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今工智慧章論與實作 HWI 質試魚 刊4096124 楊震賞
                                                                                                                                                                                                                           73.
               \omega_{\alpha z} = a_{z \times \alpha z + \alpha 5 \times \alpha z} = a_{1} + a_{z \times \alpha z} = 
                          bz = 0.2 x 0.2 + 0.5 x 0.2 + 0.1 x 0.2 = 0.16 b= 4(bz) = 4(0.16) = 0.83
                      C_z = 0.5 \times 0.2 + 0.1 \times 0.2 = 0.12 C = \varphi(C_z) = \varphi(0.12) = 0.77
                      dz = 0.8 \times 0.5 + 0.83 \times 0.5 = 0.815 d = \varphi(dz) = \varphi(0.815) = 1
                   e_z = 0.8 \times -0.5 + 0.83 \times 0.5 + 0.71 \times -0.5 = -0.37 e = 4(-0.31) = 0.02
              fz = 1 × 0.1 = 0.1 f= φ(fz) = φ(0.1) = 0.73.
              9== 1x-09+083x-0.5+0.02x0.9=-1.297 9= (9=)= (1.297)=0
            hz = 0.02 \times -0.1 + 0.77 \times 0.5 = 0.383 h = \varphi(hz) = \varphi(0.383) = 0.98
          = each hidden layer: a=0.8 b=0.83. c=0.17 d=1 e=0.02 f=0.73 g=0 h=0.98
          - Jared = [0.536, 0.121] T
(b)更新以上道:のd→f→Y,
                                                                                                         Qd→f→ yz
         d \to f \to y_1 = \frac{\partial E}{\partial W_{3,1}} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial W_{3,1}} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial y_2} = \frac{\partial E}{\partial y_2} \frac{\partial y_1}{\partial y_3} = \frac{\partial E}{\partial W_{3,1}} = (y_1 - y_{real})(W_{4,1})(\varphi'(f_{\bar{z}}))(d)
= (0.536 - 1)(0.6)(1.97)(1) = -0.548448
          d \to f \to y_z = \underbrace{SE}_{SW_{3,1}} = (y_3 - y_{real})(W_{4,3})(\varphi(f_z))(d) = (0.121)(0.3)(1.97)(1) = 0.07.1511
                 - L= -0.54844840.071511= -0.491 > Wa,1, new = Wa.1, old - 0.5x-0.491 = 0.239
                  更新W3,2之值: の d→g→y,
の d→g→y>
                      d \rightarrow g \rightarrow y_1 = \frac{\partial E}{\partial W_{3,2}} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial W_{3,2}} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial g} \frac{\partial g}{\partial W_{3,2}} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial g} \frac{\partial g}{\partial g} \frac{\partial g}{\partial W_{3,3}} = (y_1 - y_{eal})(W_{4,3})(\varphi(g_z))(d)
                                                                                                                                        = (0.536-1)(+0.3)(0)(1)=0
                       d \rightarrow g \rightarrow y_2 = \frac{\partial E}{\partial M_{3,3}} = (y_2 - y_{real})(W_{4,4})(\varphi'(g_Z))(d) = 0
                   : L=0 = W3,2, new=W3,2, old-0.5x0=> W3,2, new=-0.9
                      更新W3.3之值:000+9+4,
                           e \rightarrow g \rightarrow y_1 = \frac{\partial E}{\partial W_{3,3}} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial W_{3,3}} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial g} \frac{\partial g}{\partial y_2} = \frac{\partial E}{\partial y_1} \frac{\partial y_2}{\partial g} \frac{\partial g}{\partial g} = \frac{\partial E}{\partial y_3} \frac{\partial y_2}{\partial g} = \frac{\partial E}{\partial y_3} \frac{\partial y_2}{\partial g} = \frac{\partial E}{\partial y_3} \frac{\partial y_3}{\partial g} 
                                                                                                                            = (0.536-1)(-0.3)(0)(002)=0
                        e \rightarrow g \rightarrow y_{3} = \frac{\partial E}{\partial W_{3,3}} = (y_{3} - y_{real})(W_{4,4})(\varphi'(g_{z}))(e) = 0
                                                                                                                                                                                                                                                                                                                                                                                                                                    2024.2.26 16:39
                          = L=0 = W3.2, new = W3.4, old - 0.5x0 = W3.3, new = 09
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更新W3.4= 0 e> h > y,
           e \rightarrow h \rightarrow y, = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial w_3,4} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial h} \frac{\partial h}{\partial w_3,4} = \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial h} \frac{\partial h}{\partial h_2} \frac{\partial h}{\partial h_2} \frac{\partial h}{\partial h_2} \frac{\partial h}{\partial h_2} = (y_1 - y_{rea})(w_4, s)(y'(h_2))(e)
        : L=-0.000234 => Lb,4, new = Ws,4, old -0.5x -0.000234 = -0.099883
  · W>更新完為 - W> 0.339 -0.9 0.9 -0.099883
 (W)更新W3,1: の a>d > f>y,
                                                    @ andofoys
                                                   Ba -d - g - 4.
                                                  9 and 1 9 1/2
     a \to d \to f \to y_1 = \underbrace{\frac{3E}{3Y_1}}_{3Y_2} = \underbrace{\frac{3E}{3Y_1}}_{3Y_1} \underbrace{\frac{3F}{3W_2}}_{3Y_2} = \underbrace{\frac{3E}{3Y_1}}_{3Y_1} \underbrace{\frac{3F}{3F_2}}_{3Y_2} \underbrace{\frac{3F}{3F_2}}_{3Y_2} \underbrace{\frac{3F}{3F_2}}_{3Y_2} \underbrace{\frac{3F}{3F_2}}_{3Y_2} \underbrace{\frac{3F}{3F_2}}_{3Y_2} \underbrace{\frac{3F}{3F_2}}_{3Y_2} \underbrace{\frac{3F}{3F_2}}_{3Y_2} \underbrace{\frac{3F}{3W_2}}_{3W_2} = \underbrace{\frac{3F}{3W_2}}_{3W_2} \underbrace{\frac{3F}{3W_2}}_{3W
   and s g > y, = s = (y, - yreal) (W43) (4'(gz))(W3, >) (4'(dz))(a) =0.
a+d+g+y== = (4>-yrea)(W4,4)(Q'(gz))(W3,2)(Q'(dz))(a)=0
W=11, new = W=11. old - 0.5 x 0 => W=11. new = 0.5
更新しか=のの→モ→タッケー
                                              @ a+e+9 - 1/2
                                              の の→ とっかうり
                                              @areshoy2
    = 3E 34, 3g 3g 2e 3ez 2ez 2hb. = (4, - /mal)(W4, 2)(4'(gz))(W3, 2)(4'(lz))(a)
     a - e - g - y = = (4 - yreal) (W4, 4) (4'(92)) (W3, 3) (4'(e2))(0) = 0
      a \rightarrow e \rightarrow h \rightarrow y, = \frac{3E}{3W_{5,2}} = (y_1 - y_{real})(W_{4,5})(y'(hz))(W_{3,4})(y'(lz))(a) = (0.536-1)(0.1)(0.2)(0.8)
= 0.00014848
       a>e>h-y== (4)-yrea)(Wu,6)(4'(hz))(W3,4)(4'(lz))(a)=(0,121-0)(-0,1)(02)(-0,1)(02)(0.8).
= 0.00007892
       W=,>,new=Ws,>,old-0.5 × (0.00014848+0.0000387>)=-0.5000936
                                                                                                                                                                                                                                                                     2024.2.26 16:40
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更新W2,3之值:0b+d+f+Y,
                                                                                  @ b) d + f + y2
                                                                                 3 bod - 9 - 41
                                                                               母かかんつタッソン
                           = \underbrace{\partial E}_{\partial Y_1} \underbrace{\partial f}_{\partial f} \underbrace{\partial f}_{\partial dz} \underbrace{\partial dz}_{\partial dz} = (Y - Y real)(W41)(\varphi'(fz))(W3,1)(\varphi'(dz))(b) = 0
                           b= d=f=y== 2E = (4,- yreal)(W4,2)(Q'(f2))(W3,1)(Q'(d8))(b)=0
                           bod - go y, = = (y, - y, ear) (Wy, o) (l'(fz)) (Wo, o) (l'(dz)) (b) = 0
                        b) d, g, y, = = (4, -4/real)(W44)(P'(fe))(W3,>)(P'(de))(b) = 0
                        Ws, 2, new = Ws, 2, old - 0.5 x 0 ⇒ W=, 2, new = 0.5
              更新いり、少之值:06→タッケ、
                    b \rightarrow g \rightarrow y, \quad \underline{JE} = \frac{\partial E}{\partial y_1} \frac{\partial y_2}{\partial hb_1 y} = \frac{\partial E}{\partial y_2} \frac{\partial y_1}{\partial g} \frac{\partial g}{\partial hb_2 y} = \frac{\partial E}{\partial y_1} \frac{\partial g}{\partial g} \frac{\partial g}{\partial g} \frac{\partial g}{\partial hb_2 y} = (y_1 - y_{real})(W_{Y,3})(Q'(g_z))(b) = 0
                 b = 9 - 42 = 2E = (45 - Yrea) (W4,4) (P'(gz))(b) = 0
             Ws, y, new = Ws, 4, old - 0.5x0 > Ws, 4, new = -0.5
更新しからを通・のかもつタッグ
                                                                      @ b-12 9 1/2
                                                                      Bb) C→h+4.
                                                                      めりゃとかんりり2
            breight, = \frac{\partial E}{\partial y_i} = \frac{\partial E}{\partial y_i} = \frac{\partial F}{\partial y_i} = \frac
                                                                                                    b>e+9-1/2= = = (y-yreal)(W4,4)((P'(92))(W3,7)((P'(l2))(b)=0
             b \to e \to h \to y_1 = \frac{\partial E}{\partial h_{0,5}} = (y_1 - y_{real})(\lambda y_{0,5})(\psi'(hz))(W_{0,4})(\psi'(\ell z))(b) = (0.536-1)(0.1)(0.2)(0.1)(0.2)(0.83)
= 0.000154048
              b + e + h + y_2 = \frac{\partial E}{\partial \lambda_{2,5}} = (y_2 - y_{real})(W_{4,6})(\varphi(k_{\overline{e}}))(W_{3,4})(\varphi(\ell_{\overline{e}}))(b) = (0.1>1-0)(0.2)(0.2)(0.2)(0.83)
= 0.000040172
                Washew = Was, old - 0.5 x 0.00019422 = 0.49990289
        更網W>1b之值:0010101994
                                                                                      BC-12-19-1/2
                                                                                     @ Colethoy,
                                                                                     9 Calahay2
                                                                                                                                                                                                                                                                                                                             2024.2.26 16:40
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Colory  $g o y_1 : \frac{\lambda E}{\lambda L_0 L_0} = \frac{\lambda E}{\lambda Y_0} \frac{\lambda Y_0}{\lambda J_0} = \frac{\lambda E}{\lambda J_0} \frac{\lambda Y_$