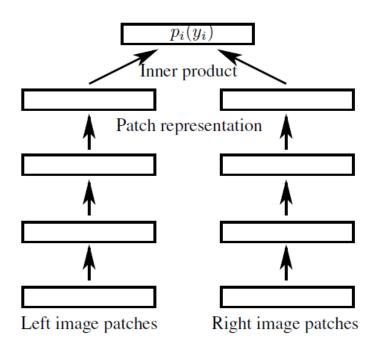


[1] Luo, W., et al. (2016). Efficient deep learning for stereo matching. *In international conference of CVPR*.

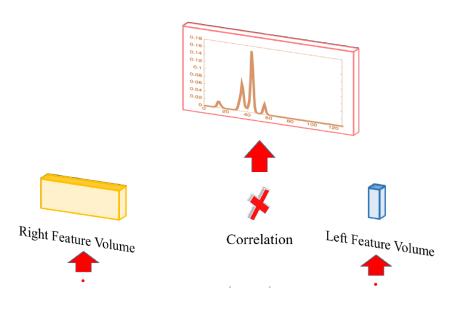


Contribution:

- Build a Siamese network to process two images from an image pair simultaneously.
- Each unary structure extracts features from the input image using the same parameters.



[1] Luo, W., et al. (2016). Efficient deep learning for stereo matching. *In international conference of CVPR*.



Exploit a correlation layer
which computes inner
product between two
representations of a siamese
architecture.



Treat the problem as multi-class classification, where the classes are all possible disparities.

Some processing steps like (Semi-Global-Block-Matching), where additional pairwise potentials are introduced to encourage smooth disparities.

SGBM:
$$E(y) = \sum_{i=1}^{N} E_i(y_i) + \sum_{(i,j) \in \mathcal{E}} E_{i,j}(y_i, y_j),$$

Where the energy function can be defined as:

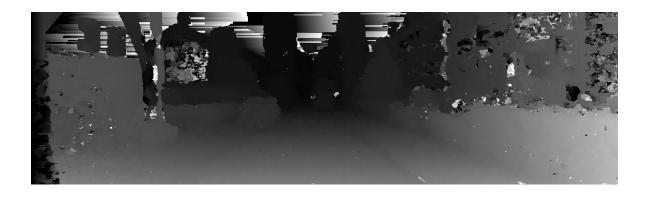
$$E_{i,j}(y_i, y_j) = \begin{cases} 0 & \text{if } y_i = y_j \\ c_1 & \text{if } |y_i - y_j| = 1 \\ c_2 & \text{otherwise} \end{cases}$$



Reimplementing Results:



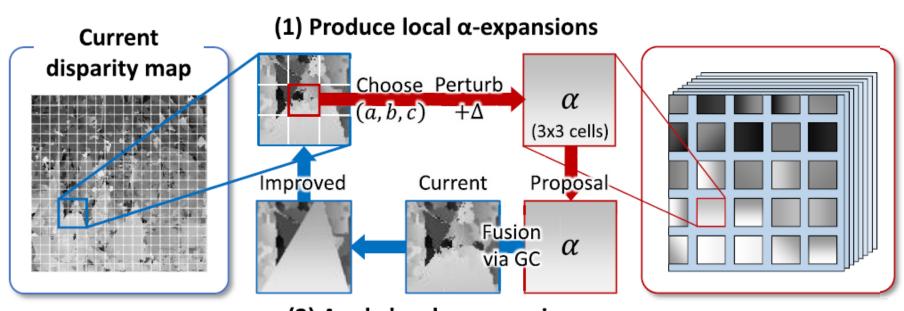
True image



Depth image



[2] Tatsunori Taniai, et al. (2017). Continuous 3D Label Stereo Matching using Local Expansion Moves. *Technical Report 2017*



(2) Apply local α -expansions



Contribution:

1. Disparity of each pixel is over-parameterized by a local disparity plane:

$$d_p = a_p u + b_p v + c_p$$

where $f_p = (a_p, b_p, c_p)$ denotes the disparity plane.

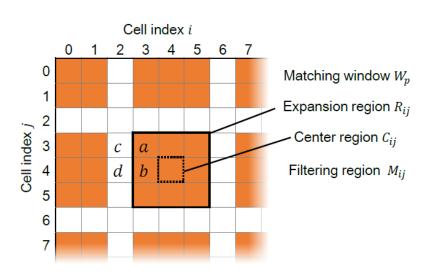
2. We estimate f by minimizing an energy function based on Markov

Random Fields(MRF):

$$E(f) = \sum_{p \in \Omega} \phi_p(f_p) + \lambda \sum_{(p,q) \in \mathcal{N}} \psi_{pq}(f_p, f_q)$$



Post-processing: α - expansion



- 1. Divide whole image into small cells (5x5), name it as center cell C_ij.
- 2. Define an expansion region R_ij(3x3 cells).
- 3. For a random pixel inside C_ij, exert a perturbation to its disparity plane: $\alpha_{ij} \leftarrow f_r$ with randomly chosen $r \in C_{ij}$; $\alpha_{ij} \leftarrow \alpha_{ij} + \Delta'$;
- 4. Update f by minimizing $E(\cdot)$, and update perturbation until several times:

$$f \leftarrow \operatorname{argmin} E(f' | f_p' \in \{f_p, \alpha_{ij}\})$$

 $|\Delta'| \leftarrow |\Delta'|/2;$



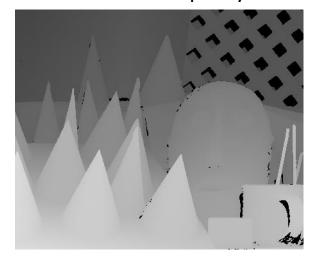
α - expansion : results



Cone2



Cone2 – disparity



Cone2 – ground truth