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My Report!

First year review report

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Abstract

Giving a short overview of the work in your project.[\[1\]](#)

```
open import Relation.Binary.PropositionalEquality
```

0.1 Natural Numbers

First, we define the type of natural numbers inductively:

```
data ℕ : Set where
  zero : ℕ
  suc  : ℕ → ℕ
```

Here, \mathbb{N} is the type of natural numbers, with two constructors:

- `zero` represents 0.
- `suc` represents the successor function (i.e., $n + 1$).

0.2 Addition

Next, we define addition recursively:

```
_+_ : ℕ → ℕ → ℕ
zero + n = n
suc m + n = suc (m + n)
```

This definition states:

- $0 + n = n$ (base case).
- $(m + 1) + n = (m + n) + 1$ (recursive case).

0.3 A Simple Proof

We now prove that $2 + 2 = 4$. First, we define the numbers:

```
two : ℕ
two = suc (suc zero)

four : ℕ
four = suc (suc (suc (suc zero)))
```

Now, the proof reduces by computation:

```
proof : two + two ≡ four
proof = refl
```

Since Agda's definitional equality handles reduction, `refl` suffices.

0.4 Conclusion

This example shows how Agda and LaTeX can be combined for formal proofs in papers. The full output is rendered with syntax highlighting.

Bibliography

- [1] ABBOTT, M., ALTENKIRCH, T., AND GHANI, N. Containers: Constructing strictly positive types. *Theoretical Computer Science* 342, 1 (2005), 3–27. Applied Semantics: Selected Topics.