#### Homework 6

#### **Instructions**

This homework contains 4 concepts and 7 programming questions. In MS word or a similar text editor, write down the problem number and your answer for each problem. Combine all answers for concept questions in a single PDF file. Export/print the Jupyter notebook as a PDF file including the code you implemented and the outputs of the program. Make sure all plots and outputs are visible in the PDF.

Combine all answers into a single PDF named andrewID\_hw6.pdf and submit it to Gradescope before the due date. Refer to the syllabus for late homework policy. Please assign each question a page by using the "Assign Questions and Pages" feature in Gradescope.

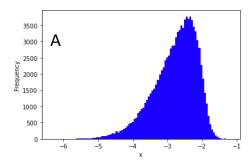
Question	Points
Concept 1	3
Concept 2	3
Concept 3	3
Concept 4	3
M6_L1_P1	6
M6_L1_P2	6
M6_L1_P3	9
M6_L2_P1	6
M6_L2_P2	9
M6_HW1	36
M6_HW2	36
Total	120
Bonus	6

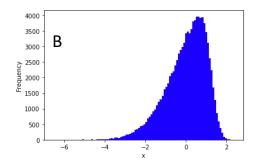
# Multiple choice (select one)

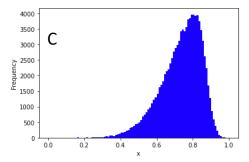
Given the original data in A, the data in B and C appears to be:

- 1. B) Normalized and C) Standardized
- 2. B) Standardized and C) Normalized
- 3. B) and C) both unchanged from the original data

2







Multiple Choice (select one)

Which scaling technique would be best to use on the following data:

X = [0.002, 0.01, 100000, 4000, 500, 0.00008, 7]

- 1. Normalization
- 2. Standardization
- 3. Log Transformation
- 3, as log transformation handles extreme variations the best.

Compute the Pearson's correlation coefficient for the following two features by hand:  $x_1 = [8,4,0,-4], x_2 = [-16,-12,-10,2]$ 

$$\chi_{1} = \begin{bmatrix} 3.4, 0.4 \end{bmatrix} \quad \chi_{2} = \begin{bmatrix} -16. -12. -10.2 \end{bmatrix} \\
\gamma = \frac{\sum (x_{1} - \bar{x}_{1})(x_{2} - \bar{x}_{2})}{\sqrt{\sum (x_{1} - \bar{x}_{1})^{2}.\sum (x_{2} - \bar{x}_{2})^{2}}} \quad \bar{x}_{1} = \lambda \\
\sqrt{\sum (x_{1} - \bar{x}_{1})(x_{2} - \bar{x}_{2})^{2}} \quad \bar{x}_{2} = -9$$

$$\sum (x_{1} - \bar{x}_{1})(x_{2} - \bar{x}_{2}) = \sum [6. + 2. -2. -6][-7. -3. -1. |1] \\
= -42 - 6 + 2. -66 = -112$$

$$\sqrt{\sum (x_{1} - \bar{x}_{1})^{2}} \sum (x_{2} - \bar{x}_{2})^{2} = \sqrt{(36 + 4 + 4 + 36)(49 + 9 + 1 + 121)} \\
= \sqrt{36 \cdot 136} = 120.$$

$$Y = \frac{-112}{120} \approx -0.93$$

### Multiple choice (select one)

Consider the dataset with features  $x_1$ ,  $x_2$ ,  $x_3$ , and label y. We have generated the following correlation matrix, and would like to select a feature to remove. We have set the following threshold |r| > 0.9 to drop features. Which of the features should be dropped?

- 1.  $x_1$
- x<sub>2</sub>
   x<sub>3</sub>
- 2

