GOV 1000/ 2000e/ 2000/ E-2000 Section 7

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Logistics - This Week

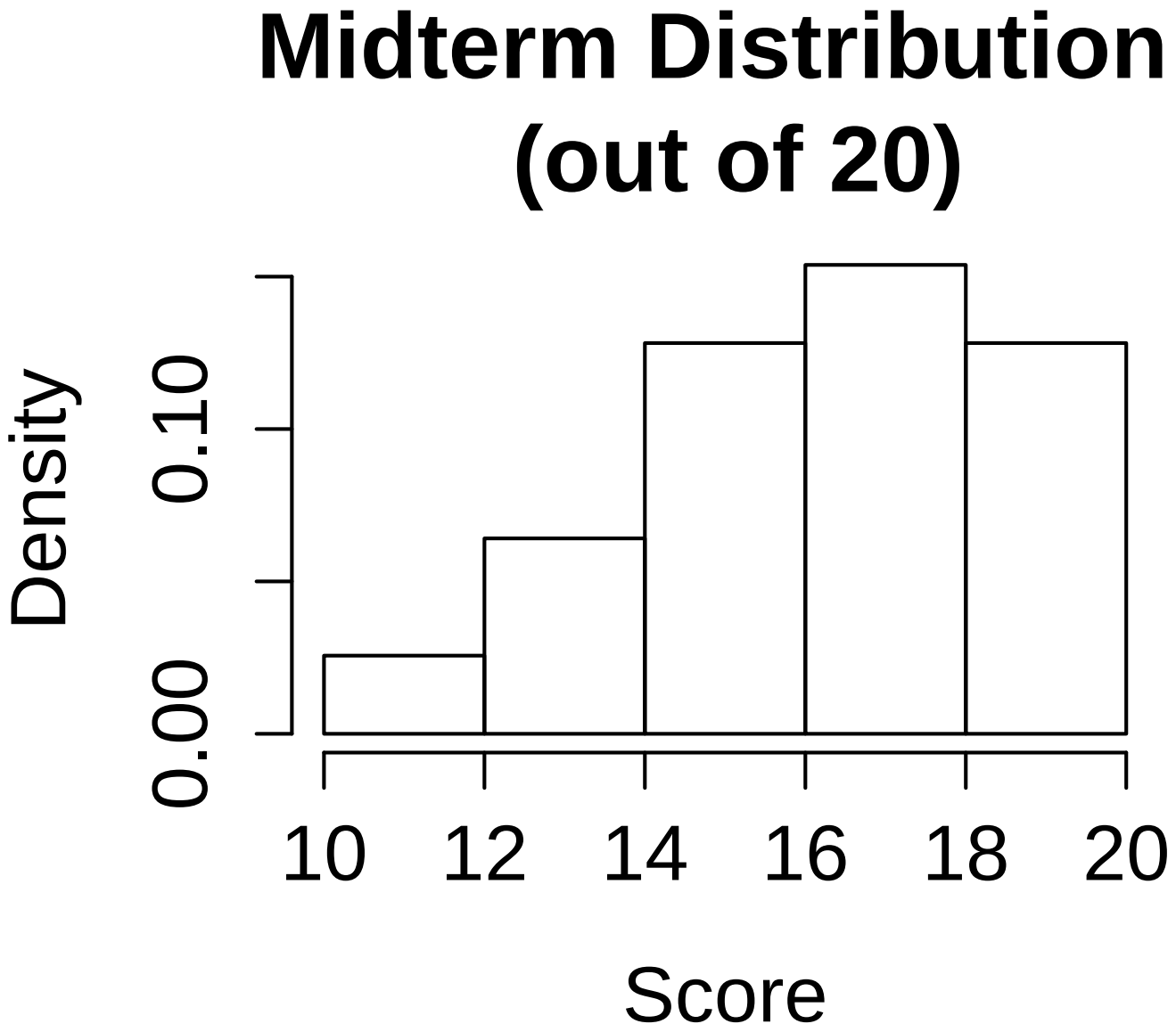
Problem Set 6 - Due by 1pm on Tuesday to course dropbox.

Problem Set 5 Corrections - Due by 1pm on Tuesday to course dropbox.

Reading Quiz - Due by 9pm on Sunday on course website.

Midterm Solutions - Posted tonight. Go through and see what is still confusing.

Midterm Distribution



$$Y_i = \beta_0 + \beta_1 X_i + \epsilon_i$$

- Estimand?

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What are we doing?

$$(\hat{\beta}_0, \hat{\beta}_1) = \min_{b_0, b_1} \sum_{i=1}^{n} (Y_i - b_0 - b_1 X_i)^2$$

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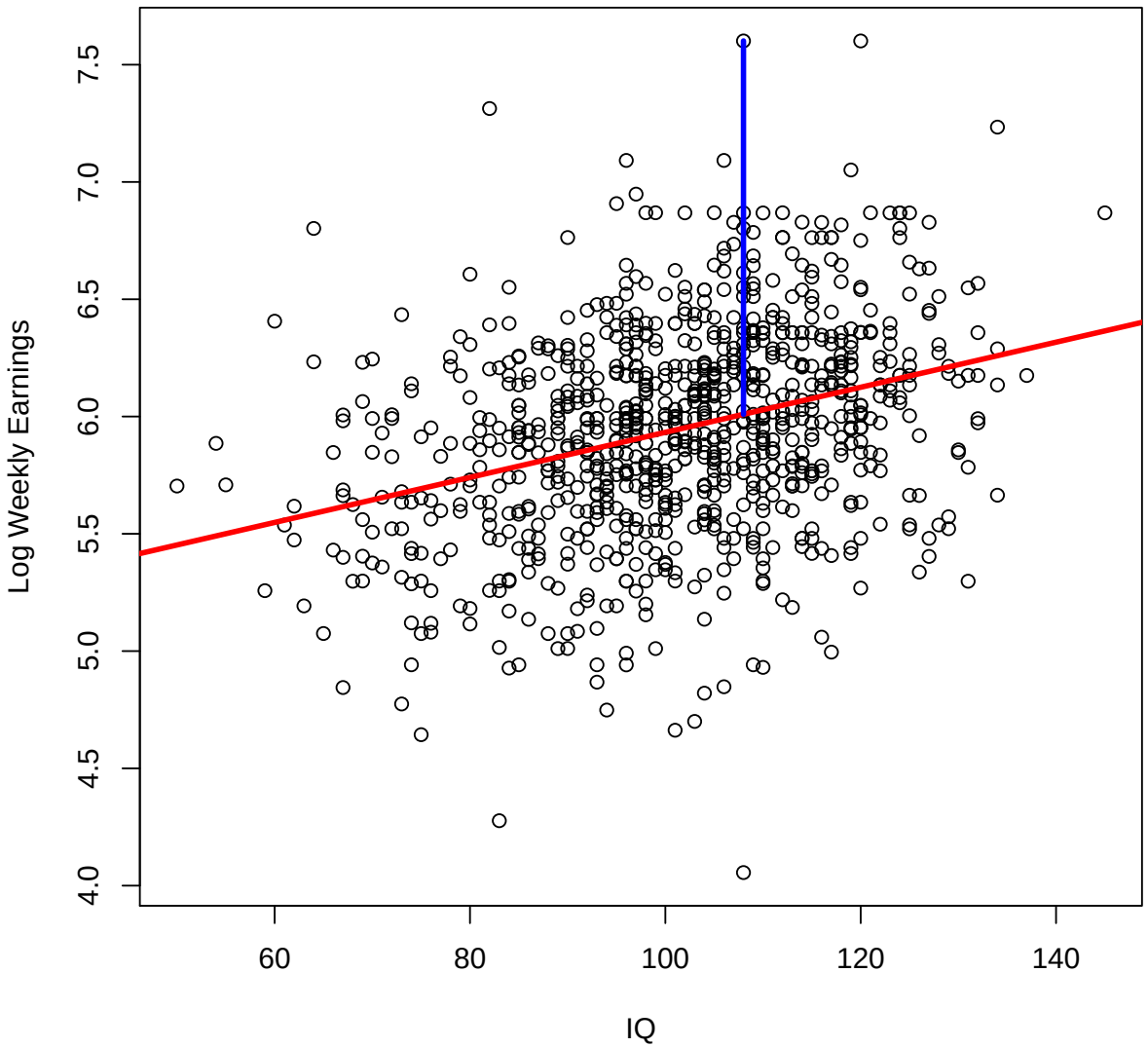

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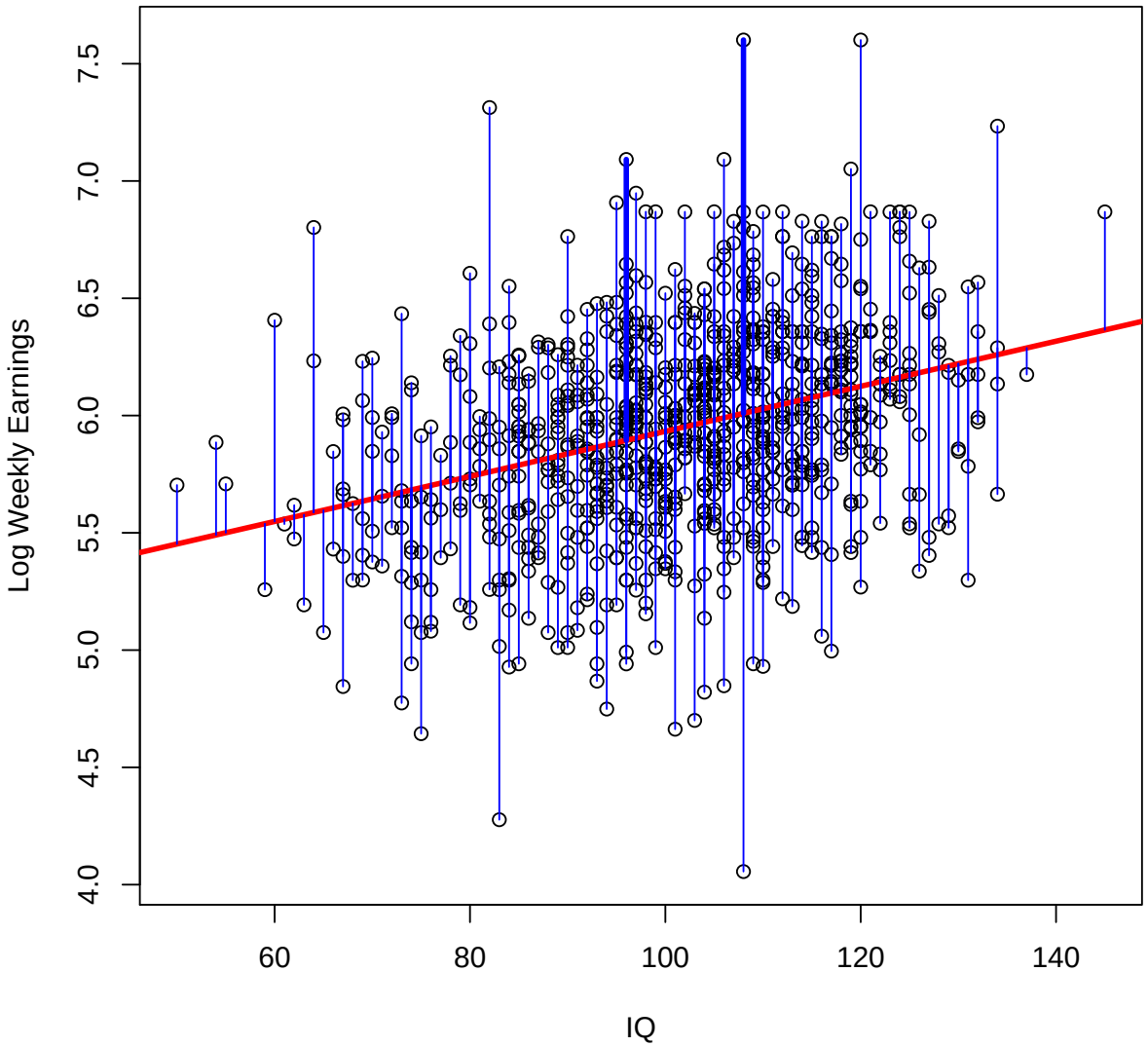

$$Y_i = \beta_0 + \beta_1 X_{1i} + \beta_2 X_{2i} + \epsilon_i$$

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What are we doing?

$$(\hat{\beta}_0, \hat{\beta}_1) = \min_{b_0, b_1, b_2} \sum_{i=1}^{n} (Y_i - b_0 - b_1 X_{1i} - b_2 X_{2i})^2$$

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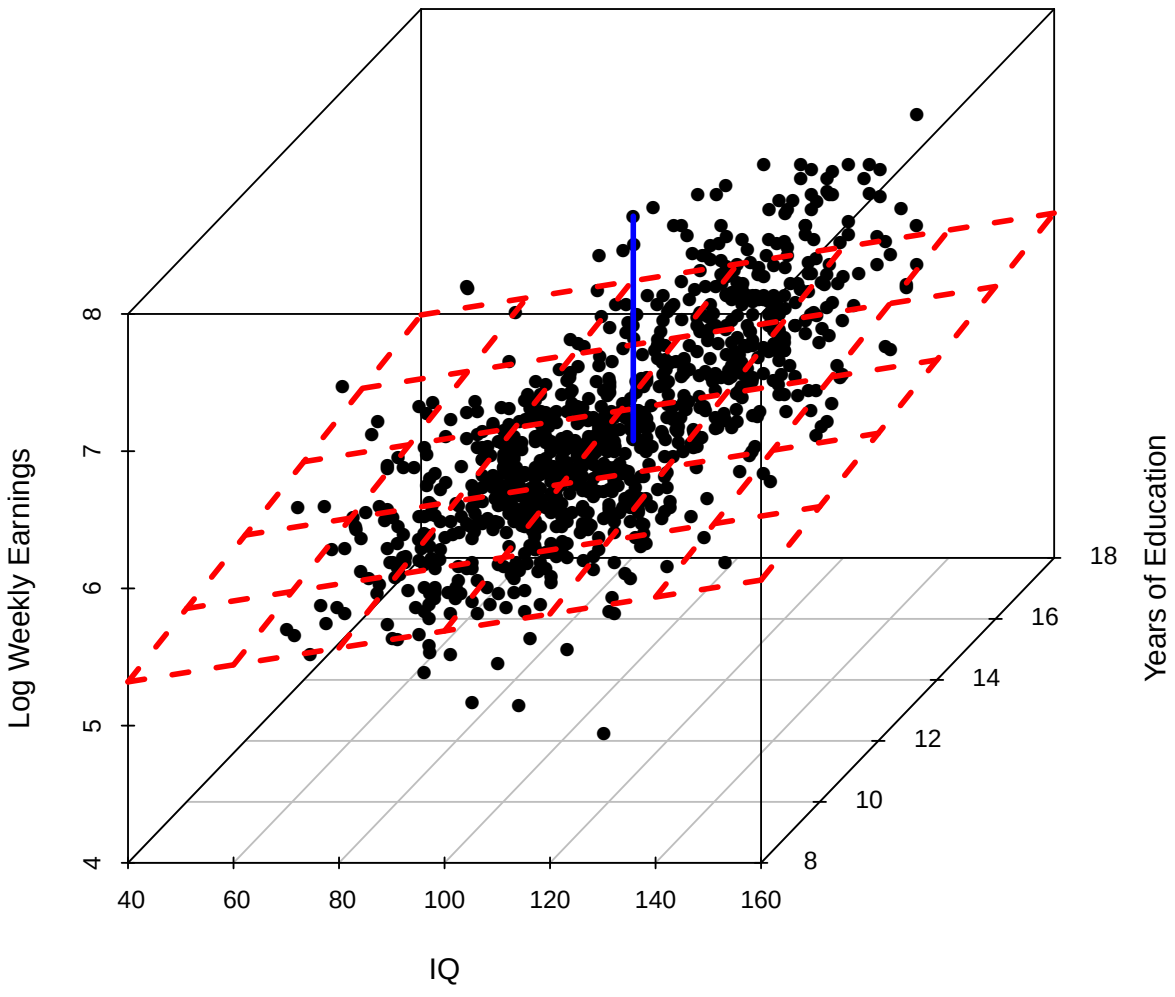

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