

Simple Search Algorithm-1 (1)

The first version of **Simple Search** algorithm.

Def **SimpleSearch1()**

Open=Start // {a}

While Open != Empty() then

 Pick some node 'N' from Open

 Open = Open - {N}

 If **GOALTEST(N)** = True then

 Return N

 Else

 Open = Open U {**MOVEGEN(N)**}

Return FAILURE

Open = {a}

While {a} != {}

 Pick 'a' from Open

 Open = {a} - {a} = {}

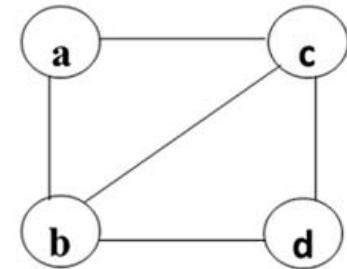
 if **GOALTEST(a)** = TRUE then

 return 'a'

 else

 Open = {} U { **MOVEGEN(a)** }

Return FAILURE



Example: Graph

V= {a,b,c,d}

E= {a-b,a-c,b-c,b-d,c-d}

S={a:[b,c],

 b:[a,c,d],

 c:[a,b,d]

 d:[b,c] }

Start = {a}

Goal = {d}

Simple Search Algorithm-1 (2)

The **GOALTEST(N)** and **MOVEGEN(N)**

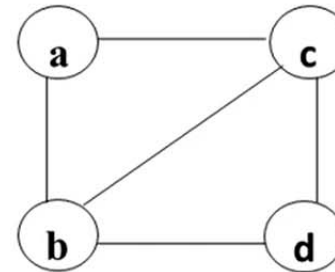
Def **GOALTEST(N)**

```
If N = Goal then
  Return TRUE
Else
  Return FALSE
```

Def **MOVEGEN(N)**

```
Succ = {}
For N in S do
  Succ = Succ U {Children of N}
```

```
Open = {a}
While {a} != {}
  Pick 'a' from Open
  Open = {a} - {a} = {}
  if GOALTEST(a) = TRUE then
    return 'a'
  else
    Open = {} U { MOVEGEN(a) }
  //Open = {b,c}
Return FAILURE
```



Example: Graph
V = {a,b,c,d}
E = {a-b,a-c,b-c,b-d,c-d,}
S = {a:[b,c],
 b:[a,c,d],
 c:[a,b,d]
 d:[b,c] }
Start = {a}
Goal = {d}

Def **GOALTEST(a)**

```
If 'a' = 'd' then
  Return TRUE
Else
  Return FALSE
```

Def **MOVEGEN(a)**

```
Succ = {}
For 'a' in S do
  Succ = { } U {b,c}
```

Simple Search Algorithm-1 (3)

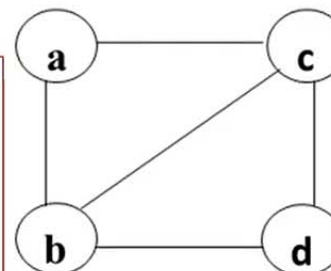
The **CLOSED** list

```

Open = {a}
While {a} != {}
  Pick 'a' from Open
  Open = {a} - {a} = {}
  if GOALTEST(a) = TRUE then
    return 'a'
  else
    Open = {} U { MOVEGEN(a) }
  //Open = {b,c}
Return FAILURE
    
```

```

Open = {b,c}
While {b,c} != {}
  Pick 'b' from Open
  Open = {b,c} - {b} = {c}
  if GOALTEST(b) = TRUE then
    return 'c'
  else
    Open = {c} U { MOVEGEN(b) }
  //Open = {c} U {a,c,d}
  //Open = {a,c,d,c}
Return FAILURE
    
```



Example: Graph
 $V = \{a, b, c, d\}$
 $E = \{a-b, a-c, b-c, b-d, c-d, \}$
 $S = \{a: [b, c],$
 $\quad b: [a, c, d],$
 $\quad c: [a, b, d]$
 $\quad d: [b, c] \}$
 Start = {a}
 Goal = {d}

Def **GOALTEST(b)**
 If 'b' = 'd' then
 Return TRUE
 Else
 Return FALSE

Def **MOVEGEN(b)**
 Succ = {}
 For 'b' in S do
 Succ = { } U {a, c, d}

Open = {a,c,d,c} has 'a' at the beginning of the list so it will again visit the node 'a' and will be in never ending loop.

Simple Search Algorithm-2

The second version of Simple Search algorithm.

Def **SimpleSearch2()**

Open=Start // {a}

Closed={} →

While Open != Empty() then

 Pick some node 'N' from Open

 Open = Open - {N}

 Closed = Closed U {N} →

 If **GOALTEST(N)** = True then

 Return N

 Else

 Open = Open U {**MOVEGEN(N) - Closed**} →

Return FAILURE

Open = {a}

Closed = {}

While {a} != {}

 Pick 'a' from Open

 Open = {a} - {a} = {}

 Closed = {} U {a} = {a}

 if **GOALTEST(a)** = TRUE then

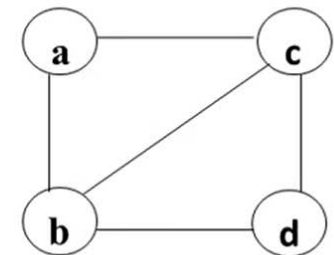
 return 'a'

 else

 Open = {} U {**MOVEGEN(a) - Closed**}

 //Open = {} U { {b,c} - {a} } = {b,c}

Return FAILURE



Example: Graph

V= {a,b,c,d}

E= {a-b,a-c,b-c,b-d,c-d}

S={a:[b,c],

 b:[a,c,d],

 c:[a,b,d]

 d:[b,c] }

Start = {a}

Goal = {d}

Open = {b,c}

Closed = {a,b}

Open = {c} U { {a,c,d} - {a,b} } = {c} U {c,d} = {c,d}

Depth First Search (1)

The **Depth First Search (DFS)** is a search technique which searches to the *lowest depth* or *ply* of the tree.

The **DFS** uses *Stack* as a data structure (**OPEN** list) to process the given state space.

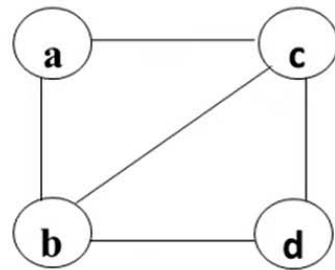
Example: Graph

$V = \{a, b, c, d\}$

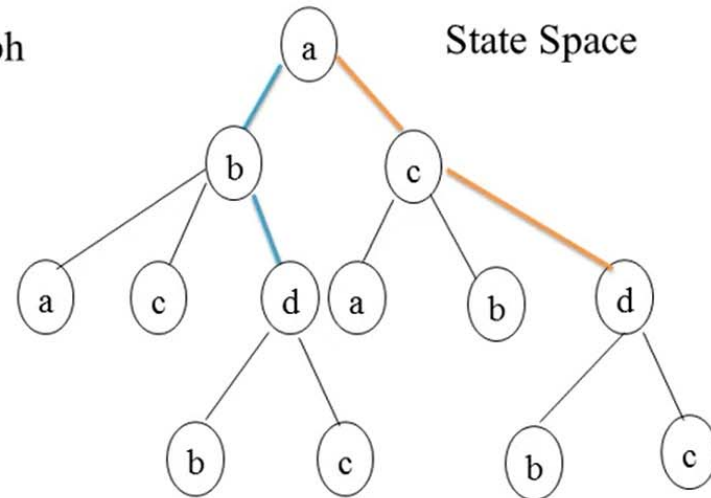
$E = \{a-b, a-c, b-c, b-d, c-d, \}$

Start = $\{a\}$

Goal = $\{d\}$



Graph



State Space

$S = \{ a:[b,c], b:[a,c,d], c:[a,b,d], d:[b,c] \}$

Depth First Search (2)

Algorithm DFS()

```
Def DFS(Start)
  Open=Start
  Closed={}
  State = FAILURE
  While (Open  $\neq$  Empty ) AND (State  $\neq$  SUCCESS) then
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
      State = SUCCESS
      Closed = APPEND (Closed , {N})
    Else
      Closed = APPEND (Closed , {N})
      Child = { MOVEGEN(N) }
      Child = {Child - Open}
      Child= {Child - Closed}
      Open = APPEND (Child,Open)
    End If
  End While
  Return State
```

Def **GOALTEST**(N)

If N = Goal then

Return TRUE

Else

Return FALSE

Def **MOVEGEN**(N)

Succ = {}

For N in S do

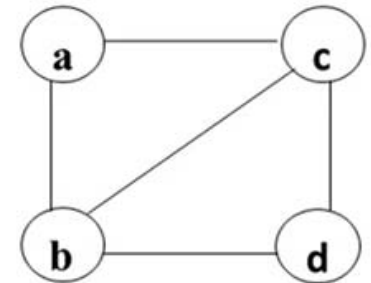
Succ= Succ U {Children of N}

Return Succ

Def **APPEND**(list1, list2)

New_list = list1 + list2

Return New_list



Example: Graph

V= {a,b,c,d}

E= {a-b,a-c,b-c,b-d,c-d}

S={a:[b,c],

b:[a,c,d],

c:[a,b,d]

d:[b,c] }

Start = {a}

Goal = {d}

Depth First Search (3)

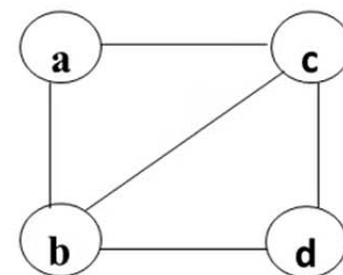
Step-1: Iteration

```

Def DFS(Start)
Open=Start
Closed={}
State = FAILURE
While (Open  $\diamond$  Empty) AND (State  $\diamond$  SUCCESS)
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = { Child - Open }
        Child = { Child - Closed }
        Open = APPEND (Child, Open)
    End If
End While
Return State
    
```

```

DFS({a})
Open = {a}
Closed = {}
State = FAILURE
While ({a}  $\diamond$  Empty) AND (FAILURE  $\diamond$  SUCCESS)
    N='a'
    Open = {a} - {a} = {}
    If GOALTEST(a) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND ({}, {a}) = {a}
        Child = {b,c}
        Child = {b,c} - {} = {b,c}
        Child = {b,c} - {a} = {b,c}
        Open = APPEND ({b,c}, {}) = {b,c}
    End If
End While
Return State
    
```



Example: Graph
 $V = \{a, b, c, d\}$
 $E = \{a-b, a-c, b-c, b-d, c-d\}$
 $S = \{a:[b,c],$
 $\quad b:[a,c,d],$
 $\quad c:[a,b,d]$
 $\quad d:[b,c]\}$
 Start = {a}
 Goal = {d}

Open = {b,c}
Close = {a}

Depth First Search (4)

Step-2: Iteration

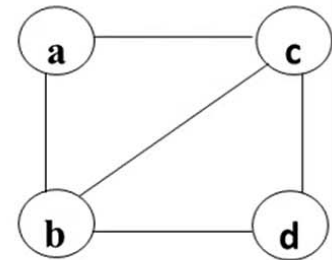
```

Def DFS(Start)
Open=Start
Closed={}
State = FAILURE
While (Open  $\diamond$  Empty) AND (State  $\diamond$  SUCCESS) then
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = {Child - Open}
        Child = {Child - Closed}
        Open = APPEND (Child, Open)
    End If
End While
Return State
    
```

```

DFS({a})

State = FAILURE
While ({b,c}  $\diamond$  Empty) AND (FAILURE  $\diamond$  SUCCESS)
    N='b'
    Open = {b,c} - {b} = {c}
    If GOALTEST(b) = TRUE then
        State = SUCCESS
        Closed = APPEND Closed, {N})
    Else
        Closed = APPEND ({a}, {b}) = {a,b}
        Child = {a,c,d}
        Child = {a,c,d} - {c} = {a,d}
        Child = {a,d} - {a} = {d}
        Open = APPEND ({d}, {c}) = {d,c}
    End If
End While
Return State
    
```



Example: Graph

V= {a,b,c,d}

E= {a-b,a-c,b-c,b-d,c-d}

S={a:[b,c],
b:[a,c,d],
c:[a,b,d]
d:[b,c]}

Start = {a}

Goal = {d}

Open= {d,c}

Close = {a,b}

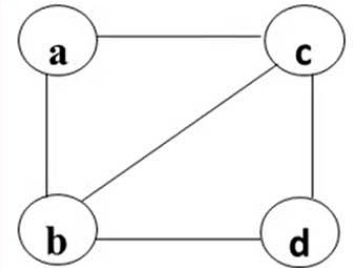
Depth First Search (5)

Step-3: Iteration

```
Def DFS(Start)
Open=Start
Closed={}
State = FAILURE
While (Open  $\neq$  Empty ) AND (State  $\neq$  SUCCESS) then
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = {Child - Open}
        Child = {Child - Closed}
        Open = APPEND (Child, Open)
    End If
End While
Return State
```

```
DFS({a})

State = FAILURE
While ( {d,c}  $\neq$  Empty ) AND (FAILURE  $\neq$  SUCCESS)
    N='d'
    Open = {d,c} - {d} = {c}
    If GOALTEST(d) = TRUE then
        State = SUCCESS
        Closed = APPEND( {a,b} , {d} ) = {a,b,d}
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = {Child - Open}
        Child = {Child - Closed}
        Open = APPEND (Child, Open)
    End If
End While
Return State
```



Example: Graph
V= {a,b,c,d}
E= {a-b,a-c,b-c,b-d,c-d}
S={a:[b,c],
b:[a,c,d],
c:[a,b,d]
d:[b,c] }
Start = {a}
Goal = {d}

Open= {c}
Close = {a,b,d}

Breadth First Search (1)

The **Breadth First Search (BFS)** is a search technique which searches the tree *level wise* and *left to right* at each level of the tree.

The **BFS** uses *Queue* as a data structure (**OPEN** list) to process the given state space.

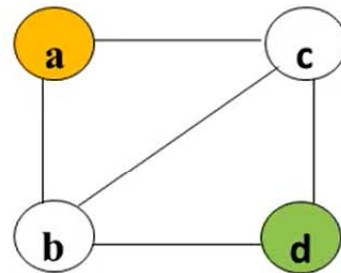
Example: Graph

$V = \{a, b, c, d\}$

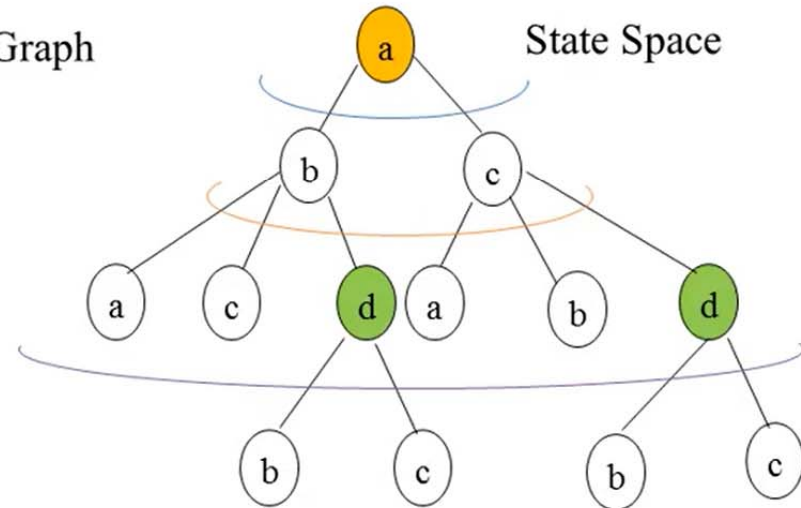
$E = \{a-b, a-c, b-c, b-d, c-d\}$

Start = $\{a\}$

Goal = $\{d\}$



Graph



State Space

$S = \{ a:[b,c], b:[a,c,d], c:[a,b,d], d:[b,c] \}$

Breadth First Search (2)

Algorithm BFS()

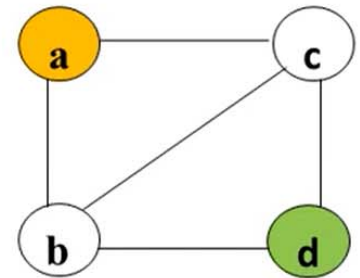
```
Def BFS(Start)
  Open=Start
  Closed={}
  State = FAILURE
  While (Open  $\neq$  Empty ) AND (State  $\neq$  SUCCESS) then
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
      State = SUCCESS
      Closed = APPEND (Closed , {N})
    Else
      Closed = APPEND (Closed , {N})
      Child = { MOVEGEN(N) }
      Child = {Child - Open}
      Child= {Child - Closed}
      Open = APPEND (Open, Child)
    End If
  End While
  Return State
```

```
Def GOALTEST(N)
  If N = Goal then
    Return TRUE
  Else
    Return FALSE

Def MOVEGEN(N)
  Succ = {}
  For N in S do
    Succ= Succ U {Children of N}

  Return Succ

Def APPEND(list1, list2)
  New_list = list1 + list2
  Return New_list
```



Example: Graph

V= {a,b,c,d}

E= {a-b,a-c,b-c,b-d,c-d}

S={a:[b,c],
b:[a,c,d],
c:[a,b,d]
d:[b,c]}

Start = {a}

Goal = {d}

Breadth First Search (3)

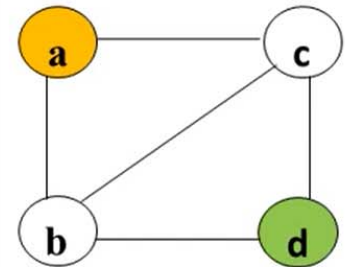
Step-1: Iteration

```

Def BFS(Start)
Open=Start
Closed={}
State = FAILURE
While (Open  $\diamond$  Empty) AND (State  $\diamond$  SUCCESS)
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = { Child - Open }
        Child = { Child - Closed }
        Open = APPEND (Open, Child)
    End If
End While
Return State
    
```

```

BFS ({a})
Open = {a}
Closed = {}
State = FAILURE
While ({a}  $\diamond$  Empty) AND (FAILURE  $\diamond$  SUCCESS)
    N='a'
    Open = {a} - {a} = {}
    If GOALTEST(a) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND ({}, {a}) = {a}
        Child = {b,c}
        Child = {b,c} - {} = {b,c}
        Child = {b,c} - {a} = {b,c}
        Open = APPEND ({}, {b,c}) = {b,c}
    End If
End While
Return State
    
```



Example: Graph
 $V = \{a, b, c, d\}$
 $E = \{a-b, a-c, b-c, b-d, c-d\}$
 $S = \{a:[b, c],$
 $b:[a, c, d],$
 $c:[a, b, d]$
 $d:[b, c] \}$
 Start = {a}
 Goal = {d}

Open = {b, c}
Close = {a}

Breadth First Search (4)

Step-2: Iteration

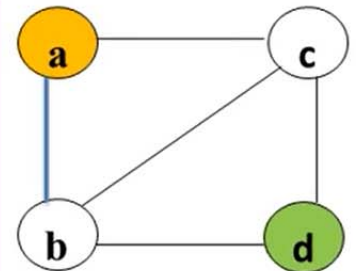
```

Def BFS(Start)
Open=Start
Closed={}
State = FAILURE
While (Open  $\diamond$  Empty) AND (State  $\diamond$  SUCCESS) then
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = { Child - Open }
        Child = { Child - Closed }
        Open = APPEND (Open, Child)
    End If
End While
Return State
    
```

```

BFS({a})

State = FAILURE
While ({b,c}  $\diamond$  Empty) AND (FAILURE  $\diamond$  SUCCESS)
    N='b'
    Open = {b,c} - {b} = {c}
    If GOALTEST(b) = TRUE then
        State = SUCCESS
        Closed = APPEND(Closed, {N})
    Else
        Closed = APPEND ({a}, {b}) = {a,b}
        Child = {a,c,d}
        Child = {a,c,d} - {c} = {a,d}
        Child = {a,d} - {a,b} = {d}
        Open = APPEND ({c}, {d}) = {c,d}
    End If
End While
Return State
    
```



Example: Graph
 $V = \{a,b,c,d\}$
 $E = \{a-b, a-c, b-c, b-d, c-d\}$
 $S = \{a:[b,c],$
 $\quad b:[a,c,d],$
 $\quad c:[a,b,d]$
 $\quad d:[b,c]\}$
 Start = {a}
 Goal = {d}

Open = {c,d}
 Close = {a,b}

Breadth First Search (5)

Step-3: Iteration

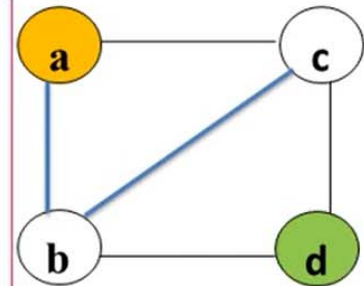
```

Def BFS(Start)
  Open=Start
  Closed={}
  State = FAILURE
  While (Open  $\neq$  Empty ) AND (State  $\neq$  SUCCESS) then
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
      State = SUCCESS
      Closed = APPEND (Closed, {N})
    Else
      Closed = APPEND (Closed, {N})
      Child = { MOVEGEN(N) }
      Child = { Child - Open }
      Child = { Child - Closed }
      Open = APPEND (Open, Child)
    End If
  End While
  Return State
  
```

```

BFS({a})

State = FAILURE
While ( {c,d}  $\neq$  Empty ) AND (FAILURE  $\neq$  SUCCESS)
  N='c'
  Open = {c,d} - {c} = {d}
  If GOALTEST(c) = TRUE then
    State = SUCCESS
    Closed = APPEND(Closed, {N})
  Else
    Closed = APPEND( {a,b} , {c} ) = {a,b,c}
    Child = {a,b,d}
    Child = {a,b,d} - {d} = {a,b}
    Child = {a,b} - {a,b,c} = {}
    Open = APPEND ({d}, {}) = {d}
  End If
End While
Return State
  
```



Example: Graph
 $V = \{a,b,c,d\}$
 $E = \{a-b, a-c, b-c, b-d, c-d\}$
 $S = \{a:[b,c],$
 $b:[a,c,d],$
 $c:[a,b,d]$
 $d:[b,c]\}$
 Start = {a}
 Goal = {d}

Open = {}
Close = {a,b,c}

Breadth First Search (6)

Step-4: Iteration

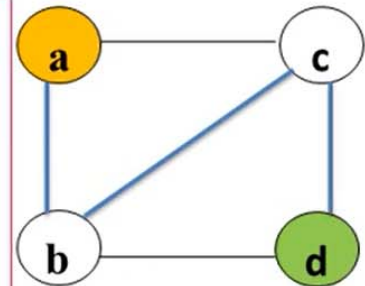
```

Def BFS(Start)
Open=Start
Closed={}
State = FAILURE
While (Open  $\neq$  Empty ) AND (State  $\neq$  SUCCESS) then
    Pick front node 'N' from Open
    Open = Open - {N}
    If GOALTEST(N) = TRUE then
        State = SUCCESS
        Closed = APPEND (Closed, {N})
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = { Child - Open }
        Child = { Child - Closed }
        Open = APPEND (Open, Child)
    End If
End While
Return State
    
```

```

BFS({a})

State = FAILURE
While ( {d}  $\neq$  Empty ) AND (FAILURE  $\neq$  SUCCESS)
    N='d'
    Open = {d} - {d} = {}
    If GOALTEST(d) = TRUE then
        State = SUCCESS
        Closed = APPEND({a,b,c} , {d}) = {a,b,c,d}
    Else
        Closed = APPEND (Closed, {N})
        Child = { MOVEGEN(N) }
        Child = { Child - Open }
        Child = { Child - Closed }
        Open = APPEND (Open, Child)
    End If
End While
Return State
    
```



Example: Graph
 $V = \{a,b,c,d\}$
 $E = \{a-b, a-c, b-c, b-d, c-d\}$
 $S = \{a:[b,c],$
 $\quad b:[a,c,d],$
 $\quad c:[a,b,d]$
 $\quad d:[b,c] \}$
 $Start = \{a\}$
 $Goal = \{d\}$

Open = {d}
Close = {a,b,c,d}