

# 三维点云处理第一次作业







●对点云数据进行PCA分析

```
def PCA(data, correlation=False, sort=True):
    # 作业1
    # 屏蔽开始
    data = data.transpose()
    data = data - data.mean(axis = 1, keepdims=True)
    # data: 3*m matrix
    # data T: m*3 matrix
    data_T = data.transpose()
   # 3*3 matrix
   H = np.matmul(data, data_T)
    # SVD
    eigenvectors, eigenvalues, _ = np.linalg.svd(H, full_matrices=True)
    # 屏蔽结束
    if sort:
        sort = eigenvalues.argsort()[::-1]
        eigenvalues = eigenvalues[sort]
        eigenvectors = eigenvectors[:, sort]
    return eigenvalues, eigenvectors
```



#### ●将点云投影到二维平面

```
# 从点云中获取点, 只对点进行处理
points = point cloud pynt.points
points = points.to numpy()
# 用PCA分析点云主方向
w, v = PCA(points)
point cloud vector = v[:, ∅] #点云主方向对应的向量
print('the main orientation of this pointcloud is: ', point cloud vector)
# TODO: 此处只显示了点云,还没有显示PCA
# select the first two principle component
projected_points = np.dot(points, v[:, :2])
projected_points = np.hstack([projected_points,
    np.zeros((projected points.shape[0],1))])
projected point cloud o3d = o3d.geometry.PointCloud()
projected point cloud o3d.points = o3d.utility.Vector3dVector(projected points)
o3d.visualization.draw_geometries([projected_point_cloud_o3d])
```



●对点云数据进行PCA分析并将点云投影到二维平面





- ●利用PCA分析进行法向量估计
  - ●可用search\_radius\_vector\_3d或search\_knn\_vector\_3d
  - ●如果使用search\_radius\_vector\_3d,需挑选一个合理的搜索半径,如:点云跨度的5%

```
# 由于最近邻搜索是第二章的内容,所以此处允许直接调用open3d中的函数

# the range of the cloud in three dimensions
cloud_range = points.max(axis=0)-points.min(axis=0)

# radius: set to 5% of the cloud's max range
radius = cloud_range.max() * 0.05

for point in point_cloud_o3d.points:
    cnt, idxs, dists = pcd_tree.search_radius_vector_3d(point, radius)

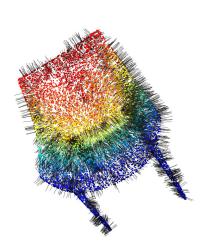
    # v: 3*3 matrix
    w, v = PCA(points[idxs])

    # v[:,-1]: 3*1 matrix
    normal = v[:,-1]
    normals.append(normal)
```

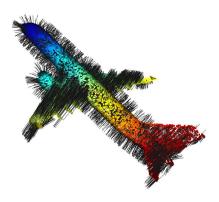


●利用PCA分析进行法向量估计









#### 第二题



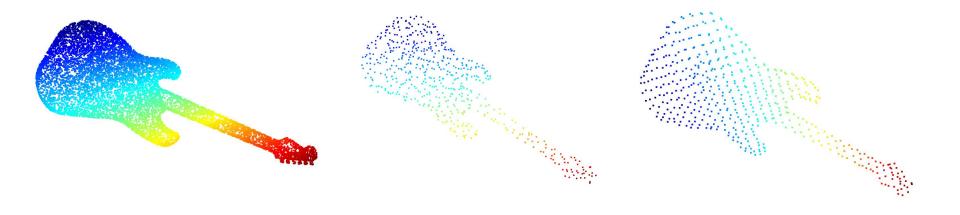
- ●体素式滤波
  - ●利用numpy的broadcasting操作,减少for循环的使用
  - indices记录点在x, y, z三个方向上的 序号
  - ●h\_indices记录点属于第几个voxel grid

```
def voxel_filter(point_cloud, leaf_size, use_centroid = True):
   filtered points = []
   # 作业3
   # 屏蔽开始
   # point cloud: m*3 pandas DataFrame
   point cloud = np.array(point cloud)
   uppers = np.max(point_cloud, axis=0)
   lowers = np.min(point cloud, axis=0)
   dims = np.ceil((uppers - lowers)/leaf size)
   # indices: m*3
   indices = (point cloud - lowers)//leaf size
   # h indices: m
   h_indices = indices[:,0] + indices[:,1]*dims[0] + indices[:,2]*dims[0]*dims[1]
   for h_index in np.unique(h_indices):
       points = point_cloud[h_indices==h_index]
       if use centroid:
           # use centroid for each voxel
           filtered points.append(np.mean(points, axis = 0))
           # select point in each voxel randomly
           filtered points.append(random.choice(points))
   # 屏蔽结束
   #把点云格式改成array,并对外返回
   filtered points = np.array(filtered points, dtype=np.float64)
   return filtered points
```

# 第二题



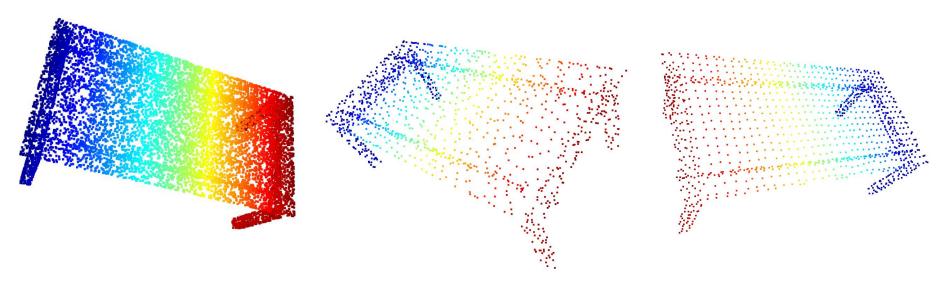
●体素式滤波-原始点云/random/centroid



# 第二题



●体素式滤波-原始点云/random/centroid





- ●KITTI depth completion数据集介绍
  - https://blog.csdn.net/keineahnung2345/article/details/114369593



- •Bilateral Filter
  - ●每个像素的新intensity由它的邻域S决定
  - ●邻域中每个像素的权重由以下两点决定
    - 该像素与待更新像素的距离
    - 该像素与待更新像素intensity的差值
  - ●可调参数
    - 邻域大小
    - 两个高斯函数 $G_{\sigma_s}$ 及 $G_{\sigma_r}$ 的标准差 $\sigma_s$  及 $\sigma_r$

$$G_{\sigma}(x) = \frac{1}{2\pi \sigma^2} \exp\left(-\frac{x^2}{2\sigma^2}\right)$$

$$W_{\mathbf{p}} = \sum_{\mathbf{q} \in \mathcal{S}} G_{\sigma_s}(\|\mathbf{p} - \mathbf{q}\|) G_{\sigma_r}(I_{\mathbf{p}} - I_{\mathbf{q}})$$

$$BF[I]_{\mathbf{p}} = \frac{1}{W_{\mathbf{p}}} \sum_{\mathbf{q} \in \mathcal{S}} G_{\sigma_s}(\|\mathbf{p} - \mathbf{q}\|) G_{\sigma_r}(I_{\mathbf{p}} - I_{\mathbf{q}}) I_{\mathbf{q}}$$



- •Bilateral Filter
  - ●加速方法
    - neighborhood一般为一个正方形,可以将邻域内的intensity及距离都表示成矩阵,然后使用 矩阵乘法做运算
    - 预先计算距离权重的kernel
    - 预先对各种可能的intensity差值计算其通过高斯函数后的值 @金鑫



●只对前100笔数据做评测,左侧为原始数据,右侧为做过BF后(kernel size=5, $\sigma_s = 50$ , $\sigma_r = 50$ )的评测结果

mean mae: 2.41848

mean rmse: 6.01417

mean inverse mae: 0.0093934

mean inverse rmse: 0.023794

mean log mae: nan

mean log rmse: -nan

mean scale invariant log: -nan

mean abs relative: 0.10948

mean squared relative: 0.0628753

mean mae: 1.06399

mean rmse: 2.58188

mean inverse mae: 0.00798715

mean inverse rmse: 0.014853

mean log mae: nan

mean log rmse: -nan

mean scale invariant log: -nan

mean abs relative: 0.0749187

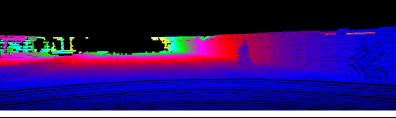
mean squared relative: 0.0230063



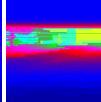
●左:原始数据,右:BF

depth\_orig

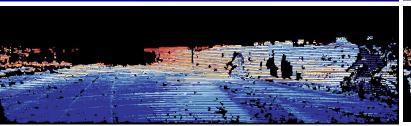


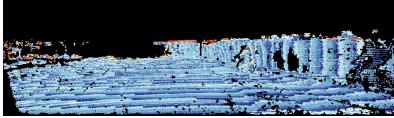


depth\_ipol



errors\_img





# 在线问答







# 感谢各位聆听 Thanks for Listening

