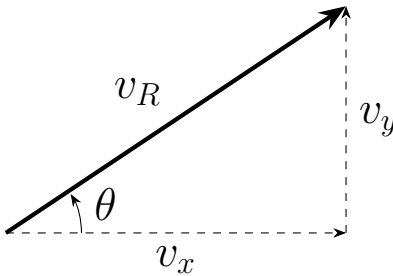


Projectile Motion Equations

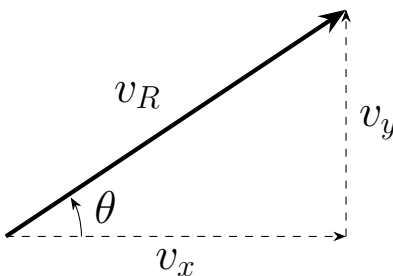
|                                    |                                                    |                                              |
|------------------------------------|----------------------------------------------------|----------------------------------------------|
| $v_f = v_i + at$<br>"Old Faithful" | $d = v_i t + \frac{1}{2}at^2$<br>"The Big Chalupa" | $v_f^2 = v_i^2 + 2ad$<br>"Ain't Got No Time" |
|------------------------------------|----------------------------------------------------|----------------------------------------------|



$v_x = v_R \cos(\theta)$   
 $v_y = v_R \sin(\theta)$   
 $\theta = \tan^{-1}(v_y/v_x)$   
 $v_x^2 + v_y^2 = v_R^2$

Projectile Motion Equations

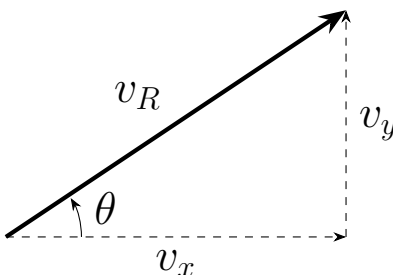
|                                    |                                                    |                                              |
|------------------------------------|----------------------------------------------------|----------------------------------------------|
| $v_f = v_i + at$<br>"Old Faithful" | $d = v_i t + \frac{1}{2}at^2$<br>"The Big Chalupa" | $v_f^2 = v_i^2 + 2ad$<br>"Ain't Got No Time" |
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Projectile Motion Equations

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