

# Global Path Planning

Brian Zhu

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## 1 A\*

- Generalization of Dijkstra's
- Dijkstra's is flawed because it doesn't plan around environment such as obstacles. This is why it's called an uninformed algorithm
- Takes in a Graph, starting cell, the goal cell, heuristic function
  - $G$  graph
  - $n_o$  starting cell
  - $n_{goal}$  goal cell
  - $h(c, t) = \sqrt{(c_x - t_x)^2 + (c_y - t_y)^2}$ 
    - \* Distance from current,  $c$ , to target,  $t$

### 1.1 Bookkeeping

- Unvisited Cells, seen:  $O = \{n_o\}$
- Visited Cells:  $C = \emptyset$
- Parent Cells:  $P$ 
  - Neighbor to current cell, have lowest cost to reach from current cell
- f-score:  $n_i = f^{[i]}$ 
  - Cost of arriving at  $n_{goal}$  through  $n_i$
- g-score:  $n_i = g^{[i]}$ 
  - Cost of arriving at  $n_i$  through  $n_o$

### 1.2 Algorithm

1. Take cell w/ lowest f-score
  - starts as  $n_o = n_{c(current)}$
2. Check if  $n_c = n_{goal}$ 
  - Stopping condition
3. Remove  $n_i$  from  $O$  and add to  $C$
4. Consider neighbors
  - For every  $n_i$  in neighbors:
  - if we've seen  $n_i$  ( $n_i \in C$ ), continue
  - else

- add  $n_i$  to  $O$
  - calculate  $g_{tentative} = g^{[n_i]} + dist(n_c, n_i)$ 
    - distance function is reading off of the distance to the cell, looked up in the adjacency matrix,  $G$
    - calculated as tentative because it may be greater than the g-score that we already found which means we would discard it and move on to next neighbor since we already found shortest path to that cell
  - if  $g_{tentative}$  the shortest distance so far, update
  - (parent)  $P^{[n_i]} = n_c$
  - $g^{[n_i]} = g_{tentative}$
  - $f^{[n_i]} = g^{[n_i]} + h(n_i, n_{goal})$
5. go to 1.