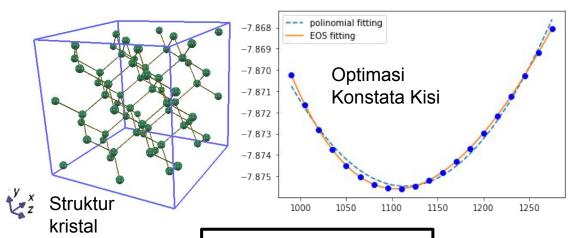
Struktur Elektronik: Silicon (3D) & Silicene (2D)

Zohan Syah Fatomi



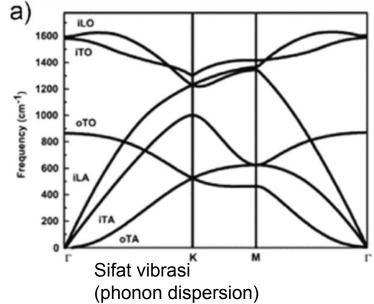
Rekayasa Komputasi Material



Density Functional

Komputasi Numerik

Theory (DFT) +

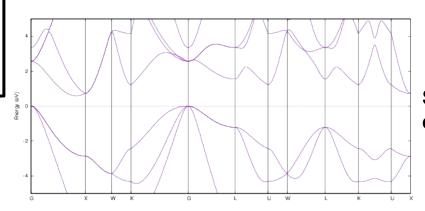


Input:

Koordinat atomik

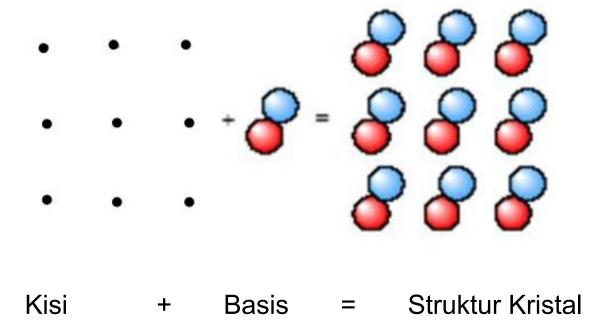
+ Komputer
Output:

Sifat elektronik, Optik, Magnetik, dlsb

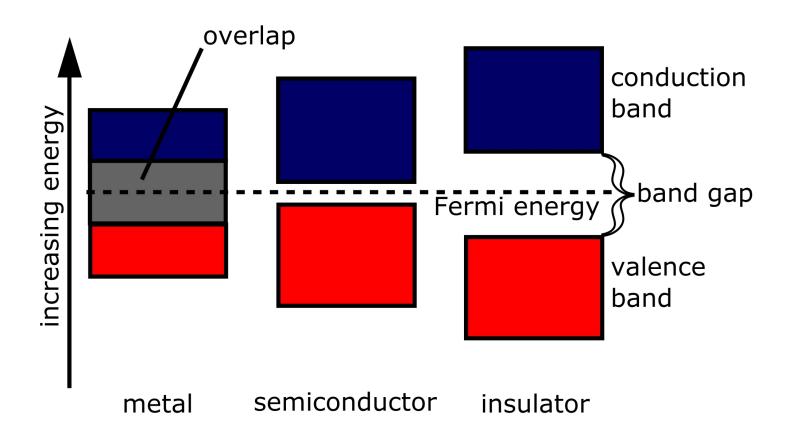


Struktur elektronik

Sistem Kristal



Struktur Band



Sifat Elektronik pada Material

Berdasarkan kemagnetannya material dibedakan menjadi 3:

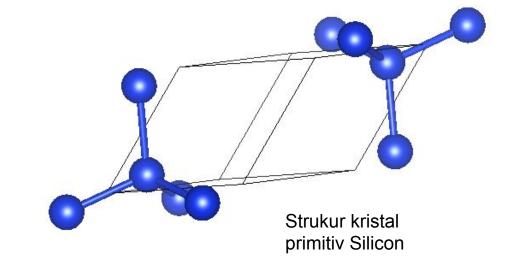
- 1. **Konduktor**: conduction band & valence band timpang tindih (overlap).
 - Contoh: besi (Fe), tembaga (Cu) dll.
- 2. **Semikonduktor**: memiliki band gap sedang (0.1 4.0 eV). Contoh: Silicon, Germanium dll.
- 3. **Isolator**: memiliki band gap besar (> 4.0 eV) Contoh: Diamond, kaca

Silicone (3D)

Struktur kristal unit sel Si (3D) adalah diamond FCC.

Berapa atom Atom Si di unit sel?

Berapa lattice constant pada Si?



$$a_1 = \frac{a}{2}\hat{y} + \frac{a}{2}\hat{z}$$

$$a_2 = \frac{a}{2}\hat{x} + \frac{a}{2}\hat{z}$$

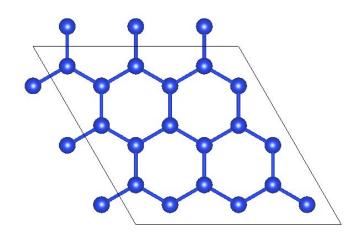
$$a_3 = \frac{a}{2}\hat{x} + \frac{a}{2}\hat{y}$$

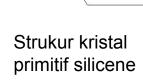
Silicene (2D)

Struktur kristal unit sel Si (3D) adalah diamond FCC.

Berapa atom
Atom Si di unit
sel?

Berapa lattice constant pada Silicene?



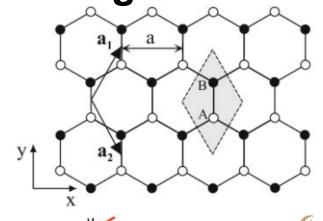


Super sel 3x3x1 silicene

$$\vec{\mathbf{b_1}} = a_0(1.\vec{\mathbf{x}} + 0.\vec{\mathbf{y}})$$

$$\vec{\mathbf{b_2}} = a_0(-\frac{1}{2}\vec{\mathbf{x}} + \frac{\sqrt{3}}{2}\vec{\mathbf{y}})$$

Hexagonal Lattice Structure



$$\vec{\mathbf{a_1}} = a_0(\frac{1}{2}\vec{\mathbf{x}} + \frac{\sqrt{3}}{2}\vec{\mathbf{y}})$$

$$\vec{\mathbf{a}_2} = a_0(\frac{1}{2}\vec{\mathbf{x}} - \frac{\sqrt{3}}{2}\vec{\mathbf{y}})$$



$$\vec{\mathbf{b_1}} = a_0(1.\vec{\mathbf{x}} + 0.\vec{\mathbf{y}})$$

$$\vec{\mathbf{b_2}} = a_0(-\frac{1}{2}\vec{\mathbf{x}} + \frac{\sqrt{3}}{2}\vec{\mathbf{y}})$$

Primitive Unit Cell Graphene

Kalkulasi DFT PHASE0

Untuk melakukan kalkulasi DFT pada PHASE0 dibutuhkan 3 file utama:

- 1. Filenames.data -> deklarasi penamaan file.
- 2. Input.data -> konfigurasi perhitungan dan sistem kristal
- 3. Pseudopotential.data -> file pseudo potential

Silahkan download kode pada url berikut!

https://github.com/zohansyahfatomi/struktur-elektronik

filenames.data

```
1 &fnames
2 F INP = './nfinp.data'
3 F POT(1) = 'Si ggapbe nc 01.pp'
4 F DYNM = './nfdynm.data'
5 F ENF = './nfefn.data'
6 F CHR = './nfchr.cube'
7 F WANNIER = './nfwannier.cube'
8 F WFk = './nfwfk.cube'
```

filenames.data digunakan untuk mengidentifikasi file **input** dan **pseudopotential**.

Ubah nama file pada F_POT(1) dengan nama

Pseudopotential yang sesuai (Si_ggapbe_nc_01.pp)

nfinp.data

```
1 Control{
      cpumax = 3600 sec
      condition = Initial
5 accuracy{
      cutoff wf = 25.00 rydberg
      cutoff cd = 225.00 rydberg
      num bands = 16
      ksampling{
          mesh{
              nx = 2
              ny = 2
              nz = 1
17 structure{
      unit cell type = primitive
      unit cell{
          a vector = 4.6646320985 0.00 0.00
          b vector = -2.3323160493 4.0396898966 0.00
          c vector = 0.00 0.00 18.895488655
      atom list{
          atoms{
              #tag element rx ry rz mobile
               C 0.66666667 0.33333333 0.0 1
               C 0.33333333 0.66666667 0.0 1
```

element list{

C 6 21894.5796 0.0 1.83

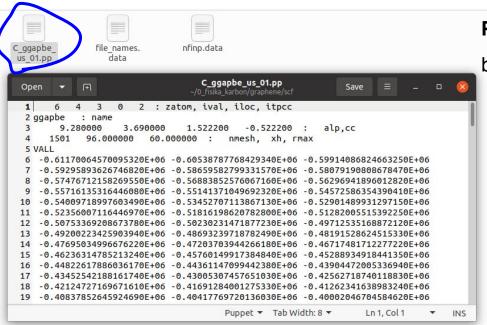
Block **Control**: mengatur **kondisi** kalkulasi (maksimal waktu kalkulasi, jenis kalkulasi dlsb)

Block **Accuracy**: mengatur **akurasi** kalkulasi (energi cut-off, jumlah band, jumlah kpoint dlsb)

> Block **Structure**: pengaturan **konfigurasi** struktur kristal, apakah kristal itu Silicon, Silicene dlsb, tergantung konfigurasi pada block tsb.

#tag element atomicnumber mass zeta deviation

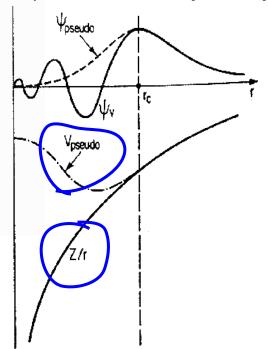
File pseudopotential



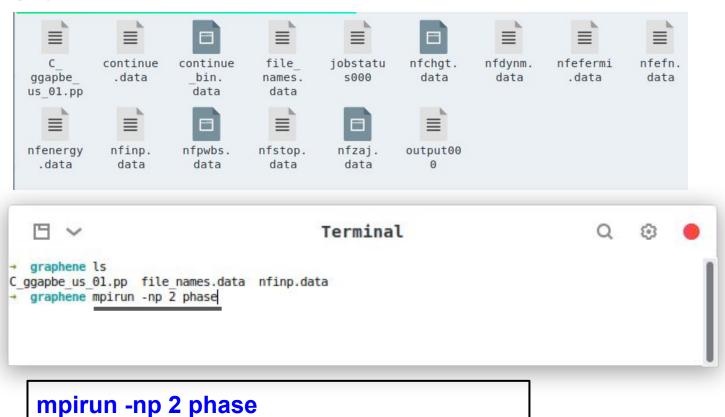
File pseudopotential ada di phase/samples

Pseudopotential digunakan untuk mengaproksimasi bentuk potential yang ekstrim.

Setiap Unsur memiliki pseudopotential sendiri.

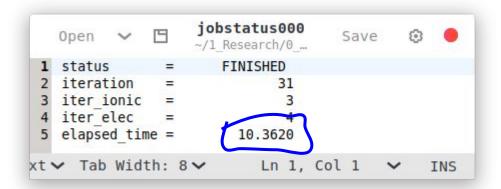


SCF

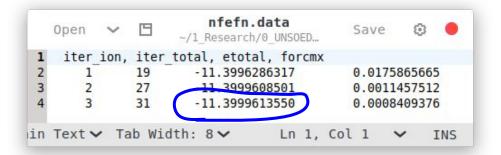


13

Kalkulasi SCF

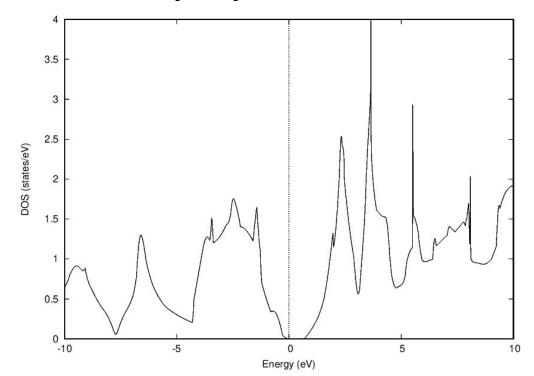


Kalkulasi telah selesai dengan waktu 10 detik



Energi Total -11.399 Hartree

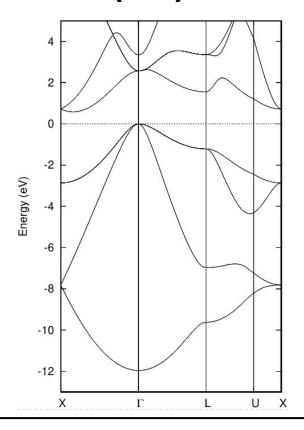
Silicon (3D) DOS



mpirun -np 2 ekcal

perl dos.pl dos.data -erange=-10,10 -color -with_fermi

Silicon (3D) Band Structure



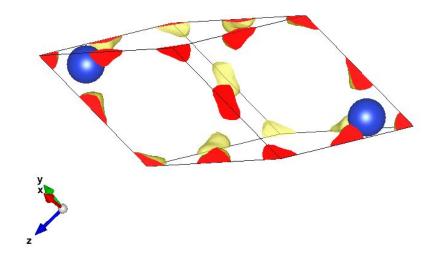
mpirun -np 2 ekcal

Berapa band gap dari silicene?

Material Silicene apakah termasuk konduktor atau semikonduktor?

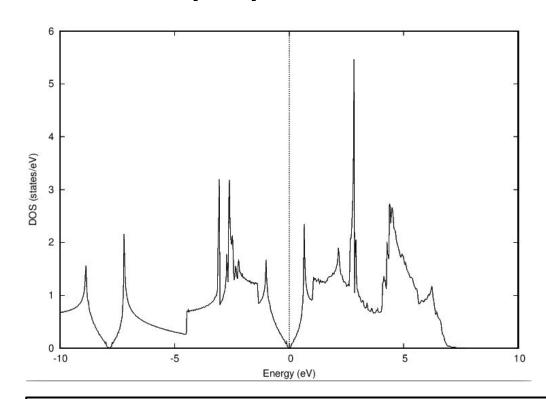
perl band.pl nfenergy.data bandkpt.in -with_fermi -color

Silicone (3D) Charge Density



- 1. Buka aplikasi Vesta
- 2. Masukan nfchr.cube dengan drag

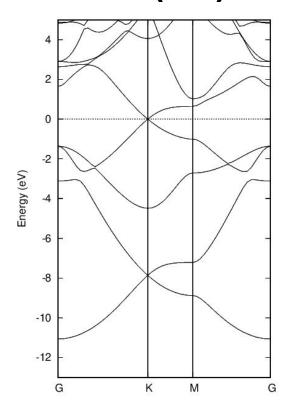
Silicene (2D) DOS



mpirun -np 2 ekcal

perl dos.pl dos.data -erange=-10,10 -color -with_fermi

Silicene (2D) Band Structure



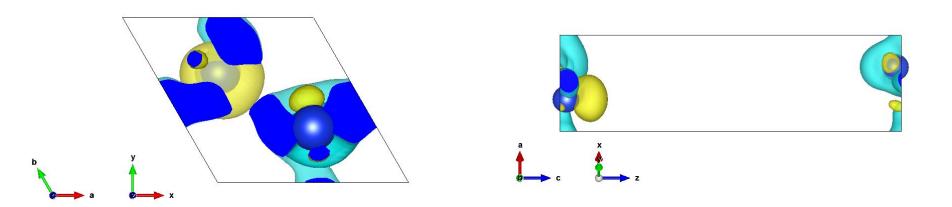
mpirun -np 2 ekcal

Berapa band gap dari silicene?

Material Silicene apakah termasuk konduktor atau semikonduktor?

perl band.pl nfenergy.data bandkpt.in -with_fermi -color

Silicene (2D) CDD

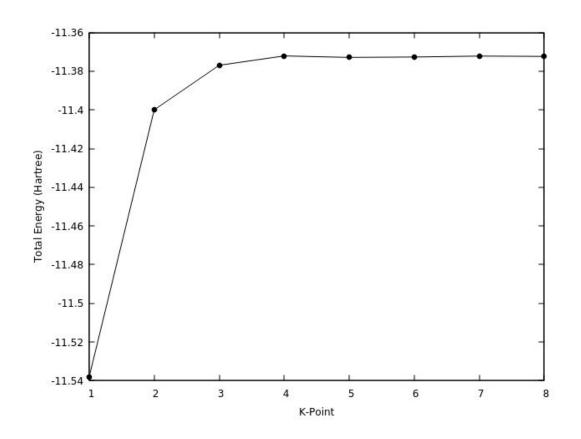


- 1. Buka aplikasi Vesta
- 2. Masukan nfchr.down.cube dengan drag
- 3. Pilih edit -> volumetric data -> import -> subtract -> nfchr.down.cube

Tugas!

- Pelajarilah aplikasi webmo!
- 2. Buatlah struktur molekul NO dengan webmo! Hasil adalah file POSCAR

Konvergensi Kpoint



Buatlah diagram konvergensi akurasi kpoint-mesh.

Dari 1x1x1, 2x2x1 ... s.d. 10x10x1!

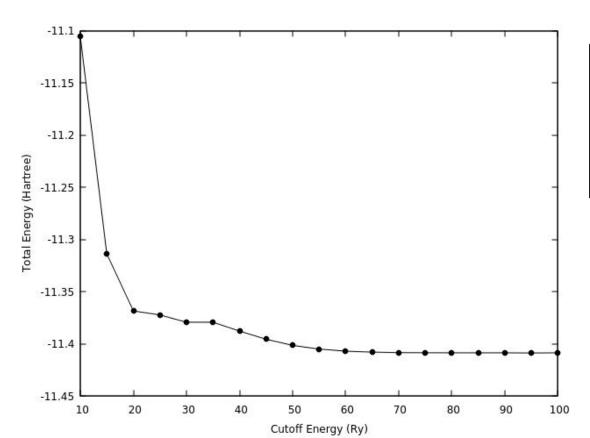
Visualisasi data (GNUPlot)

```
1 unset label
2 set title ""
3 set encoding iso_8859_1
4 set ylabel "Total Energy (Hartree)"
5 set xlabel "K-Point"
6 set style line 1 lt rgb "black" lw 1 pt 1
7 set style line 2 lc rgb 'black' pt 7
8 plot "dataK" using 1:2 title "" with lines ls 1 , \
9 "dataK" using 1:2 title "" with points ls 2
```

Plotting grafik dapat dilakukan dengan GnuPlot.

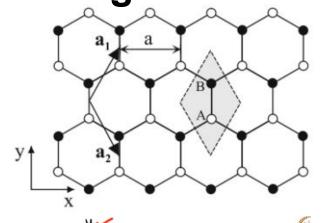


Konvergensi Energi Cutoff



Buatlah diagram konvergensi akurasi energi cutoff wavefunction dari 25 Ry, 30 Ry, ..., s.d. 100 Ry!

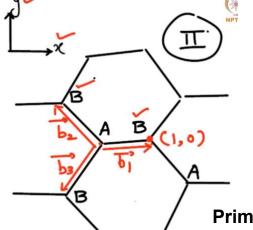
Hexagonal Lattice Structure



$$\vec{\mathbf{a_1}} = a_0(\frac{1}{2}\vec{\mathbf{x}} + \frac{\sqrt{3}}{2}\vec{\mathbf{y}})$$

$$\vec{\mathbf{a}_2} = a_0(\frac{1}{2}\vec{\mathbf{x}} - \frac{\sqrt{3}}{2}\vec{\mathbf{y}})$$





$$\vec{\mathbf{b_1}} = a_0(1.\vec{\mathbf{x}} + 0.\vec{\mathbf{y}})$$

$$\vec{\mathbf{b_2}} = a_0(-\frac{1}{2}\vec{\mathbf{x}} + \frac{\sqrt{3}}{2}\vec{\mathbf{y}})$$

Primitive Unit Cell Graphene