#### M9-I 1 Problem 2

Recall the von Mises stress prediction problem from the module 6 homework. In this problem, you will compute the  $\mathbb{R}^2$  score for a few model predictions for a single shape in this dataset. You will also plot the predicted-vs-actual stress for each model.

```
In [1]: import numpy as np
    import matplotlib.pyplot as plt
    from sklearn.metrics import r2_score

    float32 = np.float32

In [2]: xs= np.load("data/L1P2/xs.npy")
    ys= np.load("data/L1P2/ys.npy")
    gt = np.load("data/L1P2/gt.npy")
    model1= np.load("data/L1P2/model1.npy")
    model2= np.load("data/L1P2/model2.npy")
    model3= np.load("data/L1P2/model3.npy")
```

### Visualizing data

Run the following cell to load the data and visualize the 3 model predictions.

- gt is the ground truth von Mises stress vector
- model1 is the vector of stress predictions for model 1
- model2 is the vector of stress predictions for model 2
- model3 is the vector of stress predictions for model 3

```
In [3]: def plot_shape(x, y, stress, lims=None):
    if lims is None:
        lims = [min(stress),max(stress)]

plt.scatter(x,y,s=5,c=stress,cmap="jet",vmin=lims[0],vmax=lims[1])
    plt.colorbar(orientation="horizontal", shrink=.75, pad=0,ticks=lims)
    plt.axis("off")
    plt.axis("equal")

def plot_all(x, y, gt, model1, model2, model3):
    plt.figure(figsize=[12,3.2], dpi=120)
    plt.subplot(141)
    plot_shape(x, y, gt)
    plt.title("Ground Truth")

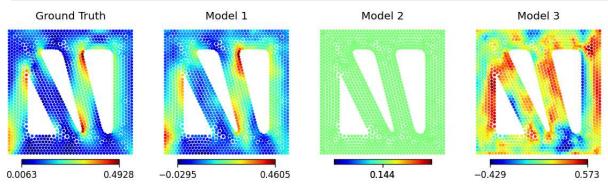
plt.subplot(142)
    plot_shape(x, y, model1)
    plt.title("Model 1")
```

```
plt.subplot(143)
plot_shape(x, y, model2)
plt.title("Model 2")

plt.subplot(144)
plot_shape(x, y, model3)
plt.title("Model 3")

plt.show()

plot_all(xs, ys, gt, model1, model2, model3)
```



# Computing $\mathbb{R}^2$

Calculate the  $\mathbb{R}^2$  value for each model and print the results.

```
In [11]: # YOUR CODE GOES HERE
    r2_1 = r2_score(gt,model1)
    r2_2 = r2_score(gt,model2)
    r2_3 = r2_score(gt,model3)

    print(r2_1)
    print(r2_2)
    print(r2_3)

0.8727993965148926
    0.0
    -3.0451393127441406
```

# Plotting predictions vs ground truth

Complete the function definition below for plot\_r2(gt, pred, title)

Then create plots for all 3 models.

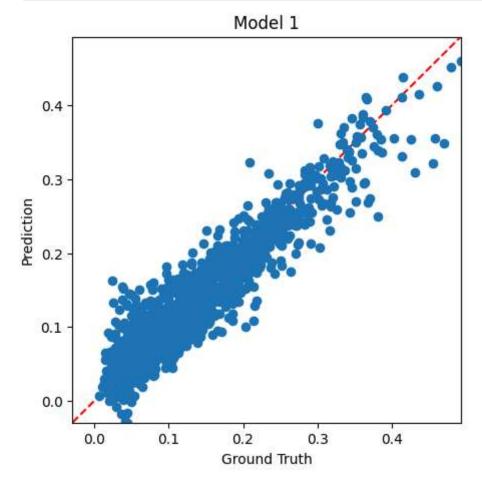
```
In [10]: def plot_r2(gt, pred, title):
    plt.figure(figsize=[5,5])

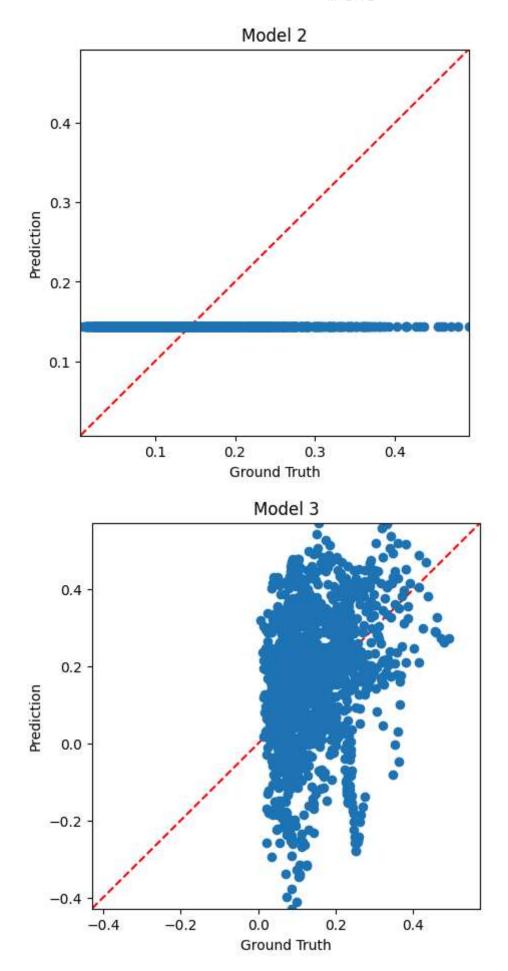
# YOUR CODE GOES HERE

plt.plot([-1000,1000], [-1000,1000], "r--")
```

```
plt.plot(gt,pred,'o')
all = np.concatenate([gt, pred])
plt.xlim(np.min(all), np.max(all))
plt.ylim(np.min(all), np.max(all))
plt.xlabel("Ground Truth")
plt.ylabel("Prediction")
plt.title(title)
plt.show()

plot_r2(gt, model1,"Model 1")
plot_r2(gt, model2,"Model 2")
plot_r2(gt, model3,"Model 3")
```





## Questions

- 1. Model 2 has an  $\mathbb{R}^2$  of exactly 0. Why?
- 2. Model 3 has an  $\mathbb{R}^2$  less than 0. What does this mean?
- 1. Model2 appears to be a straight line, therefore there's no variance withnin the data, led to  ${\cal R}^2$  being 0
- 2. if  $\mathbb{R}^2$  is less than zero, it means the model performs worse than using the mean to predict in a linear line.