

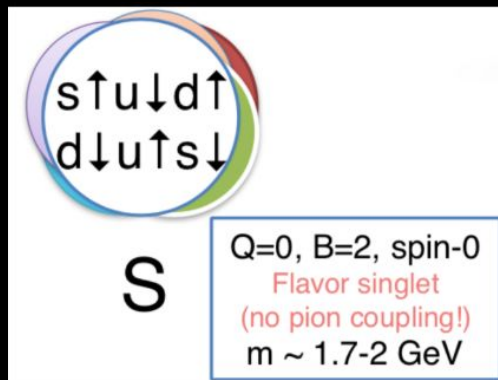
Dark Matter Particle in QCD

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APS April Meeting 2020

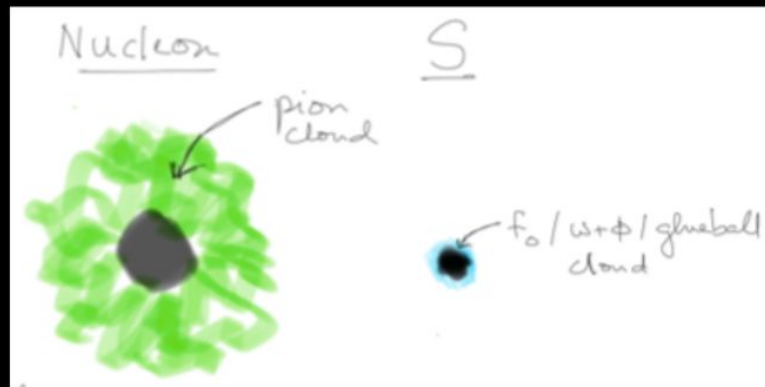


Based on
1805.03723 G. Farrar
20xx.xxxxx G. Farrar, ZW, X. Xu
20xx.xxxxx G. Farrar, ZW

$uuddss$ sexaquark (S)



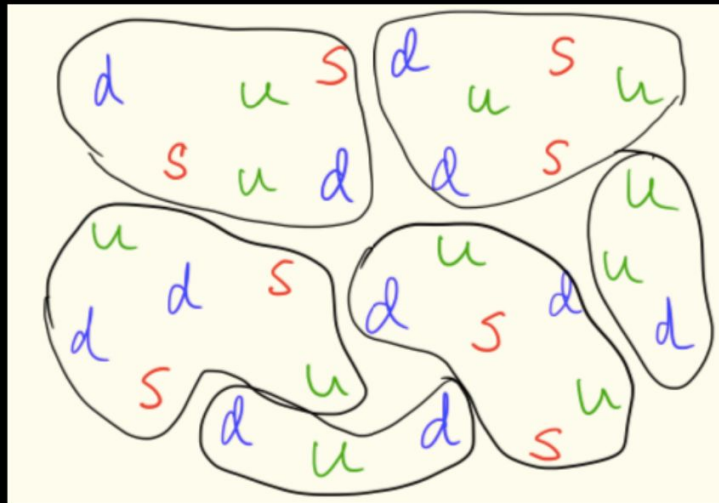
- Color-spin-flavor singlet: strong attraction between quarks
- Mass of S may be below 2 GeV
- Size of S may be much smaller than protons due to non-coupling to pions



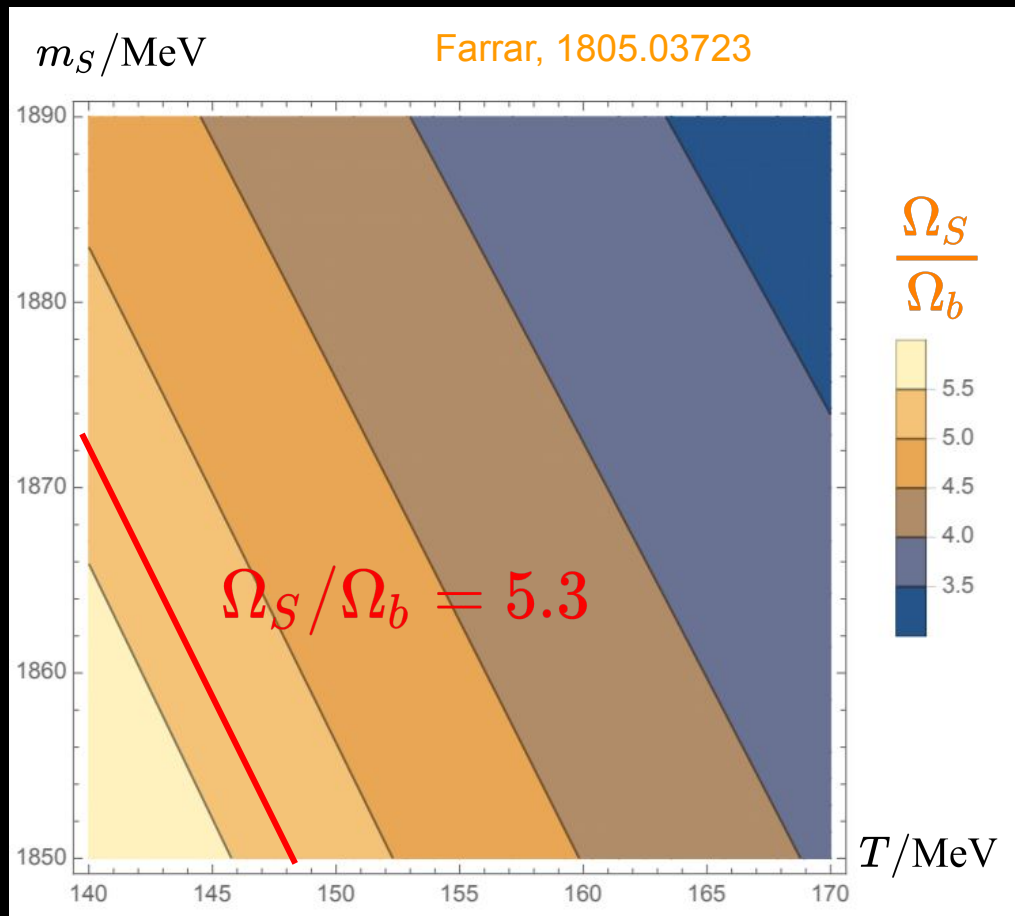
$$r_{\text{proton}} = 0.87 \text{ fm}$$

$$r_S = 0.1-0.3 \text{ fm}$$

SDM abundance



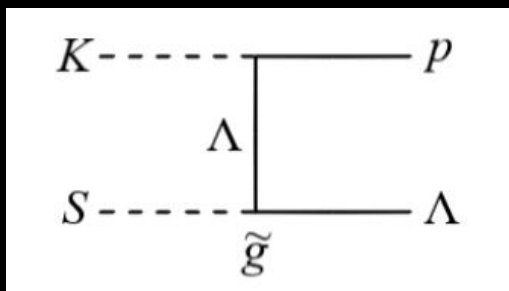
S forms at QGP-hadron transition
($T = 140\text{--}170$ MeV).
Abundance determined by stat mech,
and quark masses.



Durability of SDM

Can the correct SDM abundance at QCD phase transition ($T \sim 150$ MeV) persist to later time? Questioned by Gross et al, 1803.10242
Kolb, Turner, 1809.06003

These arguments overlooked dissociation amplitude \tilde{g} is small



Requirement $H > n_K \langle \sigma v \rangle$ at $T \sim 150$ MeV



$$\tilde{g} \lesssim 2 \times 10^{-6}$$

In this talk, I address the feasibility of a small \tilde{g} .
Theoretical calculation & experimental constraints

Theory of \tilde{g}

\tilde{g} is the dissociation amplitude of S into two baryons (e.g. $\Lambda\Lambda$)

$$\tilde{g} = \langle BB' | H_{\text{QCD}} | S \rangle$$

Two contributions

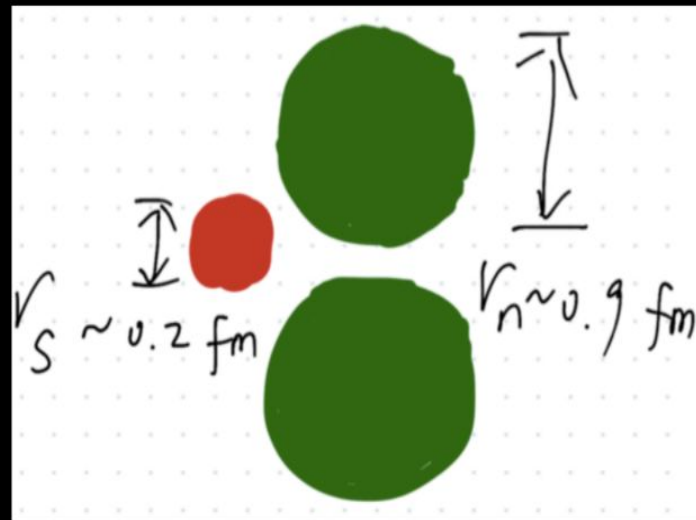
- I. Tunneling suppression from short-distance BB' repulsion
- II. Spatial redistribution of six quarks in S to BB'

Two parameters

- I. S radius $r_S = 0.1-0.3$ fm
- II. Hardcore radius of baryons $r_c = 0.3-0.5$ fm

$$\tilde{g} = (0.05-10^{-4}) \times \left(\frac{r_S}{r_B} \right)^{10-18}$$

$$= 10^{-4}-10^{-18}$$



BB' hardcore repulsion ignored by Gross et al, 1803.10242

McDermott et al, 1809.06765

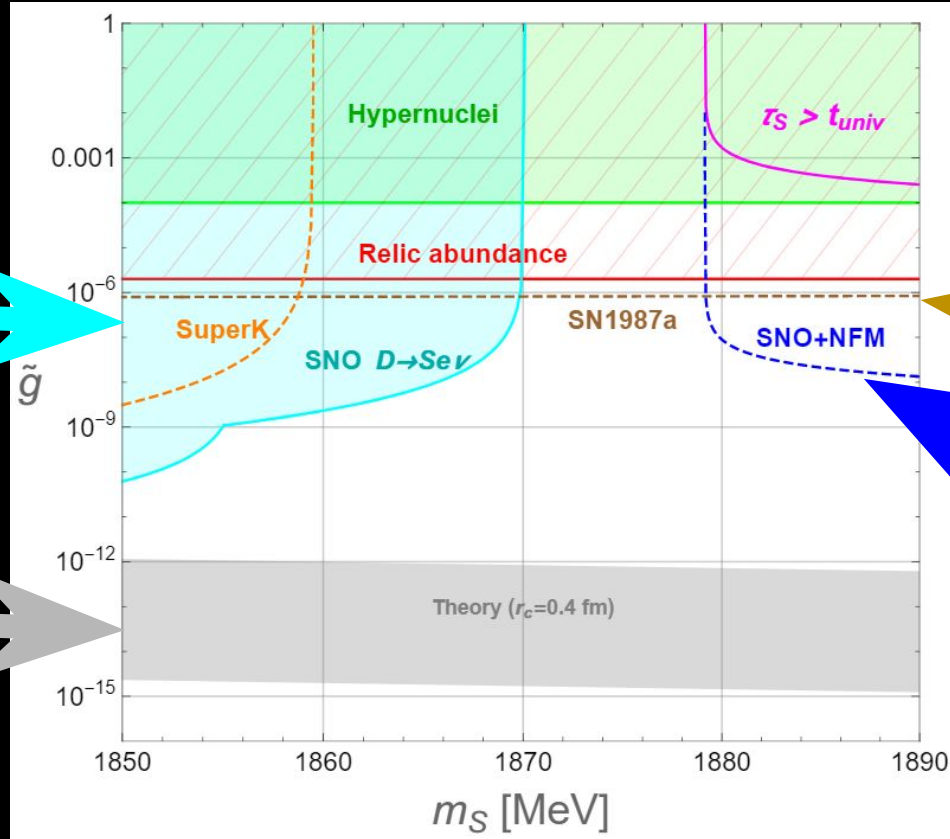
They got very large \tilde{g}

Farrar, Zaharijas, 0308137

Farrar, ZW, to appear

Farrar, ZW, Xu, to appear

Prediction and constraints on \tilde{g}



Deuteron stability



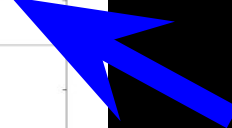
Theory value



SN1987a cooling



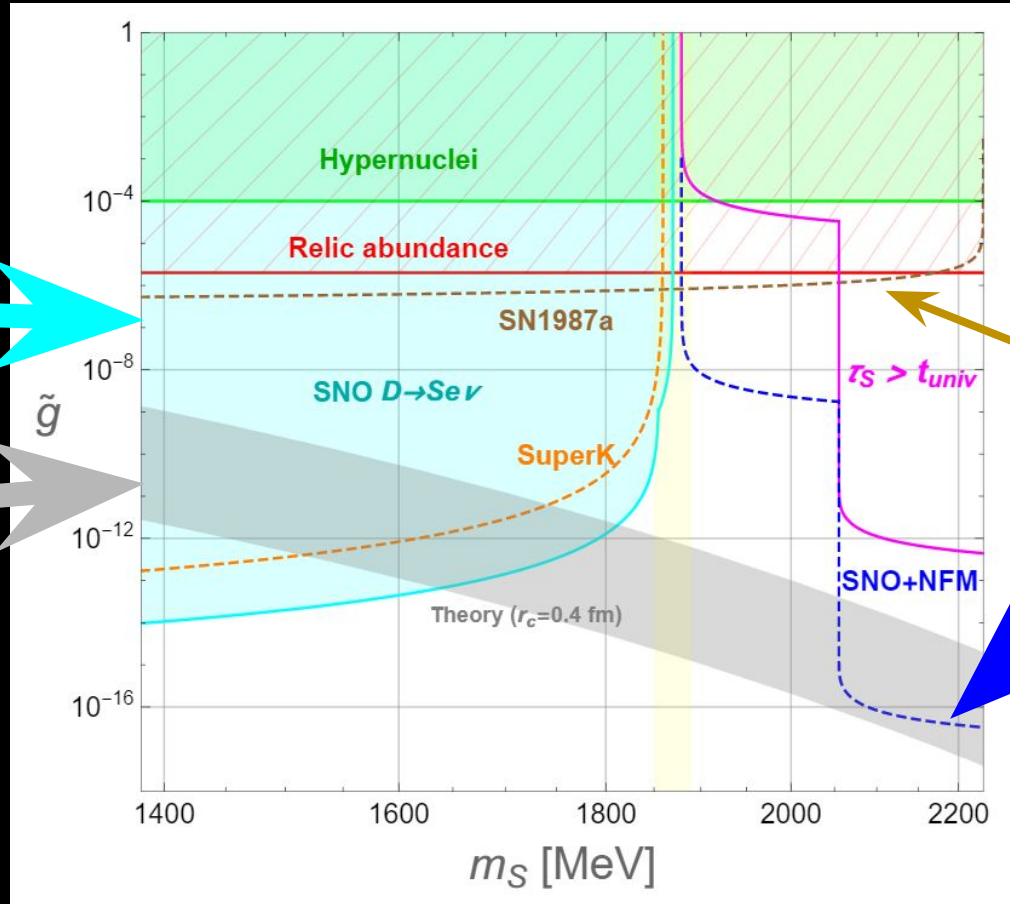
S stability



Prediction and constraints on \tilde{g}

Deuteron stability

Theory value



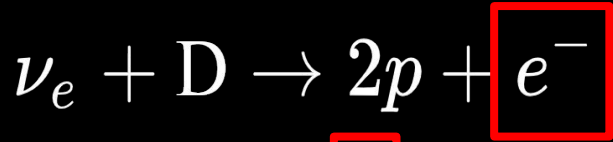
SN1987a cooling

S stability

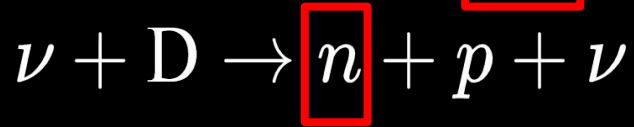
Farrar, ZW, to appear
Farrar, ZW, Xu, to appear

Sudbury Neutrino Detector (SNO)

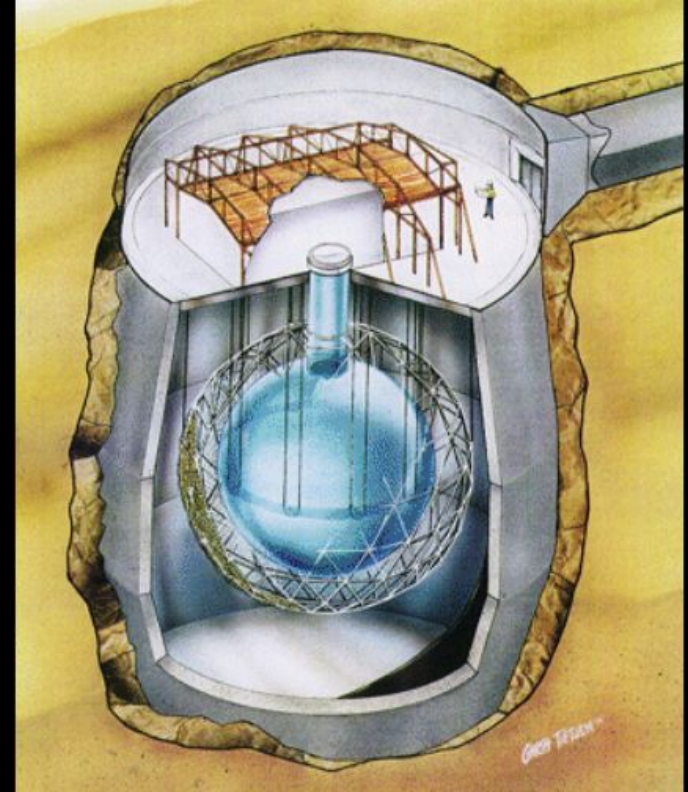
SNO has recorded e and n events produced by solar neutrinos.



(detection equally sensitive to e^+)



We use the data released by SNO to constrain \tilde{g} .

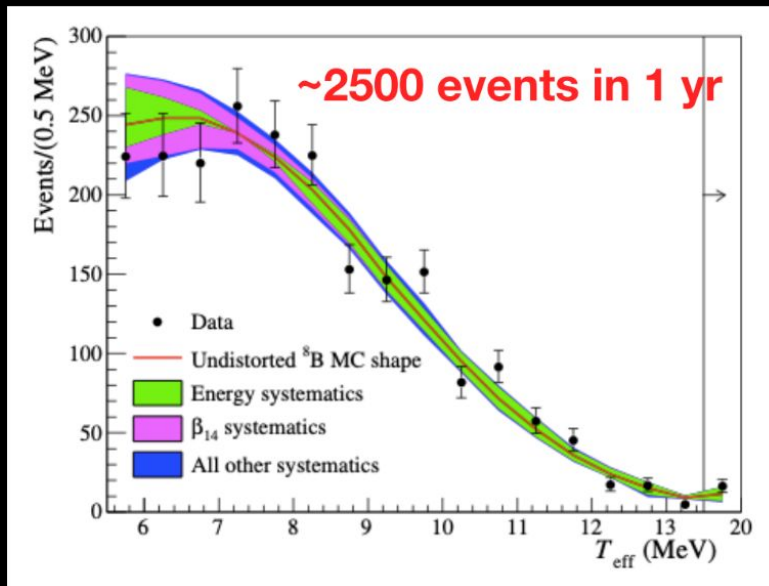


Deuteron stability from SNO

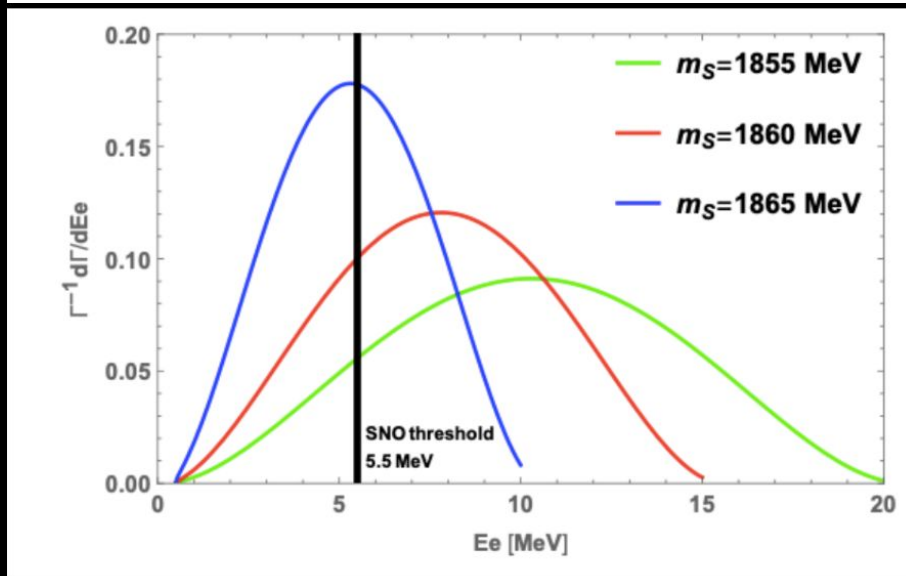
If S lighter than deuteron, D can decay to $S + e^+ + \nu$

SNO contains 10^6 kg D_2O

$$\frac{d\Gamma}{dE_e} = \frac{\tilde{g}^2 G_F^4 p_q^6 \sin^4 \theta_c \cos^2 \theta_c}{120\pi^3 m_D m_S} \sqrt{E_e^2 - m_e^2} E_e (m_D - m_S - E_e)^2$$



Observed e spectrum SNO, 1602.02469

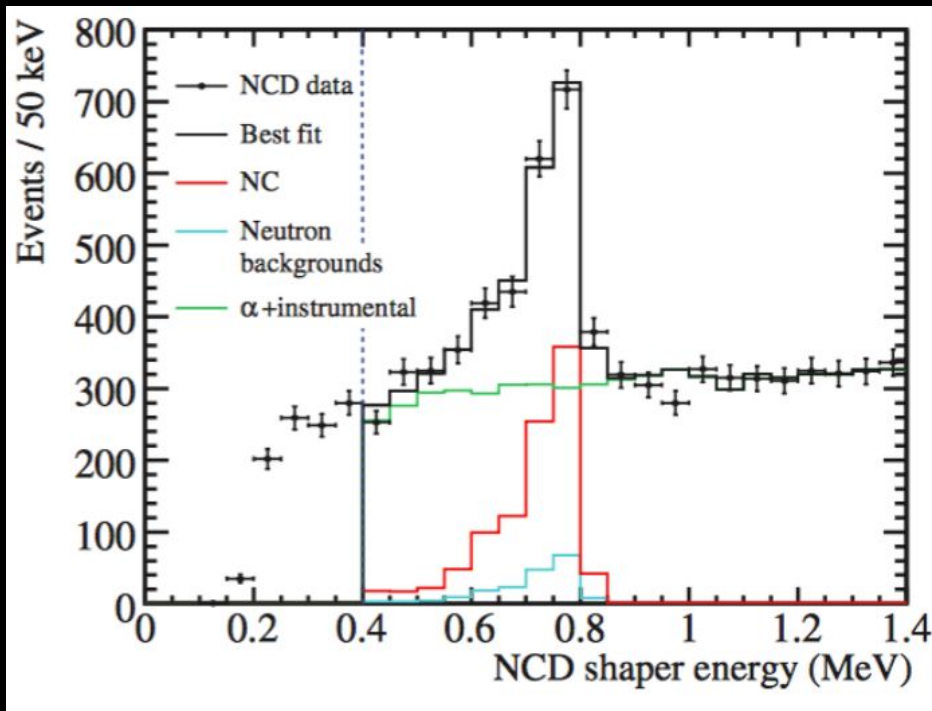


Expected e spectrum from D decay

$$\tau_D \geq 10^{32} \text{ yr}$$

S stability from SNO

If S heavier than two neutrons, S can decay to nn



We derive limit on $S \rightarrow nn$ lifetime from SNO:

$$\tau_{S \rightarrow nn} \geq 10^{19} \text{ yr}$$

Theoretical $S \rightarrow nn$ decay rate

$$\Gamma = \frac{\tilde{g}^2 G_F^4 p_q^8 \sin^4 \theta_c \cos^4 \theta_c m_S}{640\pi} \left(1 - \frac{4m_n^2}{m_S^2}\right)^{3/2}$$

Observed n spectrum SNO, 1602.02469

Supernova cooling

Processes like $\Lambda\Lambda \rightarrow S\gamma$ can accelerate the cooling of SN1987a.

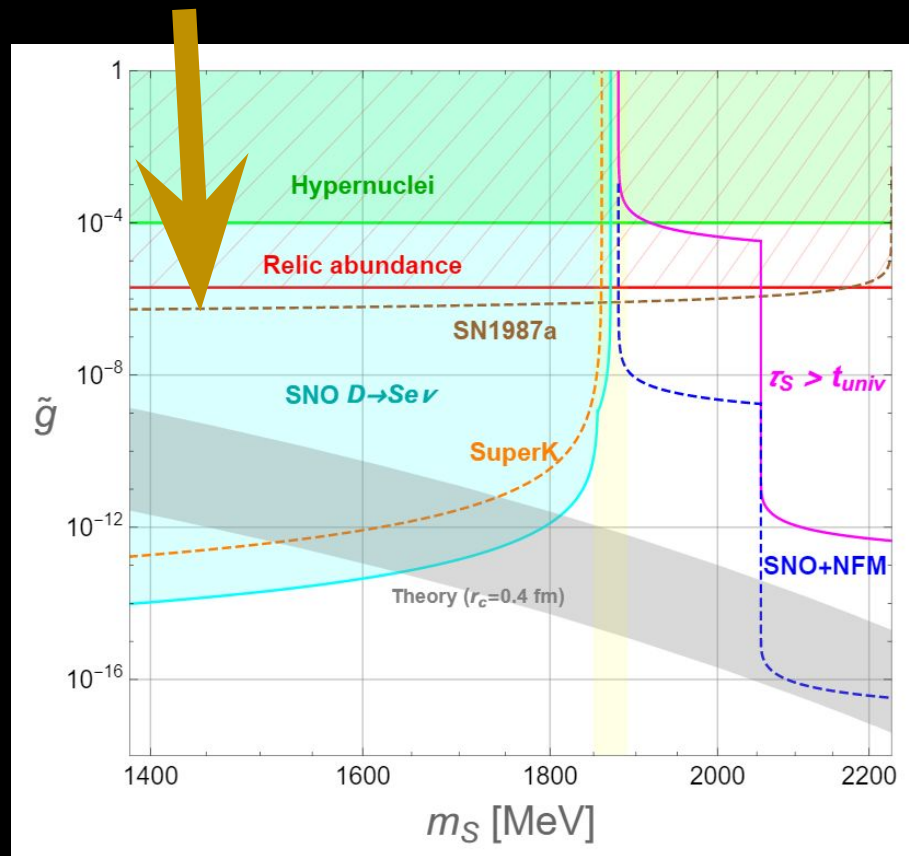
McDermott, Reddy, Sen, 1809.06765

Constrained by observed cooling time ~ 10 s. Not problematic with our prediction of \tilde{g} . (Contrary to the conclusion of McDermott et al)

(However, the 10 s cooling time has been put into debate. So this bound may not exist.)

Bar, Blum, D'Amico, 1907.05020

See Blum's talk in session J03



Summary

Derived constraints on \tilde{g} from durability of SDM, and SNO data.

Compatible with theory values.

For direct detection constraints on SDM, see Xingchen Xu's talk in session Q10.

Thank you!

