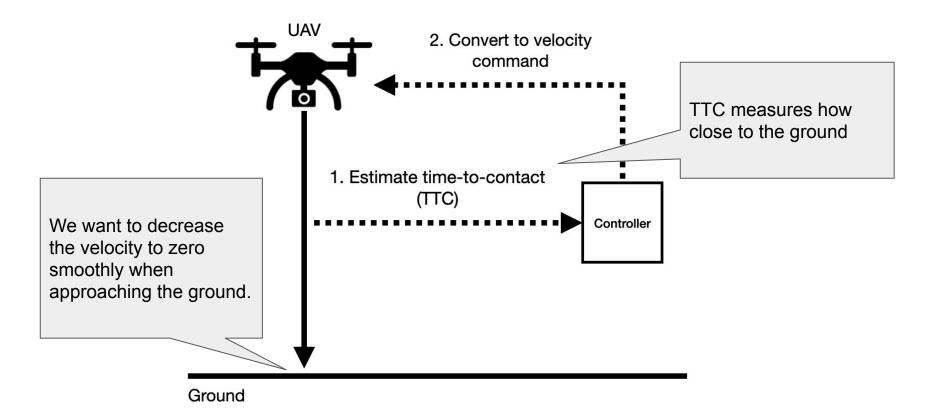
Direct Time-to-Contact Estimation for Unmanned Aerial Vehicle Landing

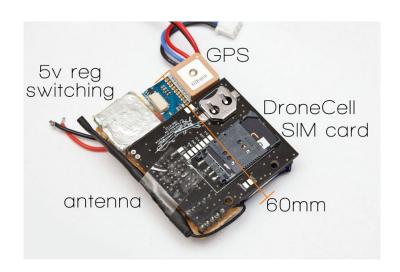
Zhang-Wei Hong & Tsun-Hsuan Wang

Time-to-contact (TTC) based control for UAV landing

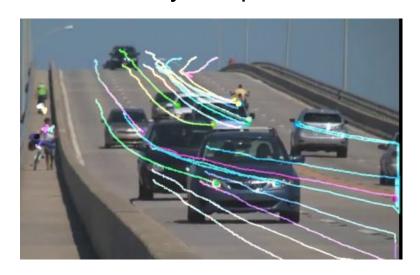


Typical TTC-based control is unscalable

- 1. Expensive
- 2. Imprecise in indoor cases



- 1. Need visual features
- 2. Costly computation



Optical flow

GPS

Typical methods cannot deploy in a scale



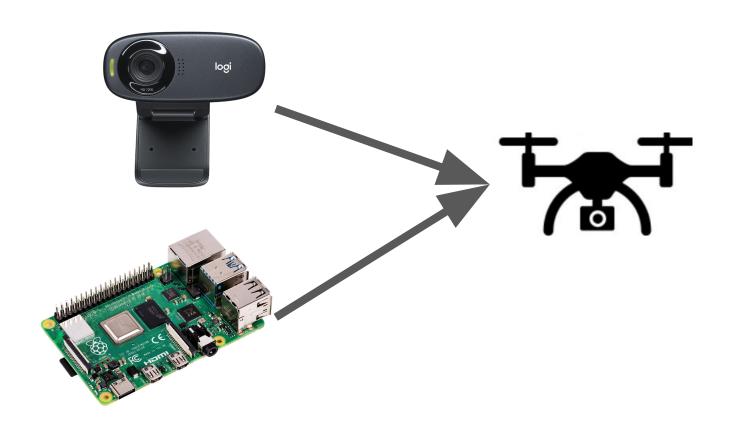
https://roboticsandautomationnews.com/

The envision of UAV is large scale deployment in smart cities



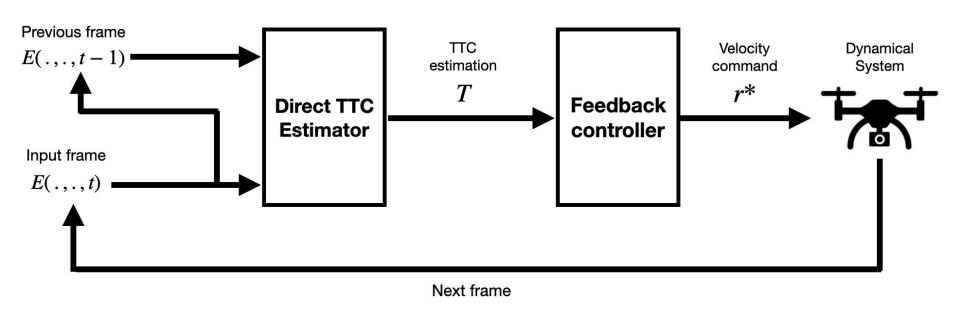
https://roboticsandautomationnews.com/

Our method only needs a monocular camera and a cheap computer



Method - overview

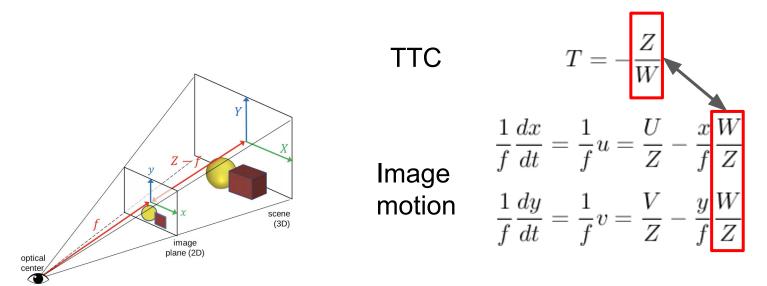
Control UAVs via direct TTC estimation [1] from image brightness



[1] B. K. P. Horn, Y. Fang and I. Masaki, "Time to Contact Relative to a Planar Surface," 2007 IEEE Intelligent Vehicles Symposium, Istanbul, 2007, pp. 68-74, doi: 10.1109/IVS.2007.4290093.

Method - TTC estimation

TTC can be connected to image brightness by image motion



$$(U, V, W) = (\frac{dX}{dt}, \frac{dY}{dt}, \frac{dZ}{dt}) \quad (u, v) = (\frac{dx}{dt}, \frac{dy}{dt})$$

Method - TTC estimation

Image motion is constrained by the **constant brightness equation** (BCCE)

$$uE_x + vE_y + E_t = 0$$

E Image brightness

 E_{x} Partial derivative w.r.t. x

 E_u Partial derivative w.r.t. y

 E_{t} Partial derivative w.r.t. t

Method - TTC estimation

Then, TTC can be obtained by the least-square solution of BCCE

$$u = f(\frac{U}{Z} - \frac{x}{f}\frac{W}{Z})$$
 Plug into
$$\min_{u,v} \sum_{x,y} (uE_x + vE_y + E_t)^2$$
 Regroup
$$C = -\frac{W}{Z} = \frac{1}{T}$$

 $G = xE_x + yE_y$

Method - feedback controller

Landing control can be related to TTC by the desired landing trajectory in vertical descending

Distance to the ground at time t:

$$d(t)=rac{1}{2}at^2$$
 (a is the desired acceleration downward)

Relation to TTC:

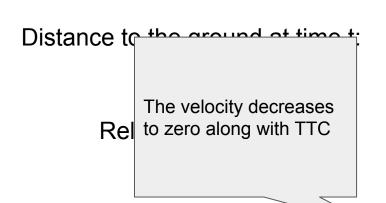
$$T = -\frac{Z}{W} = -\frac{d(t)}{\frac{dd(t)}{dt}} = -\frac{1}{2}\frac{at^2}{at} = -\frac{1}{2}t$$

Conversion to velocity command:

$$r^* = \frac{dd(t)}{dt} = -at = -2aT$$

Method - feedback controller

Landing control can be related to TTC by the desired landing trajectory in vertical descending



Conversion to velocity command:

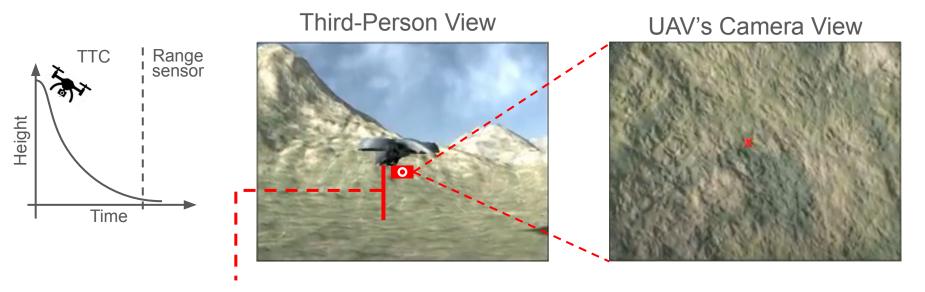
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$$r^* = \frac{dd(t)}{dt} = -at = -2aT$$

Experiments setup

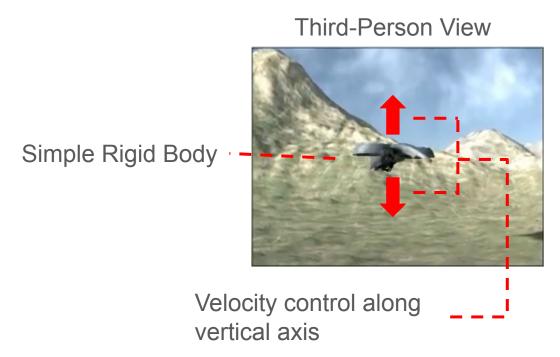
<u>Sensors</u>



Range sensor with operational domain <0.4m

Experiments setup

Vehicle Dynamics



UAV's View

Experiments setup

Weather Conditions

Dust Storm



Cloudy



Rotational Light

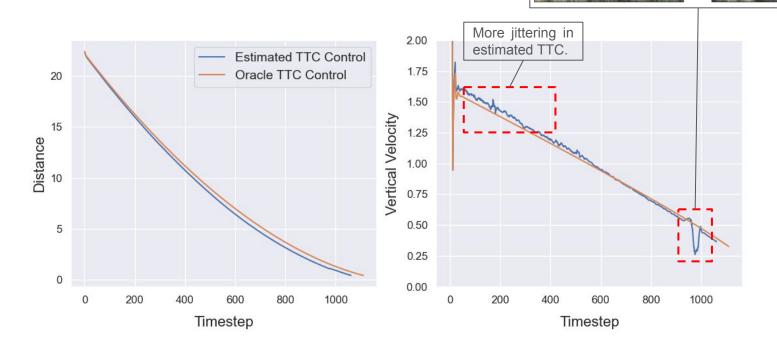


Windy



Experimental results

Control with estimated and oracle TTC.

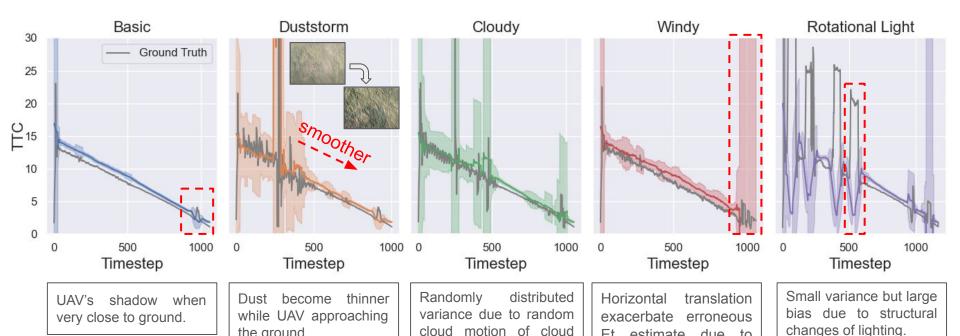


UAV's shadow when very close to ground.

Experimental results

TTC estimates in various weather conditions.

the ground.



cloud motion of cloud

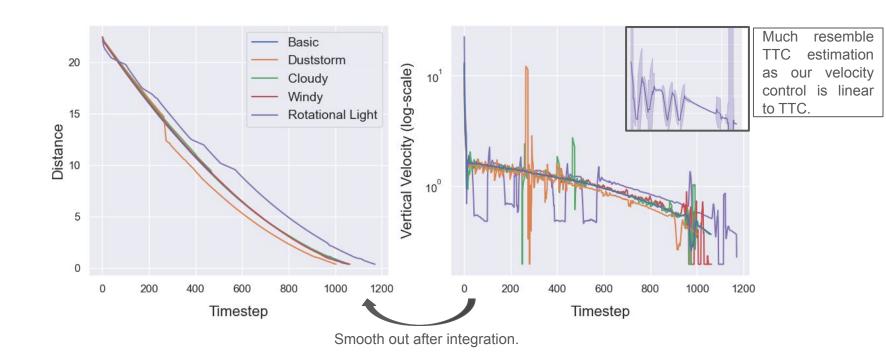
shadow.

estimate due to

UAV's shadow.

Experimental results

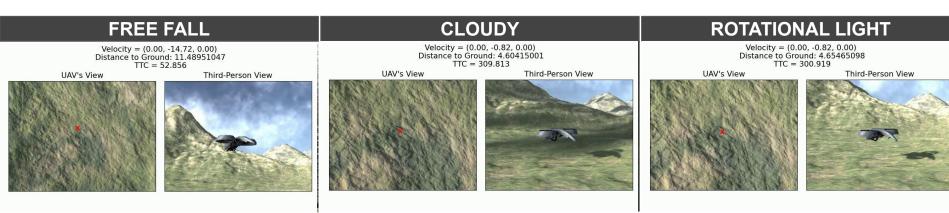
Distance to ground and vertical velocity in various weather conditions.



Slide link:

https://docs.google.com/presentation/d/10RkHkvDeMTCSJEANafhsImeJVZhqEMRU9VSqOTVInxw/edit?usp=sharing





Q&A