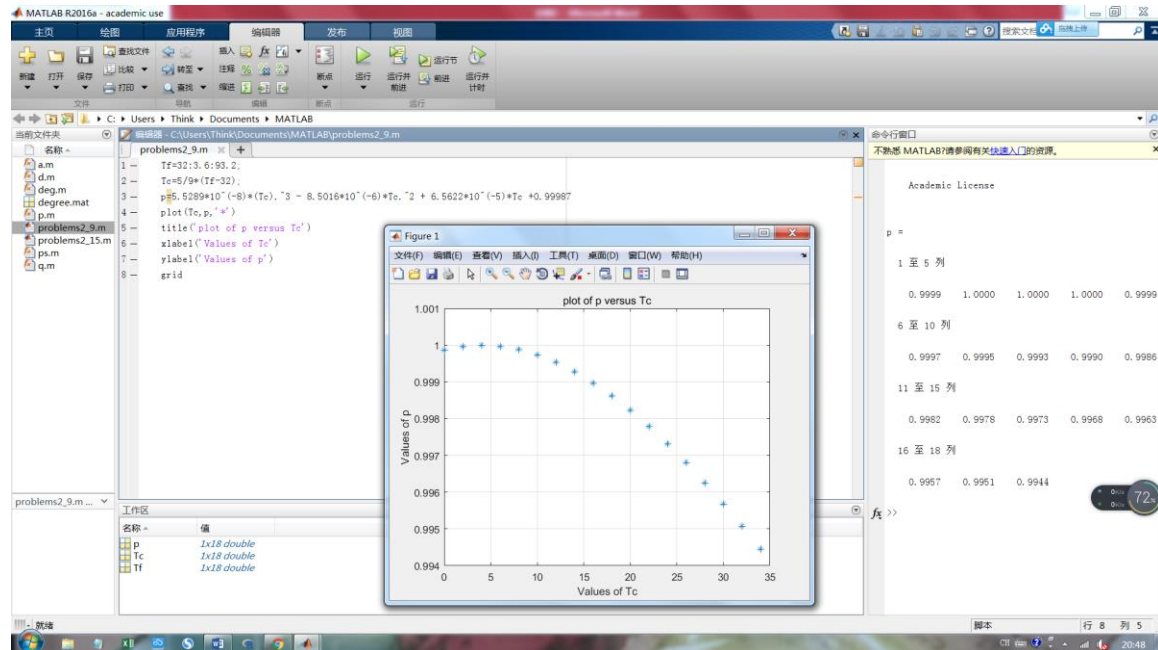


# MATH320 HOMEWORK1

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## Problem2\_9

Overall:



Code:

```
Tf=32:3.6:93.2;
Tc=5/9*(Tf-32);
p=5.5289*10^(-8)*(Tc).^3 - 8.5016*10^(-6)*Tc.^2 + 6.5622*10^(-5)*Tc + 0.99987;
plot(Tc,p,'*')
title('plot of p versus Tc')
xlabel('Values of Tc')
ylabel('Values of p')
grid
```

Output:

p =

col1-col5

0.9999	1.0000	1.0000	1.0000	0.9999
--------	--------	--------	--------	--------

col6- col10

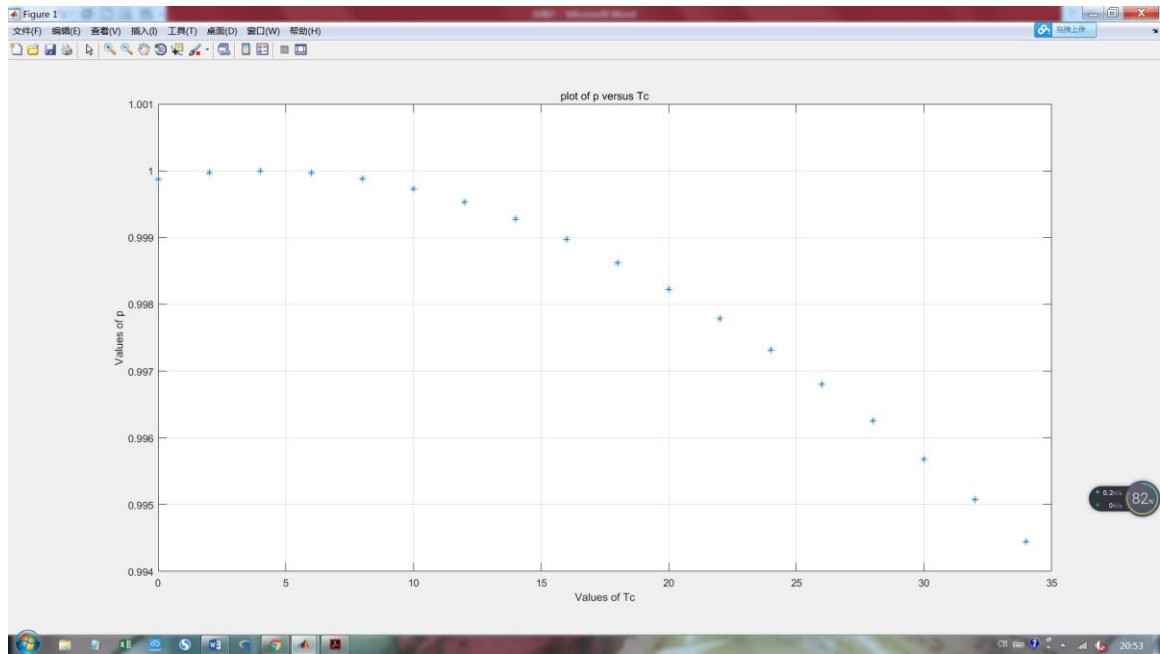
0.9997	0.9995	0.9993	0.9990	0.9986
--------	--------	--------	--------	--------

col11-col15

0.9982    0.9978    0.9973    0.9968    0.9963

col16-col18

0.9957    0.9951    0.9944

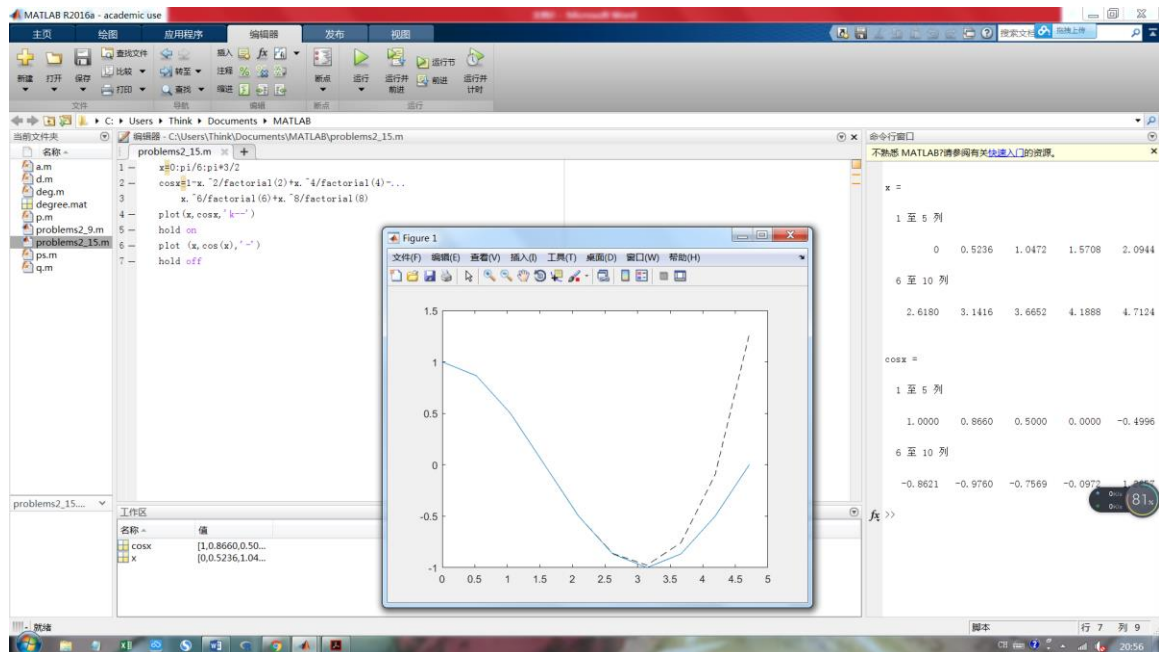


### Comments:

```
Tf=32:3.6:93.2;%Tf=temperature(° F),increments of 3.6° F
Tc=5/9*(Tf-32);% Tc=temperature(° C),Tc=5/9*(Tf-32)
p=5.5289*10^(-8)*(Tc).^3 - 8.5016*10^(-6)*Tc.^2 + 6.5622*10^(-5)*Tc + 0.99987 %p equals to ρ, which is density(g/cm^3)
plot(Tc,p,'*') %x-axis:Tc, y-axis:p
title('plot of p versus Tc') % customize the graph with commands
xlabel('Values of Tc')
ylabel('Values of p')
grid
```

## Problem2\_15

### Overall:



### Code:

```
x=0:pi/6:pi*3/2
cosx=1-x.^2/factorial(2)+x.^4/factorial(4)-...
      x.^6/factorial(6)+x.^8/factorial(8)
plot(x,cosx,'k--')
hold on
plot(x,cos(x),'-')
hold off
```

### Output:

x =

col1-col5

0	0.5236	1.0472	1.5708	2.0944
---	--------	--------	--------	--------

col6-col 10

2.6180	3.1416	3.6652	4.1888	4.7124
--------	--------	--------	--------	--------

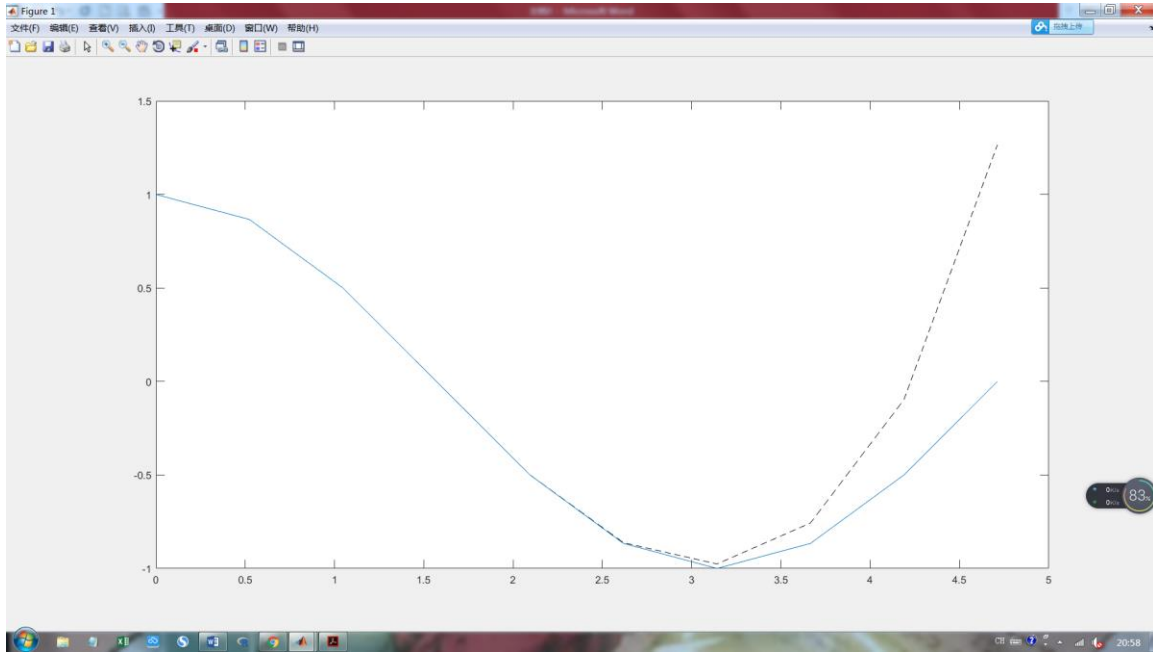
COSX =

col1-col 5

1.0000    0.8660    0.5000    0.0000    -0.4996

col6-col10

-0.8621    -0.9760    -0.7569    -0.0972    1.2657

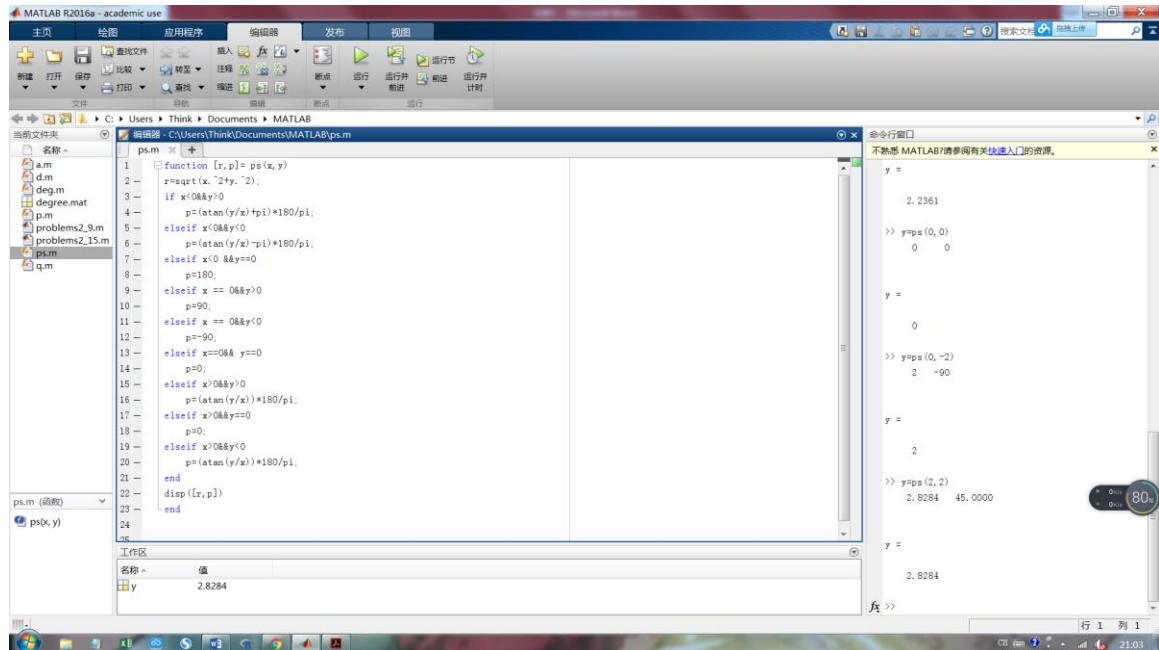


### Comments:

```
x=0:pi/6:pi*3/2 %the range of the abscissa from x=0 to 3pi/2
cosx=1-x.^2/factorial(2)+x.^4/factorial(4)-...
    x.^6/factorial(6)+x.^8/factorial(8) %the Maclaurin series
expansion up to and including the term x^8/8!
plot(x,cosx,'k--') %x-axis:x, y-axis:cosx,k:black
hold on
plot (x,cos(x),'-') %cosx represents a plot of the series
expansion, while cos(x) represents a plot of the cosine
hold off
```

## Problem3\_6(ps.m)

Overall:



Code:

```
function [r,p]= ps(x,y)  
r=sqrt(x.^2+y.^2);  
if x<0&&y>0  
    p=(atan(y/x)+pi)*180/pi;  
elseif x<0&&y<0  
    p=(atan(y/x)-pi)*180/pi;  
elseif x<0 &&y==0  
    p=180;  
elseif x == 0&&y>0  
    p=90;  
elseif x == 0&&y<0  
    p=-90;  
elseif x==0&& y==0  
    p=0;  
elseif x>0&&y>0  
    p=(atan(y/x))*180/pi;  
elseif x>0&&y==0  
    p=0;  
elseif x>0&&y<0  
    p=(atan(y/x))*180/pi;  
end  
disp([r,p])  
end
```

**Output:**

x	y	r	$\Theta$ (degree)
2	0	2	0
2	1	2.2361	26.5621
0	3	3	90
-3	1	3.1623	161.5651
-2	0	2	180
-1	-2	2.2361	-116.5651
0	0	0	0
0	-2	2	-90
2	2	2.8284	45.0000

```
>> y=ps(2,0)
      2      0
```

y =

2

```
>> y=ps(2,1)
      2.2361    26.5651
```

y =

2.2361

```
>> y=ps(0,3)
      3      90
```

y =

3

```
>> y=ps(-3,1)
      3.1623    161.5651
```

y =

3.1623

```
>> y=ps(-2,0)
      2      180
```

y =

2

```
>> y=ps(-1,-2)
2.2361 -116.5651
```

y =

2.2361

```
>> y=ps(0,0)
0 0
```

y =

0

```
>> y=ps(0,-2)
2 -90
```

y =

2

```
>> y=ps(2,2)
2.8284 45.0000
```

y =

2.8284

### Comments:

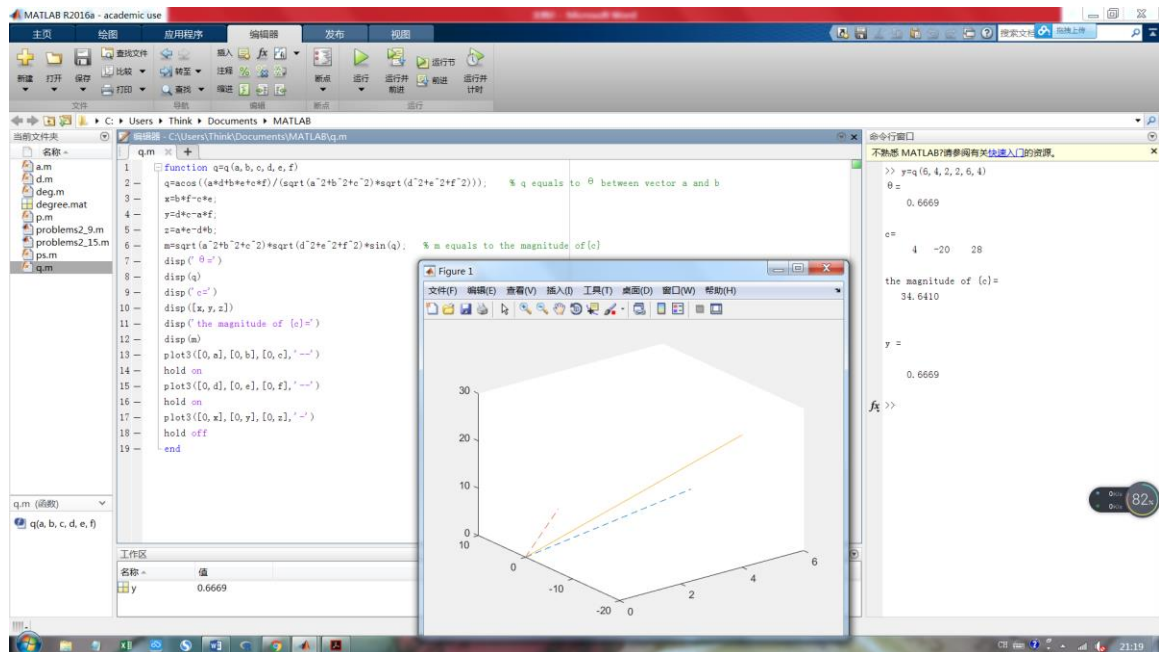
```
function [r,p]= ps(x,y) %function name is p, r means radius, and
p means the angle  $\theta$ 
r=sqrt(x.^2+y.^2); % formula to compute radius
if x<0&&y>0 %in fact, if x>0 or x<0, we can use this formula to
calculate p
    p=(atan(y/x)+pi)*180/pi;
elseif x<0&&y<0
    p=(atan(y/x)-pi)*180/pi;
elseif x<0 &&y==0
    p=180;
```

```
elseif x == 0 && y > 0      %when x=0, y/x would make an error
    p=90;
elseif x == 0 && y < 0
    p=-90;                  %we use semi-colon to prevent the result of
p from displaying for several times repeatedly
elseif x==0 && y==0
    p=0;
elseif x>0 && y>0
    p=(atan(y/x))*180/pi;
elseif x>0 && y==0
    p=0;
elseif x>0 && y<0
    p=(atan(y/x))*180/pi;
end
disp([r,p])                %to display the result
end
```



## Problem3\_20(q.m)

Overall:

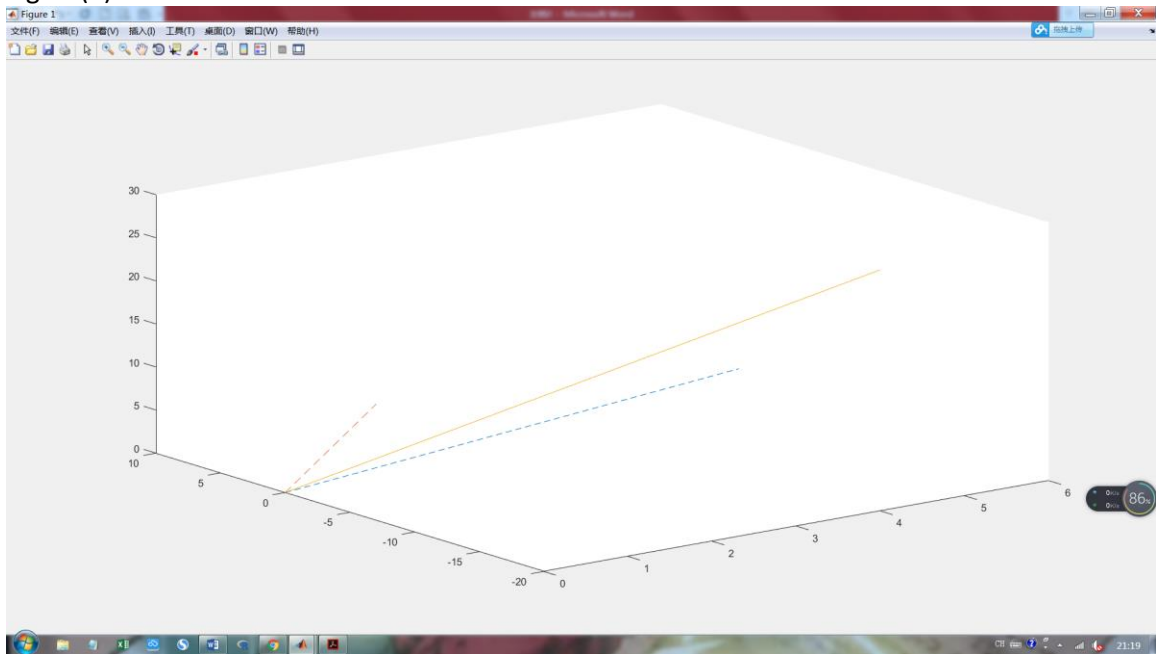


Code:

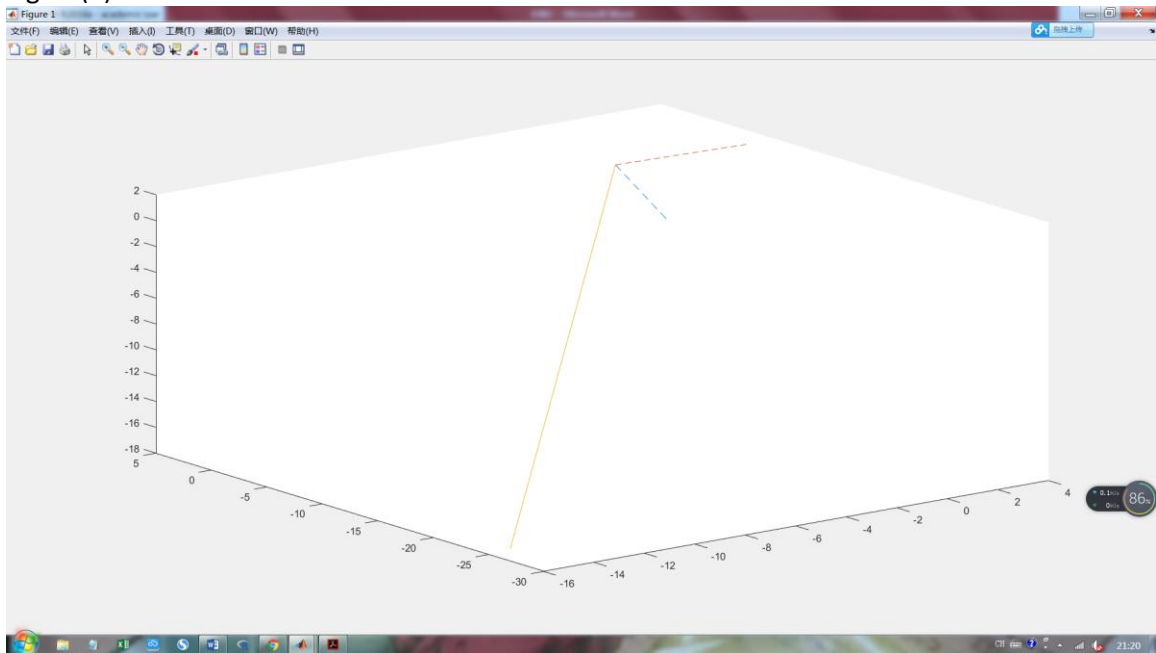
```
function q=q(a,b,c,d,e,f)
q=acos((a*d+b*e+c*f)/(sqrt(a^2+b^2+c^2)*sqrt(d^2+e^2+f^2))); %
q equals to theta between vector a and b
x=b*f-c*e;
y=d*c-a*f;
z=a*e-d*b;
m=sqrt(a^2+b^2+c^2)*sqrt(d^2+e^2+f^2)*sin(q); % m equals to the
magnitude of {c}
disp('theta=')
disp(q)
disp('c=')
disp([x,y,z])
disp('the magnitude of {c}=')
disp(m)
plot3([0,a],[0,b],[0,c],'--')
hold on
plot3([0,d],[0,e],[0,f],'--')
hold on
plot3([0,x],[0,y],[0,z],'-')
hold off
end
```

## Output:

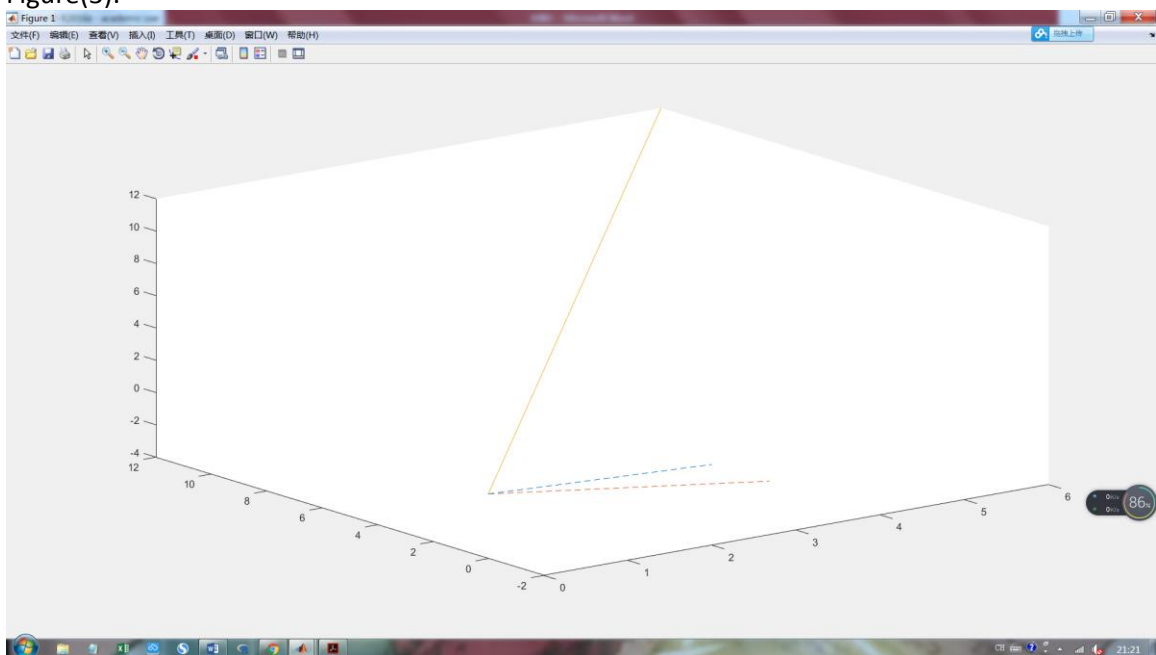
Figure(1):



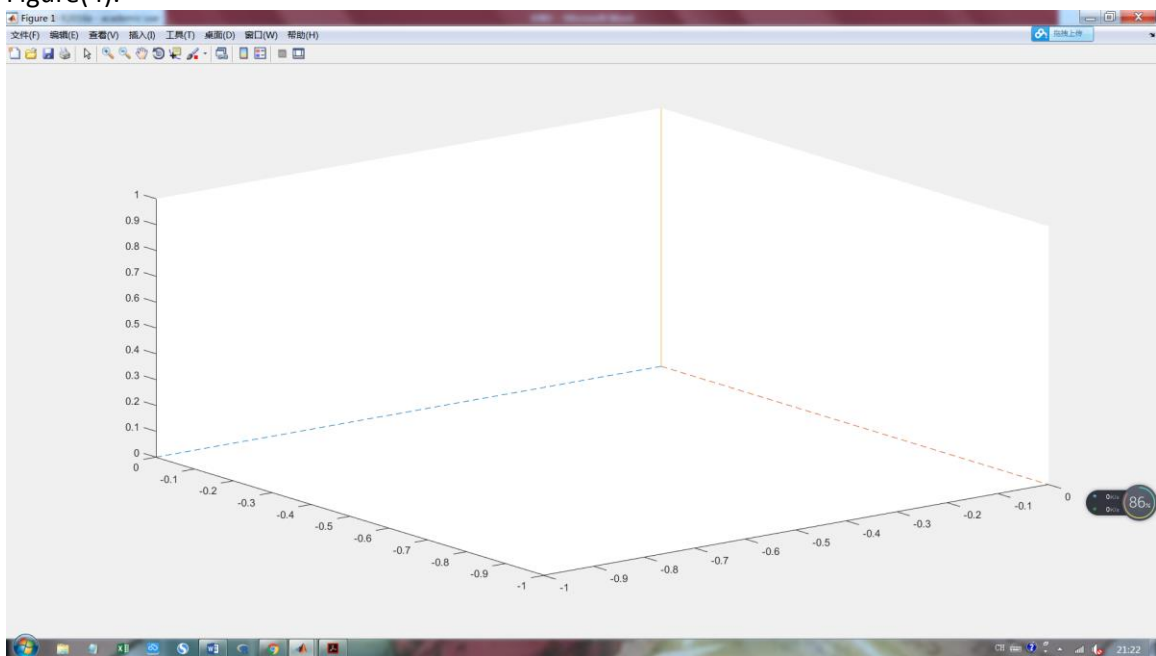
Figure(2):



Figure(3):



Figure(4):



```
>> y=q(6,4,2,2,6,4)
```

```
θ =
```

```
0.6669
```

```
c=
```

```
4    -20    28
```

the magnitude of {c}=  
34.6410

y =

0.6669

>> y=q(3,2,-6,4,-3,1)

θ =

1.5708

c=

-16    -27    -17

the magnitude of {c}=  
35.6931

y =

1.5708

>> y=q(2,-2,1,4,2,-4)

θ =

1.5708

c=

6        12        12

the magnitude of {c}=  
18

y =

1.5708

>> y=q(-1,0,0,0,-1,0)

θ =

1.5708

c=

0        0        1

the magnitude of {c}=  
1

y =

1.5708

### Comments:

```
function q=q(a,b,c,d,e,f) %{a}in the question is represented by
(a,b,c),{b}in the question is represented by (d,e,f)
q=acos((a*d+b*e+c*f)/(sqrt(a^2+b^2+c^2)*sqrt(d^2+e^2+f^2)));    %
q equals to  $\theta$  between vector a and vector b
x=b*f-c*e;    %{c}in the question is represented by (x,y,z)
y=d*c-a*f;
z=a*e-d*b;
m=sqrt(a^2+b^2+c^2)*sqrt(d^2+e^2+f^2)*sin(q);    % m equals to the
magnitude of {c},m=|{c}|
disp('|\vec{E}=')    %commands to display information
disp(q)
disp('c=')
disp([x,y,z])
disp('the magnitude of {c}=')
disp(m)
plot3([0,a],[0,b],[0,c], '--')    %dashed line for {a}
hold on
plot3([0,d],[0,e],[0,f], '--')    %dashed line for {b}
hold on
plot3([0,x],[0,y],[0,z], '-')    %solid line for {c}
hold off
end
```