

3. Mutant 1:

On line 11, return 0 instead of return 1;

Input: list = node1;
list → next = node1;

Output:

Original: 1 mutant: 0

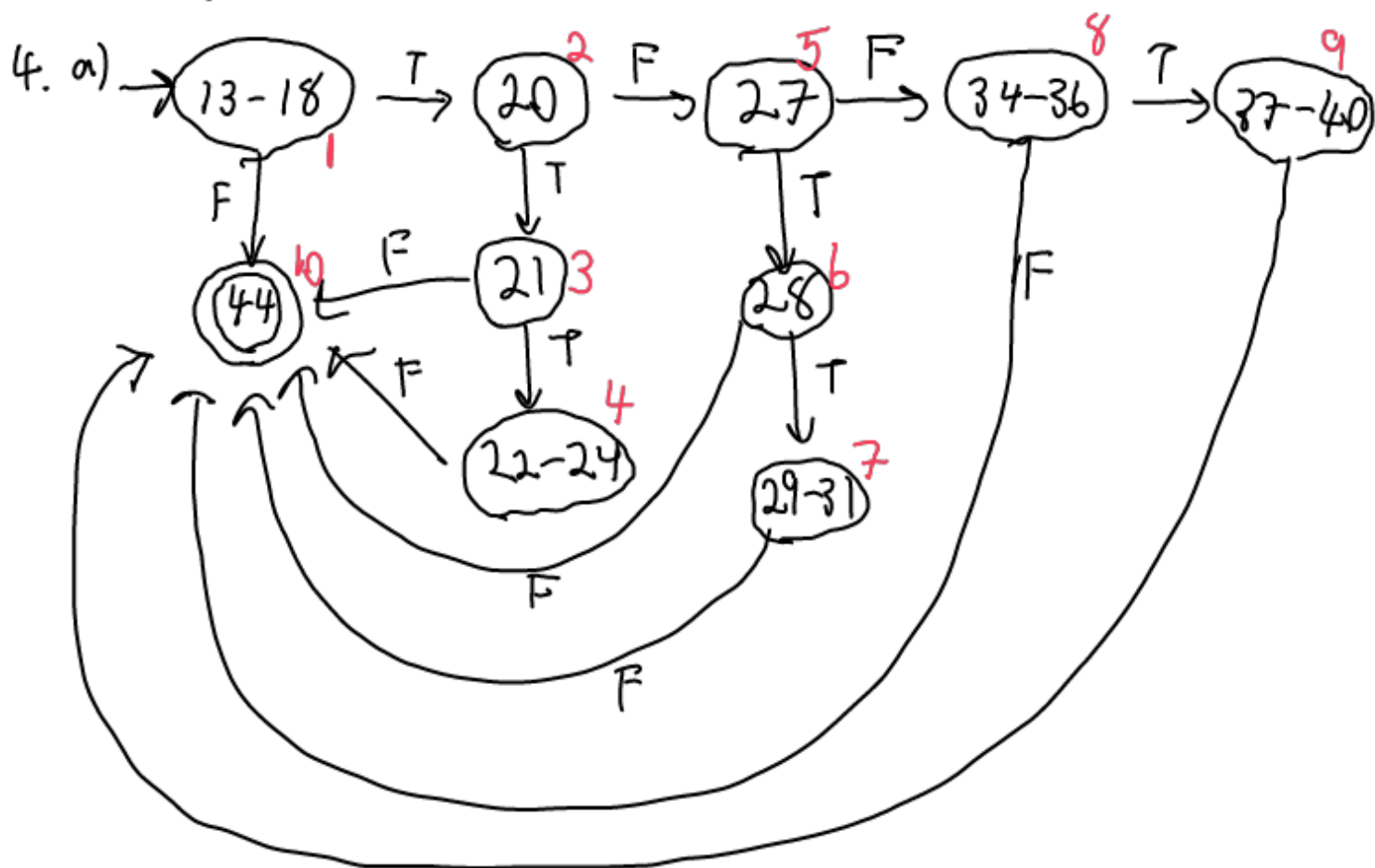
Mutant 2:

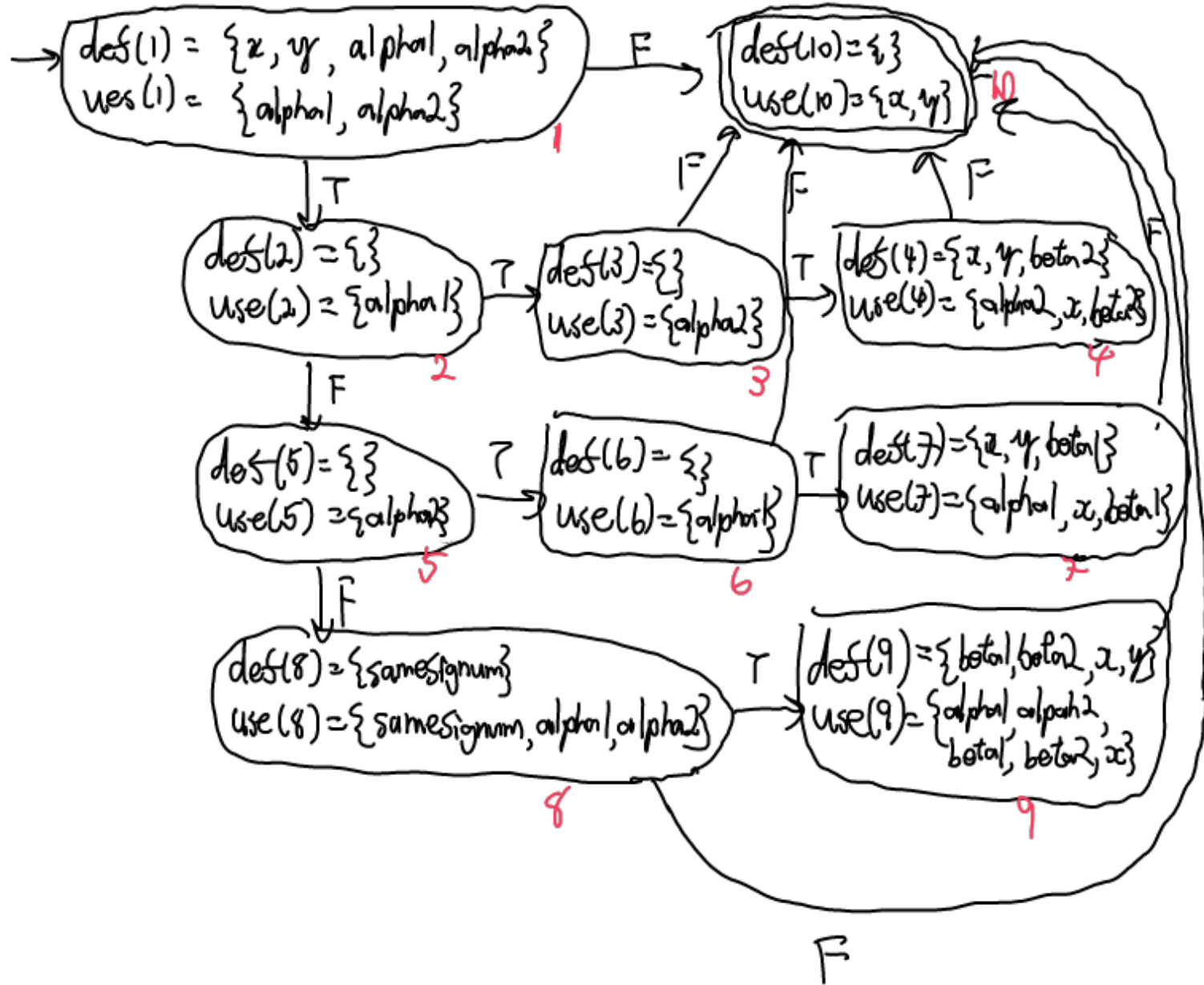
On line 9, change while(1) { to while(0) {.

Input: list = node1;
list → next = node1;

Output:

Original: 1 Mutant: 0





b) $TR_{ppc} = \{ [1, 10], [1, 2, 3, 10], [1, 2, 3, 4, 10], [1, 2, 5, 6, 10], [1, 2, 5, 6, 7, 10], [1, 2, 5, 8, 10], [1, 2, 5, 8, 9, 10] \}$

c) $TR_{ADUPC} = \{ [1, 2], [1, 2, 3], [1, 2, 3, 4], [4, 10], [1, 2, 5], [1, 2, 5, 6], [1, 2, 5, 6, 7], [7, 10], [1, 2, 5, 8], [1, 2, 5, 8, 9], [9, 10], [1, 2, 3, 10], [1, 2, 5, 6, 10], [1, 2, 5, 8, 10], [1, 10] \}$

d) Since this CFG is acyclic, as proved by Q1, we know that TR_{ppc} covers complete path coverages, which means it visits every possible subpaths. The strength of this is that it tests every single reachable code in the function. It gives a

comprehensive check over the whole program.

In the case of TRA_{DUP} , it covers the definition and use of every variable. While it may not go through all of the possible paths, it checks every possible use of variables, whereas TR_{PPC} may not test the variables as thoroughly. In short, TR_{PPC} is good to roughly test every aspect of a program, while TRA_{DUP} is good to thoroughly test every variable.

It is not worth it for TRA_{DUP} to achieve TR_{PPC} . This is because TRA_{DUP} already tests every occurrence of variables. Therefore giving it more test requirements will not give additional meaning. It is already serving its purpose well.

e) $T1: \text{computeIntersection}([1,1], [2,2], [1,1], [2,2]);$
 $TR_1 = \{[1,10]\}$ $\alpha_1 = 1, \alpha_2 = 1, \text{sameSignum} = \text{true};$
Output: $[2,2]$

$T2: \text{computeIntersection}([1,1], [2,4002], [1,1], [2,4003]);$
 $TR_2 = \{[1,2,3,10]\}$ $\alpha_1 = 4001, \alpha_2 = 4002, \text{sameSignum} = \text{true};$
Output: $[2,4002]$

$T3: \text{computeIntersection}([1,1], [2,4002], [1,1], [2,2]);$
 $TR_3 = \{[1,2,3,4,10]\}$ $\alpha_1 = 4001, \alpha_2 = 1, \text{sameSignum} = \text{true};$
Output: $[1,1]$

$T4: \text{computeIntersection}([1,1], [2,4001], [1,1], [4002]);$
 $TR_4 = \{[1,2,5,6,10]\}$ $\alpha_1 = 4000, \alpha_2 = 4001, \text{sameSignum} = \text{true};$
Output: $[1,1]$

T5: computeIntersection([1,1], [2,2], [1,1], [2,4002]);

TR5 = {[1,2,5,6,7,10]} alpha1 = 1, alpha2 = 4001, sameSignum = true

output: [1,1]

T6: computeIntersection([1,1], [2,2], [1,1], [2,2.00001]);

TR6 = {[1,2,5,8,10]} alpha1 = 1, alpha2 = 1.00001, sameSignum = true

output: [1,1]

T7: computeIntersection([1,1], [2,2], [1,1], [2,3]);

TR7 = {[1,2,5,8,9,10]} alpha1 = 1, alpha2 = 2, sameSignum = true

output: [-1,-1]