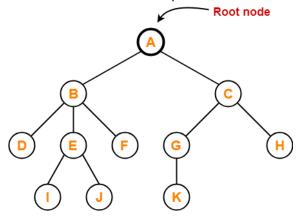
- [1] Explain the differences between linear and non-linear data structures!
- -> In linear data structure, data elements are sequentially connected and each element is traversable through a single run.
- -> In non-linear data structure, data elements are hierarchically connected and are present at various levels.
- [2] Describe the following terminology in a tree: base root, key, edge, siblings, parent, child, and leaf!

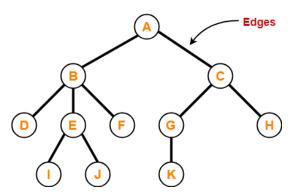
1. Root

- -> The first node from where the tree originates is called as a root node.
- -> In any tree, there must be only one root node.
- -> We can never have multiple root nodes in a tree data structure.



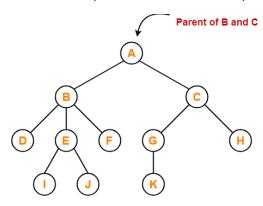
2. Edge

- -> The connecting link between any two nodes is called as an edge.
- -> In a tree with n number of nodes, there are exactly (n-1) number of edges



3. Parent

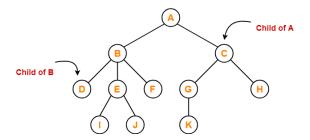
- -> The node which has a branch from it to any other node is called as a parent node.
- -> In other words, the node which has one or more children is called as a parent node.
- -> In a tree, a parent node can have any number of child nodes.



- ⇒ Node A is the parent of nodes B and C
- ⇒ Node B is the parent of nodes D, E and F
- ⇒ Node C is the parent of nodes G and H
- ⇒ Node E is the parent of nodes I and J
- ⇒ Node G is the parent of node K

4. Child

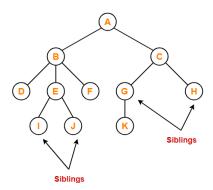
- -> The node which is a descendant of some node is called as a child node.
- -> All the nodes except root node are child nodes.



- ⇒ Nodes B and C are the children of node A
- ⇒ Nodes D, E and F are the children of node B
- ⇒ Nodes G and H are the children of node C
- ⇒ Nodes I and J are the children of node E
- ⇒ Node K is the child of node G

5. Siblings

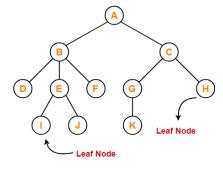
- -> Nodes which belong to the same parent are called as siblings.
- -> In other words, nodes with the same parent are sibling nodes.



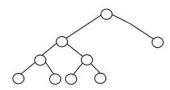
- ⇒ Nodes B and C are siblings
- ⇒ Nodes D, E and F are siblings
- \Rightarrow Nodes G and H are siblings
- ⇒ Nodes I and J are siblings

6. Leaf Node

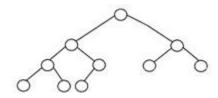
- -> The node which does not have any child is called as a leaf node.
- -> Leaf nodes are also called as external nodes or terminal nodes.



- [3] Explain the following types of binary trees: full, complete, and perfect!
- -> Full Binary Tree A Binary Tree is a full binary tree if every node has 0 or 2 children.



-> Complete Binary Tree: A Binary Tree is a complete Binary Tree if all the levels are completely filled except possibly the last level and the last level has all keys as left as possible



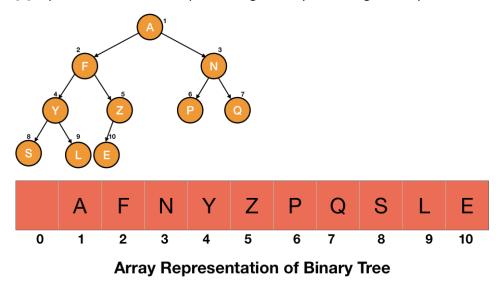
-> Perfect Binary Tree A Binary tree is a Perfect Binary Tree in which all the internal nodes have two children and all leaf nodes are at the same level.

[4] What makes a tree balanced?

A node in a tree is height-balanced if the heights of its subtrees differ by no more than 1. (That is, if the subtrees have heights h1 and h2, then $|h1 - h2| \le 1$.)

- [5] Explain the four properties of a binary tree!
- -> Maximum number of nodes present in binary tree of height h is 2h-12h-1. Here height is the max number of nodes on root to leaf path. Here we are considering height of a tree with one node is 1.
- -> In a binary tree with n nodes, minimum possible height or minimum number of levels are $\log 2(n+1 \square \log 2(n+1 \square -1) \log 2(n+1 \square -1$
- -> A binary tree with 'L' leaves has at least log2L+1log2L+1 number of levels
- -> If a binary tree has 0 or 2 children, then number of leaf nodes are always one more than nodes with two children

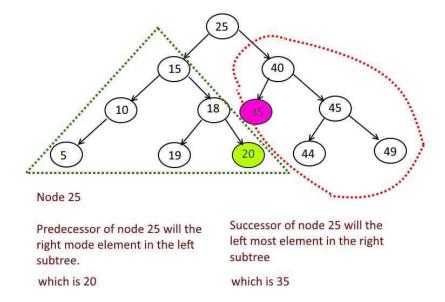
[6] Explain the intuition of implementing a binary tree using an array!



get the parent, the right child and the left child using the properties of a complete binary tree. for a node i, the parent is i/2, the left child is 2i and the right child is 2i+1.

[7] Explain the differences between inorder successor and inorder predecessor!

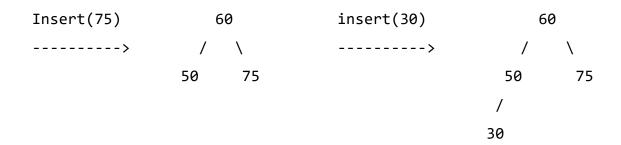
Predecessor(the node lies behind of given node) and Successor (the node lies ahead of given node).

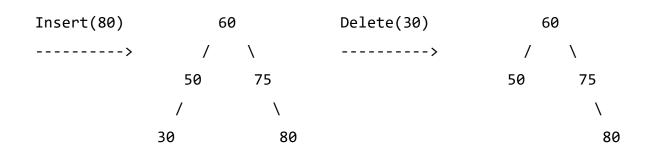


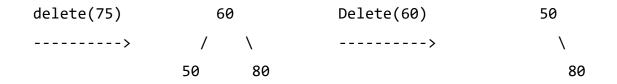
[8] Draw the following binary search tree step by step (14 pictures):

- Insert 80, 30, 60, 50, 75
- Delete 60, 30, 75
- Insert 65, 30, 35
- Delete 80, 65, 35









insert(30)	50		insert(65)	50	
>	/	\	>	/	\
	30	80		30	80
					/
					65
insert(35)	50		delete(35)	50	
>	/	\	>	/	\
	30	80		30	80
	\	/			/
	35 65			65	
delete(65)	50		delete(80)	50	
>	/	\	>	/	
	30	80		30	