





Exploring Drawbridge Transmon Coherence

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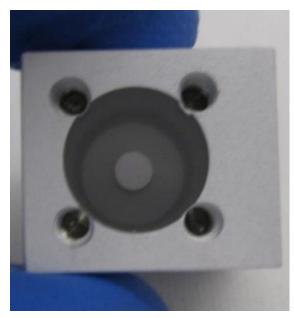
Luigi Frunzio, Rob Schoelkopf, Michel Devoret



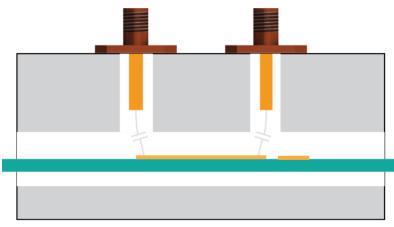
Outline

- I. What is the 2.5D multilayer architecture?
- II. Proof of concept devices
- III. System parameters & photon number splitting regime
- IV. Coherence through dynamical decoupling
- V. Quasiparticle dynamics

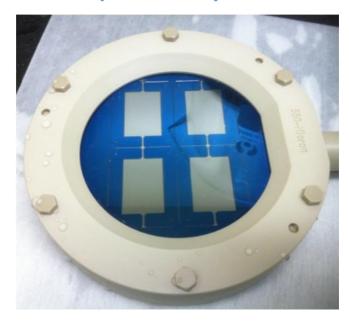
Approaches to Combining Coherence and Complexity



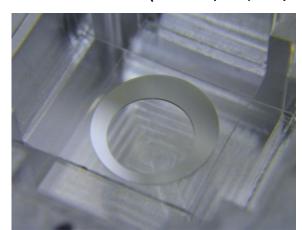
Coax cavities (MLS 9/12, 2/14)



The Co-Axline (MLS 11/14)

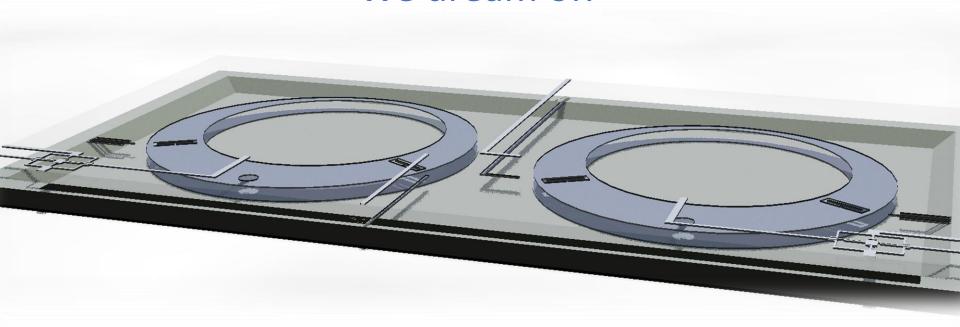


Micro-machined cavities (MLS 9/12, 12/13, 1/15)



WGMRs (MLS 1/13, 2/10/14, 1/15, 2/15)

We dream of:



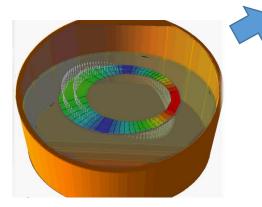
For the moment:

- a. combines qubit & cavities using only wafers
- b. minimal number of moving parts
- c. maximal use of vacuum as dielectric
- d. no seams
- e. readily benefits from material improvements
- f. consistency: both layers from same wafer

In the future:

- a. any qubit (transmon, fluxonium, etc.)
- b. on-chip control lines & amplifiers
- c. layers with specific functionality
- d. full wafer stacking

First generation 3 GHz WGMRs





$$Q_i = 3.4 \cdot 10^6$$

 $T_{\phi} \ge 1 \text{ ms}$

 $R_s \leq 250n\Omega$

 $tan \delta \le 10^{-6}$

APL (2013)

Improved Resonators:

Optical fabrication

7 GHz

 $Q_i = 13M$

 $T_1 = 230 \text{ us}$

 $R_s < 9nOhm$

 $Q_s > 3.7*10^5$

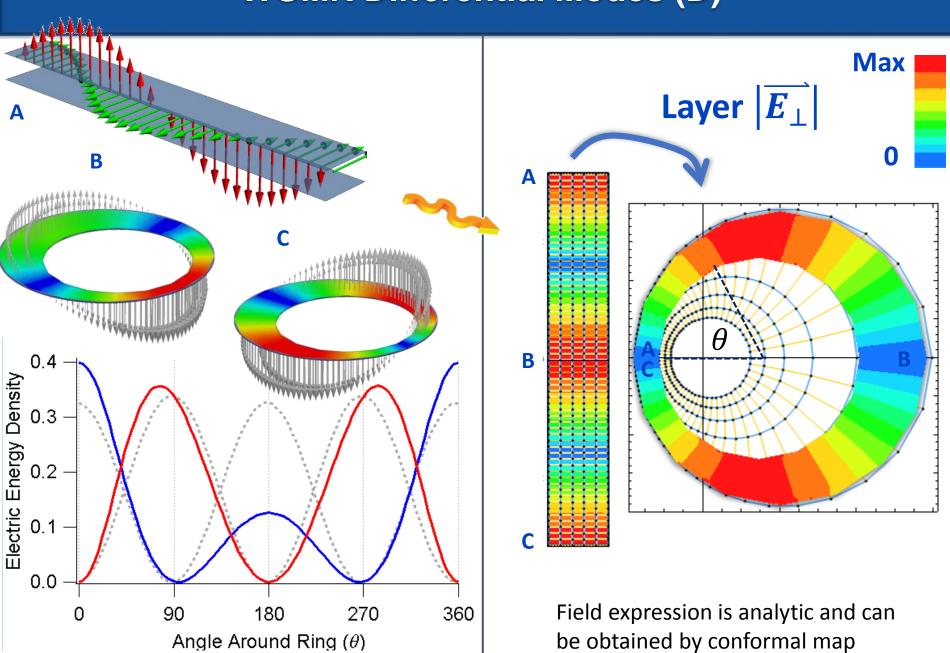


Drawbridge Qubit + Storage

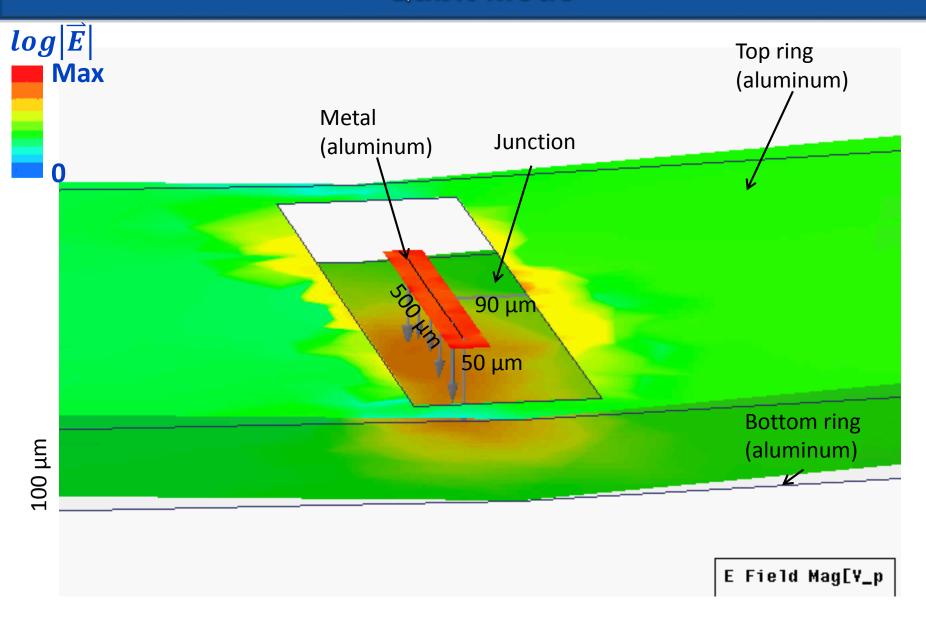


- $T_1 = 70 \text{ us}, T_2^R = 8 \text{ us}$
- $T_{\text{storage}} = 45 \text{ us}$
- T_{readout}, chi, etc see later

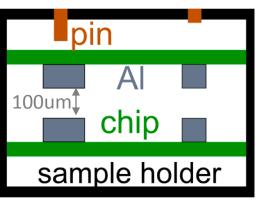
WGMR Differential Modes (D)

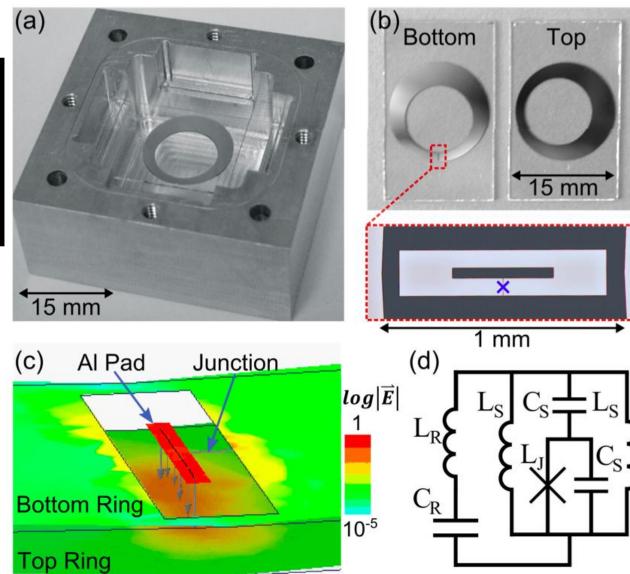


Qubit Mode

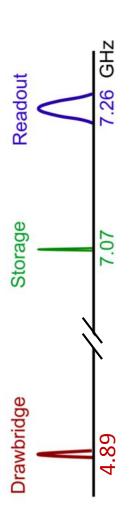


WGMR Sample

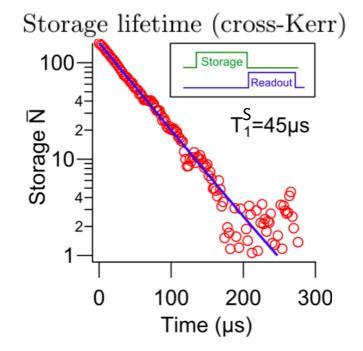




Coherences Summary



Mode	Qubit	Storage	Readout
Frequency (GHz)	4.890	7.070	7.267
$T_1 \; (\mu \mathrm{s})$	70	45	0.42
Q_{total}	2.0×10^{6}	2.0×10^{6}	1.8×10^{4}
$\alpha/2\pi~(\mathrm{MHz})$	300	(5×10^{-5})	(2×10^{-4})
$\chi_q/2\pi \; (\mathrm{MHz})$	_	0.23	0.30

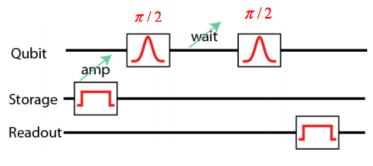


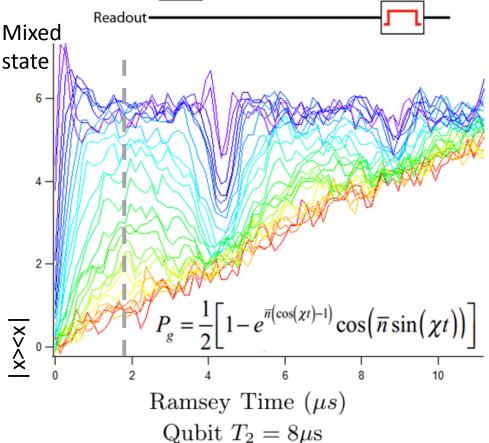


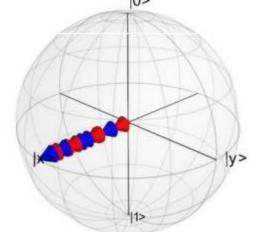
- William Deming

T_{1 storage} from Parity Measurements

Storage-Qubit Revivals



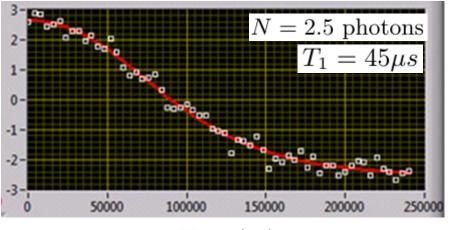




See Zaki & Brian MLS

$$\frac{\pi}{\chi} = 2.25 \mu s$$
 $e^{-\frac{\pi}{\chi T_2}} = .75$

T₁ storage

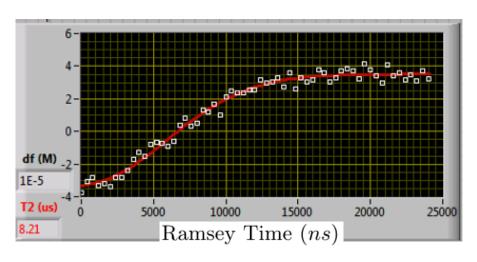


Time (ns)

Parity measurement: Constant Ramsey time = pi/chi Vary time between storage disp. & parity measurement

Qubit T₂

Qubit $T_2 = 8\mu s$ Gaussian!



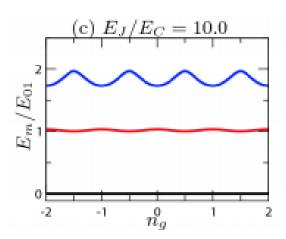
$$\epsilon_m \equiv E_m(n_g = 1/2) - E_m(n_g = 0)$$

Dispersion = -1.30×10^3 KHz

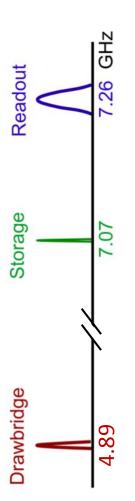
$$E_j/E_c = 27.5$$

$$E_j = 9.06 \, \text{GHz}$$

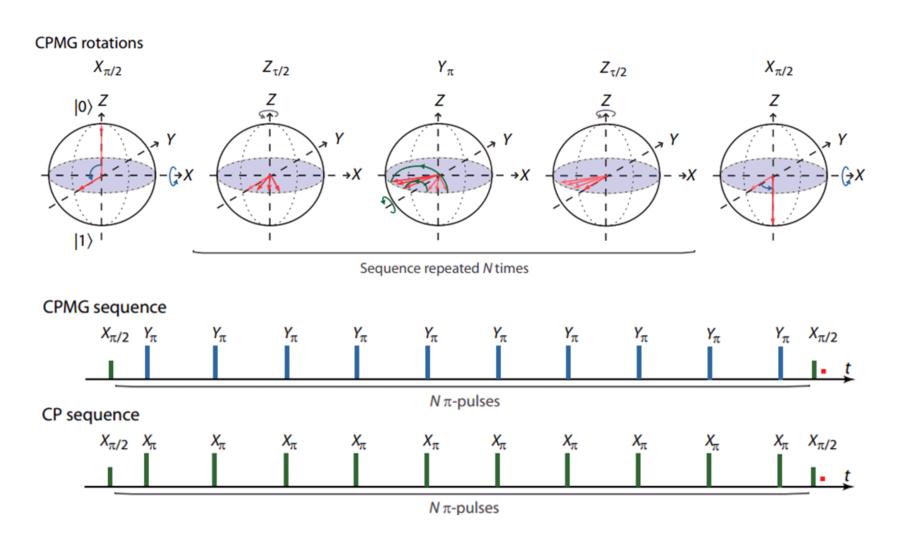
$$T_2/2\pi = 1/(2\pi \ 8.2\mu \text{s}) = 19.4\text{KHz}$$



- 1. What is the noise that limits us?
- 2. What are the charges doing?

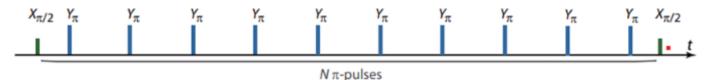


Address Gaussian T₂ by Dynamical Decoupling



G. De Lange et al. Science 330, 60 (2010) F. Bylander et al. N.Phys. 7, 567 (2011)

A Filter



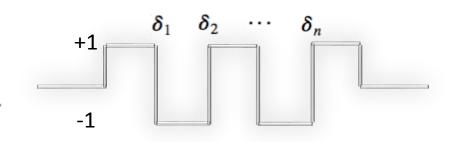
Time evolution:

$$\delta\varphi(t) = (\partial\omega_{01}/\partial\lambda) \int_0^t dt' \delta\lambda(t').$$

$$s_n(t) = \langle \uparrow | D_x^{\text{ef}}(\pi/2)^{\dagger} R^{\dagger} \sigma_y^{\text{ef}}(t) R D_x^{\text{ef}}(\pi/2) | \uparrow \rangle$$

$$R = \sigma_y^{\text{ef}}(\delta_n t) \sigma_y^{\text{ef}}(\delta_{n-1} t) \dots \sigma_y^{\text{ef}}(\delta_2 t) \sigma_y^{\text{ef}}(\delta_1 t).$$

$$\delta\varphi(t) = (\partial\omega_{01}/\partial\lambda) \int_0^t dt' \delta\lambda(t') * f_n(t)$$

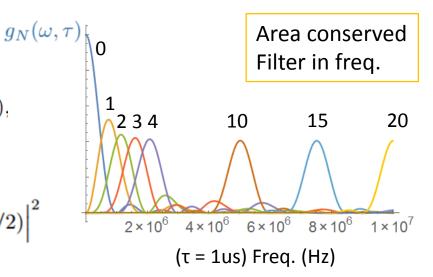


Filtered coherence decay in freq. space:

$$\langle \exp[i\,\delta\varphi(t)]\rangle \equiv \exp[-\chi_N(t)]$$

$$\chi_N(\tau) = \tau^2 \sum_{\lambda} \left(\frac{\partial \omega_{01}}{\partial \lambda} \right)^2 \int_0^\infty d\omega \, S_{\lambda}(\omega) \, g_N(\omega, \tau),$$

$$g_N(\omega, \tau) = \frac{1}{(\omega \tau)^2} \left| 1 + (-1)^{1+N} \exp(i\omega \tau) + \frac{1}{2} \sum_{i=1}^{N} (-1)^j \exp(i\omega \delta_j \tau) \cos(\omega \tau_\pi / 2) \right|^2$$



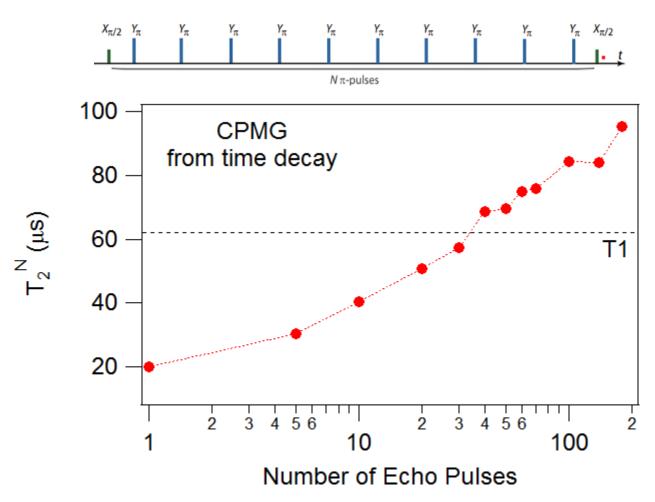
Types of noise:

$$S_{\lambda}(\omega) = A_{\lambda}/\omega \qquad \qquad \chi_{N}(\tau) = (\Gamma_{\varphi}\tau)^{2}$$

$$\langle \delta n(t_{1}) \delta n(t_{2}) \rangle = \bar{n}e^{-(\kappa/2)|t_{1}-t_{2}|} \qquad \qquad \langle \exp[i \, \delta \varphi(t)] \rangle = e^{-\gamma_{2}t} \exp\left\{-4\bar{n}\,\theta_{0}^{2} \left[\frac{\kappa|t|}{2} - 1 + \exp\left(-\frac{\kappa|t|}{2}\right)\right]\right\}$$

F. Bylander et al. N. Phys. (2011); Gambetta et al. PRA (2006)

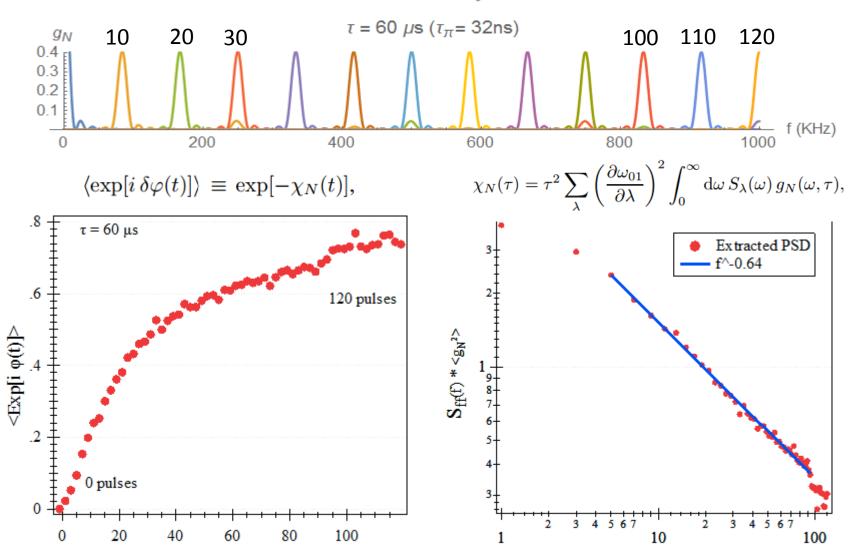
Improvement of T₂ with DD



 Results similar to that of flux qubits but with almost an order of magnitude longer coherences

Reconstructing Noise Spectrum

$$g_N(\omega,\tau) = \frac{1}{(\omega\tau)^2} \left| 1 + (-1)^{1+N} \exp(i\omega\tau) + 2\sum_{j=1}^N (-1)^j \exp(i\omega\delta_j\tau) \cos(\omega\tau_\pi/2) \right|^2,$$



Filter Peak (KHz)

Filter Peak (KHz)

Quasiparticle



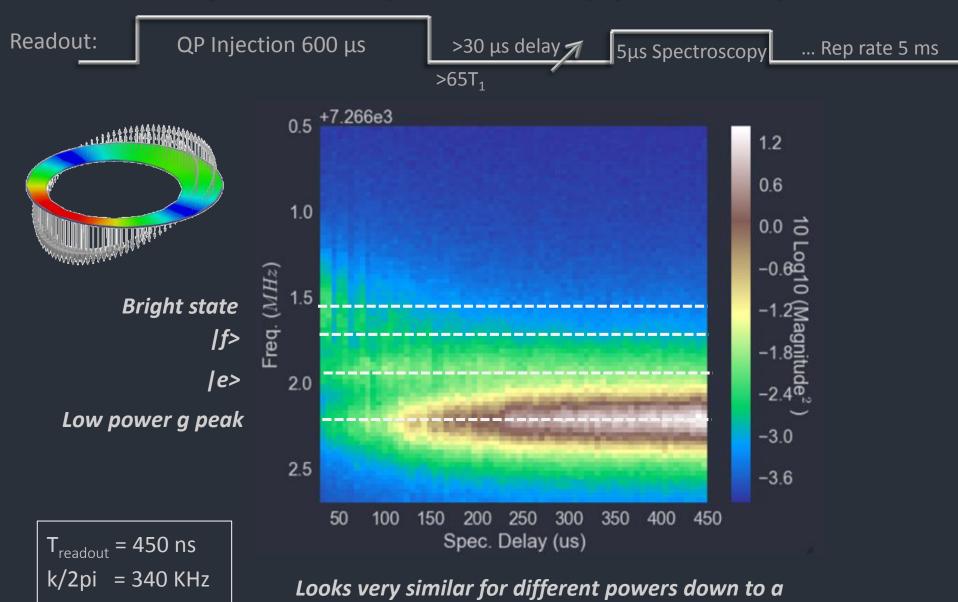
Injection in WGMRs



In collaboration with Uri, Gianluigi, Chen, Nissim

U. Vool and I. Pop, et al. 2014 C. Wang and Y. Gao, et al. 2014

Injection Spectroscopy v. delay

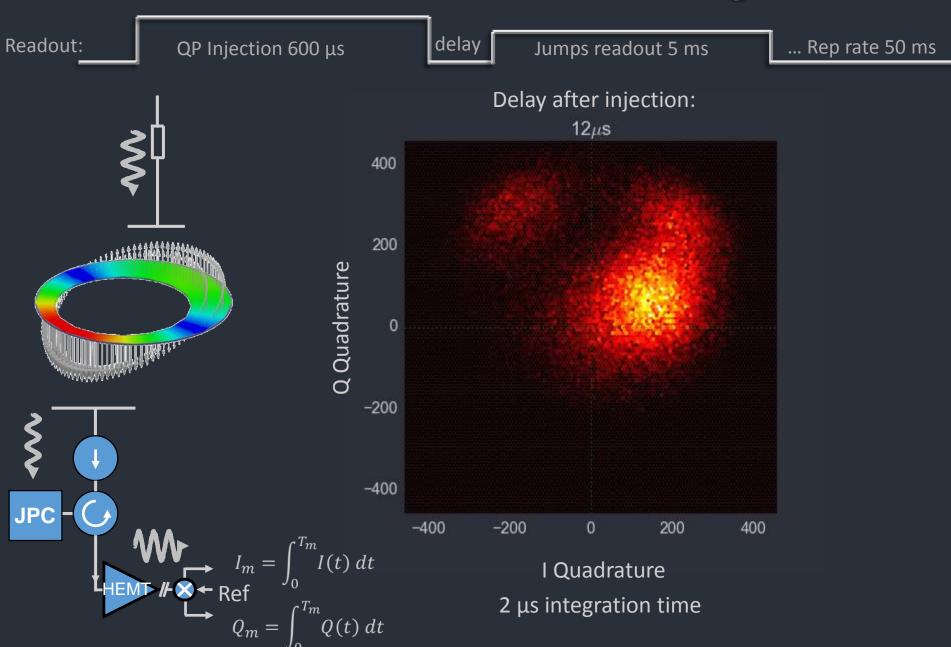


threshold (more on next slides)

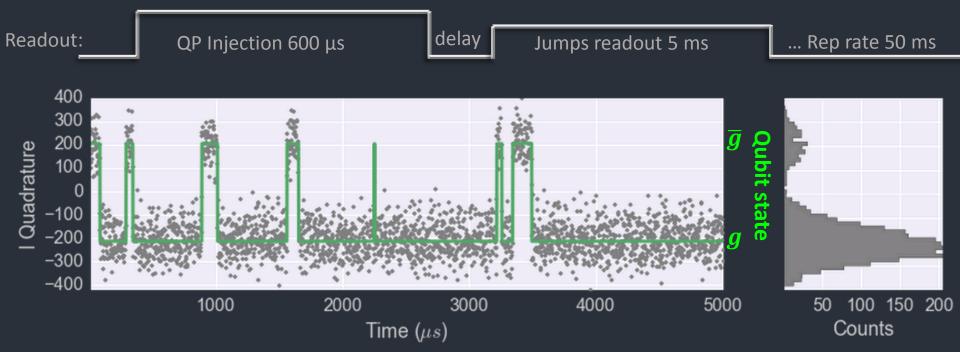
= 260 KHz

 χ_{qr}

JPC Readout & Resolved Histograms



Time Domain Analysis (Preliminary)



Three layers to the analysis:

(see Uri's MM rehearsal for more)

- 1. Qubit state v. time: determined from IQ time series using unbiased filter.
- 2. Qubit T1 & polarization: from qubit state jump statistics.
- 3. QP Dynamics: x_{qp} , temp. of bath, etc. inferred from qubit T1 (rates) & polarization.

A few remarks:

g / not g

Correlation between measurements

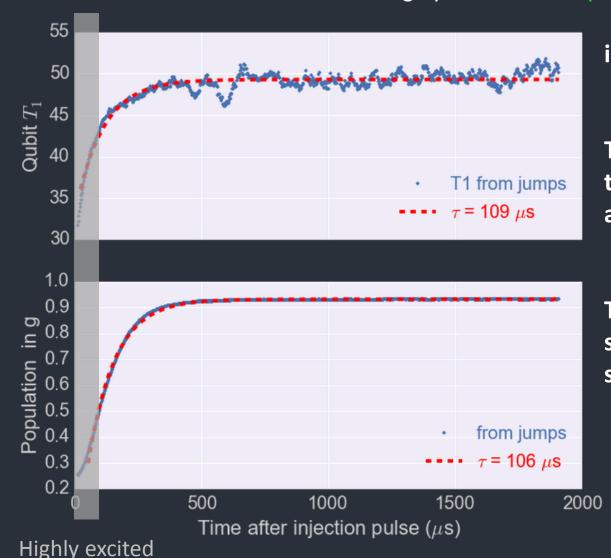
Some biases in filter

But gives us general picture for all states and rates!

U. Vool and I. Pop, et al. 2014; C. Wang, et al. 2014

2. Qubit T1 & polarization

from tracking dynamics of the qubit state



region

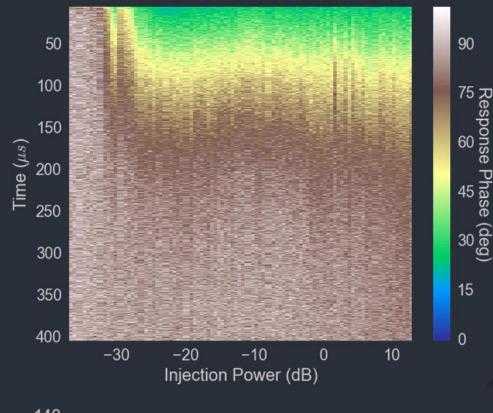
ignore highly excited region (more on it in later slides)

The qubit T_1 is shorter closer to the injection but it recovers on a timescale of ~110 μ s

The population relaxes to steady state on the same time scale.

U. Vool and I. Pop, et al. 2014; C. Wang, et al. 2014

Quasiparticle Injection Threshold Behavior





qubit population versus time for different injection power

Rates appear to be:

Independent of injection power Independent of readout power

Quasiparticle equilibration rate to steady state:

Device *	Tau_ss	
Drawbridge Transmon	0.11 ms	
Fluxonium	0.13 ms	
'Fat' Transmon	0.25 – 2.8 ms	
'Skinny' Transmon	5 - 18 ms	

U. Vool and I. Pop, et al. 2014; C. Wang, et al. 2



500 µm 90 μm 50 μm

A plausible story

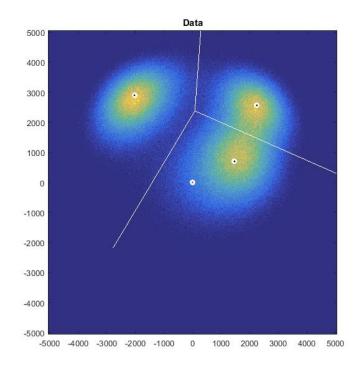
(1) Diffusion Γ_D (2) Vortices Γ_V

$$\Gamma_{T1} = \Gamma_D + \Gamma_V$$

$$\Gamma_{D} = \frac{Area*Length of bridge}{width *Diffusion const.}$$

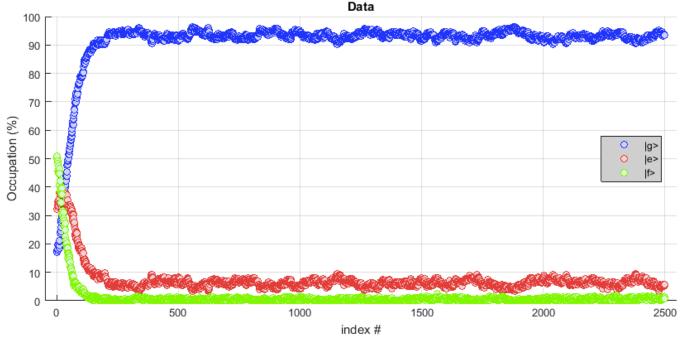
$$\approx 1ms$$

$$\Gamma_{V} = \frac{N*Trap.power}{Area}$$
 $\Rightarrow N \sim 30 \text{ vortices}$



Some Next Steps

 Extract all rates between g, e, f+ from IQ time correlations ala Nissim



Summary & Conclusions

Proof of concept devices

Achieved

System parameters & photon number splitting regime

Easily engineerable parameters, similar to other implementations

Coherence through dynamical decoupling

Large T2s can be obtained if we can get rid of low frequency noise

Quasiparticle dynamics

Fast relaxation (vortices in film?)

Future

Wafer stacking
Multiple qubits
New materials
Fluxonium

