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### Name : Md Ziauddin Ridov ##########
         ### Matriculation : 220100676 #####################
In [14]:
         %matplotlib inline
         import matplotlib.pylab as plt
         import numpy as np
         def Rosenbrock(x,y):
             return (1 + x)**2 + 100*(y - x**2)**2
         def Grad Rosenbrock(x,y):
             g1 = -400*x*y + 400*x**3 + 2*x -2
             g2 = 200*y -200*x**2
             return np.array([g1,g2])
         def Hessian Rosenbrock(x,y):
             h11 = -400*y + 1200*x**2 + 2
             h12 = -400 * x
             h21 = -400 * x
             h22 = 200
             return np.array([[h11,h12],[h21,h22]])
         def Gradient Descent(Grad, x, y, gamma = 0.00125, epsilon=0.00001, nMax = 100000):
             #Initialization
             i = 0
             iter x, iter y, iter count = np.empty(0), np.empty(0), np.empty(0)
             X = np.array([x,y])
             #Looping as long as error is greater than epsilon
             while np.linalg.norm(error) > epsilon and i < nMax:</pre>
                 i +=1
                 iter x = np.append(iter x, x)
                 iter_y = np.append(iter y, y)
                 iter_count = np.append(iter_count ,i)
                 #print(X)
                 X prev = X
                 X = X - gamma * Grad(x,y)
                 error = X - X_prev
                 x, y = X[0], X[1]
             print(X)
             return X, iter x, iter y, iter count
         root,iter_x,iter_y, iter_count = Gradient_Descent(Grad_Rosenbrock,-2,2)
         [0.99112457 0.98229221]
         x = np.linspace(-2, 2, 250)
         y = np.linspace(-1, 3, 250)
         X, Y = np.meshgrid(x, y)
         Z = Rosenbrock(X, Y)
         #Angles needed for quiver plot
         anglesx = iter_x[1:] - iter_x[:-1]
         anglesy = iter_y[1:] - iter_y[:-1]
         %matplotlib inline
         fig = plt.figure(figsize = (16,8))
         #Surface plot
```





