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Roll No :- 19

Subject: Artificial Neural Network (SL - II)

Class: TE

Branch: AI & DS

Practical - 4

Problem statement: Write a python Program for Bidirectional Associative Memory with two pairs of vectors.

Code:

Dimensions of X: (4, 6)
Dimensions of Y: (4, 3)

```
import numpy as np
      import random
      import math
  √ 0.1s
    XI = [1, 1, 1, 1, 1, 1]
    X2 = \begin{bmatrix} -1, & -1, & -1, & -1, & -1, & -1 \end{bmatrix}
X3 = \begin{bmatrix} 1, & -1, & -1, & 1, & 1, & 1 \end{bmatrix}
X4 = \begin{bmatrix} 1, & 1, & -1, & -1, & -1, & -1 \end{bmatrix}
     X = np.array([X1, X2, X3, X4])
     Y1 - [1, 1, 1]
     Y2 = [-1, -1, -1]
     y3 = [-1, 1, 1]
     Y4 = [1, -1, 1]
     Y = np.array([Y1, Y2, Y3, Y4])
    print("X = ", X)
print("\nY = ", Y)
    print("\n\nDimensions of X: ", X.shape)
print("\nDimensions of Y: ", Y.shape)
X = [[1 1 1 1 1 1]]
 [-1 -1 -1 -1 -1]
 [1-1-1 1 1 1]
 [ 1 1 -1 -1 -1 -1]]
Y = [[ 1 1 1]
 [-1 -1 -1]
 [-1 1 1]
 [1-1 1]]
```

```
def calcweight(X, Y):
         return np.dot(X.T, Y)
    weight - calcweight(X, Y)
    print('W - ', weight, end - "")
    print("\n\nDimensions of Weight Matrix: ", weight.shape)
 ✓ 0.0s
W = [[2 2 4]]
 [4 8 2]
 [2 2 8]
 [0 4 2]
 [0 4 2]
 [0 4 2]]
Dimensions of Weight Matrix: (6, 3)
    def ForwardBipolarActivation(matrix, weight):
      matrix[matrix > 0] = 1
        matrix[matrix <= 0] = -1
       return np.array(matrix)
    def BackwardBipolarActivation(matrix, weight):
        matrix[matrix >= 0] = 1
matrix[matrix < 0] = -1</pre>
        return np.array(matrix)
Forward Testing
    def forward(Y, weight):
     x = np.dot(Y, weight.T)
      return ForwardBipolarActivation(x, weight)
   print("\mweight " Y1 - ", forward(Y1, weight), " - X1")
print("\nweight " Y2 - ", forward(Y2, weight), " - X2")
print("\nweight " Y3 - ", forward(Y3, weight), " - X3")
print("\nweight " Y4 = ", forward(Y4, weight), " - X4")
    print("\n\nīt is observed that the obtained results match with the original X matrices.\n\nThus forward testing is 100% accurate.")
 weight * Y1 = [1 1 1 1 1 1] = X1
 weight * Y2 = [-1 -1 -1 -1 -1 -1] = X2
 weight * Y3 = [ 1 -1 -1 1 1 1] = X3
 weight * Y4 = [ 1 1 -1 -1 -1 -1] = X4
 It is observed that the obtained results match with the original X matrices.
 Thus forward testing is 180% accurate.
```

```
weight " X1 = [1 1 1] = Y1

weight " X2 = [-1 -1 -1] = Y2

weight " X3 = [-1 1 1] = Y3

weight " X4 = [1 -1 1] = Y4
```

It is observed that the obtained results match with the original Y (target) matrices.

Thus backward testing is 180% accurate.