

CSC420 A2

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Q1:

Q2

We take X_i to be the output at i th layer

W_i be the weight of i th layer,

b_i be the bias

W_0, b_0 be the scalars of the activation function

Observe that after n layers,

$$\begin{aligned} X_{n+1} &= \sigma(W_n \otimes X_n + b_n) \\ &= W_0 \otimes (W_n \otimes X_n + b_n) + b_0 \\ &= (W_0 \otimes W_n) X_n + W_0 \otimes b_n + b_0 \\ &= W' \otimes X_n + b' \end{aligned}$$

Notice since the activation function is linear,

X_{n+1} can still be expressed as a linear combination of the input X_0 , which means that the layers had no effect to the network output.

Q4: Convolutional Neural Network

Each filter in the filter bank is of size $4 \times 4 \times 50$, We see that applying the filter requires $4 \times 4 \times 50$ multiplications and $(4 \times 4 \times 50) - 1$ additions therefore $800 + 799 = 1599$ FLOPS.

We know that the output size is $(12 + (2 \times 1) - 4) / 2 + 1 = 6 \times 6$

So each filter will have to be applied 36 times which leads to $36 \times 1599 = 57564$ FLOPS

Since there are 20 filters in the filter bank, we have $20 \times 57564 = 1151280$ FLOPS

Knowing the output size is $6 \times 6 \times 20$, we see that the output size of max pooling is $6-3/1 + 1 = 4 \times 4 \times 20 = 320$ times applying max pool, with each max pooling operation taking $3 \times 3 - 1 = 8$ FLOPS.

The total amount of FLOPS would be $1151280 + (320 \times 8) = 1153840$ without bias and $1153840 + (6 \times 6 \times 20) = 1154560$ FLOPS with bias.

Q5

We know that the kernel size is 5x5

$$\text{C1: } (5 \times 5 \times 1 + 1) \times 6 = 156$$

$$\text{C3: } (5 \times 5 \times 6 + 1) \times 16 = 2416$$

$$\text{C5: } (5 \times 5 \times 16 + 1) \times 120 = 48120$$

$$\text{C6: } (120 + 1) \times 84 = 10164$$

$$\text{C7: } (84 + 1) \times 10 = 850$$

Total trainable parameters: 61706

Q6

Q6

$$y = \frac{1}{1 + e^{-x}}$$

$$\frac{dy}{dx} = \frac{e^{-x}}{(1 + e^{-x})^2}$$

$$= \frac{1 + e^{-x} - 1}{(1 + e^{-x})^2}$$

$$= \frac{1 + e^{-x}}{(1 + e^{-x})^2} - \frac{1}{(1 + e^{-x})^2}$$

$$= y - y^2 = y(1 - y)$$

Therefore, the input is not required for back propagation.

Q7

$$a) \tanh \in (0, 1)$$

$$\sigma(x) \in (0, 1)$$

$$b) \frac{d}{dx} \tanh(x) = 1 - \tanh^2(x)$$

$$\sigma(x) = \frac{1}{1 + e^{-x}}$$

$$\sigma(2x) = \frac{1}{1 + e^{-2x}}$$

$$2\sigma(2x) = \frac{2}{1 + e^{-2x}}$$

$$2\sigma(2x) - 1 = \frac{1 - e^{-2x}}{1 + e^{-2x}} = \tanh(x)$$

$$\frac{d}{dx} \tanh(x) = 1 - \tanh^2(x)$$

$$= 1 - [2\sigma(2x) - 1]^2$$

$$= 4\sigma(2x) - 4\sigma^2(2x)$$

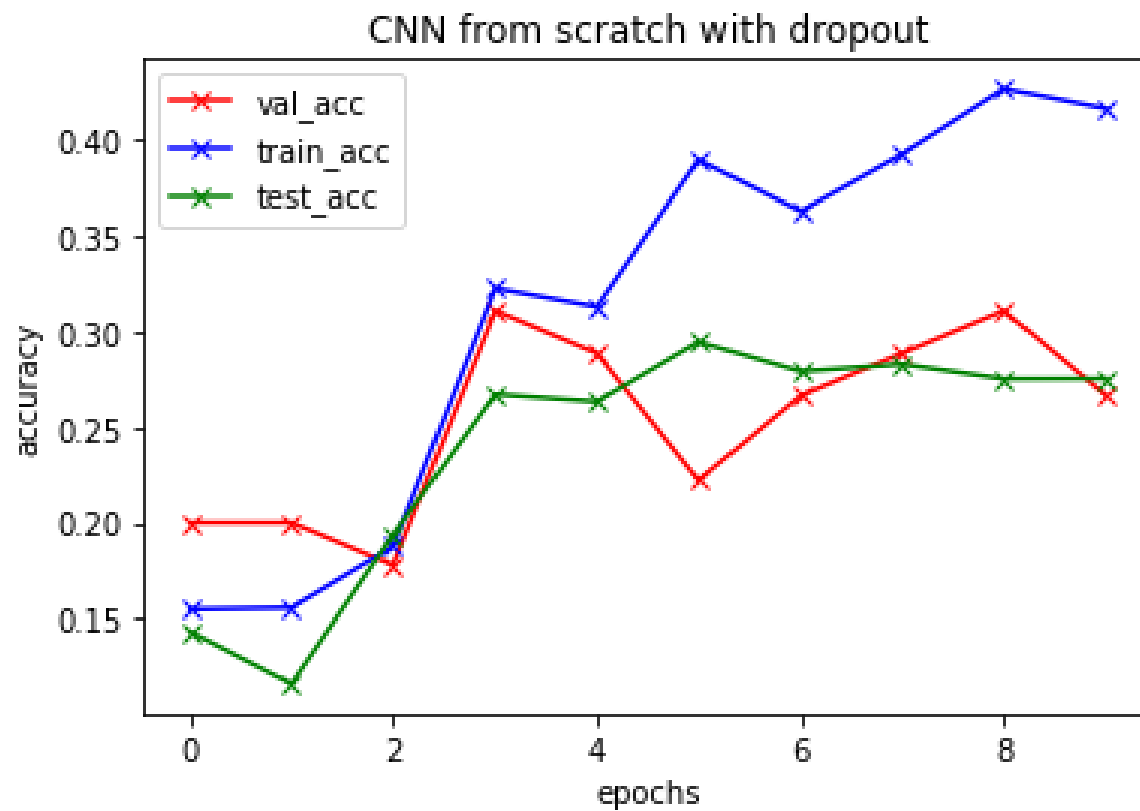
c) \tanh 's range helps models that output binary values, whereas sigmoid is commonly used to models that output probabilities.

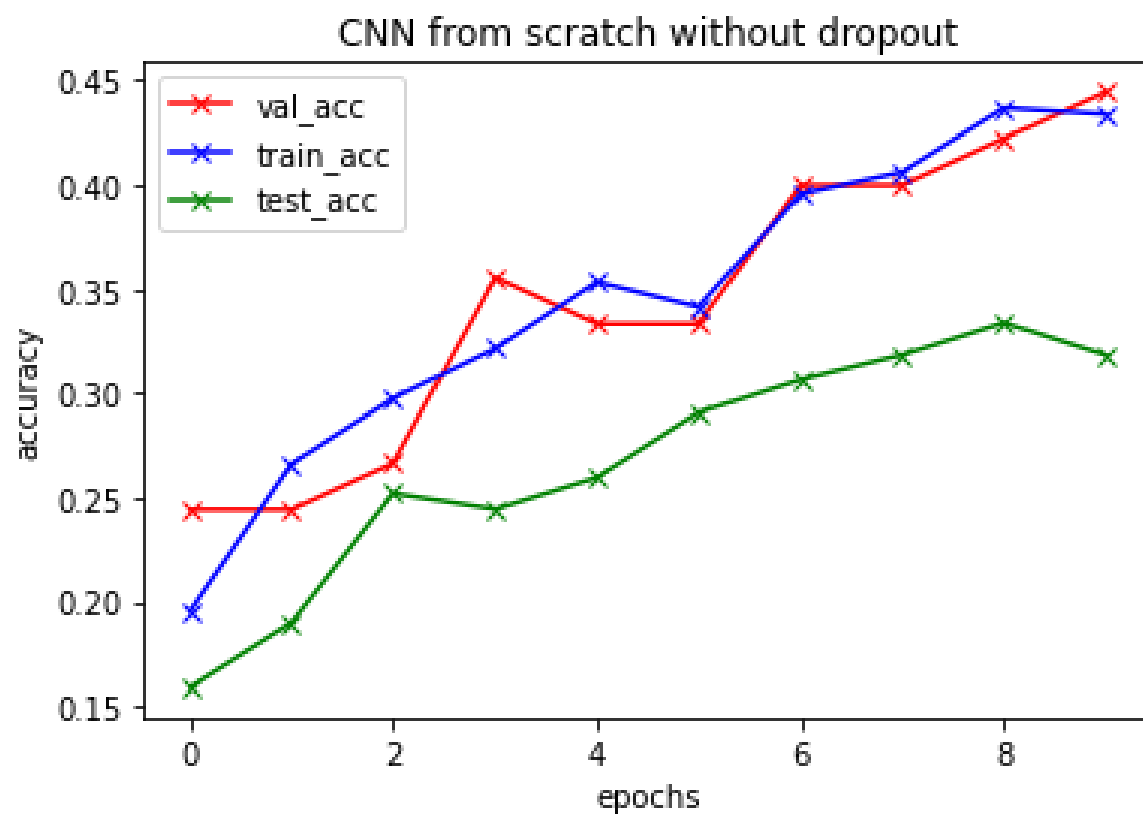
Part 2: Task 1

The two different datasets mainly differ in that DBI focuses solely on the animal itself while SDD occasionally has other objects(eg. human) within the image. This provides more variety and difficulty in the SDD dataset.

Part 2: Task 2

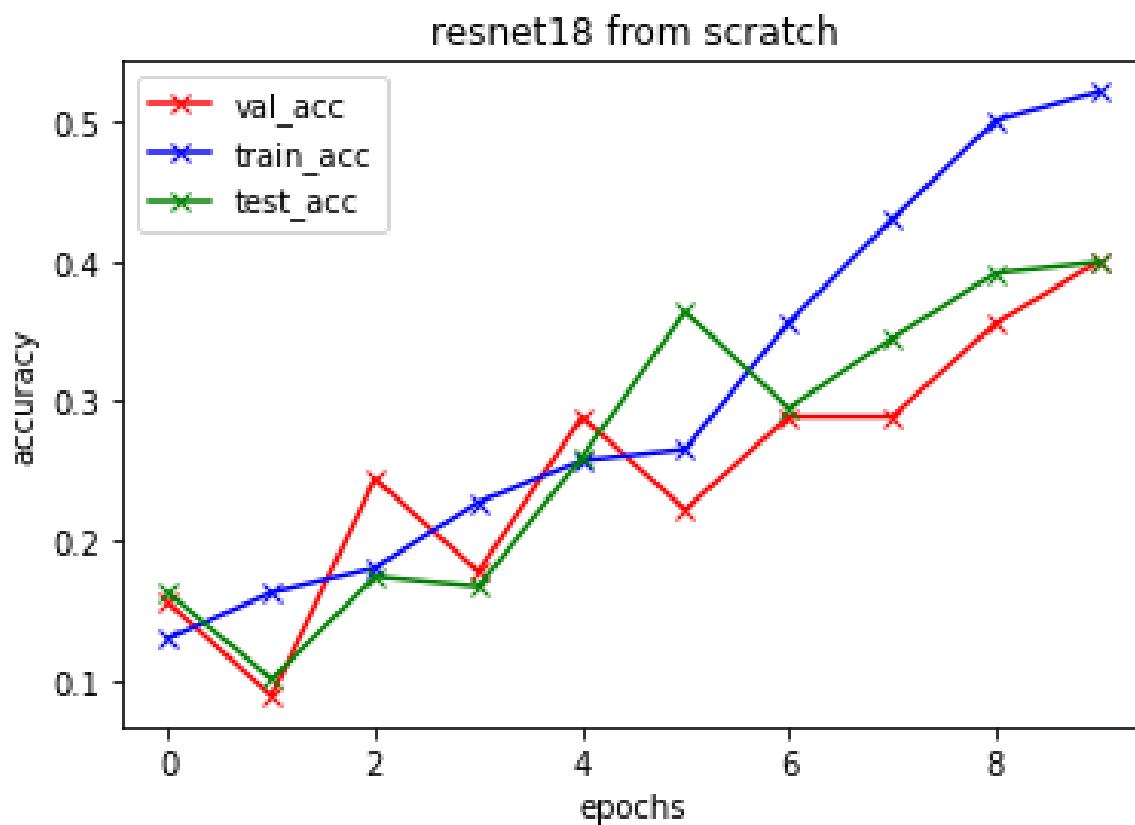
This is based on the started code given in: <https://medium.com/@ankitvashisht12/classifying-dog-breed-using-pytorch-abc9f3c5128a>





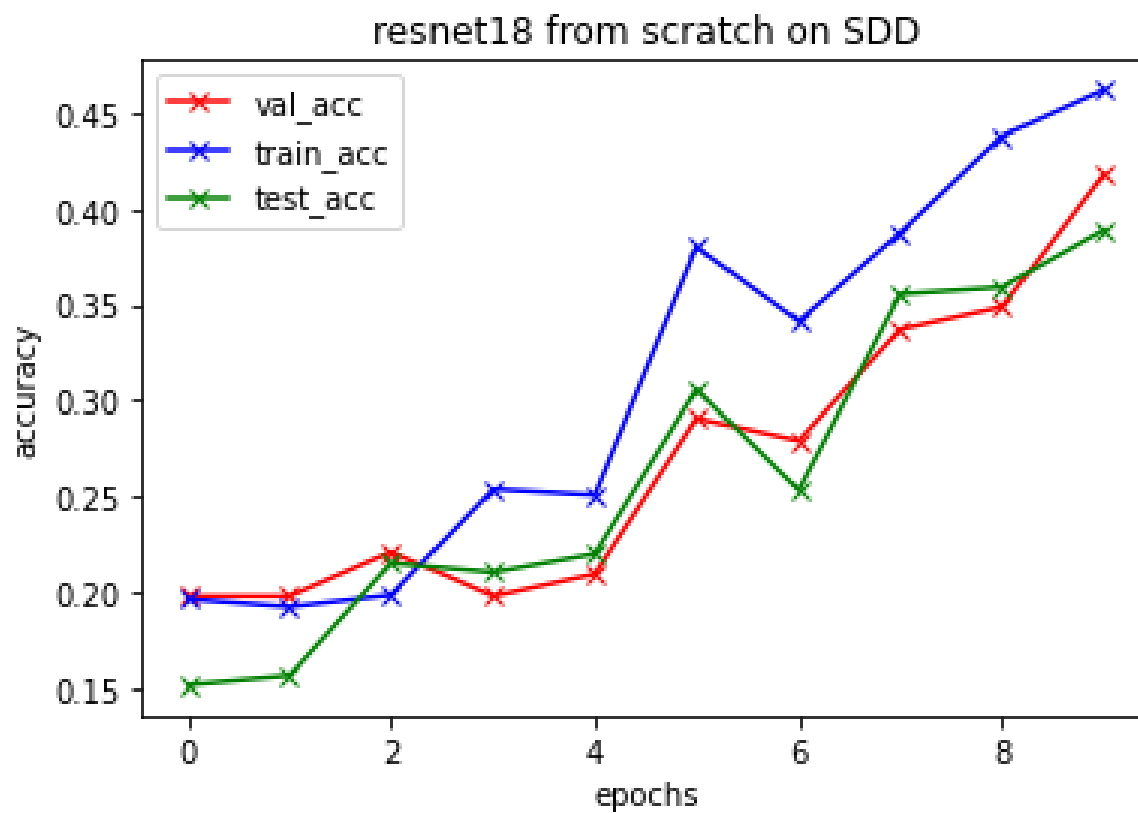
Part 2: Task 3

3a:



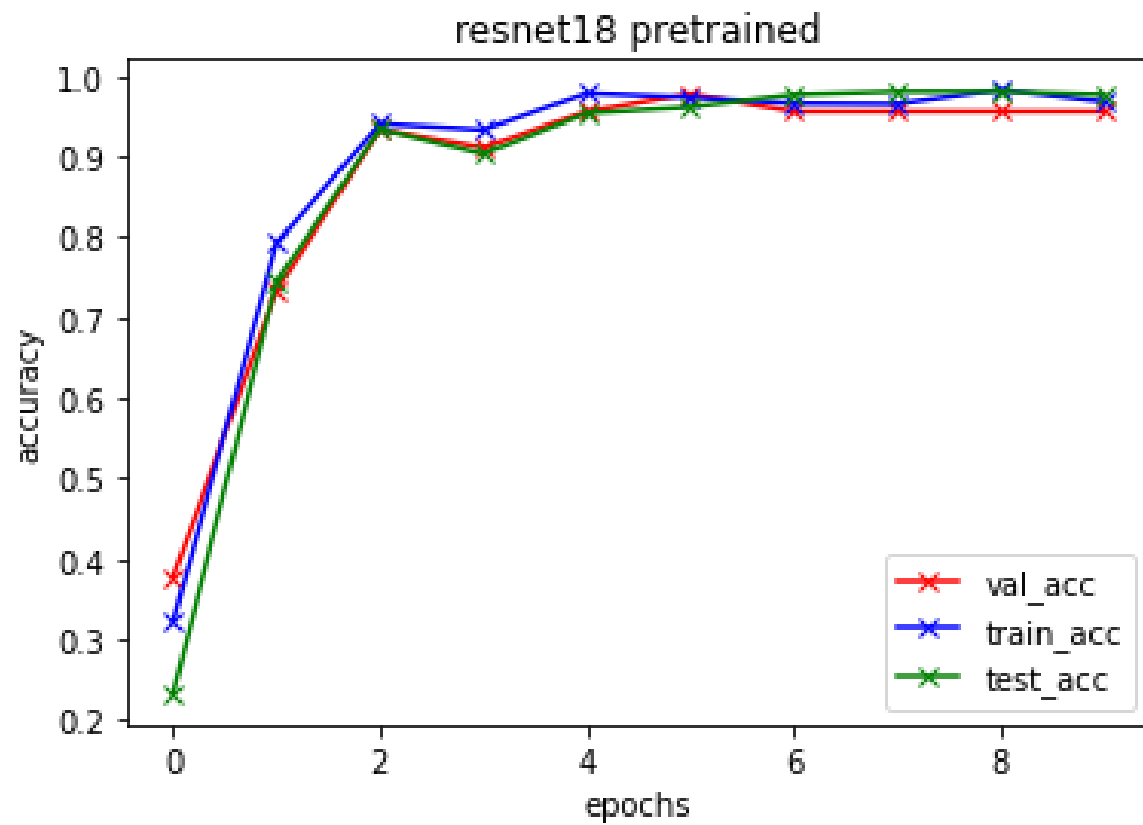
This model showed much higher accuracy compare to our custom CNN, one of the possible reasons why could be that it is much more complex in terms of the model size and trainable parameters.

3b:

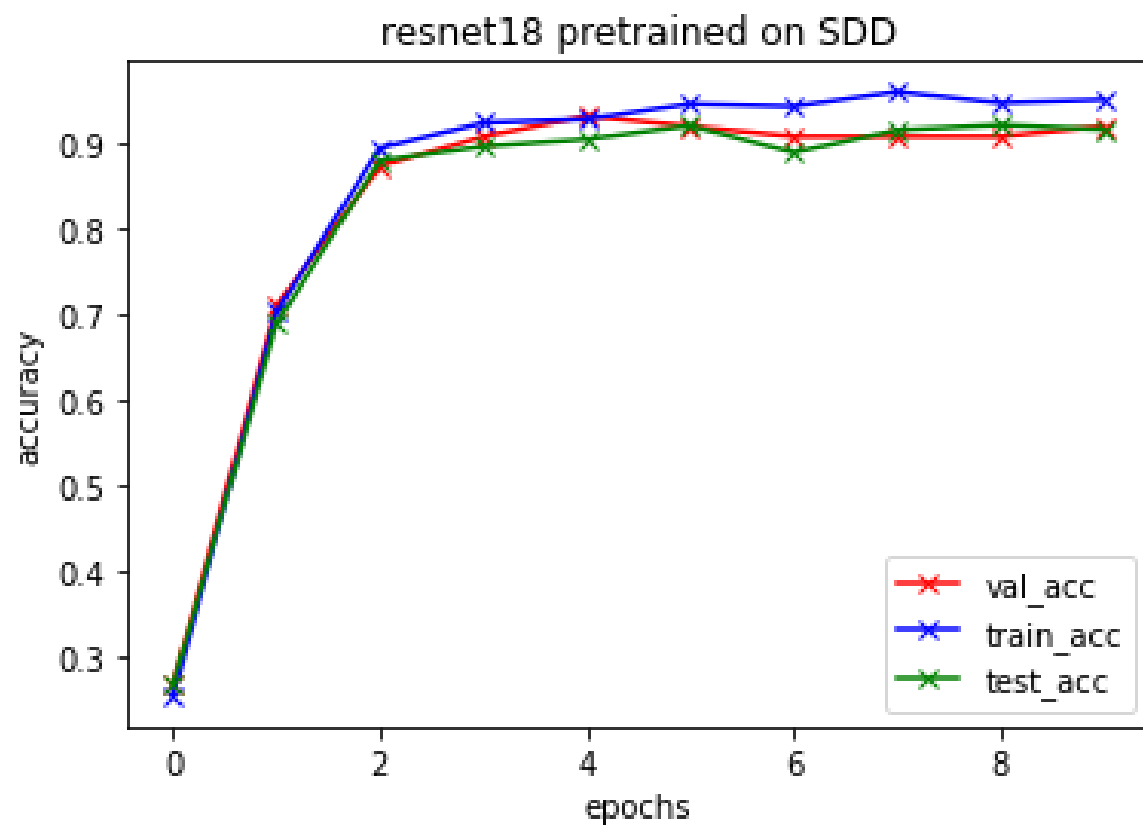


The model tapered off at around 40% of accuracy on both datasets, but DBI ended up being higher, this could be that the DBI dataset is less complicated in the objects included as we previously mentioned.

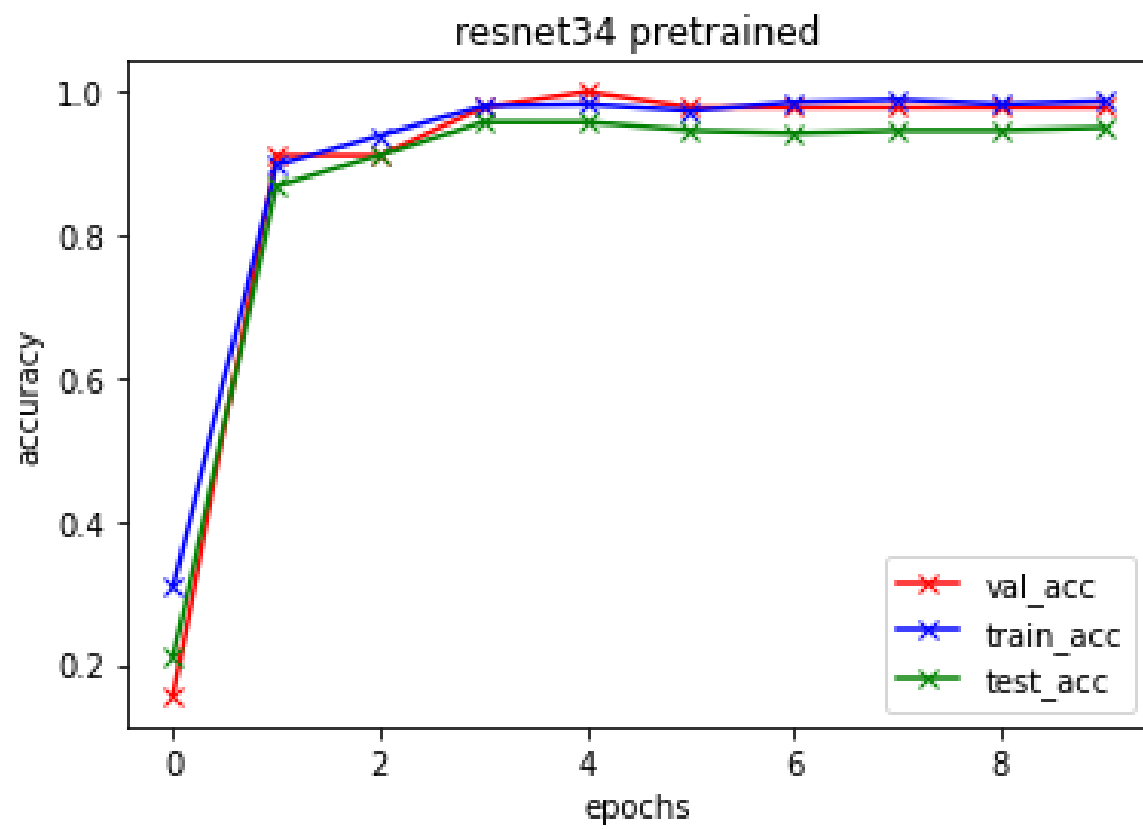
Part 2: Task 4



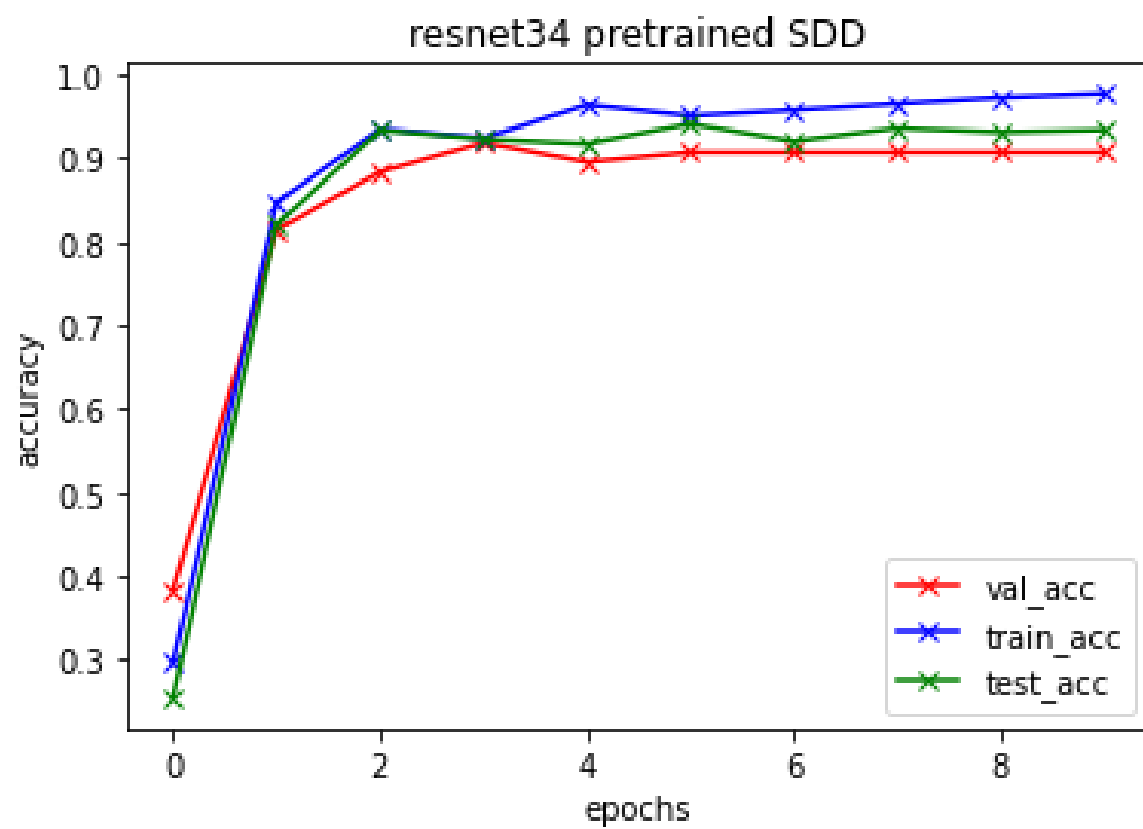
test acc = 0.9827



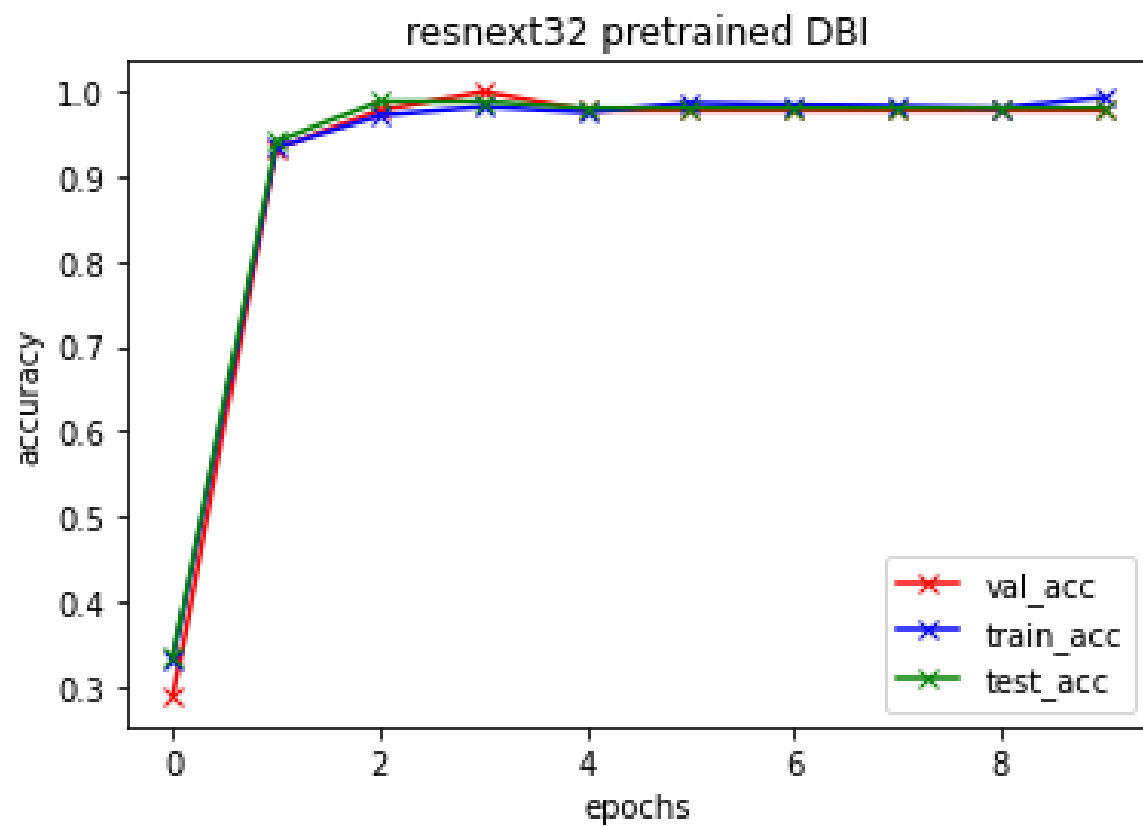
test acc = 0.9149



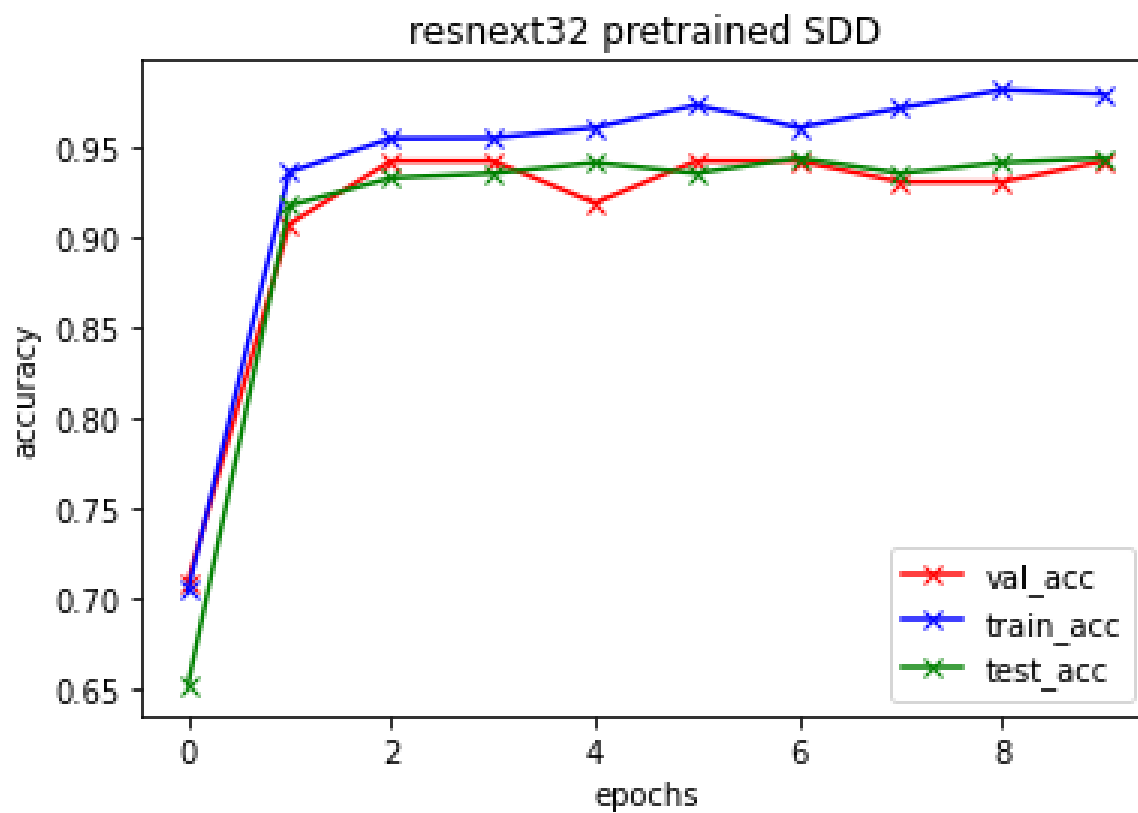
test acc = 0.9827



test acc = 0.9335

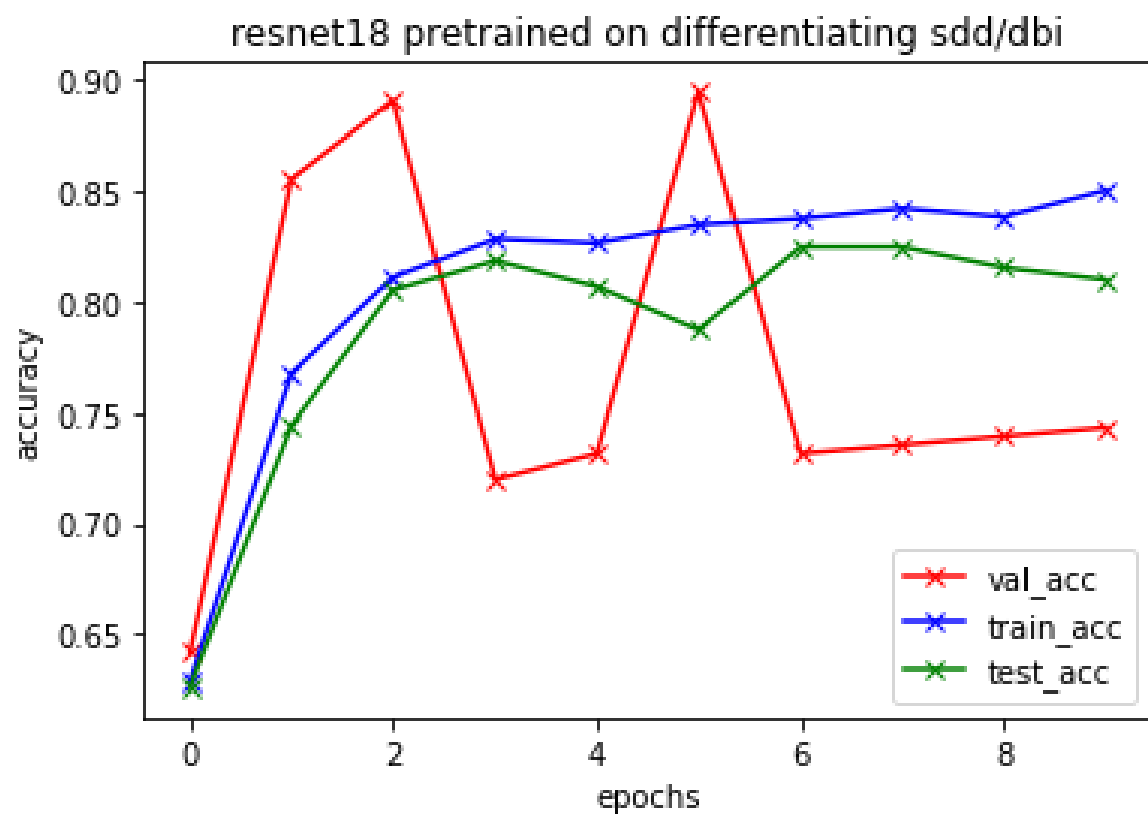


test acc = 0.9805



test acc = 0.9358

Most of these models experience a dropoff in SDD compare to DBI, while resnet18 and resnet34 performed identically in the DBI test, it suffered a harder dropoff in SDD.



```
[ ] class PretrainedResnet18SDDDBI(ImageClassificationBase):
    def __init__(self):
        super().__init__()

        self.network = models.resnet18(weights='ResNet18_Weights.DEFAULT')
        # Replace last layer
        for param in self.network.parameters():
            param.requires_grad = False
        num_fts = self.network.fc.in_features
        self.network.fc = nn.Sequential(
            nn.Linear(num_fts, 2),
            nn.LogSoftmax(dim=1)
        )

    def forward(self, xb):
        return self.network(xb)
```

```
[16] # set hyperparams
      num_epochs = 10
      opt_func = torch.optim.SGD

      max_lr = 0.01
      grad_clip = 0.1
      weight_decay = 1e-4
```

I used these hyper parameters because these are the values given in the medium article to test out different sets of pretrained model, which is close to the workload we have here. SGD is also a better choice compare to Adam as it better generalizes comparatively.