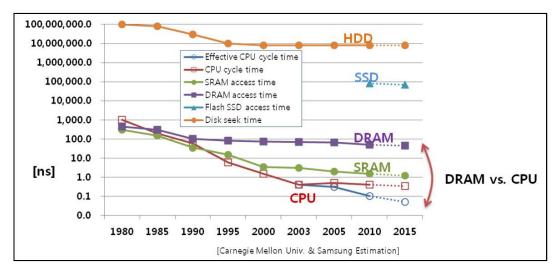
# GPUs and CUDA 2 Memory and Warps

CS121 Parallel Computing Fall 2022

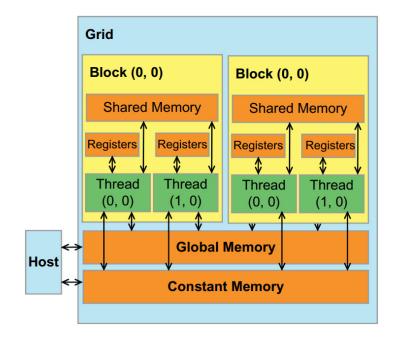
# Need for speed



- Speed of code determined by amount of computation and memory accesses.
- Computation speed has been improving much faster than memory latency and bandwidth.
- Today, the main bottleneck is high memory latency and low memory bandwidth relative to CPU.
- But processors can access many different types of memory.
- Can write fast code if use right memory at right time.

# GPU memory organization

- GPU has several types of memory.
  - Different size, latency, bandwidth and scope.
  - ☐ Generally, the larger the size and scope, the slower and less bandwidth.
- Registers, shared memory, L1 cache are on-chip, much faster and higher bandwidth than global memory.
- L1 cache is controlled by hardware.
- In contrast, programmer controls what's stored in shared memory.
- Shared memory size + L1 cache size
   = 64KB. User configurable.

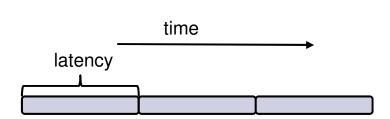


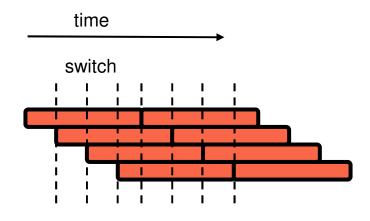
Туре	Size	Latency (cycles)	Bandwidth	Visibility
Global	1-32 GB	400-800	900 GB/s	grid
Constant	64KB	cached		grid, read-only
Shared	48KB/16KB per SM	~20	12,000 GB/s	block
L1 cache	16KB/48KB per SM	~20	12,000 GB/s	block
Registers	64K per SM	~1		thread



### Global memory latency

- Global memory has very high latency.
- If each thread waits (blocks) for a global memory operation to finish before doing the next operation, performance is very poor.
- Solution is to keep large pool of active threads.
- When one thread blocks doing a memory operation, switch to another thread.
  - ☐ "Massive multi-threading" (MMT).
- Total throughput high, even though each thread has high latency.





### Global memory latency

- Each SM has own scheduler to do thread switching.
  - Different from device Gigathread scheduler, which allocates thread blocks to SMs.
- Each thread's context (program counter, registers) always maintained in the SM.
  - SM has ~64K registers to allocate to ~1000 threads in a thread block.
  - □ Very fast, "zero overhead" thread switching.
- SM scheduler has "scoreboard" to keep track of which threads assigned to the SM are blocked / unblocked.
  - □ Keeps picking unblocked threads to run.
- Only effective if SM has many threads, so that there always exists some unblocked threads.
  - □ This is why SM can run ~1000 threads, though it only has ~30 cores.
- For high performance need many threads per SM.
  - ☐ High "occupancy".

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### Global memory bandwidth

- Massive multithreading not enough for performance.
  - □ Only addresses latency.
  - □ But doesn't help with other bottleneck, bandwidth.
- GPU's computing power is much higher than its global memory bandwidth.
  - □ Ex Compute:1.5 TFLOPS. Bandwidth: 200 GB/s.
- Recall matrix multiplication

```
Pvalue += M[Row*Width+k] * N[k*Width+Col]
```

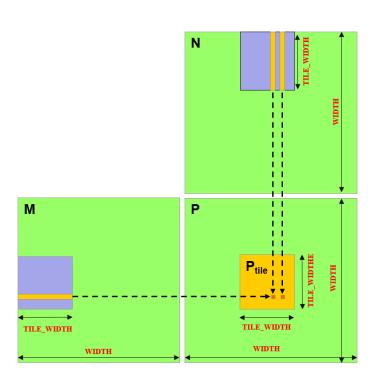
- 6 floating point ops (+, \*) for 2 memory ops (read M and N).
  - □ Compute to global memory access (CGMA) ratio 3:1.
- 200 GB/s = 50G floating point vals / sec ⇒ 150 GFLOPS.
  - □ 1/10 of theoretical peak!

### Exploiting data reuse

```
__global__ void MatrixMulKernel(float* d_M, float* d_N, float* d_P, int Width) {
   int Row = blockIdx.y*blockDim.y+threadIdx.y;
   int Col = blockIdx.x*blockDim.x+threadIdx.x;

if ((Row < Width) && (Col < Width)) {
    float Pvalue = 0;
    for (int k = 0; k < Width; ++k)
        Pvalue += d_M[Row*Width+k] * d_N[k*Width+Col];
        d_P[Row*Width+Col] = Pvalue; } }</pre>
```

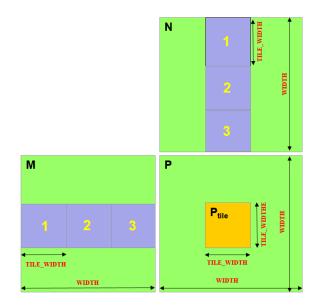
- $Arr P_{tile}$  contains a block of TILE\_WIDTH<sup>2</sup> threads.
- Every thread loads all data it needs by itself.
  - □ TILE\_WIDTH² threads in  $P_{tile}$  each loads 2\*TILE\_WIDTH data  $\Rightarrow$  2\*TILE\_WIDTH³ global memory reads.
- But notice all threads in P<sub>tile</sub> need data from purple tiles.
  - □ Purple data can be reused!
- Threads in P<sub>tile</sub> cooperate to load purple tiles, eliminating redundant global memory reads.
  - Only 2\*TILE\_WIDTH<sup>2</sup> global memory reads in total. A factor of TILE WIDTH less!

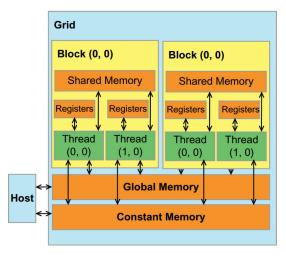




### Shared memory and tiled MM

- Tiled MM is a memory efficient method of performing matrix multiplication using shared memory.
- Break M, N into tiles and multiply tile by tile.
  - □ Work in phases.
  - □ Exploit data reuse in each phase.
- # phases = WIDTH / TILE\_WIDTH
- In phase i, threads in P<sub>tile</sub> cooperatively load i<sup>th</sup> tile from M, N in global memory into shared memory.
- Then each thread reads a row and column of data from shared memory.
- After all threads finished with the tiles, next two tiles loaded, overwriting current ones.





### Tiled matrix multiplication

```
__global__ void MatrixMulKernel(float* d_M, float* d_N, float* d_P, int Width) {
// Allocate space for M and N block in shared memory
// Thread in block (bx, by) works on (bx, by)'th P<sub>tile</sub>
// Thread with ID (tx, ty) works on element (tx, ty) in its P_{\text{tile}}
// Loop over the M and N tiles required to compute the P element
for (int m = 0; m < WIDTH/TILE WIDTH; m++) {</pre>
     // Load one element from M and N into shared memory
     // How do we calculate which elements to load?
                                                                                   N
     // Wait till all threads finished loading from M and N
     // Compute dot product from shared memory M and N tiles
     // Wait till all threads in block finish using M and N tiles
                                                                                              load
// Write value of P element back to global memory
                                                           М
                                                                      load
                                                                                           TILE WIDTH
```

TILE WIDTH

WIDTH

WIDTH

### Tiled matrix multiplication

```
global void MatrixMulKernel(float* d M, float* d N, float* d P, int Width) {
shared float ds M[TILE WIDTH][TILE WIDTH];
shared float ds N[TILE WIDTH][TILE WIDTH];
int bx = blockIdx.x; int by = blockIdx.y;
int tx = threadIdx.x; int ty = threadIdx.y;
// Thread identifies row and column of P element to work on
int Row = by * TILE WIDTH + ty;
int Col = bx * TILE WIDTH + tx;
                                                                                Ν
float Pvalue = 0;
// Loop over the M and N tiles required to compute the P element
for (int m = 0; m < WIDTH/TILE WIDTH; m++) {</pre>
                                                                                          load
     // Collaboratively load M and N tiles into shared memory
     ds M[ty][tx] = d M[Row*WIDTH + m*TILE WIDTH+tx];
     ds N[ty][tx] = d N[Col+(m*TILE WIDTH+ty)*WIDTH];
     // Wait till all threads finished loading tiles
     syncthreads();
                                                         М
     // Compute dot product from tiles
     for (int k = 0; k < TILE WIDTH; ++k)
           Pvalue += ds M[ty][k] * ds_N[k][tx];
                                                                   load
       synchthreads();
                                                                                       TILE WIDTH
                                                                TILE WIDTH
d P[Row*Width+Col] = Pvalue;
                                                                                         WIDTH
                                                                 WIDTH
```

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### Shared memory and tiled MM

- Decreases total number of reads from global memory compared to naive algorithm.
- Consider an nxn matrix with mxm blocks.
- Naive algorithm
  - $\square$  n<sup>2</sup> elements each require 2n global memory reads. 2n<sup>3</sup> total.
- Shared memory algorithm
  - $\Box$  (n/m)<sup>2</sup> blocks in total.
  - □ Each block does n/m phases.
  - □ In each phase, block does 2m² reads from global memory.
  - □ Total  $(n/m)^2*(n/m)*2m^2 = 2n^3/m$  accesses.
  - □ A factor of m less!
- Doesn't decrease overall number of memory accesses.
  - □ Threads do 2n³ reads to shared memory instead of global memory.
- But get much better performance, because shared memory bandwidth is 10X global memory bandwidth.

# M

### Tiled matrix multiply performance

- With 16x16 tiles, decrease global memory usage by factor of 16.
- Can get (200GB/4B)\*(3 FLOP / 1B)\*16 = 2400 GFLOPS, compared to 150 GFLOPS from before!
- Each thread block uses 16 x 16 x 4B x (2 matrices) = 2KB of shared memory.
- Even if only 16KB shared memory, can still run 8 blocks per SM, which is enough to achieve full occupancy.
  - □ Each block has 256 threads, so 6 blocks enough to saturate SM with 1536 thread capacity.
- If use 32x32 tiles, then 1024 threads per tile / thread block, so only one thread block per SM.
  - □ Only 2/3 occupancy if SM can run 1536 threads.
  - Note the tradeoff between improving bandwidth and occupancy.

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### Effective use of shared memory

- General strategy is to find reused data and load it into fast, high bandwidth memory.
  - □ Very effective in practice.
  - Same principle as caches, except that programmer controls what's in shared memory.
  - □ Data reuse is also called temporal locality.
- Using shared memory is sometimes hard, since it's so small.
  - □ 48KB shared mem / SM, vs. 12 GB global mem.
  - □ On a CPU, 32KB L1 cache vs 32 GB main mem.
- Designing algorithms with high temporal locality is one of main techniques for getting fast code.

# CUDA Variable Type Qualifiers

Variable declaration		Memory	Scope	Lifetime
	int LocalVar;	register	thread	thread
deviceshared	int SharedVar;	shared	block	block
device	int GlobalVar;	global	grid	application
deviceconstant	int ConstantVar;	constant	grid	application

- \_\_device\_\_\_ is optional when used with \_\_shared\_\_, or \_\_constant\_\_.
- Automatic variables without any qualifier reside in a register.
  - Except per-thread arrays, which reside in global memory.

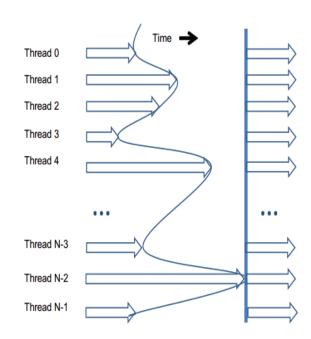
# Synchronization

- In algorithms up to now, threads mostly worked independently.
  - □ E.g. it's ok if say thread 1 took 3 steps but thread 2 took7.
- Sometimes threads need to coordinate. I.e. they must all finish some step before any thread can go on to next step.
  - □ Ex In MM, threads must finish loading M, N tiles into shared mem before any thread can start its dot product.
- Threads within a block can synchronize using \_\_syncthreads().
  - Scheduler ensures a thread reaching \_\_syncthreads() statement blocks until all threads in block also reach that \_\_syncthreads().
  - □ This is a barrier synchronization.

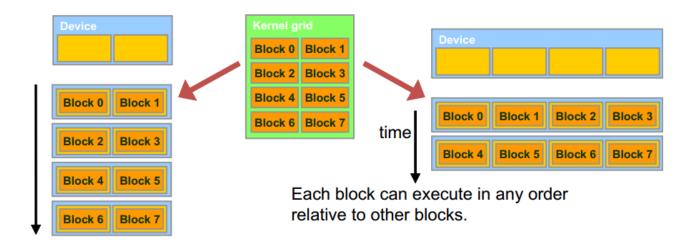


### Synchronization

- Must be careful with synchronization.
- Ex If code has \_\_syncthreads() but some thread in block goes into infinite loop, block will never finish!
- Ex If \_\_syncthreads() occurs in if block, then all threads must go through the if, or none do. Otherwise block never finishes.
- Ex If \_\_syncthreads() occurs in both branches of if-then-else code block, all threads must go through same branch, or block never finishes.
- \_\_syncthreads() can also cause wasted work. Threads arriving earlier at the barrier wait for later threads.
  - Decreases number of schedulable threads. May hurt latency hiding.
- Avoid synchronization if possible.



# Synchronization

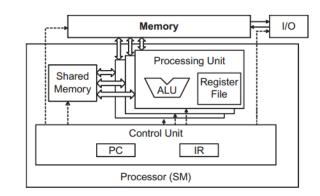


- Threads in different blocks can't synchronize.
- This allows blocks to execute in any order, and scale transparently to GPUs with more SMs.
- Downside is if need inter-block synchronization, must wait till all blocks in kernel finish, then start a new kernel.

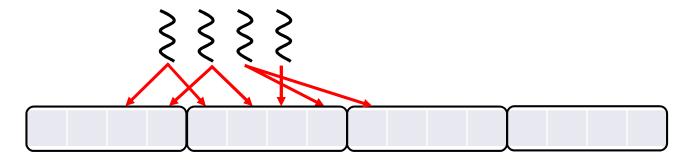


### Thread warps

- An SM contains one or more SIMD (single instruction multiple data) processors.
  - Each SIMD processor contains multiple cores that run the same command on different data.
- The unit of "SIMDness" is a warp of 32 threads.
  - □ An entire warp of threads runs at a time.
  - ☐ A thread block is divided into warps with consecutive threadIdx.x values.
- Execution is fast when entire warp "does the same thing".
  - Different warps can do different things without performance loss.
- It's much slower when there's noncoalesced memory accesses, control flow divergence or bank conflicts.

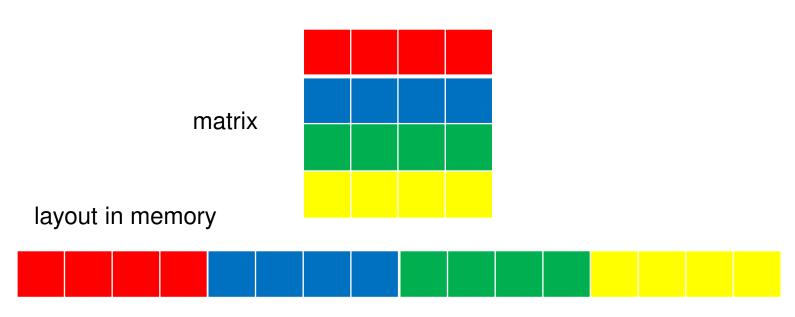


# Memory coalescing



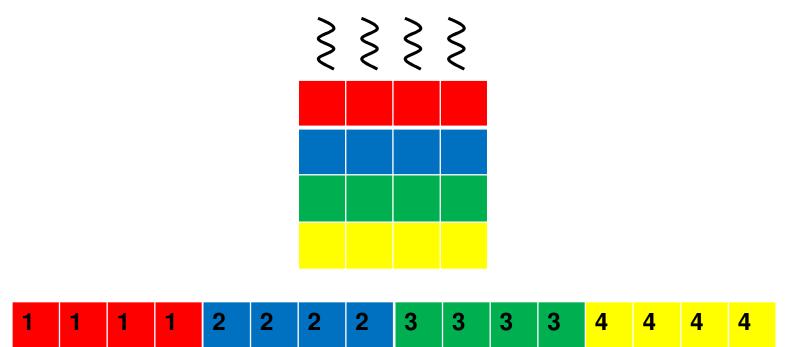
- Global memory divided into segments of 128 B (= 32 floats).
- Suppose SM executes a warp of 32 threads all executing a SIMD instruction reading from global memory.
  - If all 32 locations being read lie in one segment, hardware detects this and only transfers one segment (128 B) from global memory to SM.
    - Access is coalesced.
  - ☐ If locations lie in k different segments, k\*128 B are transferred.
    - Access is uncoalesced.
  - □ In worst case, transfer 32\*128 B = 4KB to read 32 floats!
    - Huge waste of limited global memory bandwidth.
- For good performance, make global memory accesses as coalesced as possible.

# Coalescing example



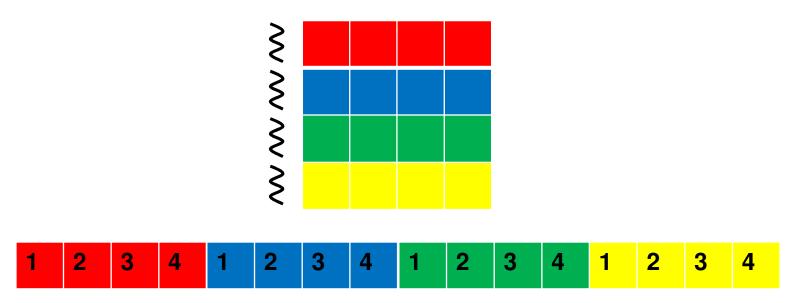
- Say we have 4x4 matrix, stored in row major format.
- Suppose segments are 4 elements wide.
  - □ I.e. can transfer 4 consecutive elements in one step.
- We have warp of 4 threads, and want to iterate through matrix either row by row, or column by column.

# Coalescing example



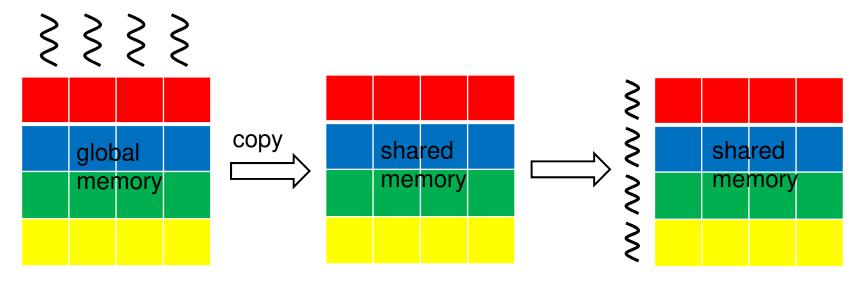
- When iterating by row, we naturally map one thread to each column.
  - □ Need 4 iterations in total.
- Numbers show locations accessed each iteration.
  - □ Locations all consecutive. All iterations coalesced.

# Coalescing example



- When iterating by column, map one thread per row.
  - □ In iteration 1, access locations 0,4,8,12.
  - □ In iteration 2, access locations 1,5,9,13. Etc.
  - □ Each iteration accesses nonconsecutive locations.
    - All accesses noncoalesced.

# Improving coalescing



- Only global memory has bandwidth penalty for noncoalesced accesses.
- Shared memory has much smaller penalty for scattered accesses.
- To improve coalescing, first do coalesced read from global to shared memory. Then make scattered accesses to shared memory.
- Ex To read matrix by column, first read it by row and copy to matrix in shared memory. Then read shared memory matrix by column.
- Once again shows flexibility of shared memory vs global memory.

# M

### Warp divergence

- Since SM is SIMD, efficient when all threads run same instruction.
  - ☐ SM finishes a warp in one pass.
- But if code has branches, threads can run different instructions.

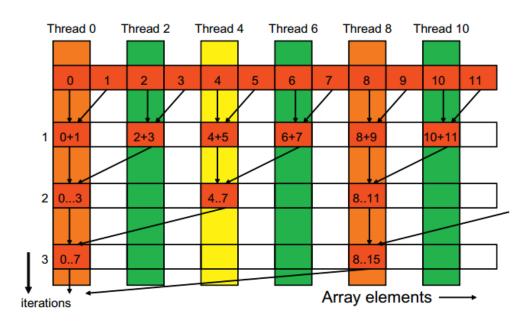
```
if (threadIdx.x % 3 == 0) i += 1;
else if (threadIdx.x % 3 == 1) i -= 1;
else i *= 2;
```

- □ Called warp divergence.
- If threads have k branches, SM takes k passes to run warp.
  - In each pass, runs all threads of one branch, which all run same instruction.
- In worst case, SM takes 32 passes to run one warp!



### Divergence example

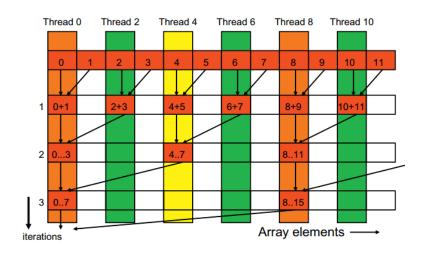
- Reduction produces single number from array of numbers.
  - □ Ex Returns sum, max, or min of array.
  - □ Very commonly used operation.
- Can be computed in parallel using reduction tree.
  - □ With n values and n threads, do O(n) additions, take O(log n) iterations.



### Divergence example

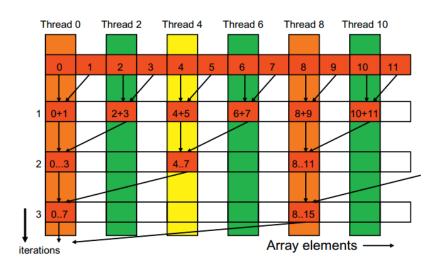
```
int t = threadId.x;
for (int stride = 1; stride < blockDim.x; stride *= 2) {
    __syncthreads();
    if (t % (2*stride) == 0)
        partialSum[t] += partialSum[t+stride];
}</pre>
```

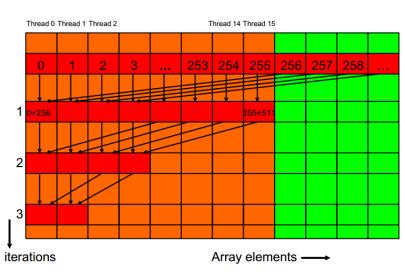
- Number of threads working halves every iteration.
- Each working thread adds value from stride away into its location in output array.
  - stride=1 in iteration 1, then2, 4, 8, etc.
- \_\_syncthreads() ensures all values from one iteration complete before computing next iteration.



### Reducing divergence

- Each iteration has 2 branches, the threads with (t % (2\*stride)
   == 0), and the other threads.
  - ☐ Each iteration takes 2 passes to complete.
- Can modify algorithm to decrease amount of divergence.
  - ☐ Still tree based, but first add values from far away.
    - Iter 1: first 256 threads add value from 256 away.
    - Iter 2: first 128 threads add value from 128 away.
    - Iter 3: first 64 threads add value from 64 away. Etc.
  - □ Work, time complexity same as before.

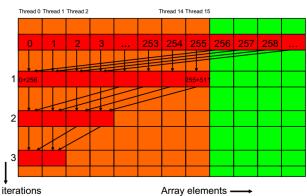




### Reducing divergence

```
int t = threadId.x;
for (int stride = blockDim.x; stride > 1; stride /= 2) {
    __syncthreads();
    if (t < stride)
        partialSum[t] += partialSum[t+stride];
}</pre>
```

- Why is divergence reduced?
  - In first iteration, first 256 threads = 8
     warps all do if, last 8 warps all don't.
  - □ In second iteration, first 128 threads =
     4 warps do if, last 12 don't.
  - □ No divergence till 5<sup>th</sup> iteration.
- From 5<sup>th</sup> iteration on, 16, 8, 4, 2 threads from first warp do if.
- 8 iterations, only 4 have divergence.
- Can you get rid of the 4 iterations with divergence?





- Shared memory is arranged in banks.
  - A bank stores a set of 4B data.
  - Allows parallel accesses. Threads can access different banks at same time.
- If n banks, then address x is stored in bank x % n.
  - □ Current GPUs have 32 banks.
- If threads in a warp access different banks, completes in one pass.
- If k > 1 threads access different addresses in same bank, get k-way bank conflict.
  - Accesses serialize, takes k passes to complete accesses.
  - Unless all threads access same value, which then gets broadcast in one pass.
- Different warps don't have bank conflicts.

bank 0	0	4	8	12	16
bank 1	1	5	9	13	17
bank 2	2	6	10	14	18
bank 3	3	7	11	15	19

### Bank conflict example

- Suppose 4 banks, warp size = 4 and block size = 4.
- Want each thread to load two values from global memory into shared memory.
- If thread loads consecutive locations, 2 way bank conflict.
- If thread loads locations block size apart, no bank conflicts!

```
shared[2*tid] = global[2*tid];
 shared[2*tid + 1] = global[2*tid+1];
                             12
                        8
                                 16
thread 0
thread 1
                             13
                        9
thread 2
                        10
                                 18
                             14
thread 3
                             15
                                 19
                        11
```

int tid = threadIdx.x;

<pre>int tid = threadIdx.x;</pre>	
<pre>shared[tid] = global[tid];</pre>	
<pre>shared[tid + blockDim.x] =</pre>	<pre>global[tid +</pre>
<pre>blockDim.x];</pre>	

