

## 1.15 supplement

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(the first attribute is the primary key)

- A table for *user*, like:

<i>wechat_id</i>	<i>gender</i>	<i>name</i>	<i>tickle</i>	<i>region</i>	...	<i>register-time</i>
zju_zpq	male	[ ]	null	Dongguan, Guangdong		2010.1.1
...						

- A table for *circle of friends*, like:

<i>uid</i>	<i>post_time</i>	<i>visible_range</i>	<i>content</i>	...	<i>favors_list</i>
127641	2020.1.1.00.00.00	all	test		null
...					

- A table for *relationship*, representing whether two users are friends, like:

<i>friend_A_id</i>	<i>friend_B_id</i>
zju_zpq	zju_lzy
...	

- A table for *authorization*, representing the applications the account has authorized, like:

<i>app_id</i>	<i>camera</i>	<i>phone_number</i>	<i>phone_id</i>	...	<i>post</i>
ddxyq	null	authorized	authorized		no
...					

(I didn't mean to do it casually, but the question doesn't demand for listing the attributes... But I do agree that listing the attributes agrees to the demand 'describe' better. My bad. )

## 2.9

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**a**

Appropriate primary keys are:

*branch*: *branch\_name*

*customer*: *customer\_name*

*loan*: *loan\_number*

*borrower*: *loan\_number*

*account*: *account\_number*, *customer\_name*

*depositor*: *account\_number*, *customer\_name*

In reality, for *customer*, I think it's hard to identify a unique person even with all three attributes. However, based on the question, I assume that each person's name is unique. Based on the assumption, *customer\_name* could also be the primary key of *account* and *depositor*.

**b**

*branch*: *null*

*customer*: *null*

*loan*: *branch\_name* referencing *branch*

*borrower*: *loan\_number* referencing *loan*, *customer\_name* referencing *customer*

*account*: *branch\_name* referencing *branch*

*depositor*: *account\_number* referencing *account*, *customer\_name* referencing *customer*

## 2.13

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**a**

$\Pi_{loan\_number}(\sigma_{amount > 10,000}(loan))$

**b**

$\Pi_{customer\_name}(\sigma_{balance > 6,000}(depositor \bowtie account))$

**c**

$\Pi_{customer\_name}(\sigma_{balance > 6,000 \wedge branch\_name = \text{"Uptown"}}(depositor \bowtie account))$

## 6.11

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**a**

$\Pi_{person\_name}(\sigma_{company\_name = \text{"First Bank Corporation"}}(works))$

**b**

$\Pi_{person\_name, city}(\sigma_{company\_name = \text{"First Bank Corporation"}}(employee \bowtie works))$

**c**

$\Pi_{person\_name, street, city}(\sigma_{(company\_name = \text{"First Bank Corporation"} \wedge salary > 10,000)}(employee \bowtie works))$

**d**

$\Pi_{person\_name}(employee \bowtie works \bowtie company)$

**e**

$\Pi_{company\_name}(company \div (\Pi_{city}(\sigma_{company\_name = \text{"Small Bank Corporation"}}(company))))$   
 $- \Pi_{company\_name}(\sigma_{company\_name = \text{"Small Bank Corporation"}}(company))$

## 6.13

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**a**

$t \leftarrow company\_name \mathcal{G}_{count-distinct}(person\_name) \text{ as } sum\_employee(works)$

Then  $\Pi_{company\_name}(\mathcal{G}_{max}(sum\_employee)(t) \bowtie t)$

**b**

$t \leftarrow company\_name \mathcal{G}_{sum}(salary) \text{ as } payroll(works)$

Then  $\Pi_{company\_name}(\mathcal{G}_{min}(payroll)(t) \bowtie t)$

**c**

$t \leftarrow company\_name \mathcal{G}_{avg}(salary) \text{ as } avg\_sal(works)$

$fbc \leftarrow \sigma_{company\_name = \text{"First Bank Corporation"}}(t)$

Then  $\Pi_{company\_name}(t \bowtie_{t.avg\_sal > fbc.avg\_sal} fbc)$