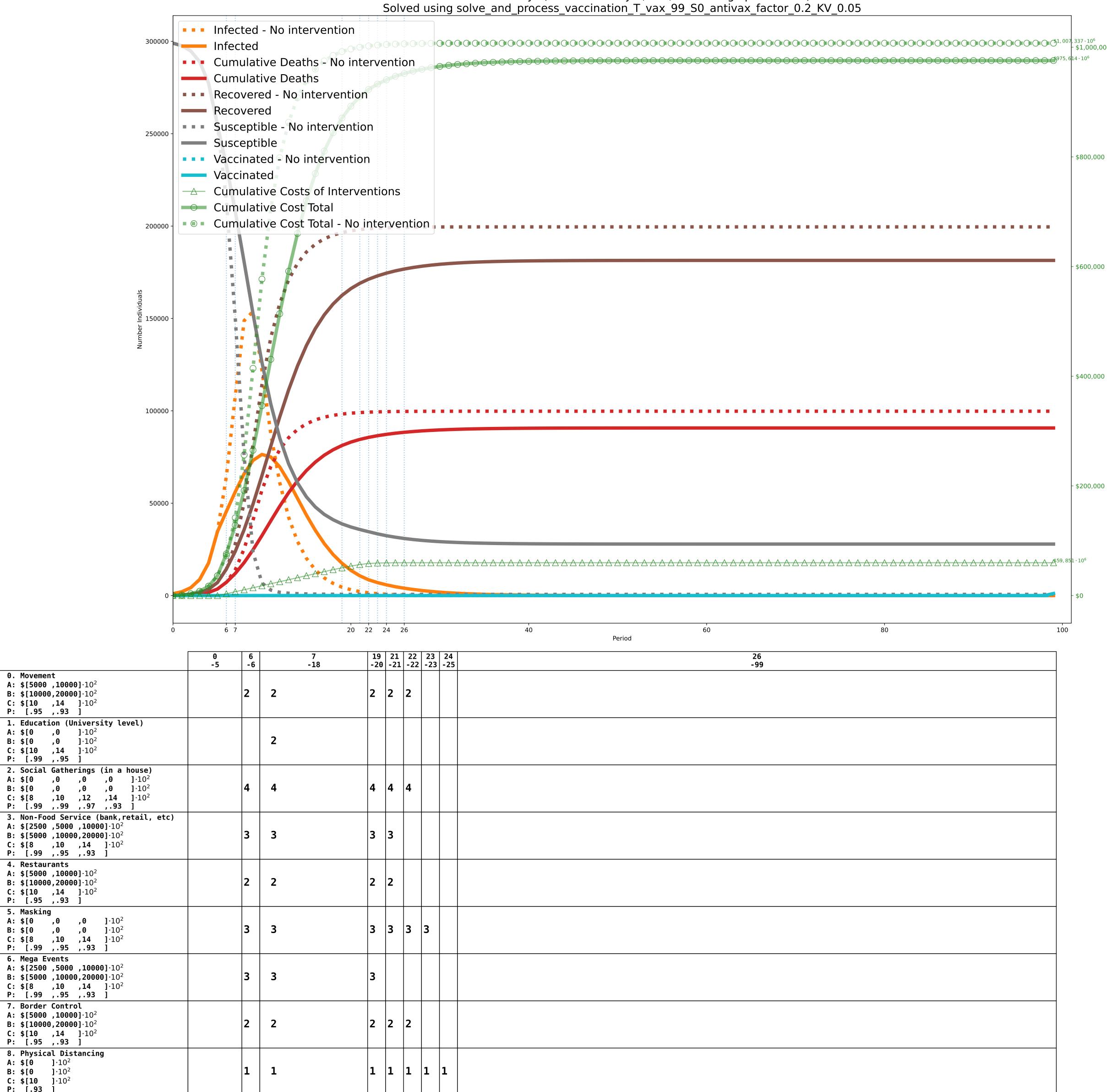
Objective: \$975, 614, 545, 034; without intervention: \$1,007, 337, 001, 721 (Desired optimality gap: 80%; actual: 77%. Lower Bound: \$222,473,000,000. Time to solve: 57s)  $C^{I} = \$10,000,C^{D} = \$10,000,000$ 

One Period=7 days (costs scaled by 1,000,000 during optimization)
Solved using solve\_and\_process\_vaccination\_T\_vax\_99\_S0\_antivax\_factor\_0.2\_KV\_0.05



\$3.9e+08 \$0.0 \$3.9e+08 1.000

\$2.4e+ \$1.7e+ \$1.3e+ \$9.8e+ \$7.1e+ \$3.2e+ \$2.8e+ \$2.4e+ \$1.1e+ \$9.8e+ \$3.2e+ \$3.4e+ \$1.1e+ \$9.8e+ \$0.536 \$0.579 \$0.677 \$0.856 \$0.925\$

Movement

A:  $\$[5000,10000]\cdot10^2$ 

**B:** \$[10000,20000] \cdot 10^2 **C: \$[10** ,**14** ] 10<sup>2</sup> P: [.95 ,.93 ]

A:  $\$[0 , 0 ] 10^2$ 

**B**: **\$[0** ,**0** ] 10<sup>2</sup> C:  $\$[10 , 14 ] \cdot 10^2$ P: [.99 ,.95 ]

4. Restaurants

5. Masking

6. Mega Events

7. Border Control A:  $\$[5000,10000]\cdot10^2$ 

A:  $\$[0] \cdot 10^2$ 

**B:** \$[0]  $10^2$ 

C: \$[10 ]·10<sup>2</sup> P: [.93 ]

**B:** \$[10000,20000] 10<sup>2</sup>

C:  $\$[10 , 14 ] 10^2$ P: [.95 ,.93 ]

8. Physical Distancing

Cost Per Period: TOTAL
Cost Per Period: POLICY

**Probability Factor** 

Cost Per Period: DISEASE

\$6e+09 \$0.0 \$6e+09 1.000

A: \$[5000 ,10000] ·10<sup>2</sup>

**B:** \$[10000,20000] \cdot 10^2 C:  $\$[10 , 14 ] 10^2$ P: [.95 ,.93 ]

P: [.99 ,.95 ,.93 ]

P: [.99 ,.95 ,.93 ]