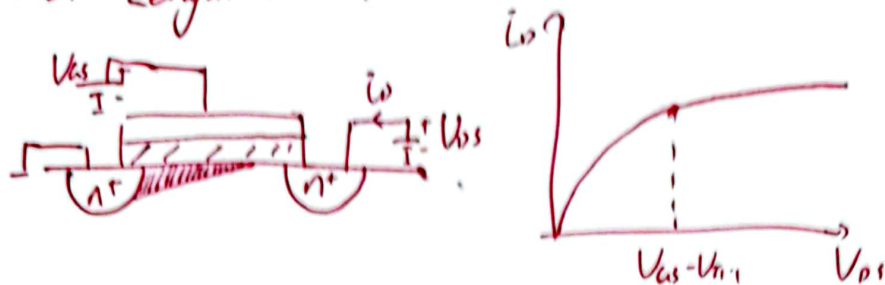


Channel-Length Modulation



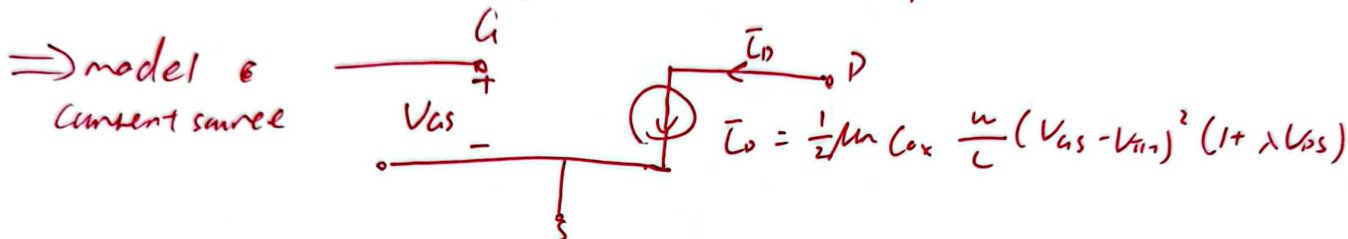
As \$V_{DS} \uparrow\$, the Channel-Length \$\downarrow\$

$$\int_0^L \bar{I}_D dx = \int_0^{V_{GS}-V_{TH1}} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH1} - V_{DS}) dV_{DS}$$

$$\Rightarrow \bar{I}_D = \frac{1}{2} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH1})^2 (1 + \lambda V_{DS})$$

不是自举电路, 符合自举电路假设相符合

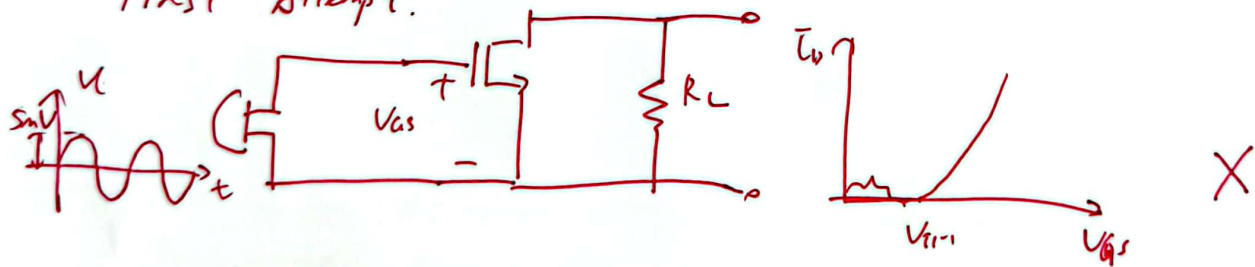
\$\lambda\$: \$\frac{1}{V}\$ Channel-Length modulation coefficient.



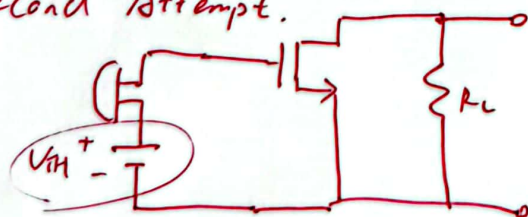
Let's build an amplifier (\$\lambda = 0\$)



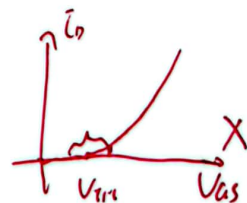
First Attempt.



Second Attempt.



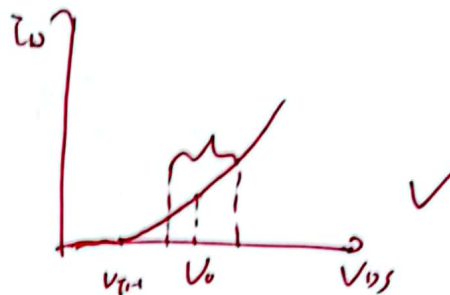
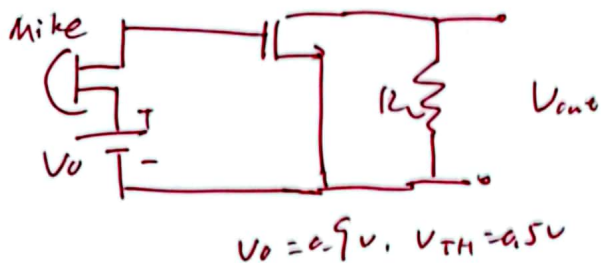
We hope the out be



assume \$\mu_n C_{ox} = 100 \mu A/V^2\$, \$\frac{W}{L} = 10\$, \$V_{TH1} = 0.5V\$

$$\bar{I}_D = \frac{1}{2} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH1})^2 = 12.5 \mu A \Rightarrow R_L \text{ should be } \frac{5mV}{12.5 \mu A} = 400 \Omega$$

Thind Attempt.



No signal: $I_{D0} = \frac{1}{2} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH})^2 = 80 \mu A$

Max signal: $I_{D0} = \frac{1}{2} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH})^2 = 82 \mu A$

Change in $I_D = 2 \mu A \Rightarrow R_L = \frac{50mV}{2 \mu A} = 25k\Omega$

★ Need to bias the transistor by creating proper current and terminal voltages (in the absence of signals)

So that the device can amplify the signal.

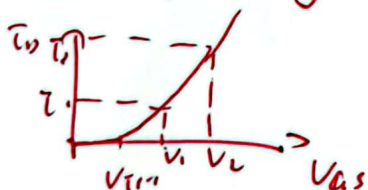
(However, V_{DS} is not taken into consideration, it must make resistor saturation. We'll consider it next day)

Observations:

① A MOS device "converts" a voltage to a current

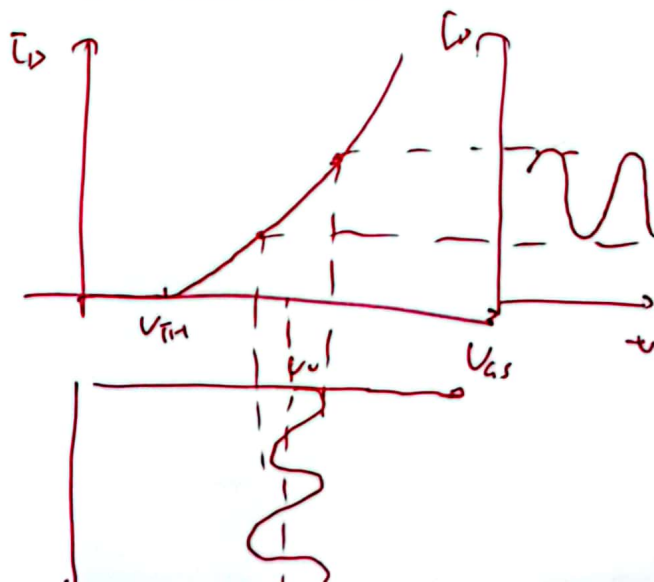
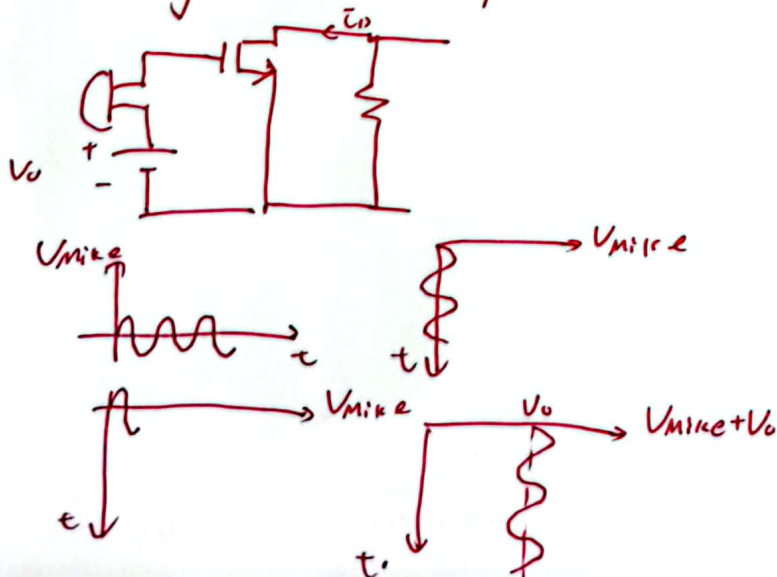
$\rightarrow \downarrow = V/I \text{ converter} = \text{Trans conductor}$

② Which operating point is ~~preferred~~? preferred?



V_L/I_L is stronger, but need more energy consumption.

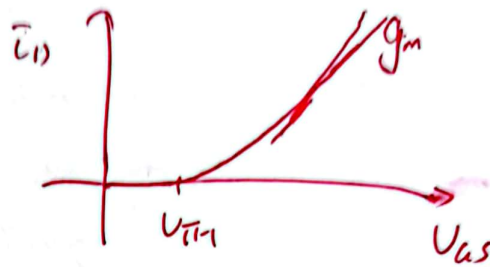
Combining Time Response with I/V Characteristics.



Concept of Transconductance (sat.)

$$g_m = \frac{d\bar{I}_D}{dV_{GS}}$$

unit: $\frac{1}{\Omega}$. siemens (S)



$$\bar{I}_D = \frac{1}{2} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH})^2$$

$$g_m = \frac{d\bar{I}_D}{dV_{GS}} = \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH})$$

$$\Rightarrow g_m = \frac{2 \bar{I}_D}{V_{GS} - V_{TH}}$$

$$\Rightarrow g_m = \sqrt{2 \bar{I}_D \mu_n C_{ox} \frac{W}{L}}$$