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Test cases:

```
"C:\Program Files\Java\jdk-15.0.2\bin\java.exe
The maximum sum in case 1 is: 0
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The maximum sum in case 2 is: 1
-----
The maximum sum in case 3 is: 10
-----
The maximum sum in case 4 is: 0
-----
The maximum sum in case 5 is: 8
-----
The maximum sum in case 6 is: 7
-----
The maximum sum in case 7 is: 6
-----
Process finished with exit code 0
|
```

I test all the cases in one run.

Here is the algorithm:

Input: given list:  $x$ , the length of the given list:  $n$ .

Output: The maximum sum in any contiguous sublist of  $x$ .

We set  $\text{sum}[t]$  is the maximum sum of the contiguous sublist which ends in  $x[t]$ . Also, the sublist which gives the maximum sum, must ends in an element of  $x$  (Actually, any sublist of  $x$  ends in an element of  $x$ , or it is not a sublist of  $x$ ). Therefore, the result we want to calculate (maximum sum in any contiguous sublist of  $x$ ) is the biggest one in  $\text{sum}[0]$  to  $\text{sum}[n]$ . So if we get all the  $\text{sum}[t]$ , we can know which is the result.

How we can calculate  $\text{sum}[t]$ ?

There are only two possibilities: 1.  $\text{sum}[t]$  is just  $x[t]$ , the other sublist ends in  $x[t]$  is smaller. 2.  $\text{sum}[t]$  is not just  $x[t]$ , and because the sublist must be contiguous,  $\text{sum}[t]$  must at least have  $x[t]$  and  $x[t - 1]$ . Therefore, since we must add  $x[t - 1]$ , we should add  $\text{sum}[t - 1]$  to make  $\text{sum}[t]$  maximum. So the maximum sum is the bigger one in these two possibilities. Therefore, we can get a expression:  $\text{sum}[t] = \text{bigger}(x[t], x[t] + \text{sum}[t - 1])$ . It is clear that  $\text{sum}[0] = x[0]$  (only  $x[0]$  is the contiguous sublist which ends in  $x[0]$ ), so we can calculate every  $\text{sum}[t]$  start from  $x[0]$ .