



Operational Amplifier Design

EE618 Course Project

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- In this project you will design an Op-Amp inspired from TI OPA344/345.
- Reference for the Op-Amp internal circuit configuration: OPA344/345 data sheet uploaded on Moodle with highlights, also available from TI website: [DATA SHEET](#)
- Use PTM 180nm CMOS technology model file. $V_{dd} = 1.8\text{ V}$, $V_{ss} = 0\text{ V}$. PTM model file: [Here](#)
- Notice: Use the following relations (λ : Grid size = 90 nm).
 1. $AS = 4\lambda \times W$ (for single-finger transistor)
 2. $PD = PS = 2 \times (4\lambda + W)$ (for single-finger transistor)
 3. $AD = 2\lambda \times W$ (for multi-finger transistor)
 4. $PD = PS = 4\lambda + W$ (for multi-finger transistor)
- Maximum transistor length in the design should not be more than $2\mu\text{m}$.
- In case, the transistor bulk connection is not mentioned: Bulk of NMOS transistor should be connected to VSS. Bulk of the PMOS transistor should be connected to the source of same transistor.
- **Note:** NGSPICE netlist for Op-amp is provided to you on Page 6 of this Project PDF. You can modify the template for your design. You have to mention the work contribution from each member of your group at the end of your report. The template for which is given on Page 5.

TARGET REQUIREMENTS AND SPECIFICATION

Note: These are different from data sheet specifications.

- Single ended output.
- Open loop small signal low-frequency voltage gain $> 100\text{ dB}$
- Unity gain bandwidth $> 10\text{ MHz}$
- Input CM voltage range: 100 mV to 1.7 V.
- Output voltage range: 100 mV to 1.7 V.
- Phase margin $> 60^\circ$ (Load capacitance = 5 pF).
- Slew rate $> 2\text{ V}/\mu\text{s}$ (Load capacitance = 5 pF).

Parameters

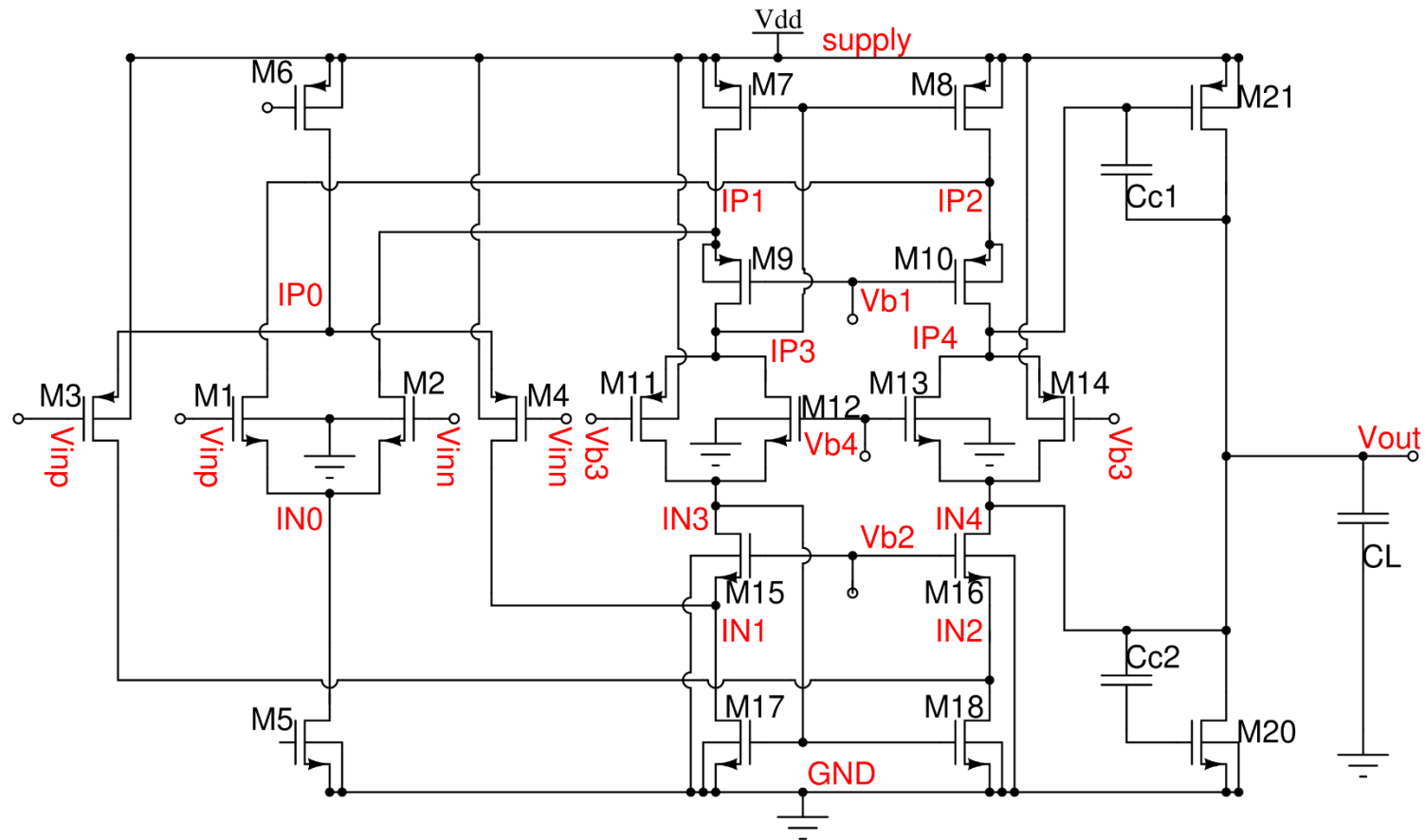
1	$\lambda_n = 0.05\text{V}^{-1}$	4	$\lambda_p = 0.1\text{V}^{-1}$
2	$k_n = 300\text{ }\mu\text{A}/\text{V}$	5	$k_p = 65\text{ }\mu\text{A}/\text{V}^2$
3	$V_{tn} = 0.3999\text{V}$	6	$V_p = 0.42\text{ V}$

Op-amp Architecture

The purpose of this course project is to design a rail-to-rail, two folded cascode stages Op-amp with Class-AB output stage

Circuit diagram (.PNG) is [here](#)

Xcircuit file (.ps) is [here](#)



1- Op-amp Design flow

1.1 Report the design flow of the op-amp in the form of step by step procedure. Design flow involves determining bias currents, voltages and size of transistors compatible with section 2 of this project using the information from Assignment 2.

Step 1 Find the I_{bias} from slew rate.

$$\frac{dV_{out}}{dt} = \frac{I_{bias}}{C_L} > 2 \frac{V}{\mu s}$$

$$\frac{I_{bias}}{5 \times 10^{-12}} > 2 \frac{V}{\mu s}$$

$$I_{bias} > 10 \times 10^{-6} A$$

$$\mathbf{I_{bias} = 60 \times 10^{-6} A}$$

Step 2 Find the maximum output current I_{oss}

$$I_{oss} \geq I_{bias} \left(1 + \frac{C_L}{C_c}\right)$$

$$\therefore \mathbf{I_{oss} = 150 \times 10^{-6} A}$$

Step 3 From unity gain bandwidth find minimum g_{m1} .

$$f_u = \frac{g_{m1}}{2 \times \pi \times C_c}$$

$$f_u > 10 \text{ MHz}$$

$$g_{m1} > 2 \times \pi \times C_c \times 10 \text{ MHz}$$

$$g_{m1} > 251 \times 10^{-6} S$$

Step 4 Frequency of non-dominant pole

$$f_{ND} = f_u \times \sqrt{3}$$

$$f_{ND} = \frac{g_{m19}}{2 \times \pi \times C_L}$$

$$\frac{g_{m19}}{2 \times \pi \times C_L} = \frac{g_{m1}}{2 \times \pi \times C_c} \times \sqrt{3}$$

$$\therefore g_{m19} = \frac{g_{m1} \times C_L}{C_c} \times \sqrt{3}$$

$$\therefore |V_{dsatp19}| = \frac{I_{19} \times 2}{g_{m19}}$$

Step 5 Assuming $|V_{dsatp19}| = |V_{dsatp10}|$

$$g_{m10} = \frac{2 \times I_{10}}{V_{dsatp19}} = \sqrt{3} \times \frac{g_{m1} \times I_{10} \times C_L}{I_{19} \times C_c}$$

Step 6 Required gain $A_v > 100 \text{ dB}$

$$A_v = A_{v1} \times A_{v2}$$

$$A_{v1} = -g_{m1} \times [g_{m10} \times r_{010} \times (r_{08} || r_{01})]$$

$$A_{v2} = -g_{m19} \times (r_{019} || r_{020})$$

Step 7 Find the gain

$$A_v, A_{v1}, A_{v2}$$

$$\lambda_n = 0.05 V^{-1}; \lambda_p = 0.1 V^{-1}$$

$$I_{bias} = 60 \times 10^{-6} A; I_1 = I_2 = 30 \times 10^{-6} A; I_7 = I_8 = 60 \times 10^{-6} A;$$

$$I_9 = I_{10} = 30 \times 10^{-6} A; I_{19} = I_{20} = 150 \times 10^{-6} A;$$

$$r_{01} = r_{02} = \frac{1}{\lambda_n \times I_1} = 667 \text{ k}\Omega$$

$$r_{08} = r_{07} = \frac{1}{\lambda_p \times I_8} = 167 \text{ k}\Omega$$

$$r_{010} = r_{09} = \frac{1}{\lambda_p \times I_{10}} = 334 \text{ k}\Omega$$

$$\begin{aligned}
r_{019} &= \frac{1}{\lambda_p \times I_{19}} = 69 \text{ k}\Omega \\
r_{020} &= \frac{1}{\lambda_n \times I_{20}} = 134 \text{ k}\Omega \\
\therefore A_{v1} &= -g_{m1} \times [g_{m10} \times r_{010} \times (r_{08} || r_{01})] \\
\text{But } g_{m10} &= \sqrt{3} \times \frac{g_{m1} \times I_{10} \times C_L}{I_{19} \times C_c} \\
\therefore A_{v1} &= -g_{m1} \times \left[\sqrt{3} \times \frac{g_{m1} \times I_{10} \times C_L}{I_{19} \times C_c} \times r_{010} \times (r_{08} || r_{01}) \right] \\
A_{v1} &= -g_{m1}^2 \times 1.9379 \times 10^{10} \\
A_{v2} &= -g_{m19} \times (r_{019} || r_{020}) \\
\text{But } g_{m19} &= \frac{g_{m1} \times C_L}{C_c} \times \sqrt{3} \\
\therefore A_{v2} &= -\frac{g_{m1} \times C_L}{C_c} \times \sqrt{3} \times (r_{019} || r_{020}) \\
\therefore A_{v2} &= -97.4278 \times 10^3 \times g_{m1} \\
\therefore A_v &= 1.888 \times 10^{15} \times g_{m1}^3 \\
\text{But } A_v &> 100 \text{ dB} = 100000 \\
\therefore \sqrt[3]{\frac{100000}{1.888 \times 10^{15}}} &< g_{m1}
\end{aligned}$$

$$\therefore \mathbf{375.54 \times 10^{-6} S < g_{m1}}$$

Step 8

Finding the g_{m1} value

Let choose the $|V_{dsatp19}| = 0.25 \text{ or } 3V$

$$|V_{dsatp19}| = \frac{I_{19} \times 2}{g_{m19}} = \frac{I_{19} \times 2}{\frac{g_{m1} \times C_L}{C_c} \times \sqrt{3}}$$

For $|V_{dsatp19}| = \mathbf{0.3V}$

$$\begin{aligned}
g_{m1} &= 460 \times 10^{-6} \text{ S} \\
g_{m19} = g_{m20} &= \frac{g_{m1} \times C_L}{C_c} \times \sqrt{3} = 996 \times 10^{-6} \text{ S} \\
f_{ND} &= \frac{g_{m19}}{2 \times \pi \times C_L} = 31.70 \times 10^6 \text{ Hz} \\
f_u &= \frac{g_{m1}}{2 \times \pi \times C_c} = 18.30 \times 10^6 \text{ Hz} \\
\text{PM} &= 180^\circ - 90^\circ - \tan^{-1} \left[\frac{w_u}{w_{ND}} \right] > 60^\circ
\end{aligned}$$

For $|V_{dsatp19}| = \mathbf{0.25V}$

$$\begin{aligned}
g_{m1} &= 555 \times 10^{-6} \text{ S} \\
g_{m19} = g_{m20} &= \frac{g_{m1} \times C_L}{C_c} \times \sqrt{3} = 1.2 \times 10^{-3} \text{ S} \\
f_{ND} &= \frac{g_{m19}}{2 \times \pi \times C_L} = 38.197 \times 10^6 \text{ Hz} \\
f_u &= \frac{g_{m1}}{2 \times \pi \times C_c} = 22.08 \times 10^6 \text{ Hz} \\
\text{PM} &= 180^\circ - 90^\circ - \tan^{-1} \left[\frac{w_u}{w_{ND}} \right] = \\
&59.96^\circ < 60^\circ
\end{aligned}$$

$$\therefore \mathbf{g_{m1} = 460 \times 10^{-6}}$$

$$\therefore \mathbf{A_{v1} = -4100}$$

$$\therefore \mathbf{A_{v2} = -42.81}$$

$$\therefore \mathbf{A_v = 183748.8308 = 105.28dB}$$

Step 9

Find required g_m values to calculate W/L ratio

$$\begin{aligned}
g_{m19} = g_{m20} &= \frac{g_{m1} \times C_L}{C_c} \times \sqrt{3} = \sqrt{3} \times \frac{460 \times 10^{-6} \times 5}{4} = 996 \times 10^{-6} \text{ S} \\
\therefore f_u &= \frac{460 \times 10^{-6}}{2 \times \pi \times 4 \times 10^{-12}} \\
\therefore \mathbf{f_u = 18.30 \times 10^6 \text{ Hz}} \\
\therefore f_{ND} &= \frac{996 \times 10^{-6}}{2 \times \pi \times 5 \times 10^{-12}} \\
\therefore \mathbf{f_{ND} = 31.70 \times 10^6 \text{ Hz}}
\end{aligned}$$

Step 10 Calculate V_{dsat} and $\frac{W}{L}$ of all transistors.

$$|V_{dsatp19}| = \frac{I_{19} \times 2}{g_{m19}} = \frac{150 \times 10^{-6} \times 2}{996 \times 10^{-6}} \cong 0.3V$$

$$\therefore |V_{dsatp19}| = |V_{dsatn20}| = 0.3V$$

$$\text{Assuming, } |V_{dsatp11}| = |V_{dsatn14}| = 0.3 \text{ and } I_{11} = I_{14} = 30 \times 10^{-6}A$$

$$\therefore g_{m11} = \frac{2 \times I_{11}}{V_{dsatp11}} = 200 \times 10^{-6}S$$

$$\left(\frac{W}{L}\right)_{11} = \left(\frac{W}{L}\right)_{14} = \frac{g_{m11}^2}{2 \times I_{11} \times k_p} = \frac{(200 \times 10^{-6})^2}{2 \times 30 \times 10^{-6} \times k_p} = \frac{10.25}{1}$$

$$\left(\frac{W}{L}\right)_{12} = \left(\frac{W}{L}\right)_{13} = \left(\frac{W}{L}\right)_{11} \times \frac{k_p}{k_n} = \frac{2.22}{1}$$

$$V_{dsatn12} = V_{dsatn13} = \sqrt{\frac{2 \times I_{12}}{k_n \times \left(\frac{W}{L}\right)_{12}}} = 0.3V$$

$$\text{Assuming, } |V_{dsatp10}| = |V_{dsatn9}| = 0.3 \text{ and } I_{10} = I_9 = 30 \times 10^{-6}A$$

$$\therefore g_{m10} = g_{m9} = \frac{2 \times I_{10}}{V_{dsatp10}} = 200 \times 10^{-6}S$$

$$\left(\frac{W}{L}\right)_{10} = \left(\frac{W}{L}\right)_9 = \frac{g_{m10}^2}{2 \times I_{10} \times k_p} = \frac{(200 \times 10^{-6})^2}{2 \times 30 \times 10^{-6} \times k_p} = \frac{10.25}{1}$$

$$\text{Assuming, } |V_{dsatp8}| = |V_{dsatn7}| = 0.3 \text{ and } I_8 = I_7 = 60 \times 10^{-6}A$$

$$\therefore g_{m8} = g_{m7} = \frac{2 \times I_8}{V_{dsatp8}} = 400 \times 10^{-6}S$$

$$\left(\frac{W}{L}\right)_8 = \left(\frac{W}{L}\right)_7 = \frac{g_{m8}^2}{2 \times I_8 \times k_p} = \frac{(400 \times 10^{-6})^2}{2 \times 60 \times 10^{-6} \times k_p} = \frac{20.51}{1}$$

$$\left(\frac{W}{L}\right)_{18} = \left(\frac{W}{L}\right)_{17} = \left(\frac{W}{L}\right)_8 \times \frac{k_p}{k_n} = \frac{4.5}{1}$$

$$I_{18} = I_{17} = 60 \times 10^{-6}A$$

$$V_{dsatn17} = V_{dsatn18} = \sqrt{\frac{2 \times I_{17}}{k_n \times \left(\frac{W}{L}\right)_{17}}} = 0.3V$$

$$\left(\frac{W}{L}\right)_1 = \left(\frac{W}{L}\right)_2 = \frac{g_{m1}^2}{2 \times I_1 \times k_n} = \frac{(460 \times 10^{-6})^2}{2 \times 30 \times 10^{-6} \times k_n} = \frac{11.75}{1}$$

$$V_{dsatn1} = V_{dsatn2} = \sqrt{\frac{2 \times I_1}{k_n \times \left(\frac{W}{L}\right)_1}} = 0.13V$$

$$\left(\frac{W}{L}\right)_3 = \left(\frac{W}{L}\right)_4 = \left(\frac{W}{L}\right)_1 \times \frac{k_n}{k_p} = \frac{54.23}{1}$$

$$V_{dsatp3} = V_{dsatp4} = \sqrt{\frac{2 \times I_3}{k_p \times \left(\frac{W}{L}\right)_3}} = 0.13V$$

$$I_5 = I_6 = 60 \times 10^{-6} A ; V_{dsatn5} = V_{dsatn6} = 0.3V$$

$$\left(\frac{W}{L}\right)_5 = \frac{2 \times I_5}{k_n \times V_{dsatn5}^2} = \frac{4.5}{1}$$

$$\left(\frac{W}{L}\right)_6 = \frac{2 \times I_6}{k_p \times V_{dsatn6}^2} = \frac{20.51}{1}$$

$$\left(\frac{W}{L}\right)_{15} = \left(\frac{W}{L}\right)_{16} = \left(\frac{W}{L}\right)_{10} \times \frac{k_p}{k_n} = \frac{2.22}{1}$$

$$V_{dsatn15} = V_{dsatn16} = \sqrt{\frac{2 \times I_{15}}{k_n \times \left(\frac{W}{L}\right)_{15}}} = 0.3V$$

$$\left(\frac{W}{L}\right)_{19} = \frac{g_{m19}^2}{2 \times I_{19} \times k_p} = \frac{(996 \times 10^{-6})^2}{2 \times 150 \times 10^{-6} \times k_p} = \frac{50.87}{1}$$

$$\left(\frac{W}{L}\right)_{20} = \left(\frac{W}{L}\right)_{19} \times \frac{k_p}{k_n} = \frac{11.02}{1}$$

$$V_{dsatp19} = \sqrt{\frac{2 \times I_{19}}{k_p \times \left(\frac{W}{L}\right)_{19}}} = 0.3V$$

$$V_{dsatn20} = \sqrt{\frac{2 \times I_{20}}{k_n \times \left(\frac{W}{L}\right)_{20}}} = 0.3V$$

Step 11 Calculation of biasing voltages

$$V_{bp} = V_{dd} - V_{dsatp6} - |V_{Tp}|$$

$$\therefore V_{bp} = 1.8 - 0.2956 - 0.42 = 1.085V$$

$$V_{bn} = V_{dsatn5} - V_{Tn} = 0.6971V$$

$$V_{b1} = V_{dd} - |V_{dsatp7}| - |V_{dsatp7}| - |V_{Tp}| \cong 0.78$$

$$V_{b2} = V_{dsatn15} + V_{dsatn17} + V_{Tn} = 0.9799$$

Calculation for V_{b3}

$$V_{s11} = 1.2V ; V_{d11} = 0.6V$$

$$\therefore 1.2 - 0.6 = 1.2 - V_{b3} - 0.42$$

$$V_{b3} = 0.18V$$

Calculation for V_{b4}

$$V_{b4} = V_{dsatn12} + V_{dsatn15} + V_{dsatn17} + V_{Tn} = 1.2628V$$

1.2 Write size of transistors in a table.

Conclusion of above calculation and simulation values

Transistor	V_{dsat} (V)	I_D (μA)		g_m (μS)		W/L	
		Calc.	Sim.	Calc.	Sim.	Calc.	Sim.
1	0.13	30	18.18	460	262.66	11.75	12
2	0.13	30	18.18	460	262.66	11.75	12
3	0.13	30	16.97	460	287	54.23	54
4	0.13	30	16.97	460	287	54.23	54
5	0.3	60	36.37	400	246	4.5	4.5
6	0.3	60	33.96	400	254	20.51	21
7	0.3	60	37.74	400	266	20.51	21
8	0.3	60	37.74	400	266	20.51	21
9	0.3	30	19.56	200	141.9	10.25	11
10	0.3	30	19.56	200	141.9	10.25	11
11	0.3	30	19.21	300	138	10.25	11
12	0.3	30	34.36	300	7.50	2.22	2.5
13	0.3	30	34.36	300	7.50	2.22	2.5
14	0.3	30	19.21	300	138	10.25	11
15	0.3	30	19.56	200	135	2.22	2.5
16	0.3	30	19.56	200	135	2.22	2.5
17	0.3	60	36.54	400	231	4.5	4.5
18	0.3	60	36.54	400	231	4.5	4.5
19	0.3	150	98.59	996	698	50.87	51
20	0.3	150	98.59	996	656	11.02	11

Biasing Voltages	Calculated (V)	Observed in Simulation
V_{bp}	1.085	1.091
V_{bn}	0.6971	0.6917
V_{b1}	0.78	0.7875
V_{b2}	0.9799	0.984
V_{b3}	0.18	0.186
V_{b4}	1.2628	0.1279

Observation: While simulating OPAMP circuit. We came to know that the constant parameter taken as constants are changing in simulation environment. The calculations of W/L is approximated as few of the other parameters like body bias effect and channel length modulation were ignored during hand calculation. Therefore, we are getting output as per specified requirements of Unity gain bandwidth, Phase margin, gain and slew rate. But the current and overdrive voltage are deviated from their actual values due to change in constant parameters. Because of this transconductance is also changed in simulation environment.

1.3 The design procedure may not succeed in one step. So simply show how you repeated the design to finally achieve the target specifications.

As mention in above in observation, Calculated Values not matching with simulation.

So, the calculation done few times to get close to required output with minimum deviation

1. Iteration is done for different I_{bias} like $30\ \mu A$, $40\ \mu A$, and $60\ \mu A$. From this we calculated g_m values which suitable for unity gain bandwidth, frequency of 1st non-dominant pole.
2. After assuming each branch currents. Iteration is done for different overdrive voltages like 0.2V, 0.25V, 0.3V. These voltages are assumed for some transistors and rest overdrive calculated. From Overdrive voltages W/L and g_m for all transistors calculated.
3. We faced a problem while calculating Biasing voltage. Specifically, V_{b3} and V_{b4} . As we mention considered constant parameters are deviating their mention values. In the circuit 0.01V change in biasing voltages caused significant changes in current, gain and phase margin. It was difficult to set this biasing voltage as small changes in their voltages showing resulted in undesired simulation output.

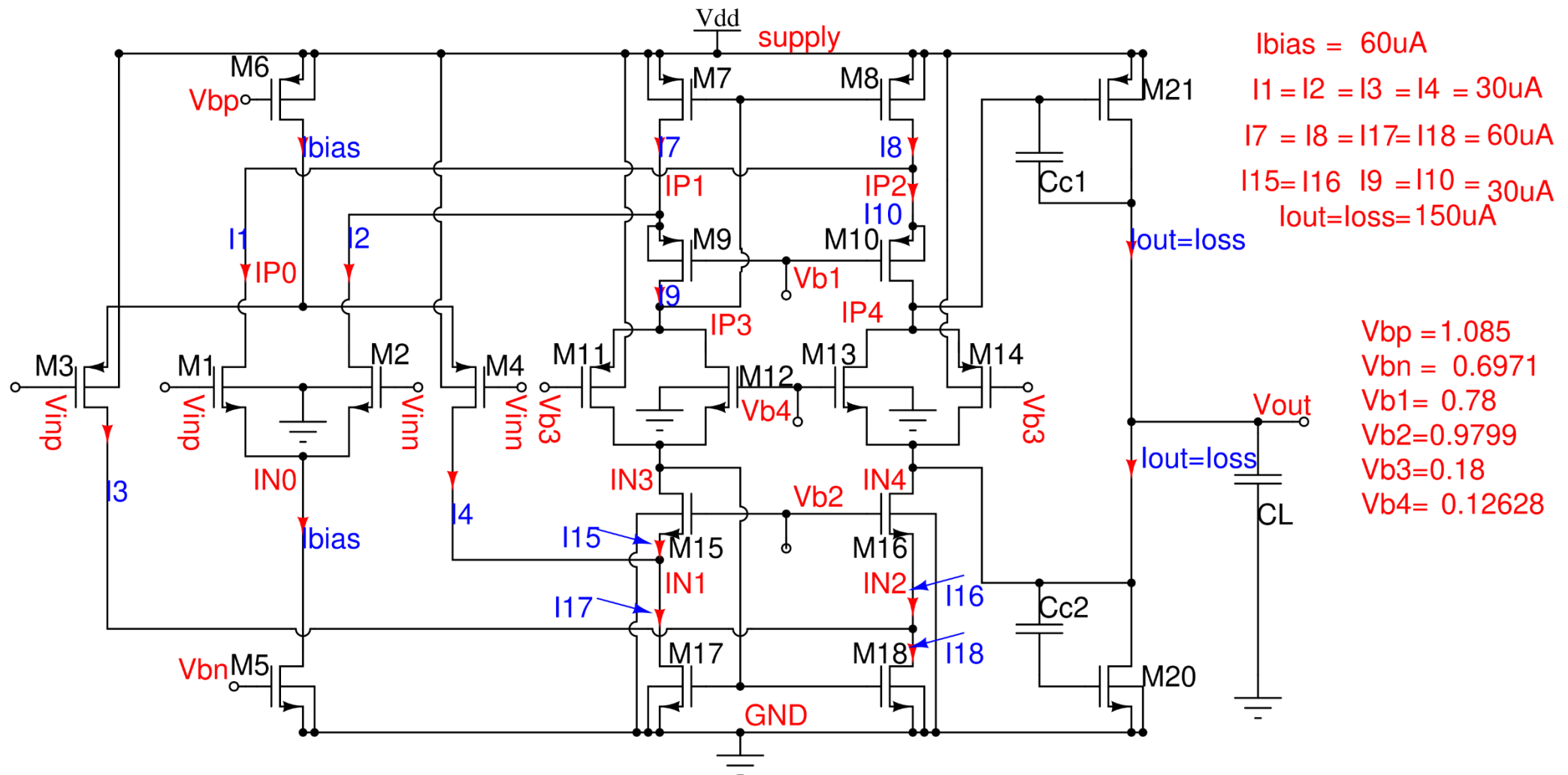
Design Procedure:

- Find the minimum current for bias current and output current.
- Determine minimum transconductance of transistor M1(input).
- State the parameters like transconductance, overdrive voltages, gains in terms of the bias current, output current and transconductance of transistor M1 or input transistor transconductance.
- Keeping in mind output swing assuming the values of overdrive voltages of last stage or output stage. Find the as many parameters as possible. Compare them, take which look optimum.
- Assumption is all transistor in saturation. So, using saturation region equations find the parameters from designing.

1.4 Clearly show bias currents and voltages on the schematic.

Circuit diagram (.PNG) is [here](#)

Xcircuit file (.ps) is [here](#)



2- Reference Generator Circuit Design

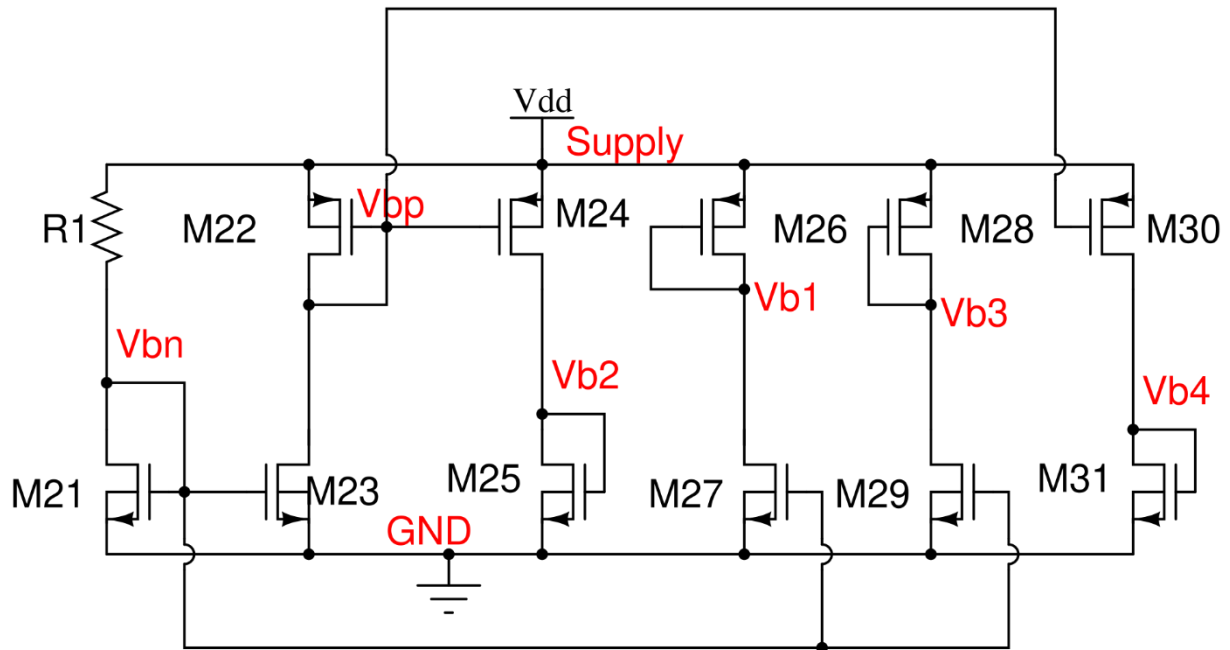
In this section of the project, you will design a reference generator circuit of your choice.

Reference generator circuit includes generating reference current (I_{ref}) first and then use current mirroring to generate bias voltages: V_{bn} , V_{bp} and V_{b1} to V_{b4}

Circuit diagram (.PNG) is [here](#).

Xcircuit file (.ps) is [here](#).

2.1 Draw the reference generator circuit which includes generating reference current (I_{ref}) and use current mirroring to generate other bias voltages for Op-amp.



2.2 Report the step by step design procedure for reference generator circuit.

Step 1 Current through M21 is $I_{21} = 60\mu A$

Current mirroring using Biasing voltage V_{bn} , V_{bp} .

$$I_{21} = \frac{k_n}{2} \times \left(\frac{W}{L}\right)_{21} \times (V_{bn} - V_{Tn})^2$$

$$60 \times 10^{-6} = \frac{300 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{21} \times (0.697 - 0.399)^2$$

$$\left(\frac{W}{L}\right)_{21} = \frac{4.504}{1}$$

M21 copies current into M23 branch therefor current through M22 is $I_{22} = 60\mu A$

For M_{22} ,

$$I_{22} = \frac{k_p}{2} \times \left(\frac{W}{L}\right)_{22} \times (V_{dd} - V_{bp} - |V_{Tp}|)^2$$

$$60 \times 10^{-6} = \frac{65 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{22} \times (1.8 - 1.085 - 0.42)^2$$

$$\left(\frac{W}{L}\right)_{22} = \frac{21.21}{1}$$

Step 2 Calculation for half current thorough M24

For M_{23} , $I_{23} = 60\mu A$

$$I_{23} = \frac{k_n}{2} \times \left(\frac{W}{L}\right)_{23} \times (V_{bn} - V_{Tn})^2$$

$$30 \times 10^{-6} = \frac{300 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{23} \times (0.697 - 0.3999)^2$$

$$\left(\frac{W}{L}\right)_{23} = \frac{4.5}{1}$$

For M_{24} , $I_{24} = 30\mu A$

$$I_{24} = \frac{k_p}{2} \times \left(\frac{W}{L}\right)_{24} \times (V_{dd} - V_{bp} - |V_{Tp}|)^2$$

$$30 \times 10^{-6} = \frac{65 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{24} \times (1.8 - 1.085 - 0.42)^2$$

$$\left(\frac{W}{L}\right)_{24} = \frac{10.60}{1}$$

Current mirroring using Biasing voltage V_{b2}

For M_{25} , $I_{25} = 30\mu A$

$$I_{25} = \frac{k_n}{2} \times \left(\frac{W}{L}\right)_{25} \times (V_{b2} - V_{Tn})^2$$

$$30 \times 10^{-6} = \frac{300 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{25} \times (0.9799 - 0.3999)^2$$

$$\left(\frac{W}{L}\right)_{25} = \frac{0.5945}{1}$$

Step 3 Calculation for half current thorough M27

For M_{27} , $I_{27} = 30\mu A$

$$I_{27} = \frac{k_n}{2} \times \left(\frac{W}{L}\right)_{27} \times (V_{bn} - V_{Tn})^2$$

$$30 \times 10^{-6} = \frac{300 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{27} \times (0.697 - 0.399)^2$$

$$\left(\frac{W}{L}\right)_{27} = \frac{2.26}{1}$$

Current mirroring using Biasing voltage V_{b1}

For M_{26} , $I_{26} = 30\mu A$

$$I_{26} = \frac{k_p}{2} \times \left(\frac{W}{L}\right)_{26} \times (V_{dd} - V_{b1} - |V_{Tp}|)^2$$

$$30 \times 10^{-6} = \frac{65 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{26} \times (1.8 - 0.78 - 0.42)^2$$

$$\left(\frac{W}{L}\right)_{26} = \frac{1.538}{1}$$

Step 4 Current mirroring using Biasing voltage V_{b3}

$$\left(\frac{W}{L}\right)_{29} = \left(\frac{W}{L}\right)_{21} = \frac{4.504}{1}$$

$$I_{28} = \frac{k_p}{2} \times \left(\frac{W}{L}\right)_{28} \times (V_{dd} - V_{b3} - |V_{Tp}|)^2$$

$$60 \times 10^{-6} = \frac{65 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{28} \times (1.8 - 0.19 - 0.42)^2$$

$$\left(\frac{W}{L}\right)_{28} = \frac{1.303}{1}$$

Step 5 Current mirroring using Biasing voltage V_{b4}

For M_{31} , $I_{31} = 60\mu A$

$$I_{31} = \frac{k_n}{2} \times \left(\frac{W}{L}\right)_{31} \times (V_{b4} - V_{Tn})^2$$

$$60 \times 10^{-6} = \frac{300 \times 10^{-6}}{2} \times \left(\frac{W}{L}\right)_{31} \times (1.28 - 0.3999)^2$$

$$\left(\frac{W}{L}\right)_{31} = \frac{0.5164}{1}$$

$$\left(\frac{W}{L}\right)_{30} = \left(\frac{W}{L}\right)_{22} = \frac{21.21}{1}$$

Step 6 Calculation of R

$$I_R = \frac{\mu_n \times C_{ox}}{2} \times \left(\frac{W}{L}\right) \times (V_{dd} - R \times I_R - V_{Tn})^2$$

$$R \times I_R = V_{dd} - V_{Tn} - \sqrt{\frac{2 \times I_R}{\mu_n \times C_{ox} \times \left(\frac{W}{L}\right)}} = 1.102857$$

$$\mathbf{R = 18.30k\Omega}$$

2.3 Tabulate the size of transistors used in the circuit.

Transistors	Sizes	Simulation Size
M21	4.504	7.5
M22	21.21	38
M23	4.504	7.5
M24	10.60	10.60
M25	0.5945	0.58
M26	1.538	2.3
M27	2.26	2
M28	1.303	2.1
M29	4.504	7.5
M30	21.21	38
M31	0.5164	1

Observation: In the simulation with calculated values of W/L is showing wrong biasing voltages which results in incorrect output of OPAMP circuit. Therefore, Transistor values are changed so the OPAMP will work properly.

Source code is [here](#)

For the following questions:

```

1  *CMOS PROJECT
2  .param lpn = 1u
3  .param lambda = 90n
4  .param w1 = 12u
5  *WL1 WL2
6  .param w2 = 54u
7  *WL3 WL4
8  .param w3 = 4.5u
9  *WL5
10 .param w4 = 21u
11 *WL6
12 .param w5 = 21u
13 *WL7 WL8
14 .param w6 = 11u
15 *WL9 WL10
16 .param w7 = 2.5u
17 *WL15 WL16
18 .param w8 = 4.5u
19 *WL17 WL18
20 .param w9 = 51u
21 *WL19
22 .param w10 = 11u
23 *WL20
24 .param w11 = 2.5u
25 *WL12 WL13
26 .param w12 = 11u
27 *WL11 WL14
28 .param w21 = 7.5u
29 .param w23 = 7.5u
30 .param w25 = 0.58u
31 .param w27 = 2u
32 .param w22 = 38u
33 .param w24 = 10.60u
34 .param w26 = 2.3u
35 .param w28 = 2.1u
36 .param w29 = 7.5u
37 .param w30 = 38u
38 .param w31 = 1u
39 ***

```

In this snippet, All the W/L is mentioned for OPAMP and Reference current generator

Below snippet is for NMOS configuration in OPAMP.

```

40 M1 IP2 Vinp IN0 0 NMOS
41 + L={lpn} W={w1} AD={4*lambda*w1} AS={4*lambda*w1}
42 + PD={2*w1+8*lambda} PS={2*w1+8*lambda}
43 M2 IP1 Vinn IN0 0 NMOS
44 + L={lpn} W={w1} AD={4*lambda*w1} AS={4*lambda*w1}
45 + PD={2*w1+8*lambda} PS={2*w1+8*lambda}
46 M5 IN0 Vbn 0 0 NMOS
47 + L={lpn} W={w3} AD={4*lambda*w3} AS={4*lambda*w3}
48 + PD={2*w3+8*lambda} PS={2*w3+8*lambda}
49 ****
50
51 M12 IP3 Vb4 IN3 0 NMOS
52 + L={lpn} W={w11} AD={4*lambda*w11} AS={4*lambda*w11}
53 + PD={2*w11+8*lambda} PS={2*w11+8*lambda}
54 M13 IP4 Vb4 IN4 0 NMOS
55 + L={lpn} W={w11} AD={4*lambda*w11} AS={4*lambda*w11}
56 + PD={2*w11+8*lambda} PS={2*w11+8*lambda}
57 M15 IN3 Vb2 IN1 0 NMOS
58 + L={lpn} W={w7} AD={4*lambda*w7} AS={4*lambda*w7}
59 + PD={2*w7+8*lambda} PS={2*w7+8*lambda}
60 M16 IN4 Vb2 IN2 0 NMOS
61 + L={lpn} W={w7} AD={4*lambda*w7} AS={4*lambda*w7}
62 + PD={2*w7+8*lambda} PS={2*w7+8*lambda}
63 M17 IN1 IN3 0 0 NMOS
64 + L={lpn} W={w8} AD={4*lambda*w8} AS={4*lambda*w8}
65 + PD={2*w8+8*lambda} PS={2*w8+8*lambda}
66 M18 IN2 IN3 0 0 NMOS
67 + L={lpn} W={w8} AD={4*lambda*w8} AS={4*lambda*w8}
68 + PD={2*w8+8*lambda} PS={2*w8+8*lambda}
69 ***
70
71 M20 Vout IN4 0 0 NMOS
72 + L={lpn} W={w10} AD={4*lambda*w10} AS={4*lambda*w10}
73 + PD={2*w10+8*lambda} PS={2*w10+8*lambda}
74 ****#####

```

Below snippet is for PMOS configuration in OPAMP.

```

77 M3 IN2 Vinp IP0 supply PMOS
78 + L={lpn} W={w2} AD={4*lambda*w2} AS={4*lambda*w2}
79 + PD={2*w2+8*lambda} PS={2*w2+8*lambda}
80 M4 IN1 Vinn IP0 supply PMOS
81 + L={lpn} W={w2} AD={4*lambda*w2} AS={4*lambda*w2}
82 + PD={2*w2+8*lambda} PS={2*w2+8*lambda}
83 M6 IP0 Vbp supply supply PMOS
84 + L={lpn} W={w4} AD={4*lambda*w4} AS={4*lambda*w4}
85 + PD={2*w4+8*lambda} PS={2*w4+8*lambda}
86 ****
87 M7 IP1 IP3 supply supply PMOS
88 + L={lpn} W={w5} AD={4*lambda*w5} AS={4*lambda*w5}
89 + PD={2*w5+8*lambda} PS={2*w5+8*lambda}
90 M8 IP2 IP3 supply supply PMOS
91 + L={lpn} W={w5} AD={4*lambda*w5} AS={4*lambda*w5}
92 + PD={2*w5+8*lambda} PS={2*w5+8*lambda}
93 M9 IP3 Vb1 IP1 IP1 PMOS
94 + L={lpn} W={w6} AD={4*lambda*w6} AS={4*lambda*w6}
95 + PD={2*w6+8*lambda} PS={2*w6+8*lambda}
96 M10 IP4 Vb1 IP2 IP2 PMOS
97 + L={lpn} W={w6} AD={4*lambda*w6} AS={4*lambda*w6}
98 + PD={2*w6+8*lambda} PS={2*w6+8*lambda}
99 M11 IN3 Vb3 IP3 supply PMOS
100 + L={lpn} W={w12} AD={4*lambda*w12} AS={4*lambda*w12}
101 + PD={2*w12+8*lambda} PS={2*w12+8*lambda}
102 M14 IN4 Vb3 IP4 supply PMOS
103 + L={lpn} W={w12} AD={4*lambda*w12} AS={4*lambda*w12}
104 + PD={2*w12+8*lambda} PS={2*w12+8*lambda}
105 *****
106 M19 Vout IP4 supply supply PMOS
107 + L={lpn} W={w9} AD={4*lambda*w9} AS={4*lambda*w9}
108 + PD={2*w9+8*lambda} PS={2*w9+8*lambda}
109
110 *****#####

```


Below snippet is for Transistor configuration in Reference generator.

```

111  *#####
112  M21 Vbn Vbn 0 0 NMOS
113  + L={lpn} W={w21} AD={4*lambda*w21} AS={4*lambda*w21}
114  + PD={2*w21+8*lambda} PS={2*w21+8*lambda}
115  M23 Vbp Vbn 0 0 NMOS
116  + L={lpn} W={w23} AD={4*lambda*w23} AS={4*lambda*w23}
117  + PD={2*w23+8*lambda} PS={2*w23+8*lambda}
118  M22 Vbp Vbp supply supply PMOS
119  + L={lpn} W={w22} AD={4*lambda*w22} AS={4*lambda*w22}
120  + PD={2*w22+8*lambda} PS={2*w22+8*lambda}
121  M24 Vb2 Vbp supply supply PMOS
122  + L={lpn} W={w24} AD={4*lambda*w24} AS={4*lambda*w24}
123  + PD={2*w24+8*lambda} PS={2*w24+8*lambda}
124  M26 Vb1 Vb1 supply supply PMOS
125  + L={lpn} W={w26} AD={4*lambda*w26} AS={4*lambda*w26}
126  + PD={2*w26+8*lambda} PS={2*w26+8*lambda}
127  M25 Vb2 Vb2 0 0 NMOS
128  + L={lpn} W={w25} AD={4*lambda*w25} AS={4*lambda*w25}
129  + PD={2*w25+8*lambda} PS={2*w25+8*lambda}
130  M27 Vb1 Vbn 0 0 NMOS
131  + L={lpn} W={w27} AD={4*lambda*w27} AS={4*lambda*w27}
132  + PD={2*w27+8*lambda} PS={2*w27+8*lambda}
133
134  M28 Vb3 Vb3 supply supply PMOS
135  + L={lpn} W={w28} AD={4*lambda*w28} AS={4*lambda*w28}
136  + PD={2*w28+8*lambda} PS={2*w28+8*lambda}
137  M29 Vb3 Vbn 0 0 NMOS
138  + L={lpn} W={w29} AD={4*lambda*w29} AS={4*lambda*w29}
139  + PD={2*w29+8*lambda} PS={2*w29+8*lambda}
140
141  M30 Vb4 Vbp supply supply PMOS
142  + L={lpn} W={w30} AD={4*lambda*w30} AS={4*lambda*w30}
143  + PD={2*w30+8*lambda} PS={2*w30+8*lambda}
144  M31 Vb4 Vb4 0 0 NMOS
145  + L={lpn} W={w31} AD={4*lambda*w31} AS={4*lambda*w31}
146  + PD={2*w31+8*lambda} PS={2*w31+8*lambda}
147  *****

```

Snippet for resistor and capacitor connection.

```

149  R1 supply Vbn 17.5k
150  Cc1 IP4 Vout 4p
151  Cc2 IN4 Vout 4p
152  CL Vout 0 5p
153  *****

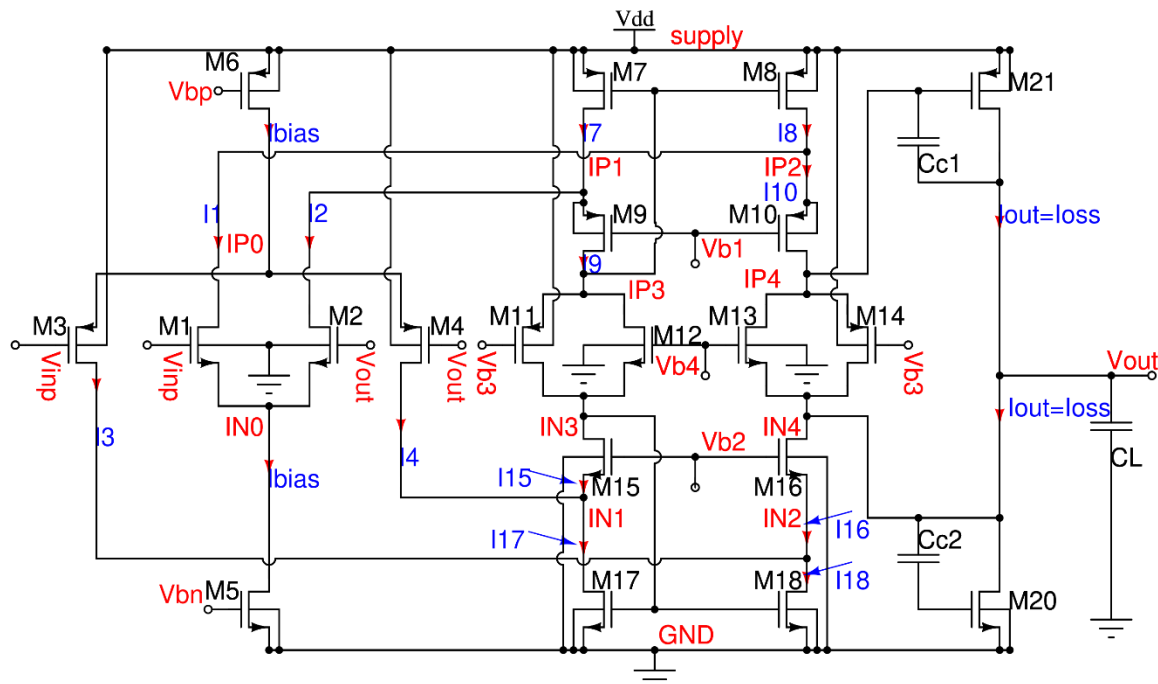
```

3- DC Simulations

3.1 Connect the Op-amp in closed loop mode with voltage gain of -1 and apply DC common mode voltage (V_{cm}) at positive terminal of Op-amp.

Xcircuit file is [here](#).

Circuit Diagram is [here](#).



3.2 Run DC simulations on Op-amp including reference generator and find DC operating points. Snippet for the DC simulation

NGSPICE code for this question is [here](#)

```

153 *****
154 VDD supply 0 dc 1.8
155 vd Int6 0 dc 0 ac 2
156 Evid1 Vinp Int Int6 0 0
157 Evid2 Vinn Int Int6 0 0
158 vcm Int 0 dc 0.9
159 .include 180nm_bulk.txt
160 .dc vcm 0.9 0.9 0.9
161 .control
162 run
163 PRINT V(Vout) V(Vinn) V(Vinp)
164 PRINT V(IN0) V(IN1) V(IN2) V(IN3) V(IN4)
165 PRINT V(IP0) V(IP1) V(IP2) V(IP3) V(IP4)
166 PRINT @M1[ID] @M2[ID] @M3[ID] @M4[ID]
167 PRINT @M5[ID] @M6[ID] @M7[ID] @M8[ID]
168 PRINT @M9[ID] @M10[ID] @M11[ID] @M12[ID]
169 PRINT @M13[ID] @M14[ID] @M15[ID] @M16[ID]
170 PRINT @M17[ID] @M18[ID] @M19[ID] @M20[ID]
171 PRINT V(Vbp) V(Vbn) V(Vb1) V(Vb2) V(Vb3) V(Vb4)
172 PRINT @M21[ID] @M23[ID] @M24[ID] @M27[ID] @M31[ID] @M30[ID]
173
174 .ENDC
175 .END
176

```

3.3 DC operating points should clearly show all the node voltages and currents.

- **Node voltages and currents for reference current circuit.**

$V_{bp}(V)$	1.0911	$I_{21}(\mu A)$	63.30
$V_{bn}(V)$	0.6917	$I_{23}(\mu A)$	65.51
$V_{b1}(V)$	0.7875	$I_{24}(\mu A)$	18.51
$V_{b2}(V)$	0.98445	$I_{27}(\mu A)$	17.50
$V_{b3}(V)$	0.1862	$I_{30}(\mu A)$	63.95
$V_{b4}(V)$	1.279	$I_{31}(\mu A)$	63.95

- **Node voltages and currents for OPAMP circuit.**

$I_1(\mu A)$	18.18	$I_{12}(\mu A)$	34.36	$V_{out}(V)$	0.9
$I_2(\mu A)$	18.18	$I_{13}(\mu A)$	32.18	$V_{in0}(V)$	0.296
$I_3(\mu A)$	16.98	$I_{14}(\mu A)$	19.24	$V_{in1}(V)$	0.22997
$I_4(\mu A)$	16.98	$I_{15}(\mu A)$	19.56	$V_{in2}(V)$	0.23
$I_5(\mu A)$	36.37	$I_{16}(\mu A)$	19.56	$V_{in3}(V)$	0.696866
$I_6(\mu A)$	33.96	$I_{17}(\mu A)$	36.54	$V_{in4}(V)$	0.69926
$I_7(\mu A)$	37.74	$I_{18}(\mu A)$	36.54	$V_{ip0}(V)$	1.525
$I_8(\mu A)$	37.74	$I_{19}(\mu A)$	99.47	$V_{ip1}(V)$	1.505
$I_9(\mu A)$	19.56	$I_{20}(\mu A)$	99.47	$V_{ip2}(V)$	1.505
$I_{10}(\mu A)$	19.56	$V_{inp}(V)$	0.9	$V_{ip3}(V)$	1.077
$I_{11}(\mu A)$	19.21	$V_{inn}(V)$	0.9	$V_{ip4}(V)$	1.077

4- AC Simulations

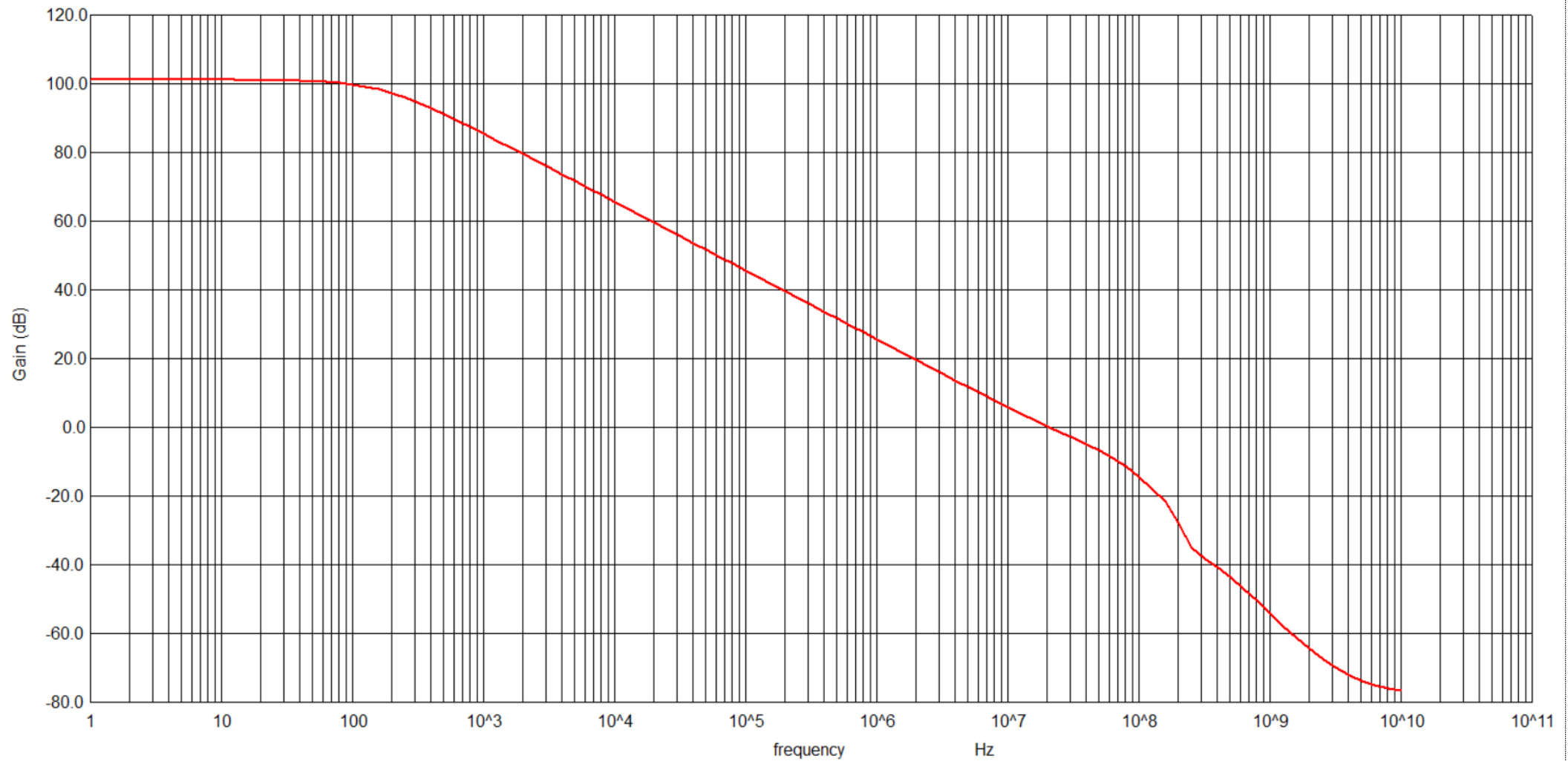
- 4.1 Plot the open loop differential voltage gain (in dB) as a function of frequency. Highlight the approximate location of poles and zeros. (Use common mode voltage: 0.9 V).
 Following snippet for the open loop differential voltage gain (dB)
 NGSPICE code for this question is [here](#)

```

159 VDD supply 0 dc 1.8
160 vd Int6 0 dc 0 ac 2
161 Evid1 Vinp Int Int6 0 0.5
162 Evid2 Vinn Int Int6 0 -0.5
163 vcm Int 0 dc 0.9
164 .include 180nm_bulk.txt
165 .control
166 run
167 ac dec 10 1 10G
168 set color0 = white
169 set color1 = black
170 set color2 = red
171 set color3 = black
172 set xbrushwidth = 2
173 plot Vdb(Vout) ylabel 'Gain (dB)' xlimit 1 1G
174 print MAXIMUM(Vdb(Vout))
175 print MAXIMUM(V(Vout))
176 PZ Int6 0 Vout 0 VOL PZ
177 Print all
178 .ENDC
179 .END

```

Differential gain (dB) VS frequency (Hz)




```
No. of Data Rows : 101
maximum(vdb(vout)) = 1.011109e+02
maximum(v(vout)) = 1.136415e+05,3.744110e-01
Doing analysis at TEMP = 27.000000 and TNOM = 27.000000
```

```
No. of Data Rows : 1
ngspice 30 -> print all
pole(1) = -1.07288e+09,0.000000e+00
pole(2) = -9.46175e+08,0.000000e+00
pole(3) = -7.12325e+08,0.000000e+00
pole(4) = -6.56887e+08,0.000000e+00
pole(5) = -4.47996e+08,0.000000e+00
pole(6) = -2.21576e+08,0.000000e+00
pole(7) = -4.22641e+07,0.000000e+00
pole(8) = -1.05178e+03,0.000000e+00
zero(1) = -1.14195e+09,0.000000e+00
zero(2) = -9.48400e+08,0.000000e+00
zero(3) = -8.24932e+08,0.000000e+00
zero(4) = -6.53769e+08,0.000000e+00
zero(5) = -4.48294e+08,0.000000e+00
zero(6) = -4.18037e+07,0.000000e+00
zero(7) = 1.668132e+08,0.000000e+00
ngspice 31 ->
Interrupted once . . .
Warning: clearing control structures
ngspice 31 ->
```

Pole	MHz	Zero	MHz
1	-1072	1	-1141.95
2	-946	2	-948.4
3	-712	3	-824.93
4	-657	4	-653.76
5	-448	5	-448.29
6	-221.5	6	-41.8
7	-42.26	7	-166.81
8	-0.00105		

By observation

- Pole = $-1.05 \times 10^3 \text{ Hz}$ Dominant pole
- pair of pole-zero cancelling each other
- Other 3 pole-zero approximately close to each other.
- Pole -42.26Mhz and Zero -41.8Mhz are close to each other.

4.2 Compare the results from simulation with estimated pole-zero locations from hand calculations ($C_L = 5 \text{ pF}$)

Pole-Zero Calculation:

$$\omega_d = \frac{1}{\tau_d}$$

$$\tau_d = R_{eq} \times C_c \times (1 - A_{v2})$$

$$R_{eq} = g_{m10} \times r_{08} \times r_{010}$$

$$A_{v2} = -44.82$$

$$R_{eq} = 200 \times 10^{-6} \times 167 \times 10^3 \times 334 \times 10^3 = 11.15 \times 10^6 \Omega$$

$$\therefore \tau_d = 2.044 \times 10^{-3} \text{ s}$$

$$\omega_d = 489.23$$

$$f_d = 77.86$$

$$f_{ND} = \frac{g_{m19}}{2 \times \pi \times C_L} = 31.70 \times 10^6 \text{ Hz}$$

$$f_Z = \frac{g_{m19}}{2 \times \pi \times C_c} = 39.62 \times 10^6 \text{ Hz}$$

Calculated Pole and zeros are:

- $f_d = 77.86 \text{ Hz}$
- $f_{ND} = 31.70 \times 10^6 \text{ Hz}$
- $f_Z = 39.62 \times 10^6 \text{ Hz}$

By comparing with simulated results

- $f_d = 1.05 \times 10^3 \text{ Hz}$
- $f_{ND} = 42.26 \times 10^6 \text{ Hz}$
- $f_Z = 41.8 \times 10^6 \text{ Hz}$

4.3 Plot phase of open loop voltage gain as a function of frequency and specify the phase margin. Snippet for the Phase margin and phase plot.

NGSPICE code for this question is [here](#).

```

159 VDD supply 0 dc 1.8
160 vd Int6 0 dc 0 ac 2
161 Evid1 Vinp Int Int6 0 0.5
162 Evid2 Vinn Int Int6 0 -0.5
163 vcm Int 0 dc 0.9
164 .include 180nm_bulk.txt
165 .control
166 run
167 ac dec 10 1 10G
168 print MAXIMUM(Vdb(Vout))
169 let phase = 180/PI * ph(Vout)
170 plot phase ylabel 'Phase (degree)' xlimit 1 1G
171 MEAS AC Unity_Freq WHEN vdb(Vout) = 0
172 Let Double_Unity_Freq = 2*Unity_Freq
173 PRINT Double_Unity_Freq
174 Meas AC gain_at2xUGBW FIND Vdb(Vout) AT = Double_Unity_Freq
175 Let Roll_off = gain_at2xUGBW/log(2)
176 PRINT Roll_off
177
178 .ENDC
179 .END
180

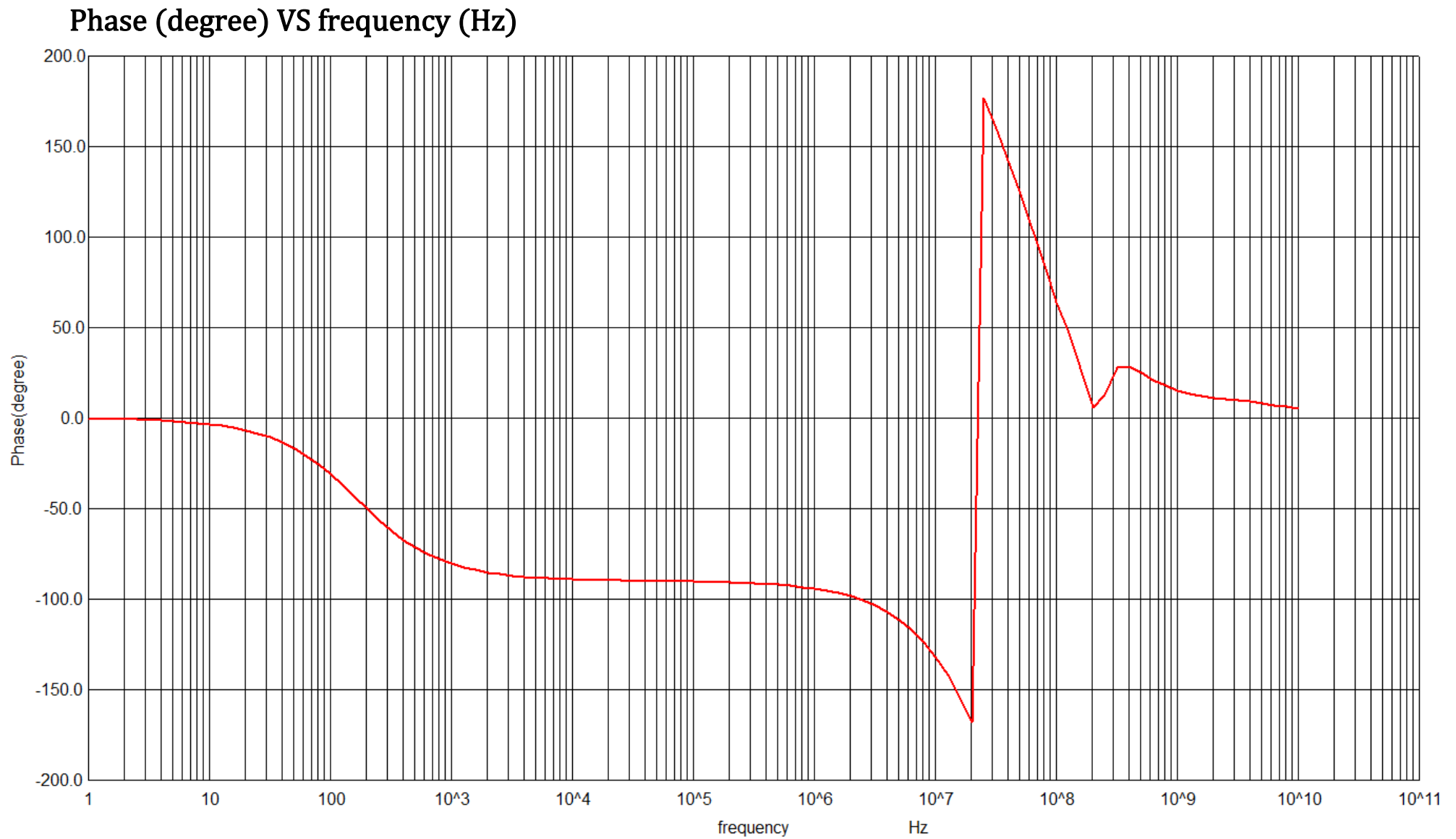
```

```

No. of Data Rows : 101
maximum(vdb(vout)) = 1.011109e+02
unity_freq          = 2.094123e+07
double_unity_freq   = 4.188246e+07
gain_at2xugbw       = -5.410432e+00
roll_off            = -7.80560e+00
ngspice 53 ->

```

- **Unity gain Bandwidth 20.94Mhz**
- **Phase margin 78.10°**



4.4 Calculate the roll-off at 1 octave above unity gain frequency.

1 octave above Unity gain frequency is equal to $f_{unity} \times 2 = 20.94 \times 10^6 \times 2 = 41.88\text{Mhz}$

```

167 plot Vdb(Vout)
168 MEAS AC Unity_Freq WHEN vdb(Vout) = 0
169 Let Double_Unity_Freq = 2*Unity_Freq
170 PRINT Double_Unity_Freq
171 Meas AC Gain FIND Vdb(Vout) AT = Double_Unity_Freq
172 Let Roll_off = Gain/log(2)
173 PRINT Roll_off
174

```

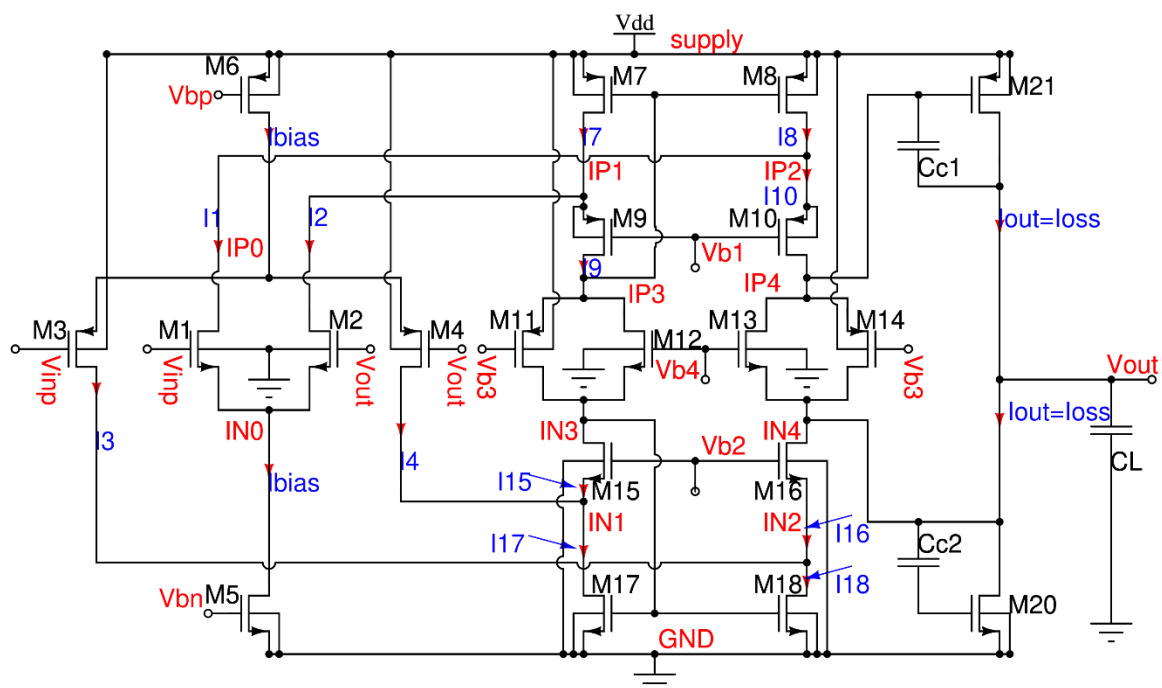
Roll-off at 1 octave above unity gain frequency is **-7.805 dB/oct**

5- Slew rate Simulation

5.1 Connect the Op-amp in closed loop mode with voltage gain of -1. (Use common mode voltage: 0.9 V).

Xcircuit file is [here](#).

Circuit Diagram is [here](#).



NGSPICE code for this question is [here](#).

V_{inn} is shorted with V_{out} .

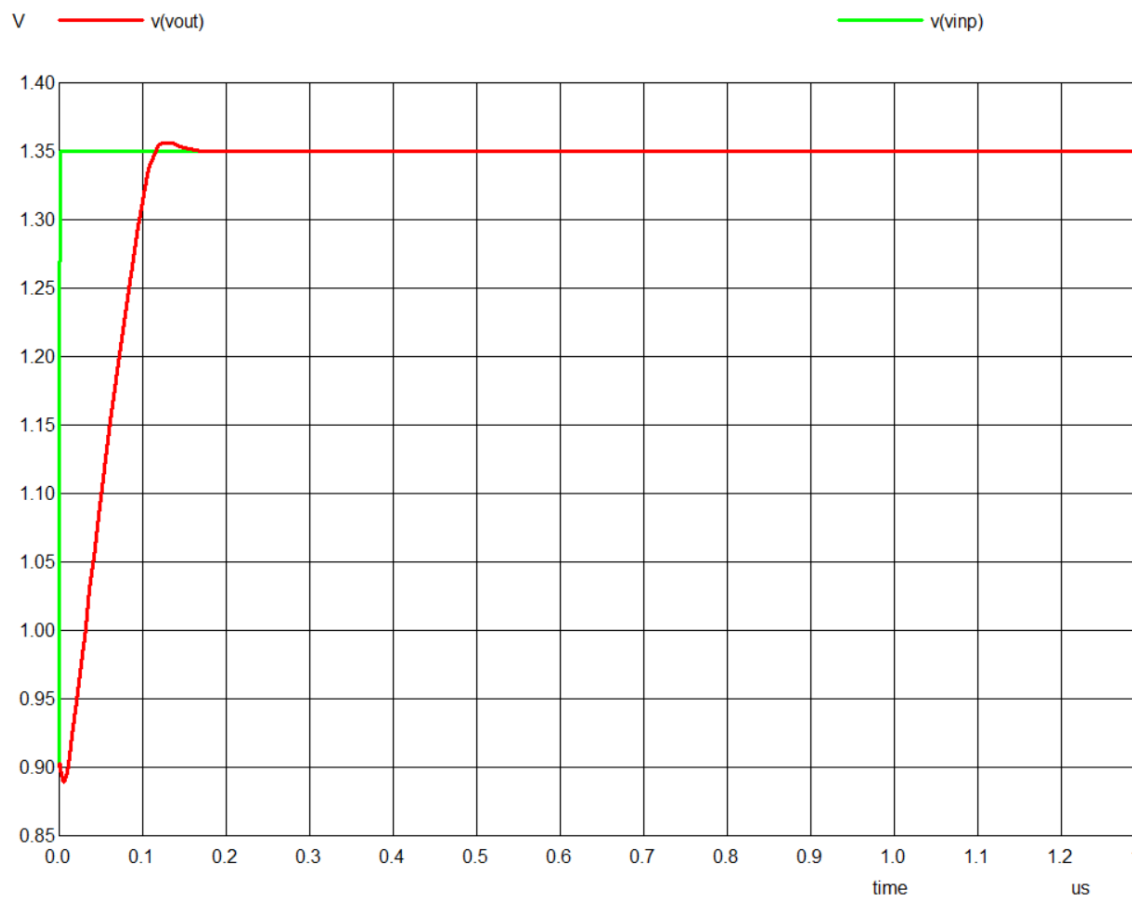
```

159 VDD supply 0 dc 1.8
160 Vin1 Int6 0 DC 0 PULSE(-0.9 0.9 0 1n 1n 4us 4us)
161 Evid1 Vinp Int Int6 0 0.5
162 Evid2 Vinn Int Int6 0 0
163 vcm Int 0 dc 0.9
164 .include 180nm_bulk.txt
165 .tran 0.1uS 2uS 0uS
166 .control
167 run
168 set color0 = white
169 set color1 = black
170 set color2 = red
171 set color3 = green
172 set xbrushwidth = 3
173 Plot V(Vout) V(Vinp)
174 Let SR = deriv(V(Vout))
175 Print MAXIMUM(SR)
176 .ENDC
177 .END

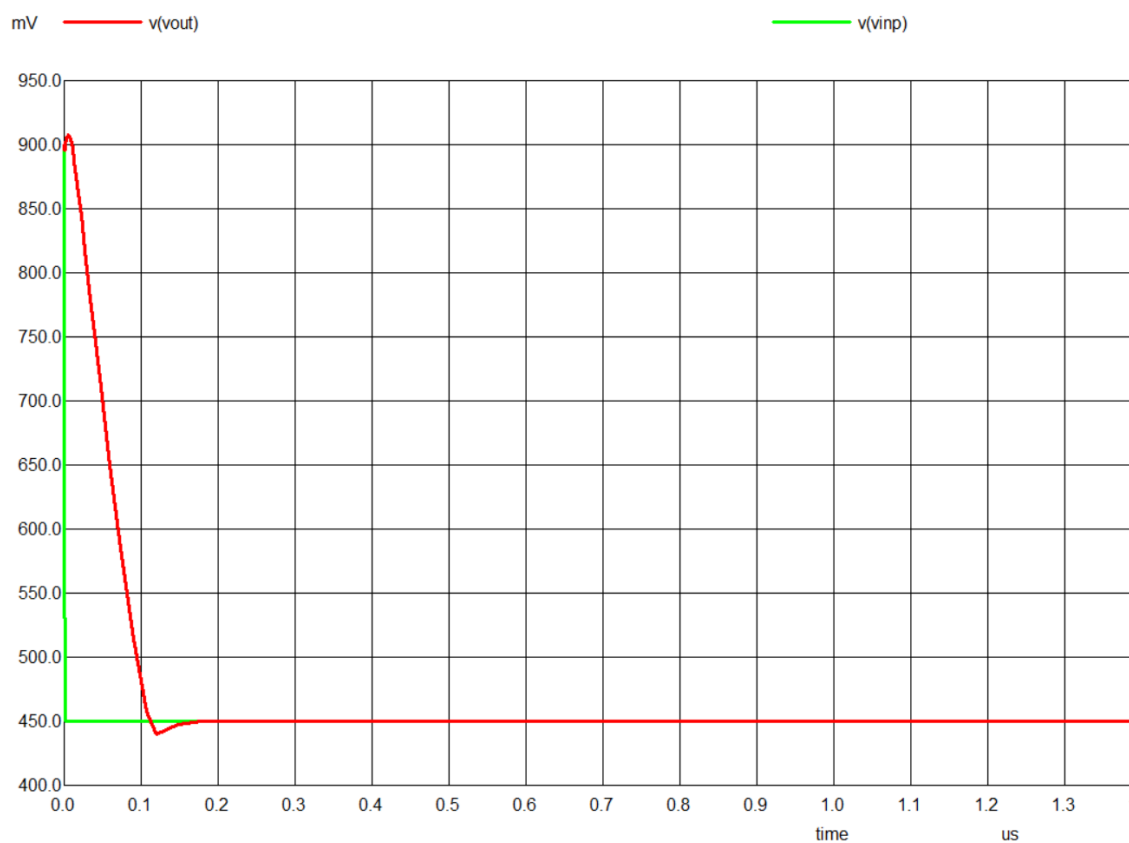
```

5.2 Simulate step response to +450 mV and -450 mV differential input step voltage and calculate slew rate.

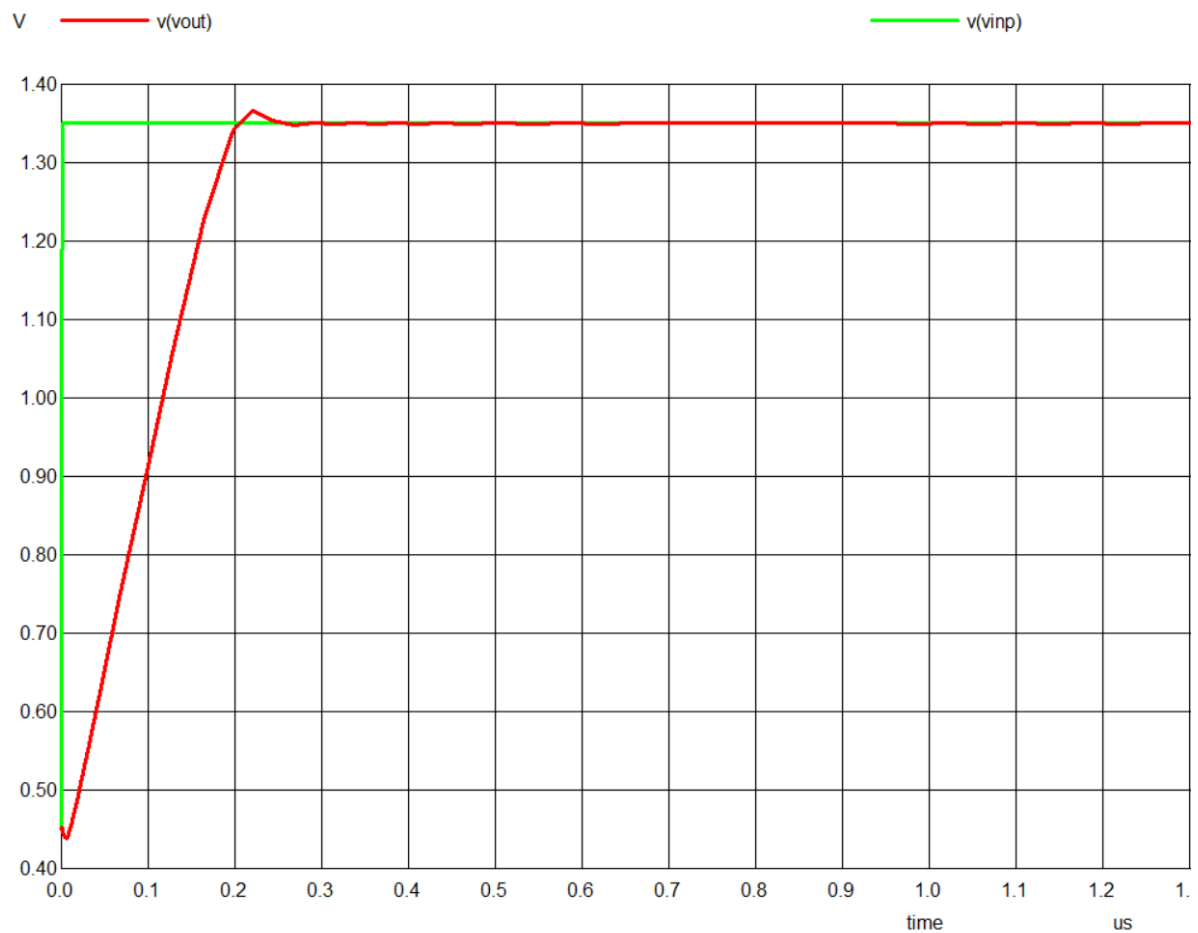
- Slew Rate is $8.04 \frac{V}{\mu s}$ with +450mV



- Slew Rate is $4.52 \frac{V}{\mu s}$ with -450mV



- Slew Rate is $14.81 \frac{V}{\mu s}$ with -450mV to +450mV swing

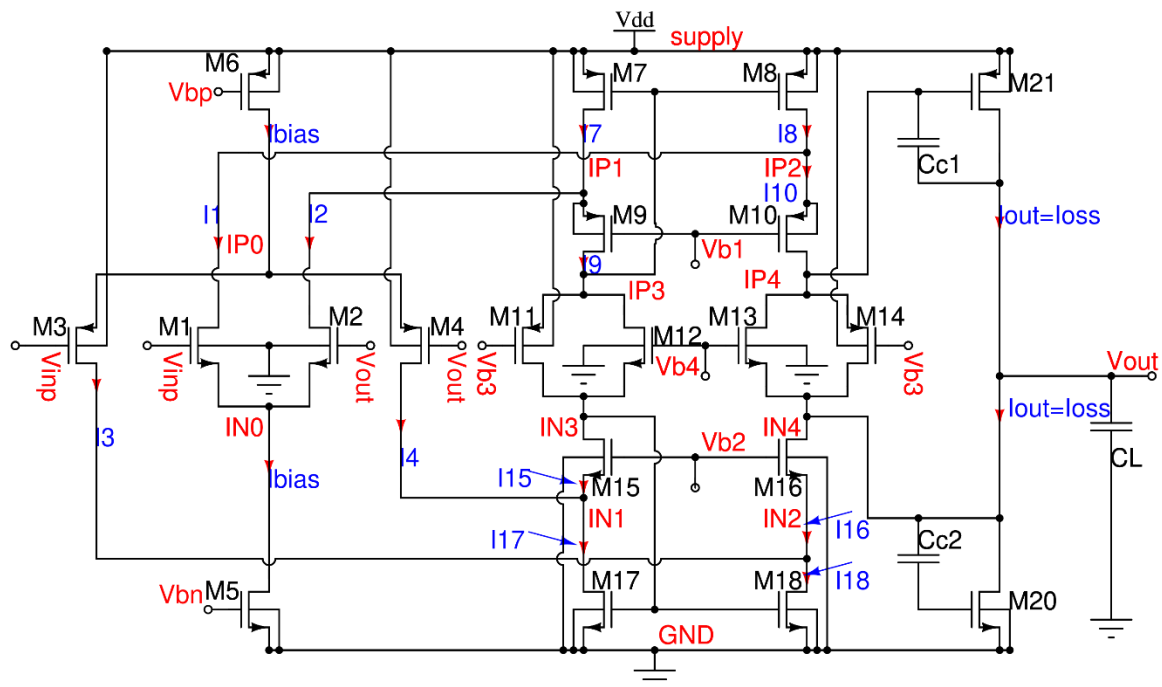


6- Transient Simulation

6.1 Connect the Op-amp in closed loop mode with voltage gain of -1. (Use common mode voltage: 0.9 V).

Xcircuit file is [here](#).

Circuit Diagram is [here](#).



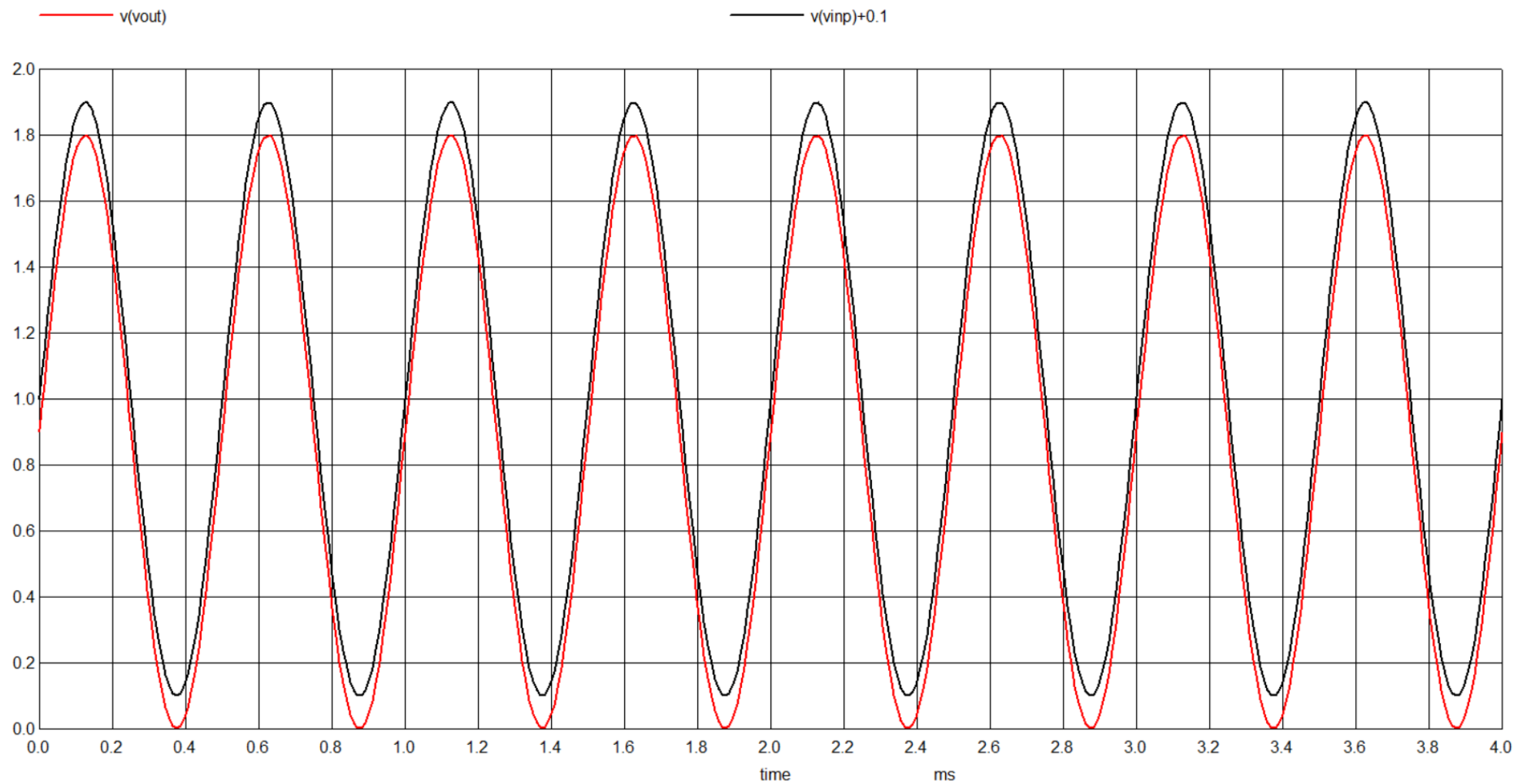
6.2 Run transient simulation for maximum output voltage swing.

NGSPICE code for this question is [here](#)

```

154 VDD supply 0 dc 1.8
155 VIN Int6 0 dc 0 SIN(0 1.8 2K 0 0)
156 *vd Int6 0 dc 0 ac 2
157 Evid1 Vinp Int Int6 0 0.5
158 Evid2 Vinn Int Int6 0 0
159 vcm Int 0 dc 0.9
160 .include 180nm_bulk.txt
161 .tran 0.1mS 4m 0uS
162
163 .control
164 run
165 print MAXIMUM(V(Vout))
166 print MINIMUM(V(Vout))
167 PLOT V(Vout) V(Vinp)+0.01
168 .ENDC
169 .END

```



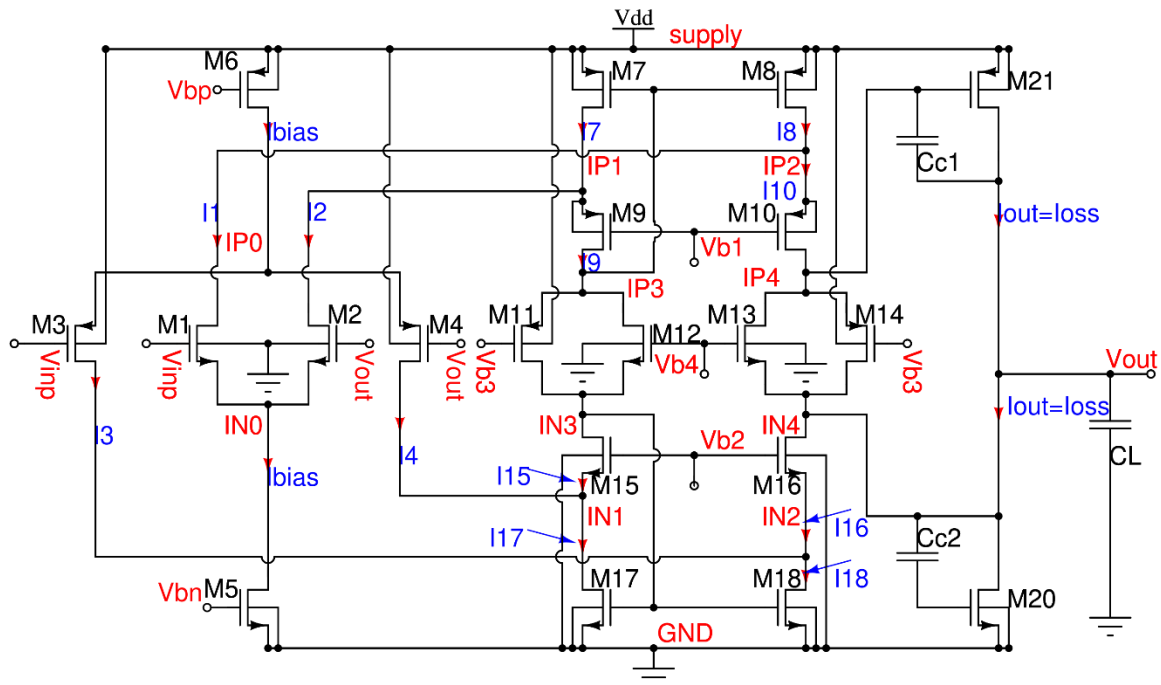
- Maximum Voltage swing is 1.8V

7- Common-mode (CM) DC Simulation

7.1 Connect the Op-amp in closed loop mode with voltage gain of -1.

Xcircuit file is [here](#).

Circuit Diagram is [here](#).



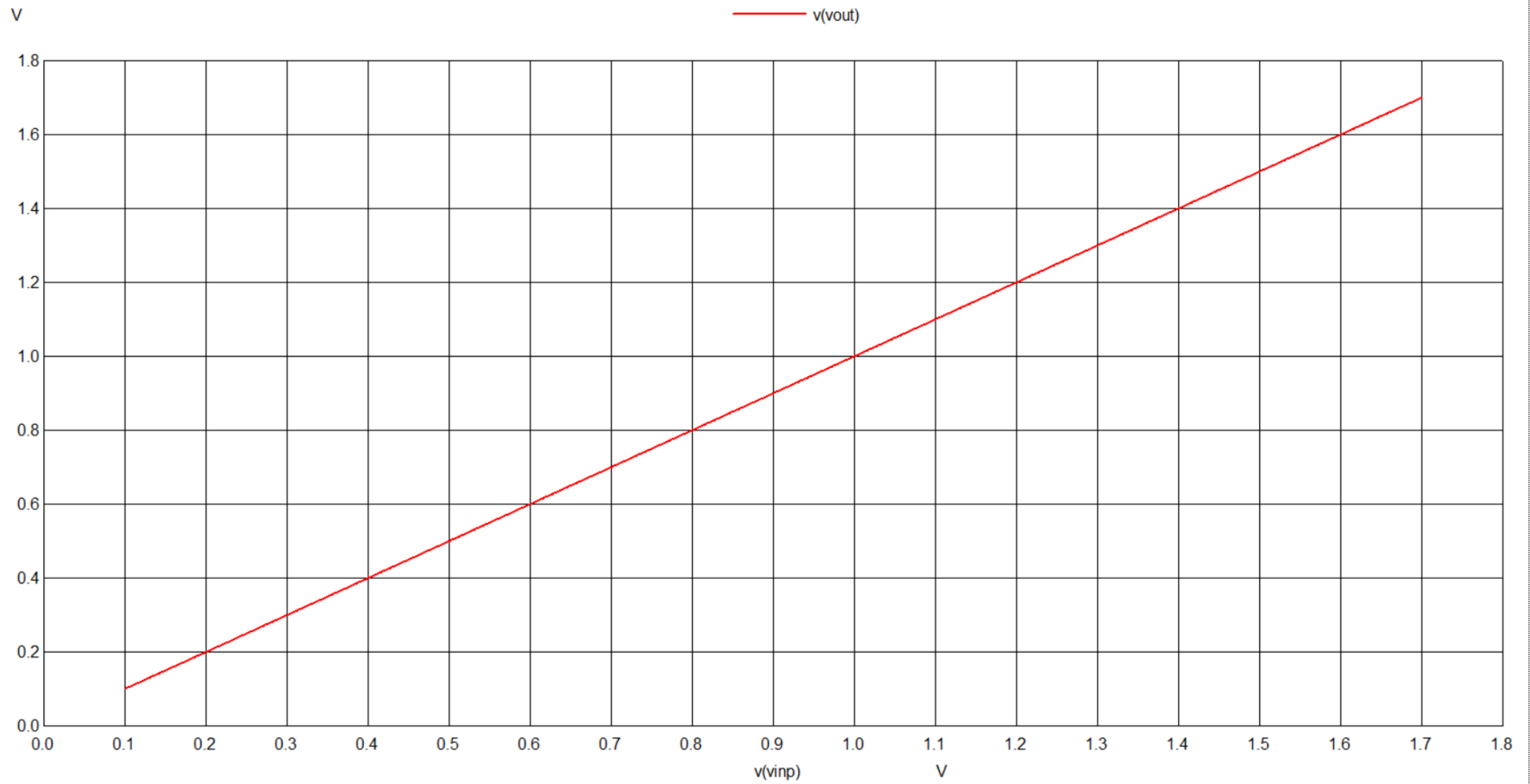
7.2 Sweep the common-mode DC input voltage from V_{cm-min} to V_{cm-max} (total range better than 50% of the V_{DD}). Plot output CM DC voltage as a function of input CM DC voltage.

Code for this question is [here](#).

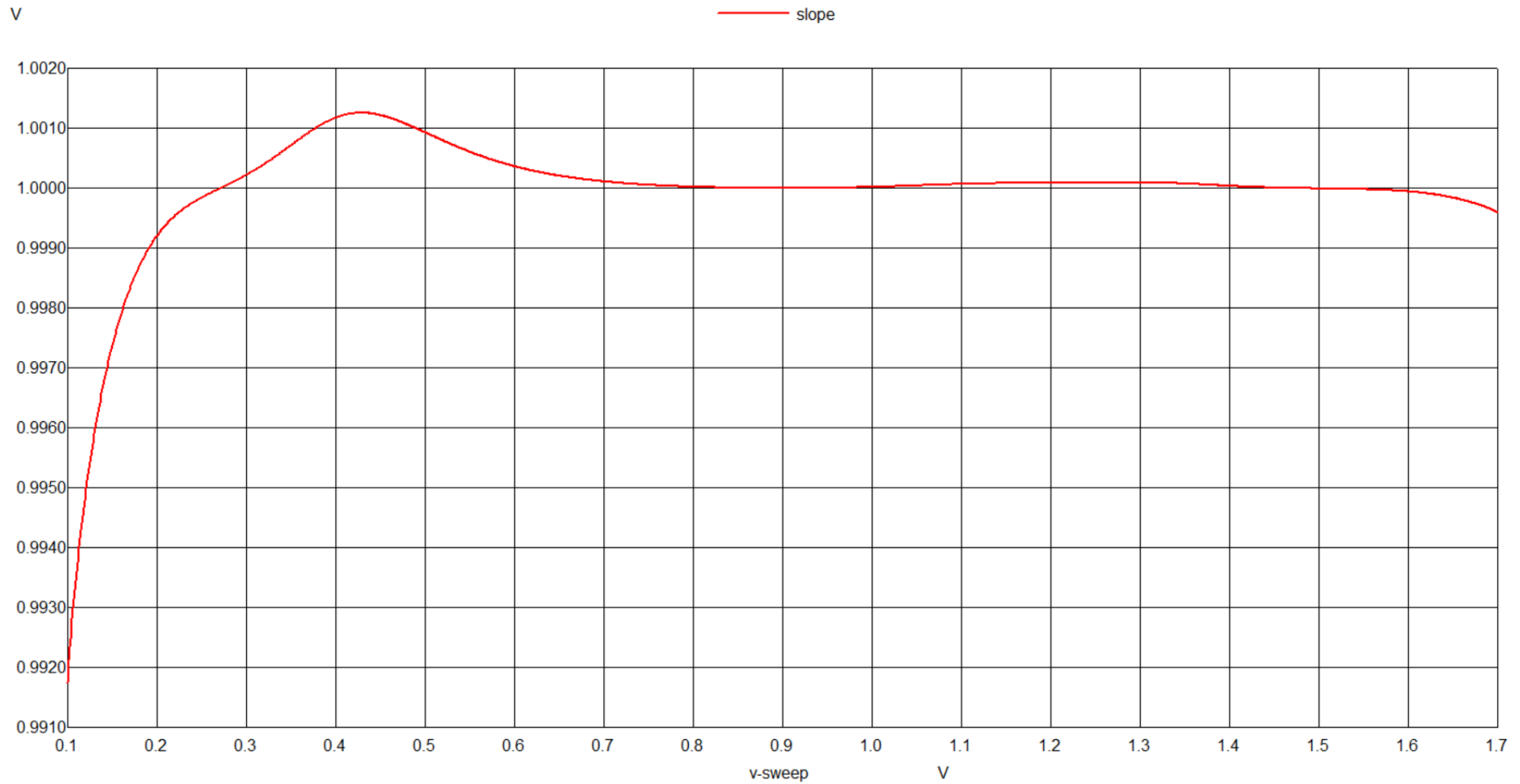
```

154 VDD supply 0 dc 1.8
155 vd Int6 0 dc 0 ac 2
156 Evid1 Vinp Int Int6 0 0.5
157 Evid2 Vinn Int Int6 0 0
158 vcm Int 0 dc 0.9
159 .include 180nm_bulk.txt
160 .dc vcm 0.1 1.7 0.1
161 .control
162 run
163 plot V(Vout) VS V(Vinp)
164 let slope = deriv(V(Vout))
165 plot slope
166 meas dc s100 FIND slope AT = 0.1
167 meas dc s09 FIND slope AT = 0.9
168 meas dc s16 FIND slope AT = 1.6
169 Print MAXIMUM(slope)
170 Print MINIMUM(slope)
171 .ENDC
172 .END
173
174

```



7.3 Calculate the non-linearity of Op-amp by marking the values of slope at $V_{cm} = 100 \text{ mV}$, 0.9 V and 1.6 V .



Slope at

- $V_{cm} = 100mV$ is 0.99174
- $V_{cm} = 0.9V$ is 0.9999987
- $V_{cm} = 1.6V$ is 0.9994

7.4 Report the maximum and minimum values of the slope calculated in 7.3 part.

```
No. of Data Rows : 1601
slope_100m      = 9.917433e-01
slope_900m      = 9.999987e-01
slope_1600m     = 9.999400e-01
maximum(slope)  = 1.001253e+00
minimum(slope)  = 9.917433e-01
ngspice 16 ->
```

- Maximum slope is 1.000
- Minimum slope is 0.9917

References

1. Pole Zero determination
https://wordpress.nmsu.edu/pfurth/files/2015/06/Tutorial_Pole_Zero_2011.pdf
2. NGSPICE version-33 manual
<http://ngspice.sourceforge.net/docs/ngspice-manual.pdf>
3. Design of 1V, 0.18 μ FOLDED CASCODE OPAMP
<http://www.tiprc.org/publishpapers/2-15-1381147174-25%20Design%20of%201%20V.FULL.pdf>
4. A low voltage rail-to-rail operational amplifier with constant operation and improved process robustness
<https://lib.dr.iastate.edu/cgi/viewcontent.cgi?article=1719&context=etd>
5. Rail-to-rail constant g_m input stage and class AB output stage for low-voltage CMOS OPAMP
<https://link.springer.com/article/10.1007/BF01239246>

WORK CONTRIBUTION TEMPLATE

- You have to write work contribution from each member of your group at the end of project report using this template.
- Write the names of your group members in place of Member 1 and Member 2. For each question number, put a checkmark (✓) in Member 1 column or Member 2 column to specify whether the question is solved by Member 1 or Member 2 respectively.
- You may add any comments if you have in the same columns corresponding to every question

Q. no.	Prasad	Sagar
1.1	✓	✓
1.2	✓	✓
1.3	✓	✓
1.4	✓	✓
2.1	✓	✓
2.2	✓	
2.3	✓	✓
3.1	✓	✓
3.2		✓
3.3		✓
4.1	✓	✓
4.2	✓	✓
4.3	✓	
4.4	✓	
5.1	✓	✓
5.2		✓
6.1	✓	✓
6.2	✓	
7.1	✓	✓
7.2	✓	
7.3		✓
7.4		✓

- In his project, we proceeded with the design parameters first each team member designed individually for different bias current and came up with their W/L calculations and bias voltages. The final design was chosen which satisfied all the target requirements and specifications.
- To avoid any calculation mistakes both the team members did hand calculation and verified their result before simulating the design.
- Simulation part were done as mentioned in above table.
- In this pandemic time both the team members choose Google Meet, Google Colab and WhatsApp for collaborating and working together.