

# 数据结构与算法 I 作业 21

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18.2-1

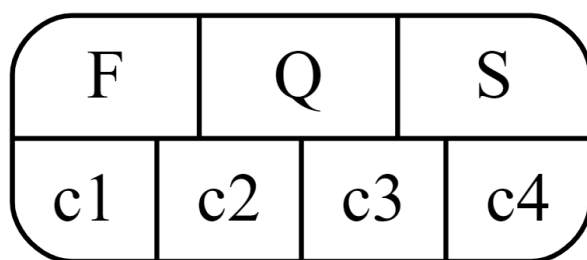


图 1: 插入 Q 后

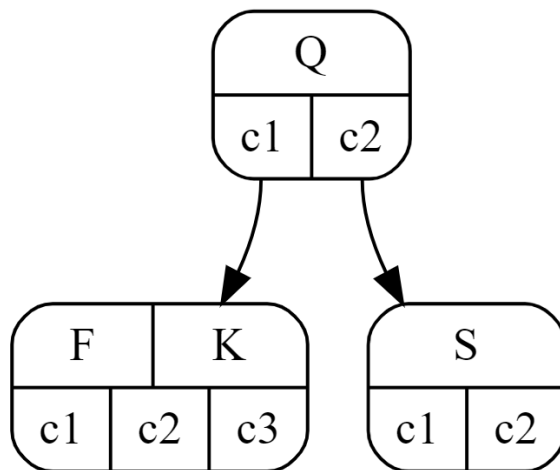


图 2: 插入 K 后

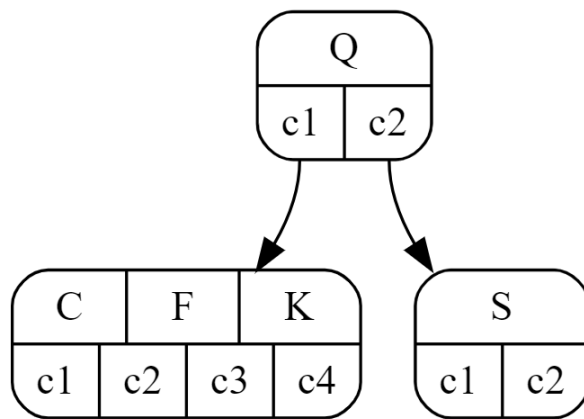


图 3: 插入 C 后

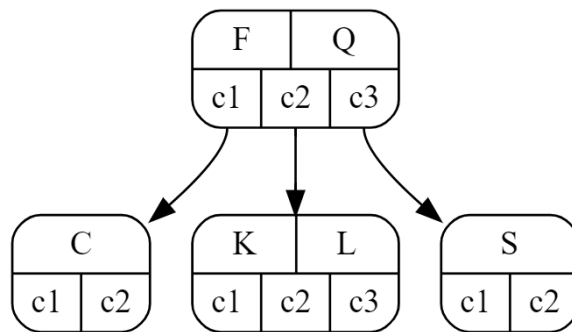


图 4: 插入 L 后

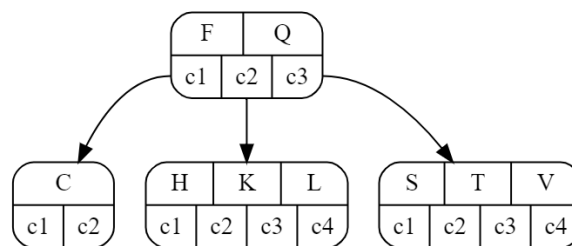


图 5: 插入 V 后

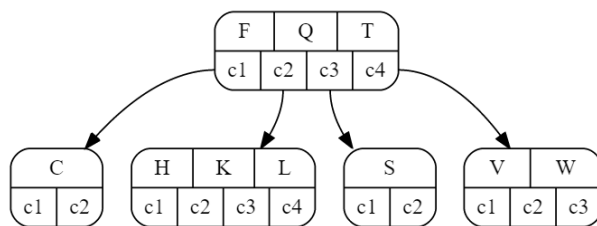


图 6: 插入 W 后

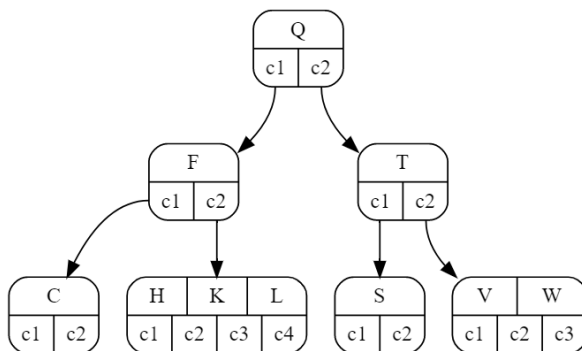


图 7: 插入 M 前（分裂）

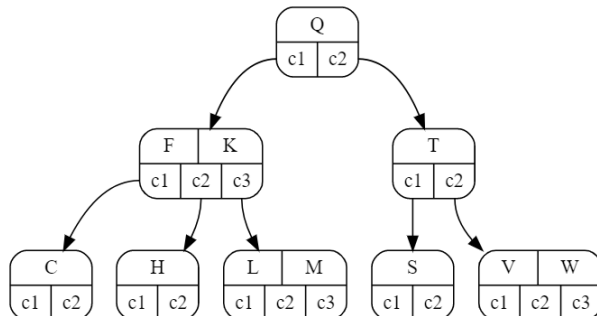


图 8: 插入 M 后

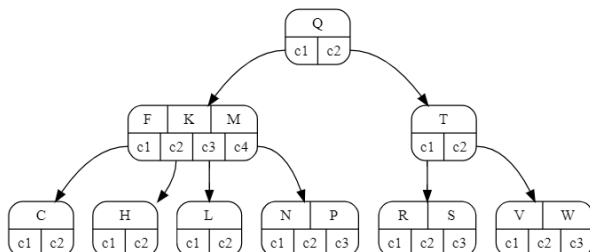


图 9: 插入 P 后

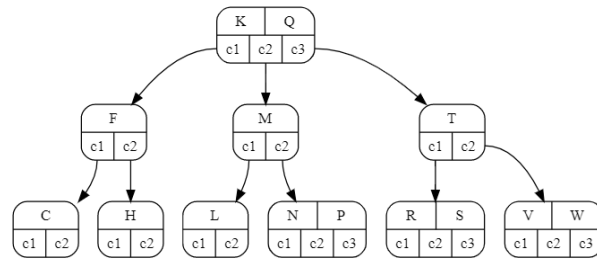


图 10: 插入 A 前 (分裂)

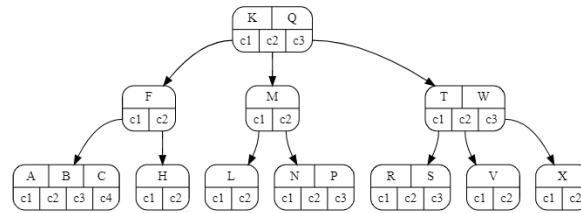


图 11: 插入 Y 前 (分裂)

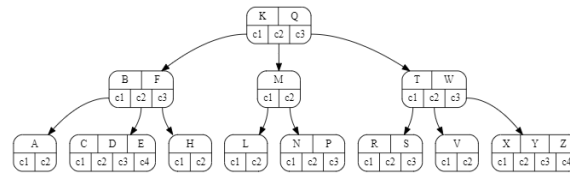


图 12: 最终结果

## 18.3-2

```

void B_Tree_Delete(Node *x, int k) {
    B_Tree_Read(x);
    if(x->leaf == true)
        delete x->key[k];
    else {
        if(k in x->key[]) {
            node *y = find_predecessor(x, k), *z = find_successor(x, k);
            node *kk = find_child(x, k);
            if(y->size >= t) {
                node *yy = find_predecessor(y, k);
                B_Tree_Delete(yy, k);
                y = yy;
            }
        }
        else {

```

```

        if(z->size >= t) {
            node *zz = find_successor(z, k);
            B_Tree_Delete(zz, k);
            z = zz;
        }
        else {
            if(z->size + y->size == 2*t - 1) {
                merge(y, kk, z);
                x->key[].erase(kk), x->key.erase(z);
                B_Tree_Delete(y, k);
            }
        }
    }
    else {
        node *xk = Find_K_recursively(x, k), *xkf = xk;
        node *last = Find_father_of_xk(x, k);
        if(xk->size == t - 1 && (xk->left->size >= t || xk->right->size >= t)) {
            xk->key.insert(last);
            if(xk->left->size >= t) x->key.insert(xk->left);
            else x->key.insert(xk->right);
        }
        if(xk->size == t - 1 && xk->left->size == t - 1 && xk->right->size == t - 1) {
            merge(xk->left, last, xk);
        }
        B_Tree_Delete(last, k);
    }
}
B_Tree_Write(x);
}

```