Traditional method** (current proportion method)
- The existing improved method (voltage proportion criterion)
- The **proposed method** (compound proportion criterion)
- > Two typical control modes are applied to verify adaptability
- Inject neg-seq current for European grid codes
- Restrain neg-seq current for China grid codes (similar to NA)

Tables I and Tables II shows the results under different control modes

Table I. Phase selection results with neg-seq current injection

Table II. Phase selection results without neg-seq current injection

	Fault type	m	Fault Resist.	δ	Prop. method	Trad. method	Exist. method	Fault type	m	Fault Resist.	δ	Prop. method	Trad. method	Exist. method
	AG	10%	1Ω	-2.7°	\checkmark	\times (ABG)	$\sqrt{}$	AG	10%	1Ω	-1.3°	\checkmark	×(N.A.)	
			100Ω	-4.7°	\checkmark	\times (ABG)	\times (N.A.)			100Ω	0.5°	\checkmark	\times (N.A.)	
		50%	1Ω	-3.5°	\checkmark	\times (N.A.)	$\sqrt{}$		50%	1Ω	-1.2°	\checkmark	\times (N.A.)	
			100Ω	-3.6°	\checkmark	\times (ABG)	\times (N.A.)			100Ω	0.5°	\checkmark	\times (N.A.)	×(N.A.)
		90%	1Ω	-3.7°	\checkmark	\times (N.A.)	$\sqrt{}$		90%	1Ω	-1.2°	\checkmark	\times (N.A.)	$\sqrt{}$
<u>-</u>			100Ω	-0.2°	$\sqrt{}$	×(ABG)	\times (N.A.)			100Ω	-0.8°	$\sqrt{}$	\times (N.A.)	×(N.A.)
	BC G	10%	1Ω	-172.9°	\checkmark	\times (CG)	$\sqrt{}$	BC G	10%	1Ω	174.6°	\checkmark	\times (N.A.)	$\sqrt{}$
			15Ω	-157.0°	\checkmark	\times (CG)	$\sqrt{}$			15Ω	177.2°	\checkmark	\times (N.A.)	×(N.A.)
		50%	1Ω	-179.1°	\checkmark	\times (CG)	$\sqrt{}$		50%	1Ω	177.6°	\checkmark	\times (N.A.)	$\sqrt{}$
			15Ω	-177.8°	\checkmark	\times (CG)	\times (N.A.)			15Ω	177.5°	$\sqrt{}$	\times (N.A.)	×(N.A.)
		90%	1Ω	179.9°	\checkmark	\times (CG)	$\sqrt{}$		90%	1Ω	178.0°	\checkmark	\times (N.A.)	$\sqrt{}$
			15Ω	177.6°	$\sqrt{}$	×(CG)	\times (N/A)			15Ω	176.4°		\times (N.A.)	×(N.A.)
	ВС	10%	1Ω	177.3°	\checkmark	$\sqrt{}$	\times (N.A.)	BC	10%	1Ω	178.0°	\checkmark	×	$\sqrt{}$
		50%	1Ω	177.6°	\checkmark	$\sqrt{}$	\times (N.A.)		50%	1Ω	178.1°	$\sqrt{}$	×	$\sqrt{}$
\		90%	1Ω	178.0°	$\sqrt{}$	$\sqrt{}$	\times (N.A.)		90%	1Ω	178.3°	$\sqrt{}$	×	$\sqrt{}$

Conclusion

- • The traditional current method can not identify the fault type due to the output characteristics of IBRs, especially special neg-seq current.
- Existing improved method can not identify the fault type correctly in some high resistance cases.
- The proposed method accurately identify various fault types with different fault resistances and IBR control schemes.