R package 'AdapMed'

Title Efficient Adaptive Joint Significance Test and Sobel-Type Confidence Interval for Mediation Effect

Depends R (>= 4.0), MASS, survival

AJS Adaptive Joint Significance Test for Mediation Effect

Description

AJS() is used to perform adaptive joint significance test for mediation effect

Usage

AJS(X, M, Y, Z, Delta, Model)

Arguments

- X a vector of exposures
- M a matrix of continuous mediators. Rows represent samples, columns represent variables.
- Y a vector of observed outcomes.
- Z a matrix of covariates. Rows represent samples, columns represent variables; Z="null" when the covariates are not available.
- Model the type of outcome. Model= "Linear" for continuous outcome; Model= "Logistic" for binary outcome; Model= "Cox" for time-to-event outcome with Cox model.
- Delta a vector of indicators for Model= "Cox", where 1=uncensored, 0=censored; Delta="null" when Model= "Linear" and Model= "Logistic".

Values

```
alpha_est coefficient estimate of exposure (X) \rightarrow \text{mediator } (M)
```

alpha_SE the standard error for alpha_est

beta_est coefficient estimate of mediator $(M) \rightarrow \text{outcome }(Y)$

```
beta SE the standard error for beta est
```

P_AJS the p-values of mediation tests

References

Zhang, H. (2023). Efficient adaptive joint significance tests and Sobel-type confidence intervals for mediation effects. arXiv:2302.02288

Examples

```
library(MASS)
library(AdapMed)
p <- 10 # the dimension of mediators
q < -2
n <- 1000
alpha <- matrix(0,1,p) # the coefficients for X -> M
beta <- matrix(0,1,p) # the coefficients for M -> Y
alpha[1:5] <- 0.2
beta[1:5] <- 0.2
sigma_e <- matrix(0,p,p)
rou <- 0.25 # the correlation of M
for (i in 1:p) {
  for (j in 1:p) {
    sigma_e[i,j]=(rou^(abs(i-j)));
  }
}
X \leftarrow matrix(rnorm(n, mean = 0, sd = 1), n, 1) \# expoure
zeta <- matrix(0.3,p,q) # the coefficients of covariates for X -> M
eta <- matrix(0.5,1,q) # the coefficients of covariates for M -> Y
gamma <- 0.5 # the direct effect
E \leftarrow matrix(rnorm(n, mean = 0, sd = 1), n, 1)
mu <- matrix(0,p,1)
e <- mvrnorm(n, mu, sigma e)
Z \leftarrow matrix(rnorm(n*q, mean = 0, sd = 1),n,q) \# covariates
M \leftarrow X\%*\%(alpha) + Z\%*\%t(zeta) + e # the mediators
Y <- X*gamma + M%*%t(beta) + Z%*%t(eta) + E # the response Y
fit <- AJS(X, M, Y, Z, Delta="null", Model="Linear")
```

ASobel Adaptive Sobel-Type Confidence Interval for Mediation Effect

Description

ASobel () is used to perform adaptive sobel-type confidence interval for mediation effect

Usage

ASobel (X, M, Y, Z, Delta, Model, tau)

Arguments

X a vector of exposures

M a matrix of continuous mediators. Rows represent samples, columns represent variables.

Y a vector of observed outcomes.

Z a matrix of covariates. Rows represent samples, columns represent variables; Z="null" when the covariates are not available.

Model the type of outcome. Model= "Linear" for continuous outcome; Model= "Logistic" for binary outcome; Model= "Cox" for time-to-event outcome with Cox model.

Delta a vector of indicators for Model= "Cox", where 1=uncensored, 0=censored; Delta="null" when Model= "Linear" and Model= "Logistic".

tau the (1-tau)% confidence level; e.g., tau=0.05 denotes 95% confidence level.

Values

alpha_est $coefficient estimate of exposure (X) \rightarrow mediator (M)$

alpha_SE the standard error for alpha_est

beta_est coefficient estimate of mediator $(M) \rightarrow \text{outcome }(Y)$

CI Asobel the confidence intervals for mediation effects alpha*beta

References

Zhang, H. (2023). Efficient adaptive joint significance tests and Sobel-type confidence intervals for mediation effects. arXiv:2302.02288

Examples

```
library(MASS)
library(AdapMed)
p <- 10 # the dimension of mediators
q < -2
n <- 1000
alpha <- matrix(0,1,p) # the coefficients for X -> M
beta <- matrix(0,1,p) # the coefficients for M -> Y
alpha[1:5] <- 0.2
beta[1:5] <- 0.2
sigma_e <- matrix(0,p,p)
rou <- 0.25 \,# the correlation of \,M
for (i in 1:p) {
  for (j in 1:p) {
     sigma_e[i,j]=(rou^(abs(i-j)));
  }
}
X \leftarrow matrix(rnorm(n, mean = 0, sd = 1), n, 1) \# expoure
zeta <- matrix(0.3,p,q) # the coefficients of covariates for X -> M
eta <- matrix(0.5,1,q) # the coefficients of covariates for M -> Y
gamma <- 0.5 # the direct effect
E \leftarrow matrix(rnorm(n, mean = 0, sd = 1), n, 1)
mu \leftarrow matrix(0,p,1)
e <- mvrnorm(n, mu, sigma_e)
Z \leftarrow matrix(rnorm(n*q, mean = 0, sd = 1),n,q) \# covariates
M \leftarrow X\%*\%(alpha) + Z\%*\%t(zeta) + e # the mediators
Y <- X*gamma + M%*%t(beta) + Z%*%t(eta) + E # the response Y
fit <- ASobel(X, M, Y, Z, Delta="null", Model="Linear",tau=0.05)
```