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		1	. 2 + 2	2-3 +.	+ 1	n.(n+1)=n.(n+1)(n+2)/3
.5	Proo)	: B.	se s	tep:	n = 1	
			- A		1.17	1+1=2.(1+1)(1+2)/3
						2 = 2
						LHS = RHS W
		In	ducti	on st	οΛ:	n=k
					1.2.	+2.3+ =+ k(k+1) = k(k+1)(k+2/1)
			1.2		X	now assume that n= k+1 is tro
			12		1-2+2	·3++ 2 (kfn) + (k+n) (kf2) = 2 (kfn) (kf2) 13
			1.3			+ (k+1)(k+2)
					RI	45: K(K+1)(K+2) + (K+1)(K+2)
7						$=(k+1)(k+2)-\left[\frac{k}{3}+1\right]$
			- A-			$= \frac{(k+1)(k+2)(k+3)}{3} = 7 \text{ n = k+1}$
						$= \frac{7 \text{ N} = 247}{3}$ $= 7 \text{ LHS} = \frac{1}{12} $
						=7 = 1 = 1 = 1 = 1
17				1.1.	2 [[CU6601(0) 77
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	1, 6		e for		et to	be well-ordered, it has to
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						e so, we conclude that
~	-2 -1	1 2	*			of even numbers from Z
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11	= 4 = (+7	12	lis	x v	ve(1-	ordered, because of the
	5		C	ondit	you t	hat a bosubset needt to
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Index of comments

A 3/5 1.1 Be careful here: 1.2 You assumed that n=k works You want to prove that n = k+1 works by assuming the previous 1.3 Where did you apply the IH? 2.1 С 1/5 One particular case doesn't prove a general statement 2.2 3.1 D 2/5 3.2 You need to prove them. There's no point to assume their validity here. 3.3 The exercise is incomplete:

* most of the properties remain unproven.