表 1 反射法测三棱镜顶角

实验	左		右		$A = \frac{1}{2}$		
次数	1窗	窗	窗	窗	$\angle A = \frac{1}{4} (\angle_{\pm I} - \angle_{\pm I} + \angle_{\pm II} - \angle_{\pm II})$		
1	105°12'	285°13'	345°14'	165°8'	60°1'		
2	200°11'	20°15'	80°18′	260°11'	59°59'		
3	86°31'	266°32'	326°32'	146°25'	60°2'		
4	71°2'	251°2'	311°7'	131°1'	59°59'		
5	98°51'	278°50'	338°58'	158°51'	59°58'		
6	215°48'	35°53'	95°55'	275°49'	59°59'		

$$\overline{\angle A} = \frac{1}{6} \sum_{i=1}^{6} \angle A_i = 60^{\circ} 0'$$

$$u_A = \sqrt{\frac{1}{5 \times 6} \sum_{i=1}^{6} (\angle A_i - \overline{\angle A})^2} = 0.6', u_B = \frac{\Delta_{(\chi)}}{\sqrt{3}} = \frac{1}{\sqrt{3}} = 0.6'$$

$$u = \sqrt{u_A^2 + u_B^2} = 1'$$

$$\angle A = \overline{\angle A} \pm u = (60^{\circ} 0' \pm 1')$$

表 2 三棱镜对波长为 $\lambda = 546.0$ nm 汞单色光的最小偏向角

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实验 次数	$ heta_{\!\scriptscriptstyle{minI}}$	$ heta_{\!\scriptscriptstyle{minII}}$	$ heta_{0I}$	$ heta_{\!\scriptscriptstyle 0II}$	$\mid heta_{minI} - heta_{0I} \mid$	$\mid heta_{minII} - heta_{0II} \mid$	$\delta_{\scriptscriptstyle min}$
1	182°30'	2°33'	128 [°] 33'	308°34'	53°57'	53°59'	53°58'
2	182°30'	2°33'			53°57'	53°59'	53°58'
3	182°29'	2°33'			53°56'	53°59'	53°57'
4	182°31'	2°33'			53°58'	53°59'	53°59'
5	182°31'	2°34'			53°58'	54°0'	53°59'
6	182°30'	2°33'			53°57'	53°59'	53°58'

$$\overline{\delta_{\min}} = \frac{1}{6} \sum_{i=1}^{6} \delta_{\min i} = 53^{\circ} 58'$$

$$u_{A} = \sqrt{\frac{1}{5 \times 6} \sum_{i=1}^{6} (\delta_{\min i} - \overline{\delta_{\min}})^{2}} = 0.3', u_{B} = \frac{\Delta_{\text{fix}}}{\sqrt{3}} = \frac{1}{\sqrt{3}} = 0.6'$$

$$u = \sqrt{u_{A}^{2} + u_{B}^{2}} = 1'$$

$$\delta_{\min} = \overline{\delta_{\min}} \pm u = 53^{\circ}58' \pm 1'$$

表 3 三棱镜对汞灯各单色光的最小偏转角与折射率

波长 λ / nm	∠A	$\delta_{\scriptscriptstyle min}$	折射率 $n = \frac{\sin\frac{\angle A + \delta_{min}}{2}}{\sin\frac{\angle A}{2}}$					
404.7 (紫)	co°o1	57°31'	1.7100					
435.8(蓝)	60°0'	55°50'	1.6946					
546.0 (绿)		53°58'	1.6770					
577.1 (黄)		53°36'	1.6735					

根据柯西色散公式 $n=a+\frac{b}{\lambda^2}+\frac{c}{\lambda^4}$ 使用

MATLAB 拟合 $n-\lambda$ 关系曲线

lambda = [404.7 435.8 546.0 577.1]; LambdaSpace = linspace(400,600);

 $x = lambda.^{(-2)};$

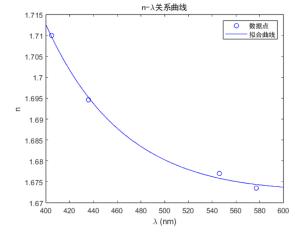
 $n = [1.7100 \ 1.6946 \ 1.6770 \ 1.6735];$

p = polyfit(x,n,2);

c = p(1);

b = p(2);

a = p(3);



nSpace = c*LambdaSpace.^(-4)+b*LambdaSpace.^(-2)+a;
plot(lambda,n,'bo',LambdaSpace,nSpace,'b-')

legend('数据点','拟合曲线',fontname='黑体')

title('n-\lambda 关系曲线',FontName='黑体')

xlabel('\lambda (nm)')

ylabel('n')

拟合的曲线方程为

$$n = 1.6879 - \frac{1.2307 \times 10^4}{\lambda^2} + \frac{2.6017 \times 10^9}{\lambda^4}$$

此处 λ 的单位为nm