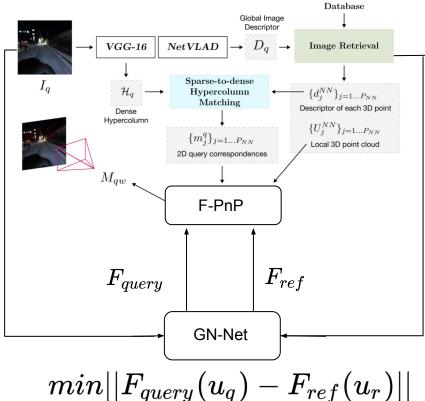


# **Deep Direct Sparse-to-Dense Localization**

Group Member: Lixin Xue, Le Chen, Zimeng Jiang

Supervisor: Paul-Edouard Sarlin

#### **Sparse-to-Dense Localization**





# Roadmap

#### Proposal to Midterm

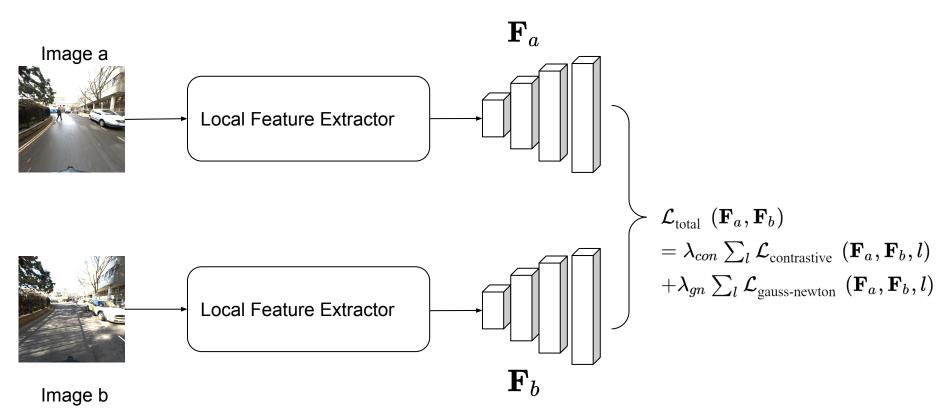
- Feature-metric PnP (F-PnP) implementation
- Validation on toy example

#### Midterm to Final

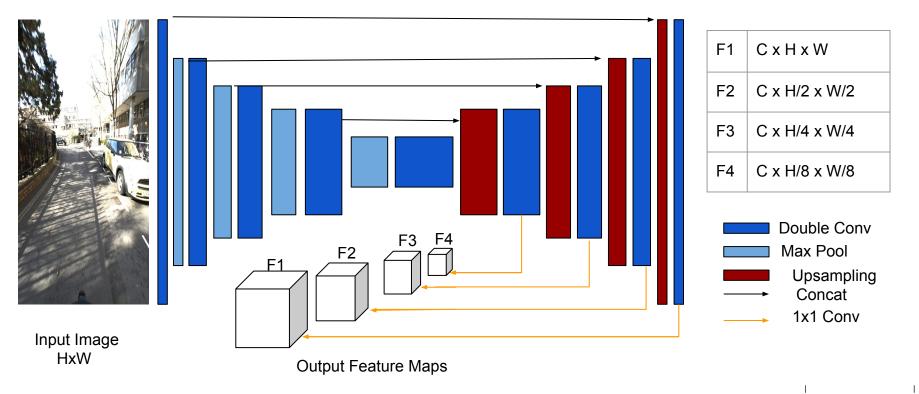
- Incorporate F-PnP into Sparse-to-dense framework
- Validation of F-PnP with retrieval features
- Gauss-Newton Net reimplementation

| | 3

# **GN-Net: Learn better feature maps for feature-metric PnP**



#### **Local Feature Extractor**



· 5



#### **Gauss-Newton Loss**

#### Algorithm 1 Compute Gauss-Newton loss

```
\mathbf{F}_a \leftarrow \text{network}(\mathbf{I}_a)
\mathbf{F}_b \leftarrow \operatorname{network}(\mathbf{I}_b)
e \leftarrow 0
                                                                                                for all correspondences \mathbf{u}_a, \mathbf{u}_b do
       \mathbf{f}_t \leftarrow \mathbf{F}_a(\mathbf{u}_a)
                                                                                         \mathbf{x}_s \leftarrow \mathbf{u}_b + \text{rand}(\text{vicinity}) \qquad \triangleright \text{Compute start point}
       \mathbf{f}_s \leftarrow \mathbf{F}_b(\mathbf{x}_s)
       \mathbf{r} \leftarrow \mathbf{f}_s - \mathbf{f}_t
                                                                                                     ▶ Residual
       \mathbf{J} \leftarrow \frac{d\mathbf{F}_b}{d\mathbf{r}}

    Numerical derivative

        \mathbf{H} \leftarrow \mathbf{J}^T \mathbf{J} + \epsilon \cdot \text{Id} \quad \triangleright \text{ Added epsilon for invertibility}
        \mathbf{b} \leftarrow \mathbf{J}^T r
       \mu \leftarrow \mathbf{x}_s - \mathbf{H}^{-1}\mathbf{b}
       e_1 \leftarrow \frac{1}{2} (\mathbf{u}_b - \boldsymbol{\mu})^T \mathbf{H} (\mathbf{u}_b - \boldsymbol{\mu}) > First error term
       e_2 \leftarrow \log(2\pi) - \frac{1}{2}\log(|\mathbf{H}|) > Second error term
        e \leftarrow e + e_1 + e_2
end for
```





Contrastive loss for negative pairs does not decrease

Sampling negative matches: Progressive mining strategy[3] with distance constraint[4]



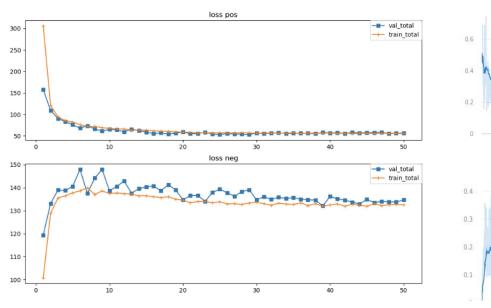
- 1. Filter out negatives close to positive matches in  $F_b$
- 2. Sort negatives by loss in increasing order
- 3. Sample randomly over the smallest top M.

$$M=\max\left(5,300e^{rac{-0.6k}{10000}}
ight)$$

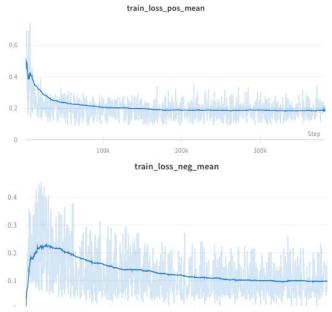
- [3] Yuki et al. "LF-Net: learning local features from images."
- [4] Dusmanu et al. "D2-net: A trainable cnn for joint detection and description of local features."



#### Contrastive loss for negative matches does not decrease



Randomly sample negatives



Progressively sample hard negatives

□ 8

#### Contrastive loss not decreasing

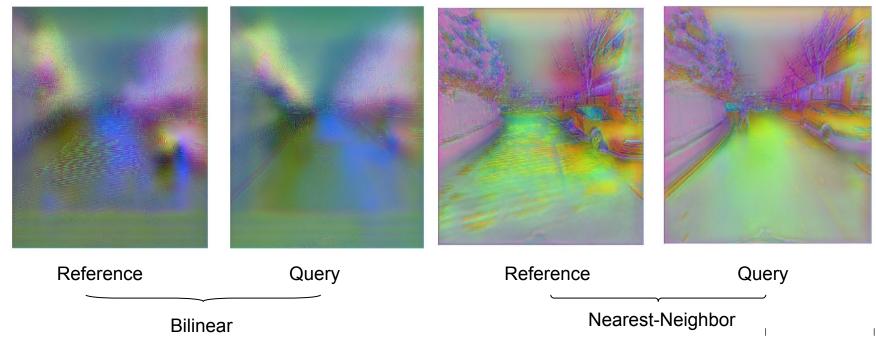
Use nearest-neighbor upsampling instead of bilinear interpolation



Input Bilinear Transpose Conv Nearest-Neighbor

#### Contrastive loss not decreasing

Use nearest-neighbor upsampling instead of bilinear interpolation

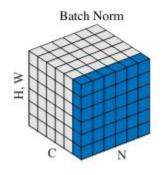


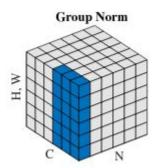
1 10

Memory usage increased due to the use of GN-Net and F-PnP

Have to reduce the batch size, feature map resolution, channels etc.

Small batch size leads to inaccurate batch statistics estimation: use Group Normalization[4]





The second term of Gauss-Newton loss does not decrease

Single margin contrastive loss:

$$\mathcal{L}_{\text{contrastive}} \ (\mathbf{F}_a, \mathbf{F}_b, l) = \mathcal{L}_{\text{pos}} \ (\mathbf{F}_a, \mathbf{F}_b, l) + \mathcal{L}_{\text{neg}} \ (\mathbf{F}_a, \mathbf{F}_b, l)$$

$$\mathcal{L}_{\text{pos}} (\mathbf{F}_a, \mathbf{F}_b, l) = \frac{1}{N_{\text{pos}}} \sum_{N_{\text{pos}}} D_{\text{feat}}^2 \qquad \mathcal{L}_{\text{neg}} (\mathbf{F}_a, \mathbf{F}_b, l) = \frac{1}{N_{\text{neg}}} \sum_{N_{\text{neg}}} \max(0, M - D_{\text{feat}})^2$$

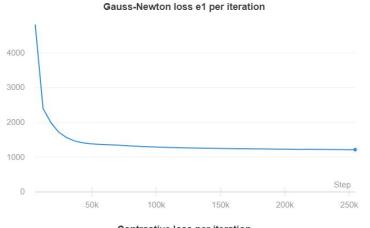
Double margin contrastive loss:

$$egin{aligned} \mathcal{L}_{ ext{contrastive}} & \left(\mathbf{F}_a, \mathbf{F}_b, l
ight) = \mathcal{L}_{ ext{pos}} \left(\mathbf{F}_a, \mathbf{F}_b, l
ight) + \mathcal{L}_{ ext{neg}} \left(\mathbf{F}_a, \mathbf{F}_b, l
ight) \\ \mathcal{L}_{ ext{pos}} & \left(\mathbf{F}_a, \mathbf{F}_b, l
ight) = rac{1}{N_{ ext{pos}}} \sum_{N_{ ext{pos}}} \max \left(0, D_{ ext{pos}} - M_{pos}
ight)^2 \\ \mathcal{L}_{ ext{neg}} & \left(\mathbf{F}_a, \mathbf{F}_b, l
ight) = rac{1}{N_{ ext{neg}}} \sum_{N_{ ext{neg}}} \max \left(0, M_{neg} - D_{ ext{feat}}
ight)^2 \end{aligned}$$

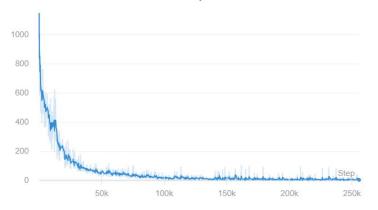
| 12



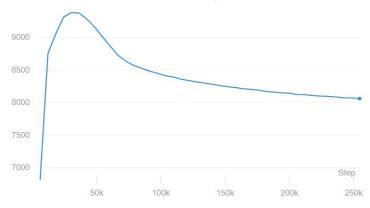
# **Double margin contrastive loss**



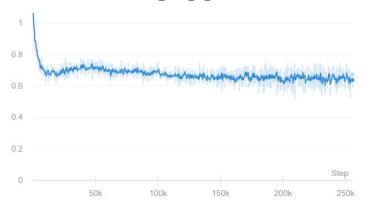




#### Gauss-Newton loss e2 per iteration

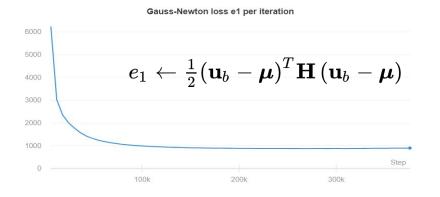


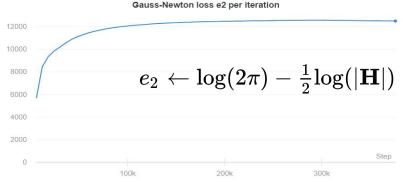
#### feature\_norm\_a1\_level1





The second term of Gauss-Newton loss does not decrease

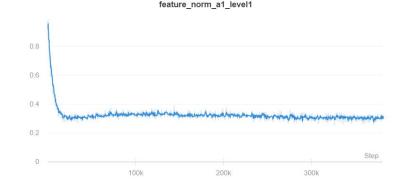




#### Possible reasons:

Trained feature norm being too small

-> Hessian with small values.



#### Large scale datasets

Training set for GN-Net [6]:

28766 pairs for Extended CMU seasons and 6511 pairs for Robotcar:

Choose a subset of 681 images for fast iteration

Validation [7]:

56,613 query images for Extended CMU seasons and 11,934 query images for Robotcar

Use correspondence and camera intrinsics to estimate relative pose between two images Ground truth poses for certain slices of Extended CMU seasons



#### Last step

- 1. Train on the entire Extended CMU Seasons once the cluster is available
- 2. Validate on slices of CMU with ground truth poses

□ 16



# Thank you!