C++ Header Files

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Header.hpp

```
cpp #pragma GCC optimize("Ofast,no-stack-protector,unroll-loops") #define ALL(v) v.begin(),v.end()
#define For(i,_) for(int i=0,i##end=_;i<i##end;++i) // [0,_) #define FOR(i,_,__) for(int
i=_,i##end=__;i<i##end;++i) // [_,__) #define Rep(i,_) for(int i=(_)-1;i>=0;--i) // [0,_)
#define REP(i,_,__) for(int i=(__)-1,i##end=_;i>=i##end;--i) // [_,__) typedef long
long ll; typedef unsigned long long ull; #define V vector #define pb push_back #define
pf push_front #define qb pop_back #define qf pop_front #define eb emplace_back typedef
pair<int,int> pii; typedef pair<ll,int> pli; #define fi first #define se second const int
dir[4][2]={{-1,0},{0,1},{1,0},{0,-1}},inf=0x3f3f3f3f,mod=1e9+7; const ll infl=0x3f3f3f3f3f3f3f3f3f1];
template<class T>inline bool ckmin(T &x,const T &y){return x>y?x=y,1:0;} template<class
T>inline bool ckmax(T &x,const T &y){return x<y?x=y,1:0;} int init=[](){return cin.tie(nullptr)->sync_w
```

STè;".hpp

```
st[0]=a;
                FOR(i,1,B+1){
                                          st[i].resize(n-(1<<i)+1);
                                                                               For(j,n-(1<<i)+1)st[i]
           inline ST(const V<T> &a,const V<int> &pos){
                                                              assert(a.size()==pos.size());
int n=a.size(),B= lg(n);
                               V<V<T>>(B+1).swap(st);
                                                              For(i,B+1){
                                                                                       st[i].resize(n
if(i)For(j,n-(1<<i)+1)st[i][j]=merge(st[i-1][j],st[i-1][j+(1<<i-1)]);
                                                                                else
                                            inline T query(int 1,int r){
For(i,n)st[0][pos[i]]=a[i];
                                   }
                                         }
n=st[0].size();
                       assert(0<=1),assert(1<=r),assert(r<n);</pre>
                                                                     int k = lg(r-l+1);
return merge(st[k][l],st[k][r-(1<<k)+1]);
custom hash.hpp
cpp struct custom_hash {
                            static uint64_t splitmix64(uint64_t x){
                                                                           x+=0x9e3779b97f4a7c15;
x=(x^(x>>30))*0xbf58476d1ce4e5b9;
                                         x=(x^(x>>27))*0x94d049bb133111eb;
x^(x>>31);
                    FIXED_RANDOM=chrono::steady_clock::now().time_since_epoch().count();
                                                                           return
splitmix64(x+FIXED_RANDOM);
dq.hpp
                                                         inline dq(){hd=0;}
cpp template<class T> struct dq{
                                   int hd;
                                              V<T>q;
T front(int k=0){assert(hd+k<q.size());return q[hd+k];}</pre>
                                                         inline T back(int k=0){assert(hd+k<q.size()</pre>
q[q.size()-1-k];} inline int size(){return q.size()-hd;}
                                                               inline void clear(){hd=0,V<T>().swap(q
inline void push(const T &v){q.pb(v);} inline void pop back(){q.qb();}
                                                                             inline
void pop_front(){assert(hd<q.size());++hd;} };</pre>
fraction.hpp
                                    inline void simplify(){ll g=gcd(p<0?-p:p,q);p/=g;q/=g;}</pre>
cpp struct fraction{
                        ll p,q;
inline explicit fraction(ll _p=0):p(_p),q(1){}
inline fraction(ll _p,ll _q):p(_p),q(_q){assert(q);i
inline explicit fraction(const string&s){size_t pos=s.find('.');q=1;if(pos==string::npos)p=stoll(s);els
i=0; i < s.size()-1-pos; i++)q*=10; p=(pos?stoll(s.substr(0,pos))*q:0)+stoll(s.substr(pos+1)); else
p=stoll(s.substr(0,pos));simplify();}}
                                        inline explicit fraction(const V<char>&s):fraction(string(s.
inline fraction& operator=(const fraction&r){p=r.p;q=r.q;return*this;}
                                                                         inline fraction&
operator=(ll r){p=r;q=1;return*this;}
                                        inline fraction operator+(const fraction&r)const{if(q==r.q)re
g=gcd(q,r.q),m=q/g;return{p*(r.q/g)+r.p*m,m*r.q};}
                                                    inline fraction operator+(11
r)const{return{p+r*q,q};}
                            inline fraction add(const fraction&r)const{return{p*r.q+r.p*q,q*r.q};}
inline fraction operator-(const fraction&r)const{if(q==r.q)return{p-r.p,q};11 g=gcd(q,r.q),m=q/g;return
inline fraction operator-(ll r)const{return{p-r*q,q};}
                                                         inline fraction sub(const
fraction&r)const{return{p*r.q-r.p*q,q*r.q};} inline fraction operator*(const fraction&r)const{fract
t;ll g1=gcd(p,r.q),g2=gcd(r.p,q);t.p=(p/g1)*(r.p/g2);t.q=(q/g2)*(r.q/g1);return t;}
inline fraction operator*(11 r)const{fraction t=*this;11 g=gcd(r,q);t.p*=r/g;t.q/=g;return
       inline fraction mul(const fraction&r)const{return{p*r.p,q*r.q};}
fraction operator/(const fraction&r)const{assert(r.p);fraction t;ll g1=gcd(p,r.p),g2=gcd(r.q,q);t.p=(p/g
t;}
       inline fraction operator/(ll r)const{assert(r);fraction t=*this;ll g=gcd(p,r);t.p/=g;t.q*=r/g;r
       inline fraction div(const fraction&r)const{assert(r.p);return{p*r.q,q*r.p};}
inline bool operator==(const fraction&r)const{return p==r.p&&q==r.q;}
operator==(ll r)const{return p==r&kq==1;}
                                         inline bool eq(const fraction&r)const{return
                   inline bool operator<(const fraction&r)const{return p*r.q<r.p*q;}</pre>
p==r.p&&q==r.q;}
inline bool operator<(ll r)const{ll g=gcd(p,r);return p/g<q*(r/g);}</pre>
                                                 inline bool operator>(const fraction&r)const{return
lt(const fraction&r)const{return p*r.q<r.p*q;}</pre>
                 inline bool operator>(ll r)const{ll g=gcd(p,r);return p/g>q*(r/g);}
inline bool gt(const fraction&r)const{return p*r.q>r.p*q;}
                                                             inline bool operator<=(const</pre>
fraction&r)const{return p*r.q<=r.p*q;}</pre>
                                         inline bool operator <= (ll r) const{ll g=gcd(p,r); return
                  inline bool le(const fraction&r)const{return p*r.q<=r.p*q;}</pre>
p/g <= q*(r/g);
bool operator>=(const fraction&r)const{return p*r.q>=r.p*q;}
                                                              inline bool operator>=(11
```

```
r)const{ll g=gcd(p,r);return p/g>=q*(r/g);} inline bool ge(const fraction&r)const{return
p*r.q>=r.p*q;} inline string to_string()const{return ::to_string(p)+'/'+::to_string(q);}
};
```

modint.hpp

```
cpp template<int p> struct modint{
                                                     inline modint(int v=0):val(v){}
                                       int val;
inline modint& operator=(int v){val=v;return *this;}
                                                          inline modint& operator+=(const
modint&k){val=val+k.val>=p?val+k.val-p:val+k.val;return *this;}
                                                                     inline modint& operator-=(const
modint&k){val=val-k.val<0?val-k.val+p:val-k.val;return *this;}</pre>
                                                                    inline modint& operator*=(const
modint&k) {val=int(111*val*k.val%p);return *this;}
                                                      inline modint& operator^=(int
k){modint r(1),b=*this;for(;k;k>>=1,b*=b)if(k&1)r*=b;val=r.val;return *this;}
modint& operator/=(modint k){return *this*=(k^=p-2);}
                                                           inline modint& operator+=(int
k){val=val+k>=p?val+k-p:val+k;return *this;}
                                                  inline modint& operator-=(int k){val=val<k?val-k+p:val</pre>
            inline modint& operator*=(int k){val=int(1ll*val*k%p);return *this;}
modint& operator/=(int k){return *this*=((modint(k))^=p-2);}
                                                                  template<class T>friend
modint operator+(modint a,T b){return a+=b;}
                                                 template < class T > friend modint operator - (modint
a,T b){return a-=b;}
                         template<class T>friend modint operator*(modint a,T b){return
           template<class T>friend modint operator/(modint a,T b){return a/=b;}
modint operator^(modint a,int b){return a^=b;}
                                                   friend bool operator == (modint a, int
                         friend bool operator!=(modint a,int b){return a.val!=b;}
b){return a.val==b;}
bool operator!()const{return !val;}
                                        inline modint operator-()const{return val?modint(p-val):modint()
inline modint operator++(int){modint t=*this;*this+=1;return t;}
                                                                      inline modint&
operator++(){return *this+=1;}
                                   inline modint operator--(int){modint t=*this;*this-=1;return
        inline modint& operator--(){return *this-=1;} }; using mi=modint<mod>;
t;}
```

pbds.hpp

```
"'cpp #include <ext/pb_ds/tree_policy.hpp> #include <ext/pb_ds/assoc_container.hpp> using namespace __gnu_pbds;
```

template struct rbt{ typedef pair<T,int> pti; int cnt; typedef tree<pti,null_type,less,rb_tree_tag,tree_order_statistics_note rbt_t; rbt_t t; inline rbt(){cnt=0;} inline void clear(){cnt=0,rbt_t().swap(t);} inline typename rbt_t::iterator begin(){return t.begin();} inline typename rbt_t::iterator end(){return t.end();} inline void insert(const T &x){t.insert({x,cnt++});} inline typename rbt_t::iterator find(const T &x){return t.lower_bound({x,0});} inline void erase(const T &x){t.erase(find(x));} inline T pre(const T &x){ auto it=find(x); assert(it!=begin()); return prev(it)->fi; } inline T nxt(const T &x){ auto it=find(x+1); assert(it!=end()); return it->fi; } // all 0-indexed inline int rk(const T &x){return t.order_of_key({x,0});} inline T at(unsigned x){return t.find_by_order(x)->fi;} };

 $\label{eq:proposed_$

poly.hpp

"'cpp inline V poly_conv_add(const V &_a,const V &_b,int g){ // c[k]=; \$\mathbb{E}(a[i]*b[j])\$ for i+j=k verified with lg3803 assert(_a.size()&&_b.size()); if(max(_a.size(),_b.size())<17){ Vc(_a.size()+_b.size()-1); For(i,_a.size())For(j,_b.size())c[i+j]+=_a[i]*_b[j]; return c; } int lg=0,n=1; while(n<_a.size()+_b.size()-1)++lg,n&=1; Va=_a,b=_b; a.resize(n),b.resize(n); static V<V>btf; while(btf.size()<=lg){ int n=1&btf.size(); btf.pb({}); V&bf=btf.back(); bf.resize(n); For(i,n)bf[i]=(bf[i)*1)*1)|((i&1)?n*1:0); } const V&bf=btf[lg]; auto NTT=&{ For(i,n)if(i<bf[i])swap(f[i],f[bf[i]]); for(int k=1,l=2;k<n;k&=1,l&=1){ mi} \$\$ minimal constants as a size of the constants are size of the co

```
wn = coef^{((mod-1)/1)}; for(int i=0;i < n;i+=1)  mi w=1; For(j,k)  mi x=f[i|j], y=wf/i/j/k]; f[i/j]=x+y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-y,f[i/j/k]=x-
y; w=wn; \} \} \}; NTT(a,g),NTT(b,g); For(i,n)a[i]*=b[i]; NTT(a,mi(1)/g); a.resize(_a.size()+__b.size()-1);
mi invn=mi(1)/n; for(mi &i:a)i*=invn; return a; }
inline V poly_conv_sub(const V &_a,const V &_b,int g){ // c[k]=iE(a[i]*b[j]) for i-j=k verified with
gym105386H assert(\_a.size()\&\&\_b.size()); Vb=\_b; reverse(ALL(b)); b=poly\_conv\_add(\_a,b,g); // (-b.size()); vb=\_b; reverse(ALL(b)); reverse(A
b.size(),a.size()) \rightarrow [0,a.size()) b.erase(b.begin(),b.begin() + b.size()-1); return b; 
inline int find_g(int m){ auto phi=&{ int ret=k; for(int i=2; i < k; ++i) if(k\%i=0){ret=ret/i; do
k/=i; while (k\% i==0); \} \quad if (k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k>1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad int \quad p=phi(m); \quad Vfac; \quad \{ \quad int \quad j=p; \quad for (int p=phi(m)) \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad f(k=1) ret-=ret/k; \quad return \quad ret; \quad \}; \quad return \quad ret+=ret/k; \quad ret+=ret/k; \quad return \quad ret+=ret/k; \quad return \quad ret+=ret/k; \quad return 
i=2; i < =j; ++i) \text{if}(j\% i = =0) \{ \text{fac.pb}(p/i); \text{do } j/=i; \text{while}(j\% i = =0); \} \text{ if}(j>1) \text{fac.pb}(p/j); \} \text{ auto check} = \& \{ (j>1) \text{fac.pb}(p/j); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ if}(j>1) \text{fac.pb}(p/j); \} \text{ auto check} = \# \{ (j>1) \text{fac.pb}(p/j); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ if}(j>1) \text{fac.pb}(p/j); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \} \text{ or } j/=i; \text{while}(j\% i = =0); \}
auto qpow=&{ int z=1; for(;y;x=1llxx\%m,y\)=1)if(y\&1)z=1llzx\%m; return z; }; if(qpow(g,p)!=1)return
false; for(int i:fac)if(qpow(g,i)==1)return false; return true; }; FOR(i,1,m)if(check g(i))return i; return -1; }
inline V poly_conv_mul(const V &_a,const V &_b,int g,int p,int pg=-1){ // c[k]=jE(a[i]b[j]) for ij\%p=k
verified by qoj9247 assert( a.size()&& b.size()); if(!~pg)pg=find g(p); assert(~pg); Vexp(p-1),lg(p); lg[0]=-
1; for(int i=1,j=0;j< p-1;i=1 ll ipg\%p,++j)exp[j]=i,lg[i]=j; Va(p-1),b(p-1); FOR(i,1,\_a.size())a[lg[i]]=\_a[i]; FOR(i,1,\_a.size
FOR(i,1,\_b.size())b[lg[i]] = \_b[i]; \quad Vc = poly\_conv\_add(a,b,g); \quad FOR(i,p-1,c.size())c[i-(p-1)] + =c[i]; \quad Vd(p);
d[0] = a[0] * reduce(ALL(b)) + b[0] * reduce(ALL(a)) - a[0] * b[0]; For(i,p-1)d[exp[i]] = c[i]; returnd; 
inline V poly_conv_div(const V &_a,const V &_b,int g,int p,int pg=-1){ // c[k]=i E(a[i]*b[j]) for i/j\%p=k
not verified assert(\_a.size()&&\_b.size()),assert(\_b[0].val); Vinv(p); inv[1]=1; FOR(i,1,p)inv[i]=1ll(p-
p/i)inv[p%i]%mod; Vb(p); FOR(i,1,_b.size())b[inv[i]]=_b[i]; return poly_conv_mul(_a,b,g,p,pg); }
inline V poly_conv_and(const V &_a,const V &_b){ // c[k]=jE(a[i]*b[j]) for i\&j=k verified with
lg4717 	ext{ assert(\_a.size()\&\&\_b.size())}; 	ext{ int } n=1; 	ext{ while}(n<\max(\_a.size(),\_b.size()))n«=1; 	ext{ Va=\_a,b=\_b};
a.resize(n).b.resize(n); auto FWT=\&\{ for(int k=1,l=2;k< n; k \ll 1,l \ll 1) for(int i=0;i< n;i+=l) For(j,k) f[i|j|+=f[i|j|k] coef; i=0,l \ll 1,l \ll 1
FWT(a,1),FWT(b,1); For(i,n)a[i]=b[i]; FWT(a,mod-1); return a; 
inline V poly_conv_or(const V &_a,const V &_b){ // c[k]=iE(a[i]*b[j]) for i[j=k] verified with
\lg 4717 \text{ assert}(\text{ a.size}()\&\& \text{ b.size}()); \text{ int } n=1; \text{ while}(n < \max(\text{ a.size}(),\text{ b.size}()))n <=1; \text{ Va= a,b= b};
a.resize(n), b.resize(n); auto FWT=\& \{ for(int \ k=1, l=2; k< n; k \ll 1, l \ll 1) \\ for(int \ i=0; i< n; i+=l) \\ For(j,k)f[i|j|k] + =f[i|j] \\ coef; a.resize(n), b.resize(n); auto FWT=\& \{ for(int \ k=1, l=2; k< n; k \ll 1, l \ll 1) \\ for(int \ i=0; i< n; i+=l) \\ For(j,k)f[i|j|k] + =f[i|j] \\ coef; a.resize(n), b.resize(n); auto FWT=\& \{ for(int \ k=1, l=2; k< n; k \ll 1, l \ll 1) \\ for(int \ i=0; i< n; i+=l) \\ for(j,k)f[i|j|k] + =f[i|j] \\ for(int \ k=1, l=2; k< n; k \ll 1, l \ll 1) \\ for(int \ i=0; i< n; i+=l) \\ for(j,k)f[i|j|k] + =f[i|j] \\ for(int \ k=1, l=2; k< n; k \ll 1, l \ll 1) \\ for(int \ i=0; i< n; i+=l) \\ for(j,k)f[i|j|k] + =f[i|j] \\ for(int \ i=0; i< n; i+=l) \\ for(j,k)f[i|j|k] + =f[i|j] \\ for(int \ i=0; i< n; i+=l) \\ for(int \ i=0; i< n; i=0; i< n; i+=l) \\ for(int \ i=0; i< n; i=0; i< n; i+=l) \\ for(int \ i=0; i< n; i+=l) \\ f
FWT(a,1).FWT(b,1): For(i,n)a[i]=b[i]: FWT(a,mod-1): return a: 
inline V poly_conv_xor(const V &_a,const V &_b){ // c[k]=jE(a[i]*b[j]) for i^j=k verified with
lg4717 	ext{ assert(\_a.size()\&\&\_b.size())}; 	ext{ int } n=1; 	ext{ while}(n<\max(\_a.size(),\_b.size()))n«=1; 	ext{ Va=\_a,b=\_b};
a.resize(n), b.resize(n); auto FWT=\&\{for(int k=1,l=2;k< n;k \ll 1,l \ll 1), for(int i=0;i< n;i+=l), For(j,k)\}\}
mi x=f[i|j],y=f[i|j|k]; f[i|j]=(x+y)coef,f[i|j|k]=(x-y)coef; } }; FWT(a,1),FWT(b,1); For(i,n)a[i]*=b[i];
FWT(a,mod+1); return a; }
inline V poly_conv_gcd(const V &_a,const V &_b){ // c[k]=iE(a[i]*b[j]) } for gcd(i,j)=k verified with
lc418t4 assert( a.size()&& b.size()); int n=max( a.size(), b.size()); Va= a,b= b; a.resize(n),b.resize(n);
Vpri; Vvis(n); FOR(i,2,n)if(!vis[i]) \{ pri.pb(i); for(int k=(n-1)/i,j=ki;k;j-i,-k)a/k] + a[j],b/k] + b[j],vis[j] = true; \}
\label{eq:formula} FOR(i,1,n)a[i] = b[i]; \ for(int\ i:pri)for(int\ j=i,k=1;j< n;j+=i,++k)a[k] - a[j]; \ a[0] = \_a[0]*\_b[0]; \ FOR(i,1,n)a[i] + = \_a[0]*\_b[i] - a[0]*\_b[i]; \ for(int\ i:pri)for(int\ j=i,k=1;j< n;j+=i,++k)a[k] - a[j]; \ a[0] = \_a[0]*\_b[0]; \ FOR(i,1,n)a[i] + = \_a[0]*\_b[i] - a[0]*\_b[i]; \ for(int\ i:pri)for(int\ j=i,k=1;j< n;j+=i,++k)a[k] - a[j]; \ a[0] = \_a[0]*\_b[0]; \ FOR(i,1,n)a[i] + a[0]*\_b[i] - a[0]*\_b[i]; \ for(int\ i:pri)for(int\ j=i,k=1;j< n;j+=i,++k)a[k] - a[j]; \ a[0] = \_a[0]*\_b[0]; \ FOR(i,1,n)a[i] + a[0]*\_b[i] - a[0]*
return a; }
inline V poly_conv_lcm(const V &_a,const V &_b){ // c[k]=iE(a[i]*b[j]) for lcm(i,j)=k not verified
assert(_a.size()&&_b.size()); int n=max(_a.size(),_b.size()); Va=_a,b=_b; a.resize(n),b.resize(n); Vpri;
Vvis(n); \ FOR(i,2,n)if(!vis[i]) \{ \ pri.pb(i); \ for(int \ j=i,k=1;j< n;j+=i,++k)a[j]+=a[k],b[j]+=b[k],vis[j]=true; \ \}
FOR(i,1,n)a[i] = b/i]; for(int\ i:pri)for(int\ k = (n-1)/i,j = ki;k;j = i,-k)a[j] = a[k]; a[0] = a[0]^* \_b[0]; FOR(i,1,n)a[i] + = a[0]^* \_b[i] + a[0]^* \_b
return a; }
inline V poly_inv(const V &a,int g){ // b=1/a verified with lg4238 assert(a.size()),assert(a[0].val);
Vb\{1/a[0]\}; mi invg=mi(1)/g,invm=1; int m=1; while(b.size()<a.size()){ int n=min(a.size(),b.size()<1); }
while (m \le n-1 \le 1) invm = mod + 1 \ge 1, m \le 1; Vc(a.begin(), a.begin() + n); b.resize(m), c.resize(m);
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                            Vbf(m);
For(i,m)bf[i] = (bf[i \gg 1] \gg 1) / ((i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],f[bf[i]]); \} / (i \& 1) ? m \gg 1:0); \quad auto \quad NTT = \& \{ \quad For(i,m)if(i < bf[i]) swap(f[i],
```

 $k=1, l=2; k < m; k = 1, l = 1) \{ mi \ wn = coef^{((mod-1)/l)}; \ for(int \ i=0; i < m; i+=l) \{ mi \ w=1; \ For(j,k) \{ mi \ x=f/i[j], y=wf[i]j|k]; \ f[i]j] = x+y, f[i]j|k] = x-y; \ w=wn; \ \} \ \}; \ NTT(b,g), NTT(c,g); \ For(i,m)b[i] = 2-b[i]c[i]; \ NTT(b,g), NTT(c,g); \ NTT(b,g), NTT(b,g), \ NTT(b,$

NTT(b,invq); b.resize(n); for(mi & i:b)i=invm; } return b; }

```
inline V poly_diff(const V &a){ // b=a' int n=a.size(); assert(n); if(n==1)return \{0\}; Vb(n-1); For(i,n-1)return \{0\}; Vb(n-1)return \{0\}; Vb(n-1
1)b[i]=a[i+1]*(i+1); return b; }
inline V poly_intg(const V &a){ // b=jOa int n=a.size(); assert(n); Vb(n+1), inv(n+1); b[1]=a[0], inv[1]=1;
FOR(i,2,n)b[i] = a[i-1] / inv/i = (mod-mod/i)inv[mod\%i]); return b; 
inline V poly_ln(const V &a,int g){ // b=ln(a) verified with lg4725 int n=a.size(); assert(n),assert(a[0].val==1);
Vb=poly conv add(poly diff(a),poly inv(a,g),g); b.resize(n); return poly intg(b); }
inline V poly_exp(const V &a,int g){ // b=exp(a) verified with lg4726 int n=a.size(); assert(n); Vb{1};
if(a[0].val) mi e=0, ifac=mod-1; Rep(i,mod)e+=ifac, ifac*=i; b[0]=e^a[0].val; // check that a[0] isnt modulo
c[i]; ++c[0]; b=poly conv add(b,c,g); b.resize(m); } return b; }
inline V poly_series(const V &a,mi b0,int g){ // b[i]=iE(b[j]a[i-j]) for j>0 verified with lg4721 as-
sert(a.size()); Vb=a; b[0]=1; FOR(i,1,b.size())b[i]=-b[i]; b=poly\_inv(b,q); if(b0.val!=1)for(mi \&i:b)i=b0;
return b; }
inline V poly_pow(const V &_a,mi b,int g){ // c=a^(b%mod) verified with lg5245 int n=_a.size();
assert(n); Va(n); if(!b) \{ a[0]=1; return a; \} int i=0; while (i < n & ! a[i]) ++i; if (i==n) return a; ll z=1 ll b. vali; if (i==n) return a; ll z=1 ll b. vali;
if(z \ge n) return a; assert(a[i].val==1); a=poly_ln(V(a.begin()+i,a.end()),g); for(mi &j:a)j*=b;
a=poly_exp(a,g); Vret(z); ret.insert(ret.end(),a.begin(),a.begin()+n-z); return ret; }
inline V poly_pow(const V &_a,ll b,int g){ // c=a^b verified with Library Checker int n=_a.size(); as-
sert(n); Va(n); if(!b) \{ a[0]=1; return a; \} int i=0; while (i < n & !_a[i]) + +i; if (i==n||_int 128(b)*i > =n) return a; \}
a; a=V(\underline{a.begin}()+i,\underline{a.end}()); mi coef=a[0],inv=1/coef; for(mi &j:a)j*=inv; a=poly\_ln(a,g); mi
b=b%mod; for(mi &j:a)j*= b; a=poly exp(a,g); coef^=b%(mod-1); for(mi &j:a)j=coef; ll z=bi; Vret(z);
ret.insert(ret.end(),a.begin(),a.begin()+n-z); return ret; }
inline V poly_multi_pt(const V &_a,const V &b,int g){ // c[i]=a(b[i]) verified with lg5050 as-
sert(_a.size()); if(b.empty())return {}; int n=max(_a.size(),b.size()); V<V>t(n«2); auto build=&->void{
if(l==r)\{t[p]=\{1,l< b.size()?-b[r]:0\}; return; \} int mid=l+r*1; self(self,p*1,l,mid); self(self,p*1,l,mid+1,r); self(sel
t[p]=poly conv add(t[p*1],t[p*1]1],g);; build(build,1,0,n-1); auto poly conv sub=&{ assert(b.size()),assert(a.size()>:
Vb=\_b; reverse(ALL(b)); b=poly\_conv\_add(\_a,b,g); return V(b.begin()+\_b.size()-1,b.end()); };
Vret(b.size()); auto push\_down=\&->void\{ if(l>=b.size())return; if(l==r)\{ ret[l]=c[0]; return; \} c.resize(return) \}
l+1; int mid=l+r»1; self(self,p«1,l,mid,poly_conv_sub(c,t[p«1|1],g)); self(self,p«1|1,mid+1,r,poly_conv_sub(c,t[p«1],g));
}; Va=_a; a.resize(n+1); push_down(push_down,1,0,n-1,poly_conv_sub(a,poly_inv(t[1],g),g)); return ret;
inline V poly_prod(const V<V> &a,int g){ // b=;\zeta(a[i]) assert(a.size()); auto cmp=&{return
x.size()>y.size();}; priority_queue<V,V<V>,decltype(cmp)>q(cmp); for(const auto &i:a)q.push(i);
 while (q.size()>1) \{ Vx=q.top();q.pop(); Vy=q.top();q.pop(); q.push(poly\_conv\_add(x,y,g)); \} return 
q.top(); }
inline V poly multi pt sum(const V &a,int m,int g){ // b[i]=sum(a[i]^i) for i in [0,m] int n=a.size(); as-
\operatorname{sert}(n); V < V > \operatorname{b}(\max(n,m)); \operatorname{For}(i,\max(n,m))\operatorname{b}[i] = \{1,-a[i]\}; \operatorname{Vc=poly\_ln}(\operatorname{poly\_prod}(b,g),g); \operatorname{c.resize}(m+1);
c[0]=n; FOR(i,1,m+1)c[i]*=mod-i; return c; 
trie.hpp
cpp struct trie{
                                                                                 trie *son[2];
                                                                                                                            inline trie(){siz=0,son[0]=son[1]=NULL;}
                                                  int siz;
                                                                                                                                        if(dep<0)return;</pre>
}; void insert(int dep,trie *p,int k){
                                                                                                       ++p->siz;
                                                                                                                                                                                           int nxt=k>>dep&1;
if(!p->son[nxt])p->son[nxt]=new trie();
                                                                                                         insert(dep-1,p->son[nxt],k); } int query(int
```

if(dep<0)return;</pre>

return query(dep-1,p->son[nxt],k,lim); } void insert(int dep,trie *p1,trie *p2,int k){

if(!p)return 0;

++p2->siz;

dep,trie *p,int k,int lim){

if(p1)p2->siz=p1->siz;

p2->son[nxt]=new trie();

query(int dep,trie *p1,trie *p2,int k){

nxt=k>>dep&1;

if(dep<0)return p->siz;

int nxt=k>>dep&1;

int nxt=k>>dep&1;

if(p1)p2->son[nxt^

if(lim>>dep&1)return (p->son[nxt]?p->son[nxt]->siz:0)+query(dep-1,p->son[nxt^1],k,lim

insert(dep-1,p1?p1->son[nxt]:NULL,p2->son[nxt],k); } int

if(dep<0)return 0;</pre>

```
if(p2->son[nxt^1]&&(!p1||!p1->son[nxt^1]||p2->son[nxt^1]->siz>p1->son[nxt^1]->siz))return
query(dep-1,p1?p1->son[nxt^1]:NULL,p2->son[nxt^1],k)|(1<<dep); return query(dep-1,p1?p1->son[nxt]:N
}
```

vector.hpp

```
"'cpp template inline V<V> rot(const V<V>& v){ V<V>ret(v[0].size(),V(v.size())); For(i,v.size()) For(j,v[0].size()) ret[j][v.size()-i-1]=v[i][j]; return ret; } inline ll contor(const V &v){ int d=min_element(ALL(v)),n=v.size(); Vvis(n); for(int i:v)vis[i-d]=true; if(any_of(ALL(vis),{return !b;}))return -1; Vfac(n); fac[0]=1; BIT3t(n); FOR(i,1,n+1){ if(i<n)fac[i]=fac[i-1]i; ++t.c[i]; if(i+(i\&-i)<=n)t.c[i+(i\&-i)]+=t.c[i]; } ll ret=0; For(i,n){ t.add(v[i]-d,-1); } t.add(v[i]-d,-1); } inline ll contor(const V &v){ vis(n); for(int i:v)vis[i-d,-1]i] } t.add(v[i]-d,-1); } inline ll contor(const V &v){ int d=min_element(ALL(v)),n=v.size(); Vvis(n); for(int i:v)vis[i-d,-1]i] } t.add(v[i]-d,-1); } t.add(v[i]-d,-1); } inline ll contor(const V &v){ vis(n); for(int i:v)vis[i-d,-1]i] } t.add(v[i]-d,-1); } t.
```

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```
"'cpp template struct mhsh{ // 0-indexed Vbs,h; inline mhsh(){} inline mhsh(const string &s){ bs.reserve(s.size()),h.reserve(s.size()); bs.pb(1),h.pb(s[0]); FOR(i,1,s.size())bs.pb(bs.back()base),h.pb(h.back()base+s[i]); } inline mhsh(const V &v){ bs.reserve(v.size()),h.reserve(v.size()); bs.pb(1),h.pb(v[0]); FOR(i,1,v.size())bs.pb(bs.back()base),h.pb(bs.back()base),h.pb(inline in leget (int l,int r){ assert(0<=l),assert(l<=r),assert(r<h.size()); return h[r]-(l?h[l-1]*bs[r-l+1]:0); } inline int lcp(int x,int y){ assert(0<=min(x,y)),assert(max(x,y)<h.size()); int l=1,r=h.size()-max(x,y),ret=0; while(l<=r){ int mid=l+r*1; if(get(x,x+mid-1)==get(y,y+mid-1))l=mid+1,ret=mid; else r=mid-1; } return ret; } };
```

 $\label{template} template struct modhsh \{ // \ 0-indexed \ Vbs,h; inline \ modhsh()\{\} \ inline \ modhsh(const \ string \ \&s) \{ bs.reserve(s.size()),h.reserve(s.size()); bs.pb(1),h.pb(s[0]); FOR(i,1,s.size())bs.pb(bs.back()base\%mod),h.pb((h.back()base+s[i]) \} inline \ modhsh(const \ V \&v) \{ bs.reserve(v.size()),h.reserve(v.size()); bs.pb(1),h.pb(v[0]); FOR(i,1,v.size())bs.pb(bs.back()base+s[i]) \} inline \ ull \ get(int \ l,int \ r) \{ assert(0<=l),assert(l<=r),assert(r<h.size()); \ ull \ ret=h[r]+mod-(l?h[l-1]*bs[r-l+1]\%mod:0); \ return \ ret>=mod?ret-mod:ret; \} \}; \ template \ struct \ dmhsh \{ // \ 0-indexed \ modhsh
base1,mod1>hsh1; modhsh
base2,mod2>hsh2; inline \ dmhsh(const \ string \&s) \{ hsh1=modhsh
base1,mod1>(s),hsl2 \ modhsh
base2,mod2>(v); \} inline \ pair<ull,ull>get(int l,int r) \{ assert(0<=l),assert(l<=r),assert(r<hsh1.h.size()); return \{ hsh1.get(l,r),hsh2.get(l,r) \}; \} inline \ int \ lcp(int \ x,int \ y) \{ assert(0<=min(x,y)),assert(max(x,y)<hsh2.h.size()); \ int \ l=1,r=hsh2.h.size()-max(x,y),ret=0; \ while(l<=r) \{ \ int \ mid=l+r*1; \ if(get(x,x+mid-1)==get(y,y+mid-1))l=mid+1,ret=mid; \ else \ r=mid-1; \} \ return \ ret; \} \};$

å ¾è®º.hpp

"'cpp inline V bfs01(int n,int s,const V < V > &to) { assert(0 <= n),assert(0 <= s),assert(s < n),assert(to.size() <= n); for(const V &i:to) for(const pii &j:i) assert(0 <= min(j.fi,j.se)),assert(j.fi < n); Vdis(n,infl); dis[s]=0; dequeq; q.pb(s); Vvis(n); // added vis to prevent an obvious error while(q.size()) { int p=q.front();q.qf(); }

```
if(vis[p])continue; vis[p]=true; for(const pii &i:to[p])if(ckmin(dis[i.fi],dis[p]+i.se))i.se?q.pb(i.fi):q.pf(i.fi); }
for(ll &i:dis)if(i==infl)i=-1; return dis; }
template inline V dijkstra(int n,int s,const V<V<pair<int,T»> &to,ll null=-1){ Vdis(n,infl); dis[s]=0;
typedef pair<int,ll> pil; auto cmp=&{return x.se>y.se;}; priority_queue<pil,V,decltype(cmp)>q(cmp);
q.emplace(s,0); Vvis(n); while(q.size()){ int p=q.top().fi;q.pop(); if(vis[p])continue; vis[p]=true; for(const
auto &[i,j]:to[p])if(ckmin(dis[i],dis[p]+j)&&!vis[i])q.emplace(i,dis[i]); } for(ll &i:dis)if(i==infl)i=null; return
dis; }
inline V<array<int,3» kruskal(int n,const V<V> &to,function<bool(const array<int,3> &,const ar-
ray < int, 3 > \& > cmp = {return x[2] < y[2];}) {assert(0 < = n), assert(to.size() < = n); for(const V & i:to)for(const V & i
pii &j:i)assert(j.fi<n); V<array<int,3»e; For(i,to.size())for(const pii &j:to[i])assert(0<=j.fi),assert(j.fi<n),e.pb({i,j.fi,j.se});
sort(ALL(e),cmp); dsu d(n); V<array<int,3»ret; for(auto &i:e)if(d.merge(i[0],i[1]))ret.pb(i); return ret; }
struct ring{ int clr; Vid; V<V>scc,to; inline void init(const V<V>&to){ int cnt=clr=0,n=to.size(); Vcur(n);
Vdfn(n),low(n); V(n,-1).swap(id), V < V > ().swap(scc); stackst; function < void(int) > tarjan = & { cur[p] = true; }
dfn[p] = low[p] = + + cnt; st.push(p); for(int i:to[p]) \{ assert(0 < = i \& \& i < n); if(!dfn[i]) tarjan(i), ckmin(low[p], low[i]); low[i] \} \}
else if(cur[i])ckmin(low[p],dfn[i]); } if(dfn[p]==low[p]){ scc.pb(V()); int k; do{ k=st.top();st.pop();
\operatorname{cur}[k] = \operatorname{false}_{id}[k] = \operatorname{clr}_{scc}[\operatorname{clr}]_{pb}(k);  \operatorname{while}(k!=p); ++\operatorname{clr}_{i};  \operatorname{For}(i,n)\operatorname{if}(!\operatorname{dfn}[i])\operatorname{tarjan}(i);  \operatorname{Vlst}(\operatorname{clr}_{s-1}); 
V < V > (clr).swap(this->to); For(i,clr) \{ lst[i]=i; for(int j:scc[i])for(int k:to[j])if(lst[id[k]]!=i)lst[id[k]]=i,this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],this-to[j],thi
>to[i].pb(id[k]); } inline ring(const V<V>&to){init(to);} inline ring(){} };
struct\ vDCC\{\ int\ clr;\ V< V> dcc, to;\ inline\ void\ init(const\ V< V> \&to)\{\ int\ cnt=0, n=clr=to. size();\ v=0, n=clr=t
                                                           V(n).swap(cut), V < V > ().swap(dcc); V < V > (n).swap(this->to); For(i,n) if(!dfn[i]) 
stackst; function<void(int,int)>tarjan=&{ dfn[p]=low[p]=++cnt; int flag_son=0; st.push(p); for(int
i:to[p]) \{ \quad assert(0 < = i \& \& i < n); \quad if(!dfn[i]) \{ \quad tarjan(i,p), ckmin(low[p], low[i]); \quad if(low[i] > = dfn[p]) \} \}
1||f| = son++cut[p] = true; this->dcc.pb(V()), this->to.pb(V()); int k; do{ k=st.top();st.pop(); this-
>dcc.back().pb(k); this->to[k].pb(clr),this->to[clr].pb(k); \}while(k!=i); this->dcc.back().pb(p); this->to
>to[p].pb(clr),this->to[clr++].pb(p); } else ckmin(low[p],dfn[i]); } if(!~fa&&!flag_son)this->dcc.pb({p});
\{ tarjan(i,-1); \} \} inline vDCC(const V<V>&to)\{ init(to); \}  inline vDCC()\{ \} \};
struct eDCC{ int clr; V<V>dcc.to; Vid; inline void init(const V<V>&to){ int cnt=clr=0,n=to.size();
Vdfn(n),low(n);
                                                           V < V > ().swap(dcc), V(n,-1).swap(id);
                                                                                                                                                                                                    stackst; function<void(int,int)>tarjan=&{
dfn[p] = low[p] = ++cnt; bool flag=false; st.push(p); for (int i:to[p]) { if (i!=fa) { if (!dfn[i]) tarjan(i,p).ckmin(low[p],low[i]);}
else \operatorname{ckmin}(\operatorname{low}[p],\operatorname{dfn}[i]);  \operatorname{if}(i==\operatorname{fa})\{ \operatorname{if}(\operatorname{flag})\operatorname{ckmin}(\operatorname{low}[p],\operatorname{dfn}[i]);  else \operatorname{flag}=\operatorname{true};  \}  \operatorname{if}(\operatorname{dfn}[p]<=\operatorname{low}[p])\{
dcc.pb(V()); int k; do{ k=st.top();st.pop(); id[k]=clr,dcc[clr].pb(k); } while(k!=p); ++clr; };
For(i,n)if(!dfn[i])tarjan(i,-1); V|st(clr,-1); V|st(clr,
k:to[j])if(lst[id[k]]!=i)lst[id[k]]=i,this->to[i].pb(id[k]); \} inline eDCC(const V<V>\&to)\{init(to);\} inline eDCC(const V<V>&to)\{init(to);\} inline eDCC(const V<V) inline eDCC(const V<V>&to)\{init(to);\} inline eDCC(const V<
eDCC()\{\}\};
struct range_2sat{ int n; V<V>to; inline int idx(int l,int r){return (l+r|l!=r)»1;} #define p idx(l,r) inline
void resize(int n_){ n=n_; V < V > ((n < 1) + (n-1 < 2)).swap(to); function < int(int,int,int) > build dw=&{
if(l==r) return (k\&1)n+l; int mid=l+r*1; to[(n@1)+k*(n-1)+p].pb(build\_dw(l,mid,k)); to[(n@1)+k*(n-1)+p].pb(build\_dw(l,mid,k));
1)+p! \cdot pb(build \ dw(mid+1,r,k)); \ return \ (n < 1)+k(n-1)+p; \ \}; \ build \ dw(0,n-1,0), build \ dw(0,n-1,1); \ func-
tion<int(int,int,int)>build up=&{ if(l==r)return (k\&1)n+r; int mid=l+r»1; to[build up(l,mid,k)].pb((n«1)+k(n-l))
                             to[build up(mid+1,r,k)].pb((n\ll1)+k(n-1)+p); return (n\ll1)+k(n-1)+p; }; build up(0,n-1)
1,2),build_up(0,n-1,3); } inline range_2sat()\{\} inline range_2sat(int n_)\{resize(n_);\} inline V
range dw(int ql, int qr, int k){ Vret; function<void(int, int)>dfs=&{ if(ql <= l\&\&r <= qr){ if(l==r)ret.pb(kn+l);
else\ ret.pb((n \cdot 1) + k(n-1) + p);\ return;\ \}\ int\ mid=l+r \cdot 1;\ if(ql <= mid)dfs(l,mid);\ if(qr > mid)dfs(mid+1,r);
}; dfs(0,n-1); return ret; } inline V range_up(int ql,int qr,int k){ Vret; function<void(int,int)>dfs=&{
if(q) < = l\&\&r < =qr) \{ if(l = r) ret.pb(kn+r); else ret.pb((n «1) + (k+2)(n-1) + p); return; \} int mid=l+r »1;
if(ql<=mid)dfs(l,mid); if(qr>mid)dfs(mid+1,r); }; dfs(0,n-1); return ret; } #undef p inline void link pp(int
x,int y,bool op x,bool op y,bool rev=true) { to[op x^*n+x].pb(op yn+y); if(rev)to[(op y^1)^*n+y].pb((op x^1)n+x);
if(rev)for(int y:range up(yl,yr,op y^{1}))to[y].pb((op_x1)n+x); } inline void link rp(int xl,int xr,int
y,bool\ op\_x,bool\ op\_y,bool\ rev=true) \{ for(int\ x:range\_up(xl,xr,op\_x))to[x].pb(op\_yn+y); if(rev)for(int\ x:range\_up(xl,xr,op\_x))to[x].pb(op\_x)to[x].pb(op\_x)to[x].pb(op\_x)to[x].pb(op\_x)to[x].pb(op\_x)to[x].pb(op\_x)to[x].pb(op\_x)to[x].pb(op\_x)to
x:range dw(xl,xr,op x^1))to[(op y^1)*n+y].pb(x); } inline void link rr(int xl,int xr,int yl,int yr,bool
```

å .hpp

"'cpp template<class T,class U=less> struct delpq{ priority_queue<T,V,U>q1,q2; inline delpq(){} inline delpq(const U &func){priority_queue<T,V,U>(func).swap(q1),priority_queue<T,V,U>(func).swap(q2);} inline void push(const T &x){q1.push(x);} inline void pop(const T &x){q2.push(x);} inline T top(){ while(q2.size()&&q1.top()==q2.top())q1.pop(),q2.pop(); assert(q1.size()); return q1.top(); } inline bool empty(){return q1.size()==q2.size();} inline int size(){assert(q1.size()>=q2.size()); return q1.size()-q2.size();} };

template struct kpq{ int k; multisets1,s2; ll sum; inline kpq(int _k=0):k(_k),sum(0){} inline void insert(const T &x){ if(s1.size()<k)s1.insert(x),sum+=x; else{ if(x>s1.begin())s2.insert(s1.begin()),sum=s1.begin(),s1.erase(s1.begin()),s1.insert(x),sum+=x; else s2.insert(x); } inline void erase(const T &x){ if(s1.size()&&x<s1.begin()){ auto it=s2.find(x); assert(it!=s2.end()); s2.erase(it); } else{ auto it=s1.find(x); assert(it!=s1.end()); s1.erase(it); sum-=x; if(s1.size()<k&&s2.size())s1.insert(s2.rbegin()),sum+=s2.rbegin(),s2.erase(prev(s2)) } }; "'

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"'cpp inline int lcs(const string &a,const string &b){ if(a.empty()||b.empty())return 0; int n=a.size(),m=b.size(),k=(n+62)/63 Vf(k); char mn= $min_element(ALL(a)),mx=\max_element(ALL(a));$ V<V>g(mx-mn+1,V(k)); For(i,n)g[a[i]-mn][i/63]|=1ull«i%63; for(char i:b){ if(i<mn||i>mx)continue; i-=mn; ull z=1; For(j,k){ ull x=f[j],y=f[j]|g[i][j]; ((x«=1)|=z)+=(~y)&((1ull«63)-1); f[j]=x&y,z=x»63; } return accumulate(ALL(f),0,&{return x+__builtin_popcountll(y);}); } template inline int lcs(const V &a,const V &b){ if(a.empty()||b.empty())return 0; int n=a.size(),m=b.size(),k=(n+62)/63; discd(a); Vf(k); V<V>g(d.size(),V(k)); For(i,n)g[d.query(a[i])][i/63]|=1ull«i%63; for(const T &i:b){ auto it=lower_bound(ALL(d.d),i); if(it==d.d.end()||*it!=i)continue; i=it-d.d.begin(); ull z=1; For(j,k){ ull x=f[j],y=f[j]|g[i][j]; ((x«=1)|=z)+=(~y)&((1ull«63)-1); f[j]=x&y,z=x»63; } return accumulate(ALL(f),0,&{return x+__builtin_popcountll(y);}); }

 $struct\ subseq_table\{\ V<V>nxt;\ inline\ subseq_table(const\ string\ \&v)\{\ int\ n=v.size();\ V<V>(128).swap(nxt);\ For(i,n)\{\ assert(v[i]>=0\&\&v[i]<128);\ nxt[v[i]].pb(i);\ \}\ inline\ int\ lcp(const\ string\ \&v)\{\ int\ nw=0,ret=0;\ for(char\ i:v)\{\ assert(i>=0\&\&i<128);\ auto\ it=lower_bound(ALL(nxt[i]),nw);\ if(it==nxt[i].end())break;\ nw=*it+1,++ret;\ \}\ return\ ret;\ \}\ inline\ bool\ query(const\ string\ \&v)\{\ return\ lcp(v)==v.size();\ \}\ \};$

 $struct\ manacher\{\ int\ n;\ Vp;\ inline\ manacher(const\ string\ \&s)\{\ n=s.size();\ p.assign(n\ll 1|1,1);\ string\ t(n\ll 1|1,1);\ for(in\ll 1|1,1);\ frieddown for interval for$

 $\label{eq:const_string_string} $$\inf\{\inf n=s.size(); Vkmp(n); for(int i=1,j=0;i<n;++i)\{ while(j\&\&s[j]!=s[i])j=kmp[j-1]; if(s[j]==s[i])++j; kmp[i]=j; \} return kmp; \} inline V find_kmp(const V \&kmp,const string \&s,const string &t)\{ int n=s.size(),m=t.size(); Vret; for(int i=0,j=0;i<n;++i)\{ while(j\&\&t[j]!=s[i])j=kmp[j-1]; if(t[j]==s[i])++j; if(j==m)ret.pb(i); \} return ret; \}$"$$$

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"'cpp struct dsu{ Vfa; inline void resize(int n){V(n,-1).swap(fa);} inline dsu(int n=0){resize(n);} int find(int k){return fa[k]<0?k:fa[k]=find(fa[k]);} inline bool merge(int x,int y){ x=find(x),y=find(y); if(x!=y)fa[x]+=fa[y],fa[y]=x; return x!=y; } inline bool same(int x,int y){return find(x)==find(y);} inline int size(int k){return -fa[find(k)];} }; inline pair<V<V>,V> kruskal_tree(int n,V<array<int,3» &e){ int cnt=n; dsu d(n+n-1); V<V>to(n+n-1); Vval(n+n-1); sort(ALL(e),&{return x[2]<y[2];}); for(const auto &:e){ int fx=d.find(i[0]),fy=d.find(i[1]); if(fx!=fy){ d.fa[fx]=d.fa[fy]=cnt; to[cnt].pb(fx),to[cnt].pb(fy); val[cnt++]=i[2]; } } assert(cnt==n+n-1); return {to,val}; }

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"'cpp // assumed that [mod<=INT MAX] is true

 $\begin{array}{l} \text{template T exgcd(const T \&a,const T \&b,T \&x,T \&y)} \{ & \text{if(!b)}\{x=1,y=0;\text{return a;} \} \text{ T g=exgcd(b,a\%b,y,x);} \\ & \text{y-=a/b}x; \ \textit{return g;} \ \}; \ \textit{template inline T inv_exgcd(T n,T p=mod)} \{ \ // \ \text{ninv} = 1 \ (\text{mod p}) \ // \ \text{ninv} + p \text{k} = 1 \ // \ \text{ax} + b \text{y} = 1 \ \text{T inv=0,tmp=0}; \ \text{exgcd(n,p,inv,tmp); return inv<0?inv+p:inv;} \} \ \text{template inline ll ex-CRT(const V \&a,const V \&m)} \{ \text{int n=a.size(); assert(n==m.size()); For(i,n)assert(0<=a[i]\&\&0<m[i]); function<|ll(||,||,||)>\text{mul}=& \{ \text{ll z=0; auto add}=& \{\text{return x+y>=p?x+y-p:x+y;} \}; \text{for}(x\%=p;y;x=add(x,x),y)=1)(y\&1)\&\&(z=add(x,y),y)=1)(y\&1)\&\&(z=add(x,y),y)=1)(y\&1)\&&(z=add(x,y),y)=1)(y\&2)&$

inline V inverse(int n,int p=mod){ Vinv(n+1); inv[1]=1; FOR(i,2,n+1)inv[i]=1ll(p-p/i)inv[p%i]%p; return inv; }

inline V<V> comb(int n,int m=-1,int p=mod){ if(m==-1)m=n; if(n<m||m<0)return V<V>(); V<V>C(n+1,V(m+1)); For(i,n+1){ C[i][0]=1; FOR(j,1,min(i+1,m+1)){ C[i][j]=C[i-1][j-1]+C[i-1][j]; if(C[i][j]>=p)C[i][j]-=p; } } return C; }

struct comb_table{ int n; Vfac,ifac; inline comb_table(int n_=0){n=n_,init();} inline void init(){ $V(n+1).swap(fac),V(n+1).swap(ifac); fac[0]=1; FOR(i,1,n+1)fac[i]=fac[i-1]i; ifac[n]=1/fac[n]; Rep(i,n)ifac[i]=ifaci+1}$ inline mi C(int x,int y){return x<y||y<0?0:fac[x]ifac[y]ifac[x-y];}};

 $struct \ mu_table\{ \ int \ n; \ Vmu,pri; \ Vvis; \ inline \ mu_table(int \ n_=0)\{n=n_,init();\} \ inline \ void \ init()\{if(n<1)return; \ V(n+1).swap(mu),V().swap(pri),V(n+1).swap(vis); mu[1]=1; \ FOR(i,2,n+1)\{if(!vis[i])mu[i]=-1,pri.pb(i); \ for(int \ j:pri)\{if(i*j>n)break; \ vis[i*j]=true; \ if(i\%j==0)break; \ mu[i*j]=-mu[i]; \} \} \ inline \ int \ get(int \ k)\{return \ k<1?0:mu[k];\} \};$

struct phi_table{ int n; Vphi,pri; inline phi_table(int n_=0){n=n_,init();} inline void init(){ if(n<1)return; V(n+1).swap(phi),V().swap(pri); phi[1]=1; FOR(i,2,n+1){ if(!phi[i])phi[i]=i-1,pri.pb(i); for(int j:pri){ if(ij>n)break; if(i%j==0){ phi[i*j]=phi[i]j; break; } phi[i*j]=phi[i]*(j-1); } } inline int get(int k){return k<1?0:phi[k];} };

inline mi lagrange(int l,const V &y,int x){ assert(y.size()); int n=y.size(); if(n==1)return y[0]; if(l<=x&&x<l+n)return y[x-l]; int r=l+n-1; r%=mod;if(r<0)r+=mod; x%=mod;if(x<0)x+=mod; if(r>=x&&x>r-n)return y[n-(r-x)-1]; Vifac(n); ifac[0]=ifac[1]=1; FOR(i,2,n)ifac[i]=(mod-mod/i)ifac[mod%i]; FOR(i,2,n)ifac[i]=ifac[i-1]; Vsuf(n); suf[n-1]=1; REP(i,1,n)suf[i-1]=suf[i](x+mod-r+n-1-i); mi pre=1,ret=0; For(i,n){ if((n-i)&1)ret+=y[i]presuf[i]ifac[i]ifac[n-1-i]; else ret-=y[i]presuf[i]ifac[i]ifac[n-1-i]; pre=x+mod-r+n-1-i; } return ret; } inline mi sumexp(int n,int k){ assert(min(n,k)>=0); Vpri; Vpw(k+2); pw[0]=!k,pw[1]=1; FOR(i,2,k+2){ if(!pw[i])pri.pb(i),pw[i]=mi(i)^k; for(int j:pri){ if(ij>k+1)break; pw[i*j]=pw[i/pw[j]; if(i%j==0)break; } } FOR(i,2-!k,k+2)pw[i]+=pw[i-1]; return lagrange(0,pw,n); }

 $struct \ vote_1 \{ pii \ v; \ inline \ vote_1() \{v=\{-1,0\};\} \ inline \ vote_1 (int \ id,int \ cnt=1) \{v=\{id,cnt\};\} \ inline \ vote_1 \ operator+(const \ vote_1 \ \&rhs) \{ \ vote_1 \ ret=*this; \ if(!\sim ret.v.fi) ret=rhs; \ else \ if(\sim rhs.v.fi) \{ if(ret.v.fi)=rhs.v.fi) ret.v.se+=rhs.v.se; \ else \{ if(ret.v.se< rhs.v.se) ret=\{rhs.v.fi,rhs.v.se-ret.v.se\}; \ else \ ret.v.se=rhs.v.se; \} \} return \ ret; \} \};$

 $\begin{array}{llll} \operatorname{template} & \operatorname{cint}(n)() > \operatorname{struct} & \operatorname{vote}\{ & \operatorname{Vv}; & \operatorname{inline} & \operatorname{vote}()\{V(n(),\{-1,0\}).\operatorname{swap}(v);\} & \operatorname{inline} & \operatorname{vote}(\operatorname{int} & \operatorname{id},\operatorname{int} & \operatorname{cnt}=1)\{V(n(),\{-1,0\}).\operatorname{swap}(v),v[0]=\{\operatorname{id},\operatorname{cnt}\};\} & \operatorname{inline} & \operatorname{vote} & \operatorname{operator} + (\operatorname{const} & \operatorname{vote} & \operatorname{\mathscr{C}rhs})\{ & \operatorname{voteret} = \operatorname{this}; \\ \operatorname{for}(\operatorname{pii} & \operatorname{i:rhs.v})\{ & \operatorname{if}(!\sim i.\operatorname{fi})\operatorname{break}; & \operatorname{for}(\operatorname{pii} & \operatorname{\mathscr{C}ret.v})\operatorname{if}(!\sim j.\operatorname{fi}||i.\operatorname{fi}==j.\operatorname{fi})\{ & \operatorname{j.fi}=i.\operatorname{fi},j.\operatorname{se} + = i.\operatorname{se}; \\ \operatorname{\mathfrak{goto}} & \operatorname{skip}; \} & \operatorname{for}(\operatorname{pii} & \operatorname{\mathfrak{C}ret.v})\operatorname{for}(\operatorname{pii} & \operatorname{\mathfrak{C}ret.v}) & \operatorname{for}(\operatorname{pii} & \operatorname{\mathfrak{C}ret.v})$

template struct fp2{ mi a,b; inline fp2(mi _a=0,mi _b=0):a(_a),b(_b){} inline fp2 operator+(mi rhs)const{return fp2(a+rhs,b);} inline fp2 operator-(mi rhs)const{return fp2(a-rhs,b);} inline fp2 operator(mi rhs)const{return fp2(arhs,brhs);} inline fp2 operator/(mi rhs)const{mi inv=1/rhs;return fp2(ainv,binv); inline fp2 operator (int k) const fp2 pw=this,ret(1); for(;k;k,*=1,pw=pwpw) if(k&1) ret=retpw; returnret;} inline fp2& operator+=(mi rhs){a+=rhs;return this;} inline fp2& operator-=(mi rhs){a-=rhs;return this;} inline fp2& operator=(mi rhs){a=rhs,b=rhs;return this;} inline fp2& operator/=(mi rhs){mi this=tmp; inline fp2 operator+ $(const\ fp2 \& rhs)const\{return\ fp2(a+rhs.a,b+rhs.b);\}$ inline fp2 operator- $(const\ fp2\&rhs)const\{return\ fp2(a-rhs.a,b-rhs.b);\}$ $inline\ fp2\ operator(const\ fp2\&rhs)const\{return\ fp2(a-rhs.a,b-rhs.b);\}$ fp2(arhs.a+brhs.bw2,arhs.b+rhs.ab); fp2(arhs.a+brhs.ab) fp2(arhs.a+brhs.bw2,arhs.b+rhs.ab); fp2(arhs.a+brhs.bw2,arhs.b+rhs.ab); fp2(arhs.a+brhs.bw2,arhs.b+rhs.ab); fp2(arhs.a+brhs.bw2,arhs.b+rhs.ab); fp2(arhs.a+brhs.bw2,arhs.b+rhs.ab); fp2(arhs.a+brhs.ab); fp2(arhs.ab); fp2(arinv=1/(rhs.arhs.a-rhs.brhs.bw2);return fp2((arhs.a-brhs.bw2)inv,(rhs.ab-arhs.b)inv);} inline fp2& opera $tor + = (const \ fp2 \& rhs) \{a + = rhs. a, b + = rhs. b; return \ this; \}$ inline fp2& operator = (const fp2&rhs) \{a - = rhs. a, b - rh =rhs.b;return this;} inline fp2& operator=(const fp2&rhs){mi x=arhs.a+brhs.bw2,y=arhs.b+rhs.ab;a=x,b=y;return} this; $\frac{1}{2} = \frac{1}{2} \exp(-\frac{1}{2} \exp(-\frac{1}$ x=(arhs.a-brhs.bw2)inv,y=(rhs.ab-arhs.b)inv;a=x,b=y;return this; inline fp2 operator-()const{return} fp2(-a,-b);} friend fp2 operator+(mi lhs,const fp2&rhs){return fp2(lhs+rhs.a,rhs.b);} friend fp2 operator-(mi lhs,const fp2&rhs){return fp2(lhs-rhs.a,-rhs.b);} friend fp2 operator(mi lhs,const fp2&rhs){return fp2(lhsrhs.a,lhsrhs.b);} friend fp2 operator/(mi lhs,const fp2&rhs){assert(rhs.a.val||rhs.b.val);mi inv=1/(rhs.arhs.arhs.brhs.bw2); $return fp2(lhsrhs.ainv,-lhsrhs.b*inv); \}; "'$

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"'cpp template inline V cart_seq(const V &v,function
 $bool(T,T)>cmp={return x>y;}){int n=v.size(); Vret(n,pii(-1,n)); stackst; For(i,n){ while(st.size()&&cmp(v[i],v[st.top()]))ret[st.top()].se=i-1,st.pop(); }$

```
if(st.size())ret[i].fi=st.top()+1; st.push(i); } return ret; } template inline V cart_son(const V
&v,function<bool(T,T)>cmp={return x>y;}){ int n=v.size(); Vret(n,pii(-1,n)); stackst; For(i,n){
\text{while}(\text{st.size}()\&\&\text{cmp}(v[i],v[\text{st.top}()]))\text{ret}[i].\text{fi}=\text{st.top}(),\text{st.pop}(); if(\text{st.size}())\text{ret}[\text{st.top}()].\text{se}=i; st.push(i); }
return ret; }
struct lca_table{ int n,rt; V < V > to; inline void resize(int n_){V < V > (n=n_{-}).swap(to);} inline lca_table(int n_)
n = 0{resize(n);} inline void add edge(int x, int y){ assert(0 <= x), assert(x < n), assert(0 <= y), assert(y < n), assert(x!=y);
to[x].pb(y),to[y].pb(x); inline lca_table(const V<V>&to_){n=(to=to_).size();init();} Vdep,fa,siz,son,top;
inline void init(int _{rt=0}){ rt=_{rt}; V(n).swap(dep),V(n).swap(fa),V(n).swap(siz),V(n,-1).swap(son);
function < void(int,int) > dfs1 = \& \{ if(\sim f) dep[p] = dep[f] + 1; fa[p] = f, siz[p] = 1; for(int i:to[p]) if(i!=f) \} dfs1(i,p);
siz[p] + = siz[i]; if(!-son[p]||siz[i] > siz[son[p]]) son[p] = i; \}; V(n,-1).swap(top); dfs1(rt,-1); function < void(int,int) > dfs2 = \&\{(n,-1), (n,-1), (n,
top[p] = k; \quad if(\sim son[p]) \{ \quad dfs2(son[p],k); \quad for(int \quad i:to[p]) \quad if(!\sim top[i]) \quad dfs2(i,i); \quad \} \quad \}; \quad dfs2(rt,rt); \quad \} \quad inspection \{ logical properties for the properties for 
line \ int \ lca(int \ x,int \ y) \{ \ assert(0<=x), assert(x< n), assert(0<=y), assert(y< n); \ while(top[x]!=top[v]) \{ \ assert(x< n), assert(y< n); \ while(top[x]!=top[v]) \} \}
if(dep[top[x]] < dep[top[y]])swap(x,y); x = fa[top[x]]; } return dep[x] < dep[y]?x:y; } };
struct tree_chain{ int n,rt; V < V > to; inline void resize(int n_){V < V > (n=n_{-}).swap(to);} inline
tree \quad chain(int \ n \quad = 0) \\ \{resize(n\_); \} \ inline \ void \ add\_edge(int \ x, int \ y) \\ \{assert(0 < = x), assert(x < n), assert(0 < = y), assert(y < n), assert(y < n
to[x].pb(y),to[y].pb(x); inline tree chain(const V<V>&to ){n=(to=to ).size();init();} Vdep,fa,rev,seg,siz,son,top;
inline void init(int rt=0){ rt= rt; V(n).swap(dep),V(n).swap(fa),V(n).swap(siz),V(n,-1).swap(son); func-
tion < void(int,int) > dfs1 = \&\{ if(\neg f)dep[p] = dep[f] + 1; fa[p] = f,siz[p] = 1; for(int i:to[p]) if(i! = f) \{ dfs1(i,p); for(int i:to[p]) \} \}
siz[p] + = siz[i]; if(!\sim son[p]||siz[i]> siz[son[p]]) son[p] = i; \} \}; int cnt = 0; V(n).swap(rev), V(n).swap(seg), V(n, -1) siz[p] + it cnt = 0; V(n).swap(rev), V(n).swap(seg), V(n, -1) siz[p] + it cnt = 0; V(n).swap(rev), V(n).swap(seg), V(n, -1) siz[p] + it cnt = 0; V(n).swap(rev), V(n).swap(seg), V(n, -1) siz[p] + it cnt = 0; V(n).swap(rev), V(n).swap(seg), V(n, -1) siz[p] + it cnt = 0; V(n).swap(rev), V(n).swap(seg), V(n, -1) siz[p] + it cnt = 0; V(n).swap(seg), V(n)
dfs2(son[p],k); for(int i:to[p]) if(!~top[i]) dfs2(i,i); } }; dfs2(rt,rt); } inline int lca(int x,int y)const{ as-
sert(0 \le x), assert(x \le n), assert(0 \le y), assert(y \le n); while(top[x]! = top[y]) if(dep[top[x]] \le dep[top[y]]) swap(x,y);
x=fa[top[x]];  return dep[x] < dep[y] ?x:y;  inline int kthac(int p, int k)  assert (0 < -p), assert (p < n), assert (k > -0), assert (k < -dep[x] ?x:y; 
 while(k > dep[p] - dep[top[p]]) \{ k - dep[p] - dep[top[p]] + 1; p = fa[top[p]]; \} return rev[seg[p] - k]; \} inline V 
path(int x, int y, bool dir=0) \{ assert(0 < = x), assert(x < n), assert(0 < = y), assert(y < n); Vret, ter; bool rv=0; \}
 while(top[x]!=top[y]) \{ if(dep[top[x]] < dep[top[y]]) rv^{=1}, swap(x,y); if(dir) \{ if(rv) ter.eb(seg[top[x]], seg[x]); \} \} \} \} 
else\ ret.eb(seg[x],seg[top[x]]);\ \}\ else\ (rv?ter:ret).eb(seg[top[x]],seg[x]);\ x=fa[top[x]];\ \}\ if(dep[x]>dep[y])rv^=1,swap(x,y);
if(dir){ if(rv)ter.eb(seg[y],seg[x]); else ret.eb(seg[x],seg[y]); } else (rv?ret:ter).eb(seg[x],seg[y]); re-ter.eb(seg[x],seg[y]); re-ter.eb(seg[x],seg[x]); re-ter.eb(seg[x],seg[x]);
verse(ALL(ter)); ret.insert(ret.end(),ALL(ter)); return ret; } }; inline void virt_tree(V &p,const
tree chain &tc,V < V > &to) { sort(ALL(p),&{return tc.seg[x]<tc.seg[y];}); p.erase(unique(ALL(p)),p.end());
auto add_edge=&\{to[x].pb(y),to[y].pb(x);\}; Vst; for(int i:p)\{if(st.size())\} int anc=tc.lca(i,st.back());
if(anc!=st.back()){ while(st.size()>1&&tc.seg[anc]<tc.seg[st[st.size()-2]])add edge(st[st.size()-2],st.back()),st.qb();
if(st.size() == 1 || tc.seg[anc] > tc.seg[st[st.size()-2]]) \\ V().swap(to[anc]), add\_edge(anc,st.back()), st.back() = anc;
else add edge(anc,st.back()),st.qb();  } V().swap(to[i]),st.pb(i); } while(st.size()>1)add edge(st[st.size()=1])add edge(st[st.size()=1])add
2],st.back()),st.qb(); }
// root: n-1 inline V pru2fa(const V &_p)\{ int n=_p.size()+2; Vdeg(n),p=_p;p.pb(n-1); for(int
i:_p)++deg[i]; Vfa(n-1); int j=0; For(i,n-1){ while(deg[j])++j; fa[j]=p[i]; while(i<_n-1&&!-deg[p[i]]&&p[i]<_j){ and in the property of the 
if(i+1 < n-1)fa[p[i]] = p[i+1]; ++i; ++j; ++j; return fa; inline V < V > pru2tr(const V &p){ int n=p.size()+2; }
Vfa=pru2fa(p); V<V>to(n); For(i,n-1)to[i].pb(fa[i]),to[fa[i]].pb(i); return to; } inline V fa2pru(const V
&fa){ int n=fa.size()+1; Vdeg(n); for(int i:fa)++deg[i]; int j=0; Vp(n-2); For(i,n-2){ while(deg[j])++j;
p[i]=fa[j]; \text{ while}(i < n-2 \& \& !-deg[p[i]] \& \& p[i] < j) \{ if(i+1 < n-2)p[i+1]=fa[p[i]]; ++i; \} ++j; \} \text{ return } p; \}
inline V tr2pru(const V<V> &to){ int n=to.size(); Vfa(n-1,-1); queueq; q.push(n-1); while(q.size()){ int
p=q.front();q.pop(); for(int i:to[p])if(i<n-1&&!\sim fa[i])fa[i]=p,q.push(i); } return fa2pru(fa); }"
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"'cpp template struct BIT{ // d-indexed [-d+1,n]->[1,n+d] Vc1,c2; int d,n; inline void resize(int n_,int d_=1){ d=d_,n=n_; V(n+d+1).swap(c1); V(n+d+1).swap(c2); } inline BIT(int n=0,int d=1){resize(n,d);} inline void add(int l,int r,const T &v){ if(l>r)return; l+=d,assert(0<l),assert(l<=n+d); for(int i=l;i<=n+d;i+=i&-i)c1[i]+=v,c2[i]+=(l-1)v; r+=d,assert(0<r),assert(r<=n+d); for(int i=r+1;i<=n+d;i+=i&-i)c1[i]-ev,c2[i]-=rv; } inline void add(int k,const T &v){add(k,k,v);} inline T query(int l,int r){ if(l>r)return T(); T ret=0; r+=d,assert(0<r),assert(r<=n+d); for(int i=r;i;i^=i&-i)ret+=rc1[i]-c2[i]; }

l+=d, assert(0< l), assert(l<=n+d); for $(int\ i=l-1;i;i\hat{}=i\mathcal{C}-i)ret=(l-1)c1[i]-c2[i];$ return ret; } inline T query (int k) {return query (k,k);} };

template struct BIT3{ // d-indexed [-d+1,n]->[1,n+d] Vc; int d,n; inline void resize(int n_,int d_=1){ d=d_,n=n_; V(n+d+1).swap(c); } inline BIT3(int n=0,int d=1){resize(n,d);} inline void add(int k,const T &v){ k+=d; assert(1<=k),assert(k<=n+d); for(int i=k;i<=n+d;i+=i&-i)c[i]+=v; } inline T query(int k){ k+=d; assert(1<=k),assert(k<=n+d); T ret=0; for(int i=k;i>0;i^=i&-i)ret+=c[i]; return ret; } };

template struct BIT4{ // d-indexed [-d+1,n]->[1,n+d] Vc; int d,n; inline void resize(int n_,int d_=1){ d=d_,n=n_; V(n+d+1).swap(c); } inline BIT4(int n=0,int d=1){resize(n,d);} inline void add(int k,const T &v){ k+=d; assert(1<=k),assert(k<=n+d); for(int i=k;i>0;i^=i&-i)c[i]+=v; } inline T query(int k){ k+=d; assert(1<=k),assert(k<=n+d); T ret=0; for(int i=k;i<=n+d;i+=i&-i)ret+=c[i]; return ret; } }; template inline ll invpair(const T &a){ ll ret=0; BIT4t(*max_element(ALL(a))+1); for(const auto &i:a)ret+=t.query(i+1),t.add(i,1); return ret; }"``

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"'cpp template struct matrix { int n,m; V < V > a; inline matrix (int _n=0,int _m=0,T v=T()):n(_n),m(_m) { V < V > (n,V(m,v)).swap(a); }; inline V & perator {return a[idx];} inline const V & perator {const matrix & return a[idx];} inline matrix operator (const matrix & return ret; } inline matrix trans() { matrix ret(m,n); For(i,n)For(j,m)ret[j][i]=a[i][j]; return ret; } inline bool gauss() { assert(n<=m); int nw=0; For(i,n) { if(!a[nw][i])FOR(j,nw+1,n)if(a[j][i]) {swap(a[nw],a[j]); break;} if(a[nw][i]) { For(j,n)if(nw!=j) { T coef=a[j][i]/a[nw][i]; FOR(k,i,m)a[j][k]-=coefa[nw][k]; } ++nw; } } return nw=n; } inline matrix unit() { assert(n==m); matrix ret(n,n); For(i,n)ret[i][i]=1; return ret; } inline matrix pow(ull k) { matrix base=this,ret=unit(); for(;k;k)=1,base=basebase)if(k&1)ret=retbase; return ret; } inline matrix mul_pow(const matrix & rhs,ull k) { matrix base=rhs,ret=this; for(;k;k)=1,base=basebase)if(k&1)ret=ret*base; return ret; } ;

template struct dis_matrix{ int n,m; V<V>a; inline dis_matrix(int _n=0,int _m=0,T v=T()):n(_n),m(_m){ assert((is_same<T,int>::value)||(is_same<T,il>::value)||(is_same<T,ull>::value)); V<V>(n,V(m)).swap(a); }; inline V & operator{return a[idx];} inline const V & operatorconst{return a[idx];} inline dis_matrix operator(const dis_matrix & ret(n,rhs.m,is_same<T,int>::value?inf:infl); For(i,n)For(j,rhs.m)For(k,m)ckmin(ret[i][j],a[i][k]+rhs[k][j]); return ret; } inline dis_matrix pow(ull k){ dis_matrix base=this,ret(n,n,is_same<T,int>::value?inf:infl); for(;k;k)=1,base=basebase)if(k&1)ret=retbase; return ret; } };"

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"'cpp template struct disc{ // 0-indexed vectord; inline disc(){} inline void insert(const T &x){d.pb(x);} inline void insert(const V &v){d.insert(d.end(),ALL(v));} inline void init(){sort(ALL(d));d.erase(unique(ALL(d)),d.end());} inline disc(const vector &v){d=move(v);init();} inline int query(const T &x){return lower_bound(ALL(d),x)-d.begin();} inline int size(){return d.size();} };

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"'cpp template<class T,int n> struct LB{ Vd; int cnt,failed; inline void clear(){cnt=failed=0,V(n).swap(d);} inline LB(){ assert(n>0); assert(n<=(is_same<T,int>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?63:1); clear(); } inline bool insert(T k){ Rep(i,n)if(k*i&1){ if(!d[i]){ ++cnt,d[i]=k; return true; } else if(!(k^=d[i]))break; } ++failed; return false; } inline bool can(T k){ Rep(i,n)if(k*i&1){ if(!d[i])return false; else if(!(k^=d[i]))break; } return true; } inline T mx(T k=0){ Rep(i,n)ckmax(k,k^*d[i]); return k; } inline LB operator+(const LB &rhs){ LB ret=rhs; ret.failed+=failed; For(i,n)if(d[i])ret.insert(d[i]); return ret; } inline LB &operator+=(const LB &rhs){ failed+=rhs.failed; For(i,n)if(rhs.d[i])insert(rhs.d[i]); return *this;} }

```
} // assumed that empty set isn' t allowed in
line T count(){return (T(1)«cnt)-!failed;} // 0-indexed in
line T rk(T k){ T pw2=1,ret=0; For(i,n)if(d[i]){ if(k»i&1)ret|=pw2; pw2«=1; } return ret; } in
line T at(T k){ if(!failed)++k; FOR(i,1,n)Rep(j,i)if(d[i]»j&1)d[i]^=d[j]; T ret=0; For(i,n)if(d[i]){ if(k&1)ret^=d[i]; k»=1; } return k?-1:ret; } };
```

 $\label{template} $$\operatorname{LB_ts} / \operatorname{timestamp} Vd; Vt; in line void clear() \{V(n).swap(d), V(n).swap(t); \}$ in line $LB_ts()$ { assert(n>0); assert(n<=(is_same<T,int>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,ll>::value?31:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>:value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>::value?32:is_same<T,unsigned>:value?32:is_same<T,unsigned>:value?32:is_same<T,unsigned>:value?32:is_same<T,unsigned>:value?32:is_same<T,ulse.same<T,unsigned>:value?32:is_same<T,ulse.same<T,unsigned>:value?32:is_same<T,ulse.same<T,unsigned>:value?32:is_same<T,ulse.same<T,unsigned>:value?32:is_same<T,ulse.same<T,unsigned>:value?32:is_same<T,ulse.same<T,unsigned>:value?32:is_same<T,unsigned>:value?32:is_same<T,unsigned>:value?32:is_same<T,unsigned>:value?32:is_same<T,unsigned>$

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"'cpp template<class T,T e,T(*merge)(T,T)> struct SGT{ int n; Vt; inline void resize(int n_){V((n=n_)*2,e).swap(t);} inline SGT(int n_=0){resize(n_);} inline void push_up(int p){t[p]=merge(t[p*1],t[p*1|1]);} void build(int p,int l,int r,const V&v){ if(l==r){t[p]=v[l];return;} int mid=l+r*1; build(p*1,l,mid,v),build(p*1|1,mid+1,r,v); push_up(p); } inline void build(const V&v){ assert(v.size()==n); build(1,0,n-1,v); } void build(int p,int l,int r){ if(l==r){t[p]=e;return;} int mid=l+r*1; build(p*1,l,mid),build(p*1|1,mid+1,r); push_up(p); } inline void build(){ build(1,0,n-1); } void query(int p,int l,int r,int ql,int qr,T &ret){ if(ql<=l&&r<=qr){ret=merge(ret,t[p]);return;} int mid=l+r*1; if(ql<=mid)query(p*1,l,mid,ql,qr,ret); if(qr>mid)query(p*1|1,mid+1,r,ql,qr,ret); } inline T query(int l,int r){ assert(0<=l),assert(l<=r),assert(r<n); T ret=e; query(1,0,n-1,l,r,ret); return ret; } void modify(int p,int l,int r,int k,const T &v){ if(l==r){t[p]=v;return;} int mid=l+r*1; k<=mid?modify(p*1,l,mid,k,v):modify(p*1|1,mid+1,r,k,v); push_up(p); } inline void modify(int k,const T & v){ assert(0<=k),assert(k<n); modify(1,0,n-1,k,v); } };

 $template < class T, T e > struct SGTlazy \{ int n; Vt, tag; inline void resize (int n_) \{ n=n_, V(n < 2, e). swap(t), V(n < 2, e). swap(tag); \} \}$ $in line \ SGT lazy (int \ n_=0) \{ resize (n_); \} \ in line \ void \ push_up (int \ p) \{ \} \ in line \ void \ add_tag (int \ p, const \ T \ \&v) \{ \} \ in line \ void \ add_tag (int \ p, const \ T \ \&v) \} \}$ $in line\ void\ push_down(int\ p) \{add_tag(p < 1, tag[p]), add_tag(p < 1|1, tag[p]), tag[p] = e; \}\ void\ build(int\ p, int) \}$ $l, \text{int r,const V\&v} \in f(l==r) \in [l=r) = l = r = l+r = l+$ $push_up(p);$ } inline void build(const V&v){ assert(v.size()==n); build(1,0,n-1,v); } void query(int $p, int \quad l, int \quad r, int \quad ql, int \quad qr, T \quad \&ret) \{ \quad if (ql <= l\&\&r <= qr) \{ return; \} \quad push_down(p); \quad int \quad mid = l + r *1; \} \}$ if(ql<=mid)query(p«1,l,mid,ql,qr,ret); if(qr>mid)query(p«1|1,mid+1,r,ql,qr,ret); } inline T query(int $l, int r) \{ assert(0 <= l), assert(l <= r), assert(r < n); T ret = e; query(1, 0, n-1, l, r, ret); return ret; \} void \}$ $k \le mid?modify(p < 1, l, mid, k, v):modify(p < 1 | 1, mid + 1, r, k, v); push_up(p);$ } inline void modify(int k, const T&v (s=k), assert(k<n); modify(1,0,n-1,k,v); void add(int p,int l,int r,int ql,int qr,const T &v) $if(ql \le l\&\&r \le qr) \{add_{tag}(p,v); return;\} push_{down}(p); int mid = l+r * 1; if(ql \le mid) add(p * 1, l, mid, ql, qr, v);$ $sert(0 \le l), assert(l \le r), assert(r \le n); add(1,0,n-1,l,r,v);$ // int find_l(int p,int l,int r,int ql,int l,int r,int r,int r,int r,int r,int r,int r,int r,int r qr,const T &v){ // if(l==r)return l; // push down(p); // int mid=l+r»1; // if(ql>mid||)return $\label{eq:local_$ T &v { // assert(0<=1),assert(1<=r),assert(r<n),assert(t[1]>=v); // return find_1(1,0,n-1,l,r,v); // } // int find_r(int p,int l,int r,int ql,int qr,const T &v){ // if(l==r)return r; // push_down(p); // int mid=l+r»1; $\label{eq:continuous_prop_rel} \parbox{0.1cm}{$//$ if(qr<=mid||)return find_r(p&1,l,mid,ql,qr,v); $//$ return find_r(p&1|l,mid+1,r,ql,qr,v); $//$ } $//$ inline $//$ if(qr<=mid||)return find_r(p&1,l,mid,ql,qr,v); $//$ return find_r(p&1|l,mid+1,r,ql,qr,v); $//$ } $//$ inline $//$ inline $//$ for $-1/2$ and $-1/2$ for $-1/2$ for$ int find_r(int l,int r,const T &v){ // assert(0<=l),assert(l<=r),assert(r<n),assert(t[1]>=v); // return find r(1,0,n-1,l,r,v); // } };

$$\label{eq:continuous_struct_sgr_2n_sin_to_tangent} \begin{split} & \text{template struct SGT_2n} \{ \text{ int } n; \, Vt, tag; \, \text{inline int idx} (\text{int } l, \text{int } r) \{ \text{return } l + r | l! = r; \} \, \, \# \text{define p idx} (l, r) \, \, \# \text{define ls idx} (l, \text{mid}) \, \, \# \text{define rs idx} (\text{mid} + 1, r) \, \, \text{inline void resize} (\text{int } n_{-}) \{ n = n_{-}, V(n < 1). \text{swap}(t), V(n < 1). \text{swap} (tag); \} \, \\ & \text{inline SGT_2n} (\text{int } n_{-} = 0) \{ \text{resize} (n_{-}); \} \, \, \text{void build} (\text{int } l, \text{int } r, \text{const } V \& v) \{ \, \, \text{if} (l = r) \{ t[p] = v[l]; \text{return}; \} \, \, \text{int } \\ & \text{mid} = l + r * 1; \, \, \text{build} (l, \text{mid}, v), \text{build} (\text{mid} + 1, r, v); \, \, t[p] = \max(t[ls], t[rs]); \, \} \, \, \text{inline void build} (\text{const } V \& v) \{ \, \text{build} (0, n - 1, v); \} \, \, \text{void modify} (\text{int } l, \text{int } r, \text{int } k, \text{const } T \& v) \{ \, \, \text{if} (l = r) \{ t[p] = v; \text{return}; \} \, \, \text{int } \, \text{mid} = l + r * 1; \, \, \text{if} (\text{tag}[p]) t[ls] + = \text{tag}[p], t[rs] + \text{tag}[p], t[rs] + t[r$$

 $k \le mid?modify(l,mid,k,v):modify(mid+1,r,k,v); t[p] = max(t[ls],t[rs]);$ inline void modify(int k,const T&v){modify(0,n-1,k,v);} #undef p #undef ls #undef rs };"'

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"'cpp struct maxflow{ Ve; V < V > hd; int n,S,T; inline void add_edge(int x,int y,int z){ assert(0 <= x),assert(x < n),assert(0 <= y)}
  hd[x].pb(e.size()),e.eb(y,z),hd[y].pb(e.size()),e.eb(x,0); inline maxflow(int _n=0,int _S=-1,int _T=-1){
  V < V > (n=_n).swap(hd); S=_S, T=_T;  inline maxflow(const V < V > &to,int _S=-1,int _T=-1)
  V < V > (n = to.size()).swap(hd); \; For(i,n)for(const \; pii \; \&j:to[i]) \\ add\_edge(i,j.fi,j.se); \; S = \_S, T = \_T; \; \} \; inline \; lleft (size of the constant of the constan
  dinic() \{ assert(S!=-1), assert(T!=-1); \ Vdep; \ auto \ bfs=\& \{ \ V(n).swap(dep); \ dep[S]=1; \ queueq; \ q.push(S); \} \}
  while(q.size()) \{ int p = q.front(); q.pop(); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[p] + 1, q.push(e[i].fi); for(int i:hd[p]) if(e[i].se\&\&!dep[e[i].fi]) dep[e[i].fi] = dep[e[i
  \label{eq:total_problem} \label{eq:total_problem} $$ \operatorname{return dep}[T]; $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int i:hd[p]) if(e[i].se&&dep[p]+1==dep[e[i].fi] \} $$; function< ll(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll sum=0; for(int,ll)> dfs=& \{ if(p==T) \operatorname{return lim}; ll s
  ll f = dfs(e[i].fi,min((ll)e[i].se,lim-sum)); e[i].se = f,e[i^1].se = f; if((sum+=f)==lim)break; if((sum)dep[p]=0;
  return sum; }; ll ret=0; while(bfs())ret+=dfs(S,infl); return ret; } };
  struct mincost{ V<array<int,3»e; V<V>hd; int n,S,T; inline void add edge(int x,int y,int z,int w){ as-
  sert(0 < = x), assert(x < n), assert(0 < = y), assert(y < n), assert(z > = 0); hd[x].pb(e.size()), e.pb(\{y,z,w\}), hd[y].pb(e.size()), e.pb(\{x,0\}), hd[y].pb(e.size()), hd[y].pb(e.size()
  w\}); \quad \} \quad \text{inline } \quad \text{mincost}(\text{int } \_n=0, \text{int } \_S=-1, \text{int } \_T=-1)\{ \quad V < V > (n=\_n).swap(\text{hd}); \quad S=\_S, T=\_T; \quad \} 
  inline mincost(const V<V<array<int,3»> &to,int _S=-1,int _T=-1){ V<V>(n=to.size()).swap(hd);
  For(i,n)for(const\ array<int,3> \&j:to[i])add\ edge(i,j[0],j[1],j[2]);\ S=\ S,T=\ T;\ \}\ typedef\ pair<|l,l|> pll;
  inline pll primal_dual(){ assert(S!=-1),assert(T!=-1); Vh; Vvis(n); auto spfa=[&]{ h.assign(n,infl); h[S]=0;
  queueq; q.push(S); while (q.size()) \{ int p = q.front(); q.pop(); vis[p] = false; for (int i:hd[p]) if (e[i][1] \& \&ckmin(h[e[i][0]], h[p] + e[i][2]) \}
  } }; spfa(); Vdis; Vpre(n); auto dijkstra=&{ V(n,infl).swap(dis); dis[S]=0; priority_queueq; q.emplace(0,S);
  Vvis(n); while(q.size()) \{ int \ p=q.top().se; q.pop(); \ if(vis[p]) continue; \ vis[p]=true; \ for(int \ i:hd[p]) if(e[i][1] \&\&ckmin(dis[e[i][0]], display to the point of 
  h[e[i][0]]){ pre[e[i][0]] = \{p,i\}; if(!vis[e[i][0]])q.emplace(-dis[e[i][0]],e[i][0]); } return dis[T]!=infl; }; ll
  ret1=0, ret2=0; while(dijkstra()) \{For(i,n)h[i]+=dis[i]; ll f=infl; for(int i=T;i!=S;i=pre[i].fi) ckmin(f,(ll)e[pre[i].se][1]); ll f=infl; for(int i=T;i!=S;i=pre[i].se][1]); ll f=infl; for(int i=T;i:=S;i=pre[i].se][1]); ll f=infl; for(int i=T;i=pre[i].se][1]); ll f=infl; for(int i=T;i=pre[i].se][1]); ll f=infl; for(int i=T;i=pre[i].se][1]); ll f=infl; for(int i=T;i=pre[i].se][1]); ll f=
  for(int i=T;i!=S;i=pre[i].fi)e[pre[i].se][1]-=f,e[pre[i].se^1][1]+=f; ret1+=f,ret2+=fh/T]; \} return \{ret1,ret2\}; ret1+=f,ret2+=fh/T]; \} ret1+=f,ret2+=fh/T]; \} ret1+=f,ret2+=fh/T]; \} ret1+=f,ret2+=fh/T]; \} ret1+fh/T]; \} ret1+fh/
  dis.assign(n,infl);\ dis[S] = 0;\ hd = tmp;\ queueq;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ vis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ wis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ wis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ wis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ wis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ wis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q.pop();\ wis[p] = false;\ q.push(S);\ while(q.size()) \{\ int\ p = q.front(); q
                                                                                 } return \ dis/T < infl; }; ll \ ret1=0, ret2=0; auto \ dfs=\mathcal{E}-> ll \{ \ if(p==T) return \ f; \ vis/p]=true; \ ll \}
  d = self(self, e[i][0], min((ll)e[i][1], f-ret)); if(d) \{ ret + = d, ret 2 + = de[i][2]; e[i][1] - = d, e[i^1][1] + = d; if(ret = =f) break; if(ret = f) break; i
   } hd[p].qb(); } vis[p]=false; return ret; }; while(spfa()){ ll d; while(d=dfs(dfs,S,infl))ret1+=d; } return
{ret1,ret2}; } };"'
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"'cpp const double eps=1e-8; struct vec2D $\{$ double x,y; inline vec2D $\{$ double x_=0,double y_=0 $\}$:x(x_),y(y_) $\{\}\}$ inline vec2D operator+(const vec2D &rhs)const{return {x+rhs.x,y+rhs.y};} inline vec2D operator-(const vec2D &rhs)const{return {x-rhs.x,y-rhs.y};} inline double cross(const vec2D &rhs){return xrhs.y-yrhs.x;} inline double operator(const vec2D &rhs)const{return xrhs.x+yrhs.y;} // unsafe since overflow, use !cross() instead // inline bool $coln(const\ vec2D\ \&rhs)\{return\ (thisrhs)(thisrhs)==(thisthis)(rhsrhs);\}$ inline bool coln(const vec2D &rhs){return fabs(cross(rhs)) < eps;} inline int dir(const vec2D $\mathcal{E}(rhs)$ {return !coln(rhs) ?cross(rhs) >=eps?1:-1:0;} inline double norm() {return sqrt(xx+yy);} inline double proj(const vec2D &rhs) {return 1.(thisrhs)/(thisthis);} inline vec2D rot(double theta) { double c=cos(theta), s=sin(theta); return $\{xc+ys,yc-x^*s\}$; $\}$ inline int quad() $\{if(x>0\&\&y>=0)$ return 1; if(x < 0 & y > 0) return 2; if(x < 0 & y < 0) return 3; if(x > 0 & y < 0) return 4; return 0; } }; vec2d &rhs)const{return {x+rhs.x,y+rhs.y};} inline vec2d operator-(const vec2d &rhs)const{return {x-rhs.x,y-rhs.y};} inline ll cross(const vec2d &rhs){return xrhs.y-yrhs.x;} inline ll operator(const vec2d &rhs)const{return xrhs.x+yrhs.y;} // unsafe since overflow, use !cross() instead // inline bool coln(const vec2d &rhs){return (thisrhs)(thisrhs)==(thisthis)(rhsrhs);} inline bool coln(const vec2d &rhs){return !cross(rhs);} inline int dir(const vec2d &rhs){return cross(rhs)?cross(rhs)>0?1:-

1:0;} inline double norm(){return sqrt(xx+yy);} inline double proj(const vec2d &rhs){return 1.(thisrhs)/(thisthis);} inline vec2D rot(double theta){ double c=cos(theta), s=sin(theta); return {xc+ys, yc-x*s}; } inline int quad(){ if(x>0&&y>=0)return 1; if(x<=0&&y>0)return 2; if(x<0&&y<=0)return 3; if(x>=0&&y<0)return 4; return 0; } };"