```
repsp = 10; (*times we use the same probability value p*)
complexity = Table[0, repsp];
(∗list to save K-complexity (1-D representation) for the same p value∗)
complexitymat = Table[0, repsp];
(\star \texttt{list to save } K-\texttt{complexity} \ \left( \texttt{adjacency matrix} \right) \ \texttt{for the same p value} \star)
entropy = Table[0, repsp]; (*list to save entropy values for the same p value*)
ShannonEntropy = Table [0, maxindegree]; (*list to save the entropy for each p value*)
seqnet = Table [0, maxindegree];
(*list to save the K-complexity for each p value (1-D representation) ∗)
Matnet = Table[0, maxindegree];
(*list to save the K-complexity for each p value (2-D representation) ★)
Do
  (*create the random digraph*)
  k = 1; (*in-degree*)
  Mnodes = { }; (*adjacency matrix*)
  For | i = 1, i \le n, i + + \times
      AppendTo [Mnodes, Table [0, n]] \times
   For i = 1, i \le n, i + +,
    flag = 0;
    While | flag < k, position = RandomInteger[{1, n}];
      If[Mnodes[[i, position]] == 0, Mnodes[[i, position]] = 1; flag ++,]]];
  rg = Transpose[Mnodes]; (*random digraph*)
  mat = Flatten[rg]; (*1-D representation of the random graph*)
  If|First[mat] == 0, output = "0" <> ToString|FromDigits[mat] |,
   output = ToString[FromDigits[mat]]]; (*transform the list into a string*)
  complexity[[j]] = StringBDM[output];
  complexitymat[[j]] = BDM[rg, 4] // N;
  entropy | j | = Entropy [output];
  , {j, repsp}];
      (*perform a trimmed mean discarding the first and fourth quartiles*)
 seqnet[[1]] = TrimmedMean complexity,
   { (Length Select complexity, # < Quantile complexity, 1/4 } } ) / Length complexity],
     (\mathsf{Length}[\mathsf{Select}[\mathsf{complexity}, \# > \mathsf{Quantile}[\mathsf{complexity}, 3/4] \&]])/\mathsf{Length}[\mathsf{complexity}]];
Matnet[[1]] = TrimmedMean complexitymat,
   [\operatorname{Length} \operatorname{Select} \operatorname{Complexitymat}, \# > \operatorname{Quantile} \operatorname{Complexitymat}, 3/4] \] / \operatorname{Length} \operatorname{Complexitymat}];
ShannonEntropy[[1]] = TrimmedMean[entropy,
   { (Length Select entropy, # < Quantile entropy, 1/4] & ] ) / Length entropy],
     (Length[Select[entropy, # > Quantile[entropy, 3 / 4] &]]) / Length[entropy] }];
, \{1, 1, maxindegree\}
    (*plot the results*)
ListLinePlot|{Rescale[seqnet, {0, Max[seqnet]}],
  Rescale[Matnet, {0, Max[Matnet]}], Rescale[ShannonEntropy, {0, Max[ShannonEntropy]}]}},
\textbf{AxesLabel} \rightarrow \textbf{Automatic, PlotRange} \rightarrow \textbf{All, PlotLegends} \rightarrow
   Placed \ \big[ \big\{ \text{"K-Complexity (1-D representation)", "K-Complexity (adjacency matrix)", "Entropy"} \big\}, \\
   \{.5, .15\}, Frame \rightarrow True, GridLines \rightarrow Automatic, FrameLabel \rightarrow {"d-
```

n = 100; (\*number of nodos\*)

maxindegree = 100; (\*max in-degree\*)