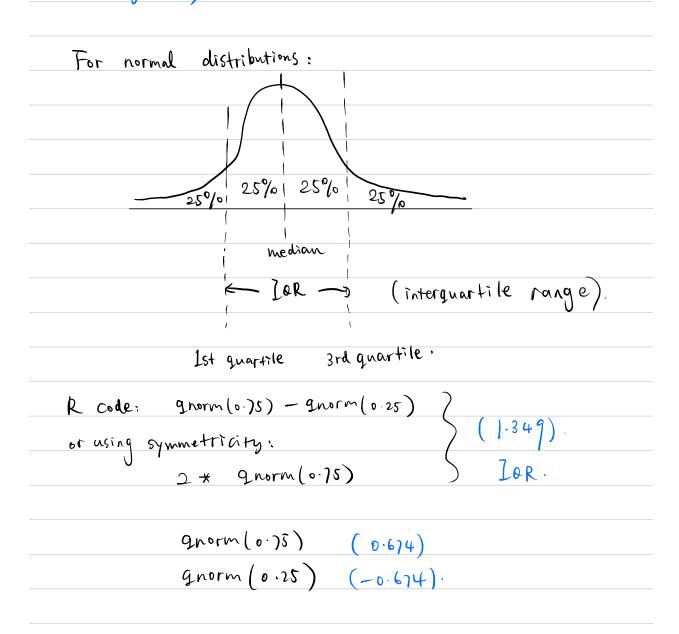
Problem Set 2, Problem 1,9,12,13, 15, 16,17.
Wednesday Quiz: Problem 1) or before
Problem 1
x = 2 cm (individual, observation).
µ = 2.3 cm (mean)
S = 0.6cm (standard deviation)
The formula of Standardized value is
2 = I-M (2-score), always used under
2 = x-M (2-score), always used under Normal assumptions.
1. subtracted by mean
2. divided by sd.
$=\frac{2c\pi-2.8cm}{6.6cm}$
6.6 cm
$= \frac{-0.3}{0.6} = -0.5$
0.6

Problem 9 µ=4.3m/s 5 = 2.5 m/5. If the whole area under the normal curve is A, then the 20% area area to the left of 20th percentile 15 20% · A. 200/6 4.3 percentile 68%-M+8) . - > this interval contains 68% area. "empirical law" (µ-s, µ+s) -> 68% (m-25, m+25) - 95°/0 (M-35, M+35) -> 99.7%. R code: gnorm (0.20) * 2.5 + 4.3. (2.196) or: qnorm (0.20, mean = 4.3, sd = 2.5) (2.196)

Problem 12 & 13.

Special		(median)	
case of Quartiles :	1st guartile	2nd quartile	3rd quartile.
quantile Petcentiles:	26th perc.	50th perc.	75th perc.
Quantile:	0.25 quantile	0.50 quantile	0.75 quantile
(Most general)		'	



	m 15.
	Outcome: of a probability model
	To his and the outsomes man { 12.2 4 5 6}
	For this model, the outcomes ove {1,2,3,4,5,6}
(α) is a event, $\{2,4,6\}$. X
	The result could be divided by 5 - event
	The result could be divided by 5 — event The " " " The event
	The "2" — outcome 2.
1	b) (c) not related to the prob. model X
	by (co) for telement as the block
((\mathcal{A}) \vee

Pn	oblem 16. We want an outcome.
	Outcome set = { · , · , · - · } (names of 20 pourticipants)
	(a) (b) (c) all describe a group of individuals. So they are events. X
	So they are events.
	(d) presumes that there should be only one participant
	named Wilhelmina.
	Lalamas to the puterine set.
	belongs to the outcome set. It refers to this participant.
	It refers to this participant.

Problem 17. Outcomes = {1,2,3,4,5,6}.
(a) {3,4}. V
(b) This a situation could happen when we are really
rolling a die
But, it is not contained in the prob. model.
=> Not an event X
·
(c) Not related X.

Appendix: problem 7.

$$\alpha = \text{velocities}$$
 $E[x] = \mu, \quad \text{sd}(x) = s$

$$2 = \frac{\chi - \mu}{s}$$
, $E[z] = \frac{E[x] - \mu}{s} = \frac{\mu - \mu}{s} = 0$.

$$Sd(2) = Sd\left(\frac{x-\mu}{S}\right) = \frac{1}{S}Sd(x-\mu) = \frac{1}{S}Sd(x) = \frac{S}{S} = 1.$$

=> Standardized random variables (samples

always have mean D, Sol I.