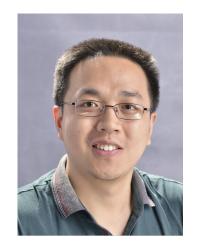
NIPS '17 Learning to Run

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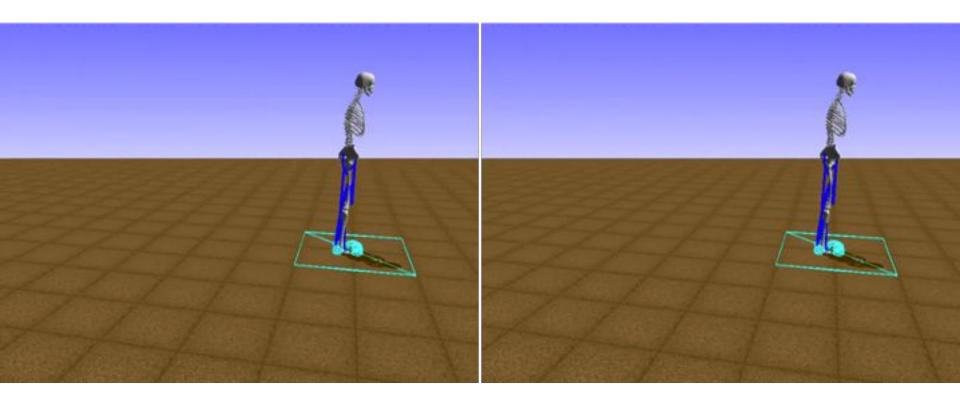


黄哲威 Zhewei Huang

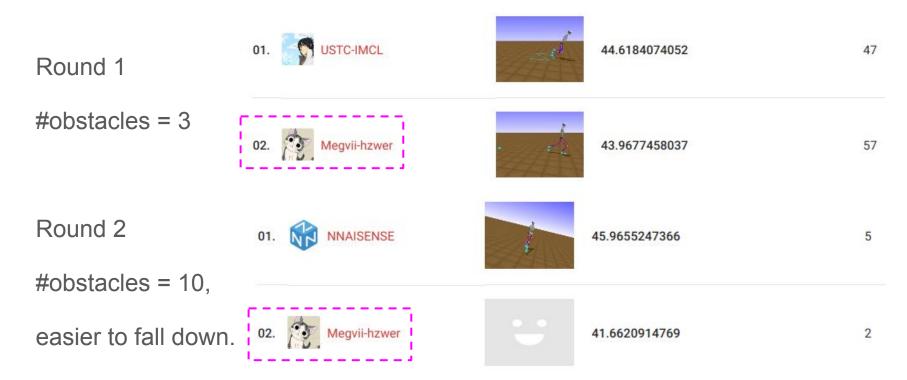


周舒畅 Shuchang Zhou

Demo



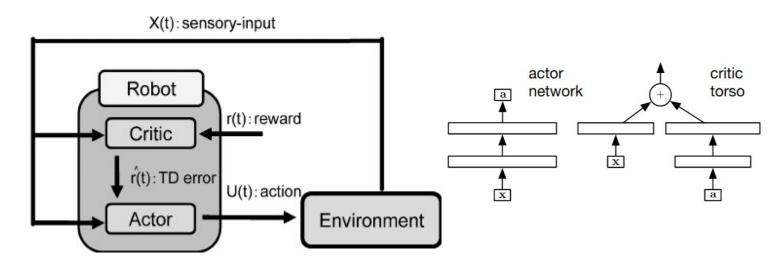
Results



https://www.crowdai.org/challenges/nips-2017-learning-to-run/leaderboards

Background: Actor-Critic & DDPG

Actor-Critic: Critic learns the reward and instructs the actor.



DDPG:

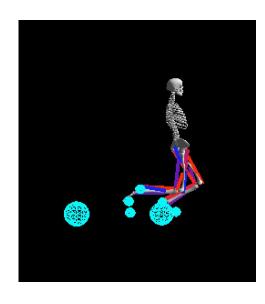
Deterministic policy eliminates the expectation and allows off-policy training.

$$Q^{\pi}(s_t, a_t) = \mathbb{E}_{r_t, s_{t+1} \sim E} \left[r(s_t, a_t) + \gamma \mathbb{E}_{a_{t+1} \sim \pi} \left[Q^{\pi}(s_{t+1}, a_{t+1}) \right] \right]$$

$$Q^{\mu}(s_t, a_t) = \mathbb{E}_{r_t, s_{t+1} \sim E} \left[r(s_t, a_t) + \gamma Q^{\mu}(s_{t+1}, \mu(s_{t+1})) \right]$$

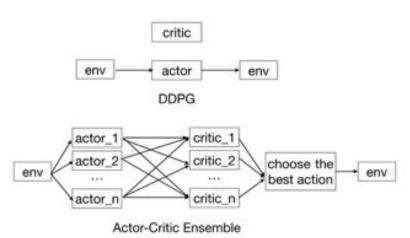
Dooming Actions

- Actions having fatal consequences
- E.g.: Legs of the skeleton tripped by obstacles
 - limbs swinging
 - o non-recoverable by actions
- Critics in fact know which are dooming actions
 - can give low scores
 - but DDPG don't have a mechanism to recover
- Solution: Actor-Critic Ensemble (ACE)



Inference with Actor/Critic Ensemble

- Round2 challenge: more obstacles make it much easier to fall down
 - Single actor may not recover from bad state
 - Sometimes the critic has given several consecutive low scores, but the actor turns a deaf ear and proceed to fail!
 - Having multiple actors allows more chances of recovery
- Multiple critics also improves robustness
- Actor/Critic Ensemble reduces falling from 25% to <5%

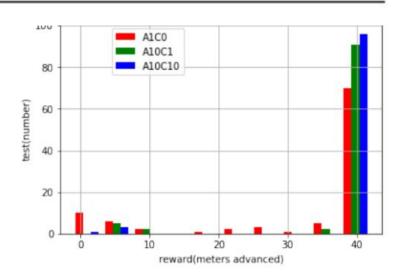


Inference with Actor/Critic Ensemble

Table 2: Performance of ACE

Experiment	# Test	# Actor	# Critic	Average reward	Max reward	# Fall off
A1C0	100	1	0	32.0789	41.4203	25
A10C1	100	10	1	37.7578	41.4445	7
A10C10	100	10	10	39.2579	41.9507	4

AXCY stands for X number of actors and Y number of critics



Training with Actor/Critic Ensemble

Train with Actor Ensemble

All actors can be updated at every step (even if its action is not used)

$$egin{aligned} i_{t+1} &= rg \max_{j} Q(s_{t+1}, \mu_{j}(s_{t+1})) \ Q(s_{t}, a_{t}) &= r(s_{t}, a_{t}) + \gamma Q(s_{t+1}, \mu_{i_{t+1}}(s_{t+1})) \end{aligned}$$

Train with Critic Ensemble

Just like Ensemble method in classification

No significant gain yet.

Vanishing Gradient Challenge



N-step DDPG

$$Q^{\mu}(s_t, a_t) = \mathbb{E}_{r_t, s_{t+1} \sim E} \left[r(s_t, a_t) + \gamma Q^{\mu}(s_{t+1}, \mu(s_{t+1})) \right]$$

$$(\mathcal{T}_{\pi}^{N}Q)(\mathbf{x}_{0},\mathbf{a}_{0}) = r(\mathbf{x}_{0},\mathbf{a}_{0}) + \mathbb{E}\left[\sum_{n=1}^{N-1} \gamma^{n} r(\mathbf{x}_{n},\mathbf{a}_{n}) + \gamma^{N} Q(\mathbf{x}_{N},\pi(\mathbf{x}_{N})) \,\middle|\, \mathbf{x}_{0},\mathbf{a}_{0}\right]$$

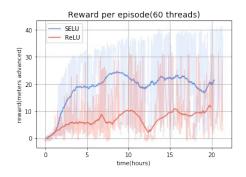


N-step Simulation

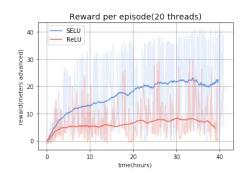
Simulate at 4x FPS, or equivalently, use the same action for 4-steps and do TD learning on 4-steps.



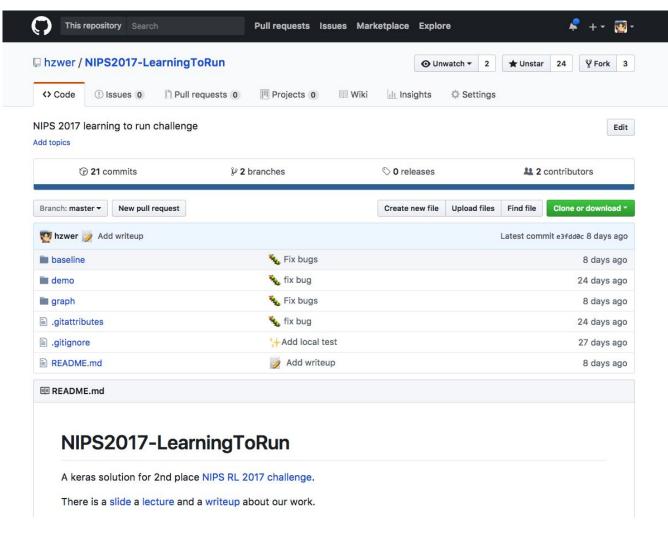
Smooth activation: SELU is unexpectedly good



simulation with 60 processes



simulation with 20 processes



Many thanks to people who helped us and the Brain++@Megvii team for support.

TODO

- The framework from **Qin Yongliang** is great, but can be improved
 - Was using pickle for Replay Memory (later changes to HDF5)
 - Pyro4 encountered timeouts for successful runs
 - Used Keras/Tensorflow
 - Keras was hard to hack
- The simulation speed of OpenSim may be improved
 - Can use lower-precision simulation



Thanks!

Code: https://github.com/hzwer/NIPS2017-LearningToRun

References

Another competitor's write-up:

https://medium.com/@stelmaszczykadam/our-nips-2017-learning-to-run-approach-b80a295d3bb5

http://blog.otoro.net/2017/11/12/evolving-stable-strategies/

BipedalWalkerHardcore-v2

Backup after this slide

Challenges

- Slow simulation
 - Some steps take minutes to simulate
 - Answer: uses ~1000 cores
- Strange setups
 - Reward = horizontal movement ligament penalties
 - Pelvis cannot be lower than 0.65
 - Collision detection is fishy

N-step DDPG

DDPG

$$Q^{\mu}(s_t, a_t) = \mathbb{E}_{r_t, s_{t+1} \sim E} \left[r(s_t, a_t) + \gamma Q^{\mu}(s_{t+1}, \mu(s_{t+1})) \right]$$

N-Step: not as effective as multi-frame simulation.

$$(\mathcal{T}_{\pi}^{N}Q)(\mathbf{x}_{0},\mathbf{a}_{0}) = r(\mathbf{x}_{0},\mathbf{a}_{0}) + \mathbb{E}\left[\sum_{n=1}^{N} \gamma^{n} r(\mathbf{x}_{n},\mathbf{a}_{n}) + \gamma^{N} Q(\mathbf{x}_{N},\pi(\mathbf{x}_{N})) \, \middle| \, \mathbf{x}_{0},\mathbf{a}_{0}\right]$$

Important: make Q zero when the episode ends, otherwise Q becomes ill-defined.

Methods

- Manual features
 - acceleration + velocity
 - roughly three time frames
- Tricks
 - Simulate the game at 4x speed when training
 - Reduce number of steps to 250
- Distributed training environment
 - RPC framework built on Pyro4 + multiprocessing (credit <u>Qin Yongliang</u>)
 - Bad code, but works