

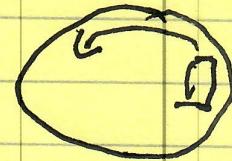
Physics 218cLecture I b - OV of Tokamak Physics, cont'd.

Today:

- Li-H transaction
- shearing feedback loop
- ENS
- ELM mitigation
- Boundary Physics
- Lawson #
- Lawson, re-visited / re-written
- Fundamental Limits
- Hot Topics
- Roads Forward.

→ Poloidal Rotation

- Neoclassical; due asymmetry



- some shift detected, about γ_0 .

⇒ Important Aside → H-mode

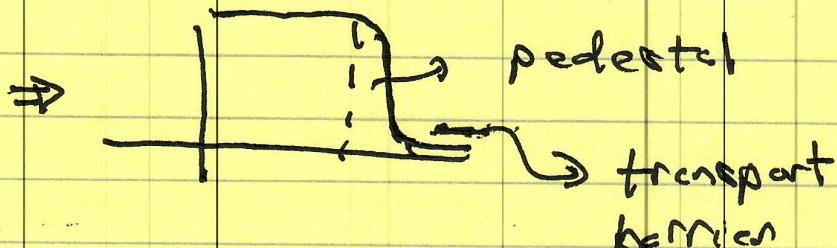
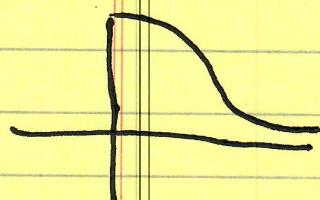
→ H-mode, L-H Transition

Edge Transport Barrier

→ F. Wagner - ASDEX (1982) (^{now}_{HL-2A})
(Divertor → boundary control)

- $P > P_{\text{crit}}$ ^{local} →

$$(Q_{\text{c}}^{\text{edge}} > Q_{\text{c}}^{\text{crit}})$$



spontaneous transition
to state of improved confinement
with edge transport barrier.

N.B. heat pulse trigger!

- Transport Barrier

- region $W > \Delta X_c$ so it
- Q_{T_j} , F_T etc. reduced dramatically
- turbulence levels drop, not extinguished.

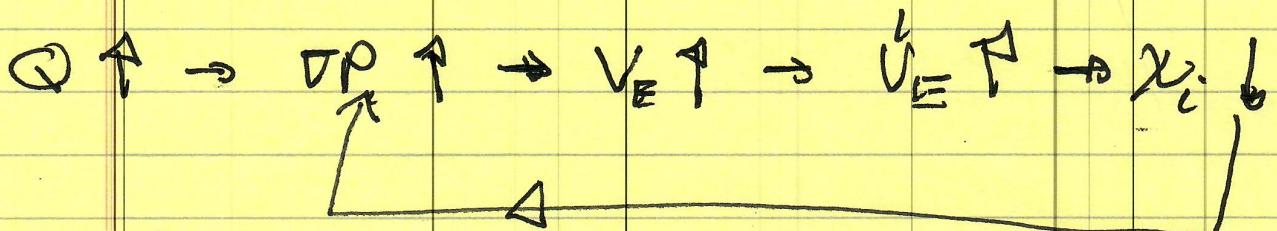
- How? \rightarrow Shear Flow. (likely)
 (BDT 1990 et seq)

$\frac{V_E \times B}{b}$ from
 $\Sigma \times B$ flow

$$0 = \left(+ \sum_m E_m + \sum_m \frac{V_E \times B}{n M_m} - \frac{\partial P_i}{n M_i} \right) \cdot \vec{r}$$

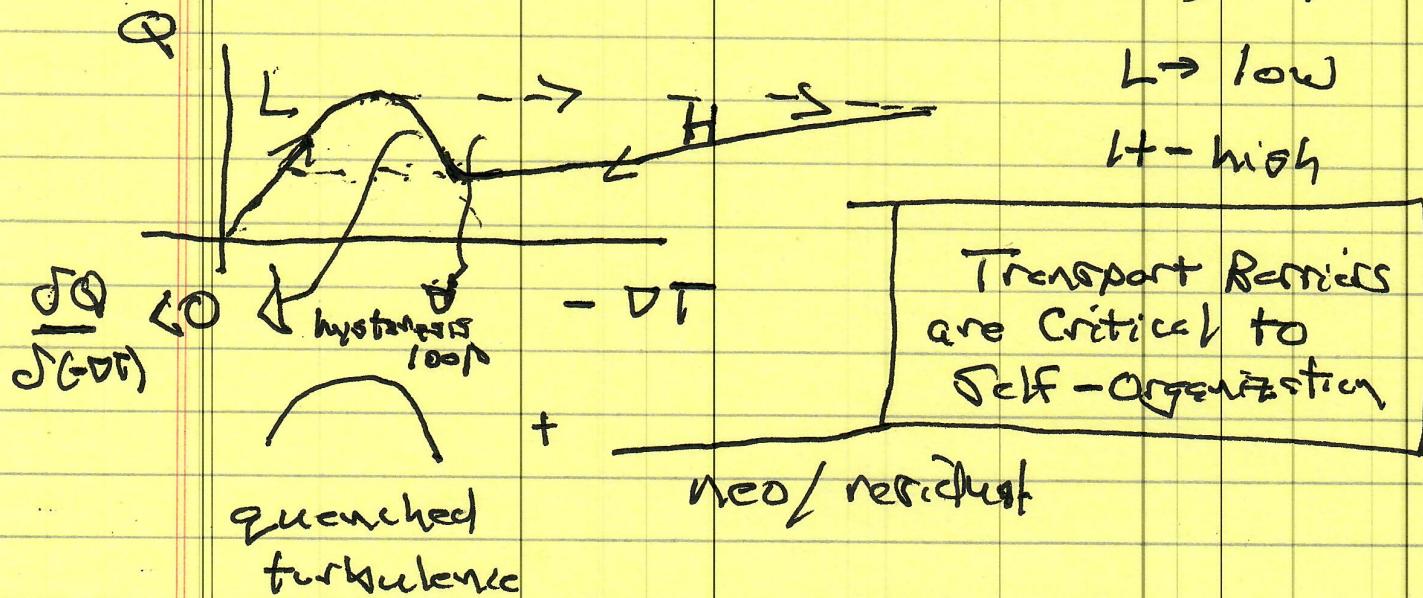
Classic cartoon: $\uparrow Q_f \Rightarrow 0$ etc. $\left\{ \begin{array}{l} \Delta r \\ \text{other} \end{array} \right.$
 multiple mechanisms

Note: "Feedback loop" \rightarrow critical concept



change in self-consistent state.

- Transport Bifurcation $\rightarrow P_{crit}(A, B_1, \dots)$



Trigger \rightarrow Flows \nRightarrow details ongoing
Reynolds stress

\leftrightarrow Variant : Internal Transport Barrier (ITB)

[localized by Σ - profile]

\leftrightarrow Variant : Zonal Flow (self-generated)
($E \times B$ flow)

Not all

- ELMs

ELM =
'small flame'
in German.

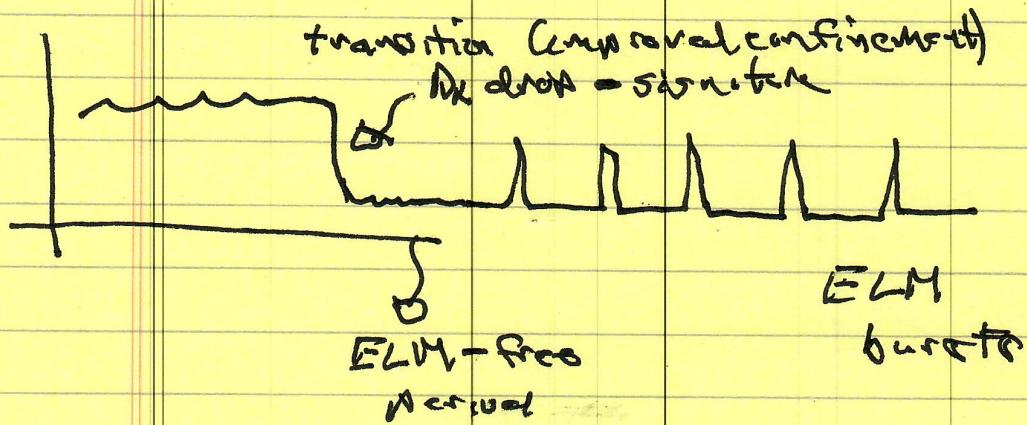
- Edge Localized Modes

(@ microinstabilities)

better:

- Edge Relaxation Phenomena
(ERP - like hiccup)

\rightarrow H sequence H^α, D^α ; [ionization
radiation]



What?



"improved confinement needed to test β -limit"

$$\frac{\delta P}{\delta \beta} \sim \frac{D P_{\text{crit}}}{D \beta_{\text{crit}}}$$

for MHD
instability:

δW [→ ballooning
→ peeling
(surface kink)]

\Rightarrow ELM event
relaxes pedestal

\Rightarrow lots of energy
released

\Rightarrow (ITER: 20 MJ)

\Rightarrow Where does it go? \Rightarrow PFC's.

~ unacceptable transient heat loads.

→ N.B. ELM event related to proximity to P-B threshold (classical)

But ELM \neq P-B mode.
(n.b. some would disagree)

Nonlinear evolution, interacting etc.
very complex

Which brings us to: THE QUESTION

- we want good confinement \rightarrow H-mode
- we don't want high transient heat loads on PFC

What to do? \rightsquigarrow a trip to the Zoo

- mitigate/suppress ELMs while maintaining confinement
- \rightarrow Resonant Magnetic Perturbation (T_{odd} Events)

cool \rightarrow relieve OT? $\stackrel{?}{\rightarrow}$ relieve DN
but $P_{LH} \uparrow$ (still \Rightarrow Tokamak hybrid) pump out

\rightarrow QH-mode (Garcia, Burdell)

strong edge shear quenches/eliminates P-B \Rightarrow EHD (weak or no EHD link?).

- Pace ELMs - inject particles.

→ DIII-D, pellet pacing (provoke small ELMs)

(AUG HL-2A,
D_{III}-D)

→ Density limit ?

- Avoid ELMs.

→ I-mode, instead H-mode.
(T_e ^{decay} not \propto ^{rad.}
 $T_e \propto$, $T_p \text{ const}$)

(C-Mod,
AUG)

→ Relevance ?

or, forget H-mode ?! (M. Itohuchi)
which brings us back to ...

→ Negative Triangularity ... (again)

- improved L-mode confinement, so far
No barrier needed

CTEM_H
(Cameron)

- ballooning modes at corners



May prevent L \rightarrow H transition ?!

(Marinoni, D_{III}-D)

— up-coming DIII-D experiments
will be critical for negative T .

Don't want H-mode ...

And ..

→ improve Divertor \Rightarrow distribute heat load
(beyond scope of this course)

Message: The self-organization of:

L \rightarrow H \rightarrow ELMs \rightarrow ELM mitigation \rightarrow
Divertor (includes SOL width)

Package is 1 of 2 critical
problems in MFE today,

Other is Disruption.

? Is turbulence good or bad?

→ More

Impurity Transport X

EPG and AEF X → UCI ?

Disruption ✓ short

Details of RF heating, CD X

ITB's ✓

Inverter Physics X → others at UCSD ?

⇒ The { Magic Number }

Lewson Criterion:

$$nT\gamma_E > \#_{crit}$$

- N.D. Gevest Empor re: claims
about Lewson #

- interesting to re-write ..

re-writing Lawson:

$$\text{NT } \gamma_E = \frac{1}{\beta B^2} \gamma_E$$

→ why high field is attractive (Alcator 5 PARC)

$$= \beta \gamma_{E,\text{neo}} \frac{\gamma_E}{\gamma} B^2$$

$$= \beta \frac{\gamma_E}{\gamma} \gamma_{E,\text{neo}} B^2$$

MIT likes
understands
this.

$$\left. \begin{array}{l} \text{Physics} \\ (\text{dimensionless}) \end{array} \right\} \frac{\gamma_E}{\gamma_{E,\text{neo}}} \quad \left. \begin{array}{l} \text{Physics} \\ (\text{dimensionless}) \end{array} \right\} \gamma_{E,\text{neo}}$$

Limited by understood Physics → engineering
 i.e. Boltzmann Eqn, H-Thm.
 + Chapman-Enskog
 + particle orbits
 + field structure

$$\frac{\gamma_E}{\gamma_{E,\text{neo}}} \leq 1$$

rigorously

physics

So → all the issues in:→ $\tilde{T}_E / \tilde{T}_{E_{\text{req}}}$ → confinement→ β → beta limit
(includes density limit)Rest → EngineeringN. B.: As emphasized by M. Hirshchi,
story of fusion has evolved from:→ quest for
good confinement

→ quest for

good confinement
+
good power handling
(boundary control)

My personal opinion:

claims of victory

To ~~succeed~~ in Lawson # must
establish that good power handling
is realizable, for Lawson solution,
that

How quantify? → Hirshchi-X number?

→ What are the Fundamental Physics Limits?

- $T_{\text{E},\text{neo}}^{\text{E}}, \frac{T_{\text{E}}}{T_{\text{E},\text{neo}}} \leq 1$

(suggests barriers)

- β limit → stability (macro)

Ballooning, kinks
(Troyon) → MHD

$$\beta_N = \beta \frac{\alpha B_T}{I_P}$$

beta
normal

- Density Limit

$$n_g \sim I_P$$

- Greenwald

(enters β)

N.B. - Current (I_P) is clearly good.

(confinement, too)

- but: disruption, power handling.

→ Hot Topics, Now.

Top 3

- ELM mitigation
(transport, each field phase evolution) RMP
QH
- SOL, Divertor
(turbulence spreading, transport, ...)
→ heat loads
 $\propto \sim 1/B_\theta$ issue
 $\Delta \lambda \rightarrow$
- Disruption + runaway electrons
(MHD)
- Rupture / tearing
heat, current quench

Others

- LH, ITB
(Feedback loops) ; especially P_{crit}
(c.e. RMP on Port ?)
- Particle transport = fueling density limit
(Physics of Pinch)
- Low torque
(Intrinsic rotation) operating -
extrinsic rotation effects

- EP transport, interaction with
 (transport, thermal) therm configuration
- NTMs (costs) - cost disruption
 (costs + transport bifurcations)
- basic transport, turbulence, zonal flow
- commodity transport
- Roads forward
 - large
 - high θ , B_p , high n
 - cure ITR, enhancement
 - soft disruption
 - incrementally-cost?
 - high n , high B_T , high I_p
 - compact
 - simple, cheap
 - disruptions???
 - heat loads

→ Stellarator

$$\begin{matrix} \nearrow T \nearrow E \\ \checkmark \\ \underline{\text{Q?}} \end{matrix} \rightarrow$$

Optimization

$$\uparrow \nearrow T_E, \text{ neo}$$

(and maybe $T_E \leq T$)
use ZF

low disruptive heating

→ cost complexity ?

→ QSH RFP

$$\begin{matrix} \nearrow T \nearrow E \\ \{ \\ \sim I_p \uparrow \end{matrix} \rightarrow \begin{matrix} \text{helical} \\ \text{state} \end{matrix}$$

(= RFP in
helical state,
good confinement)

Unknown.

→ Negative T → discussed.
→ TBD.