

Analysis of Sales Report of a Clothes Manufacturing Outlet

Background and Objective

A high-end fashion retail store is looking to expand its products. It wants to understand the market and find the current trends in the industry. It has a database of all products with attributes, such as style, material, season, and the sales of the products over a period of two months.

Analysis Tasks

To automate the process of recommendations, the store needs to analyze the given attributes of the product, like the style, season, etc., and come up with a model to predict the recommendation of products (in binary output – 0 or 1) accordingly.

The **Attribute DataSet.xlsx** file contains all the attributes and the recommendations for each dress in binary. For binary output models, logistic regression can be used to build a suitable model to recommend products (1 denotes a positive recommendation and 0 denotes a negative recommendation). To perform logistic regression on a given dataset, we need to decide two major attributes of the model

Independent variables: All other variables, except the Dress_ID, since it is only an identifier.

Dependent variable: Recommendation

```
> library(xlsx)
> setwd("~/R Project_Clothes Manufacturing Outlet")
> attributeClothe = read.xlsx('Attribute DataSet.xlsx',header = TRUE,sheetName = 'Sheet1')
> head(attributeClothe)
```

	Dress_ID	Style	Price	Rating	Size	Season	NeckLine	SleeveLength	waixeline	Material	FabricType	Decoration
1	1006032852	Sexy	Low	4.6	M	Summer	o-neck	sleeveless	empire	null	chiffon	ruffles
2	1212192089	Casual	Low	0.0	L	Summer	o-neck	Petal	natural	microfiber	null	ruffles
3	1190380701	vintage	High	0.0	L	Autumn	o-neck	full	natural	polyester	null	null
4	966005983	Brief	Average	4.6	L	Spring	o-neck	full	natural	silk	chiffon	embroidary
5	876339541	cute	Low	4.5	M	Summer	o-neck	butterfly	natural	chiffonfabric	chiffon	bow
6	1068332458	bohemian	Low	0.0	M	Summer	v-neck	sleeveless	empire	null	null	null

```
Pattern.Type Recommendation
1 animal 1
2 animal 0
3 print 0
4 print 1
5 dot 0
6 print 0
```

```
> model = glm(Recommendation ~ Style + Price + attributeClothe$Rating+Size+Season+NeckLine+SleeveLength+waixeline+Material+FabricType+
Decoration+Pattern.Type,data = attributeClothe)
> summary(model)
```

```
call:
glm(formula = Recommendation ~ Style + Price + attributeClothe$Rating +
  Size + Season + NeckLine + SleeveLength + waixeline + Material +
  FabricType + Decoration + Pattern.Type, data = attributeClothe)
```

```
Deviance Residuals:
    Min       1Q   Median       3Q      Max
-0.9895 -0.3241  0.0000  0.3191  0.8808
```

Pricehigh	-0.140446	0.175119	-0.802	0.42310	
PriceHigh	-0.129542	0.220973	-0.586	0.55810	
Pricelow	0.086340	0.095125	0.908	0.36470	
PriceLow	0.010431	0.063789	0.164	0.87021	
PriceMedium	0.300730	0.111557	2.696	0.00737	**
Pricevery-high	0.223830	0.208403	1.074	0.28356	
Materialcashmere	0.676362	0.406858	1.662	0.09734	.
Materialchiffonfabric	0.269077	0.316566	0.850	0.39592	
Materialcotton	0.569308	0.297494	1.914	0.05649	.
Materialknitting	-0.234039	0.687674	-0.340	0.73381	
Materiallace	-0.686514	0.967162	-0.710	0.47829	
Materiallinen	0.093026	0.421718	0.221	0.82554	
Materiallycra	0.214349	0.465173	0.461	0.64524	
Materialmicrofiber	-0.054620	0.698670	-0.078	0.93773	
Materialmilksilk	0.230922	0.372906	0.619	0.53616	
Materialmix	0.471069	0.335452	1.404	0.16113	
Materialmodal	0.080863	0.577976	0.140	0.88881	
Materialmodel	1.222190	0.756022	1.617	0.10687	
Materialnull	0.541787	0.295907	1.831	0.06797	.
Materialnylon	0.659877	0.348017	1.896	0.05878	.
Materialother	0.087055	0.596355	0.146	0.88402	
Materialpolyster	0.385803	0.298936	1.291	0.19771	
Materialrayon	0.761183	0.332962	2.286	0.02285	*
Materialshiffon	0.359398	0.508320	0.707	0.48002	
Materialsilk	0.449012	0.311467	1.442	0.15032	
Materialsill	0.359753	0.579957	0.620	0.53546	
Materialspandex	0.213837	0.384351	0.556	0.57833	
Materialviscos	0.728820	0.477683	1.526	0.12799	
Materialwool	-0.075463	0.577508	-0.131	0.89611	
SeasonAutumn	-0.183655	0.199303	-0.921	0.35744	
Seasonspring	0.257196	0.355791	0.723	0.47024	
SeasonSpring	0.182272	0.086329	2.111	0.03546	*
Seasonsummer	-0.601832	0.500358	-1.203	0.22988	
SeasonSummer	-0.049393	0.083264	-0.593	0.55343	
Seasonwinter	0.186837	0.108752	1.718	0.08669	.
Seasonwinter	-0.008118	0.090244	-0.090	0.92837	

```

---
signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 0.2230226)

    Null deviance: 120.611  on 495  degrees of freedom
Residual deviance:  77.166  on 346  degrees of freedom
(4 observations deleted due to missingness)
AIC: 786.72

Number of Fisher Scoring iterations: 2

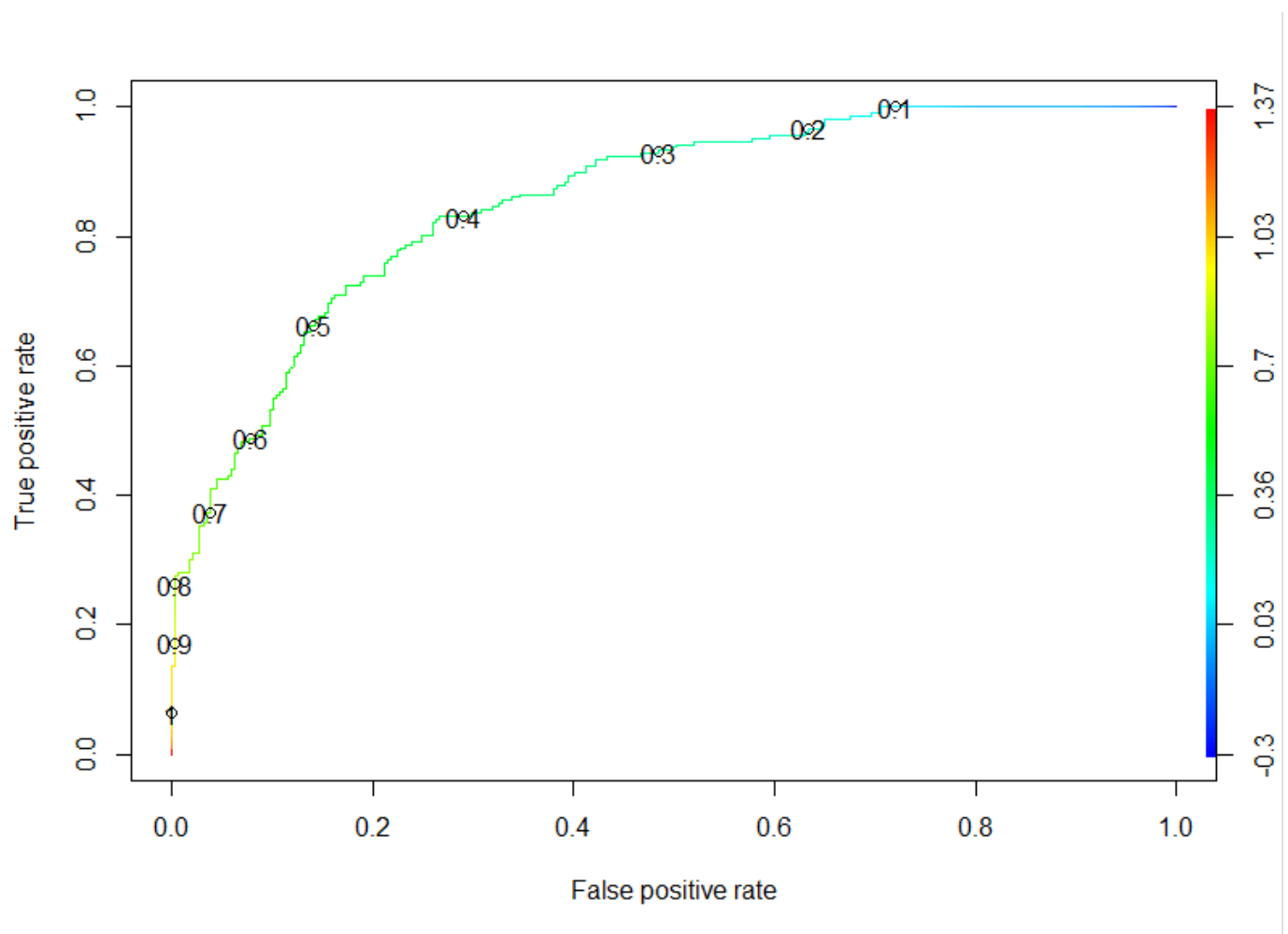
```

From the significance codes for each attribute, we can see that **Price, Material and Season** make an impact on the recommendation, both positively affecting the recommendation. Other than that, we can see that the increased number of factors and comparatively lesser number of entries make the predictions slightly difficult. However, the residual deviance is lower than the null deviance, which implies that using the independent variables makes it closer to predicting the actual values of recommendation. With the given model, the new data or attributes can be fed into the model to get recommendations.

```

> y = attributeClothe$Recommendation
> result <- predict(model,attributeClothe[,2:13],type = "response")
Warning message:
In predict.lm(object, newdata, se.fit, scale = 1, type = if (type == :
  prediction from a rank-deficient fit may be misleading
> library(ROCR)
> rocrPredic <- prediction(result,y)
> rocrPerf <- performance(rocrPredic,"tpr","fpr")
> plot(rocrPerf,colorize=TRUE, print.cutoffs.at=seq(0.1,by=0.1))

```



From that plot we can see the best threshold point is 0.4

Now we are going to predict "Recommendation" with trained model. Through the confusion matrix we will know the accurate rate.

```
> train_PredSurvived <- ifelse(result > 0.4,1,0)
> table(predicted=train_PredSurvived,actualdata=y)
```

	actualdata	
predicted	0	1
0	206	35
1	83	172

Model Accuracy is 76.21%

Analysis Tasks

In order to stock the inventory, the store wants to analyze the sales data and predict the trend of total sales for each dress for an extended period of three or more alternative days.

For this question, we will use the **Total Sales.xlsx** file. Since the time series should be a vector, we will work on the total sales per day (of all items). The total sales is calculated in Excel (using the SUM command) and saved in a file named totalSales3.csv. (The file is provided here for verification). The Auto.arima function is used to predict the trend for three more days. Note that any of the given time series functions can be used in the prediction of sales

```
> # Please provide a dress name or a dress index
> totalsales = read.csv('Total Sales.csv',header = TRUE)
> head(totalsales)
  Dress_ID X29.08.2013 X31.08.2013 X09.02.2013 X09.04.2013 X09.06.2013 X09.08.2013 X09.10.2013 X09.12.2013 X14.09.2013
1         1      94883      100483      107081      149336      151829      157647      159391      165962      169101
  X16.09.2013 X18.09.2013 X20.09.2013 X22.09.2013 X24.09.2013 X26.09.2013 X28.09.2013 X30.09.2013 X10.02.2013 X10.04.2013
1      171726      174360      179037      183261      185616      77934      193734      55412      56395      57405
  X10.06.2013 X10.08.2013 X10.10.2013 X10.12.2013
1      206334      59816      60757      215533

> matrixTotalsales <- as.matrix(totalsales[,-1])
> numericVector <- as.numeric(as.vector(matrixTotalsales))
> timeseries <- ts(numericVector, start = 1,frequency = 5)
> fit <- auto.arima(timeseries)
> summary(fit)
Series: timeseries
ARIMA(0,0,0)(0,0,1)[5] with non-zero mean

Coefficients:
          sma1          mean
      -0.6502  139318.887
s.e.    0.3123    5523.818

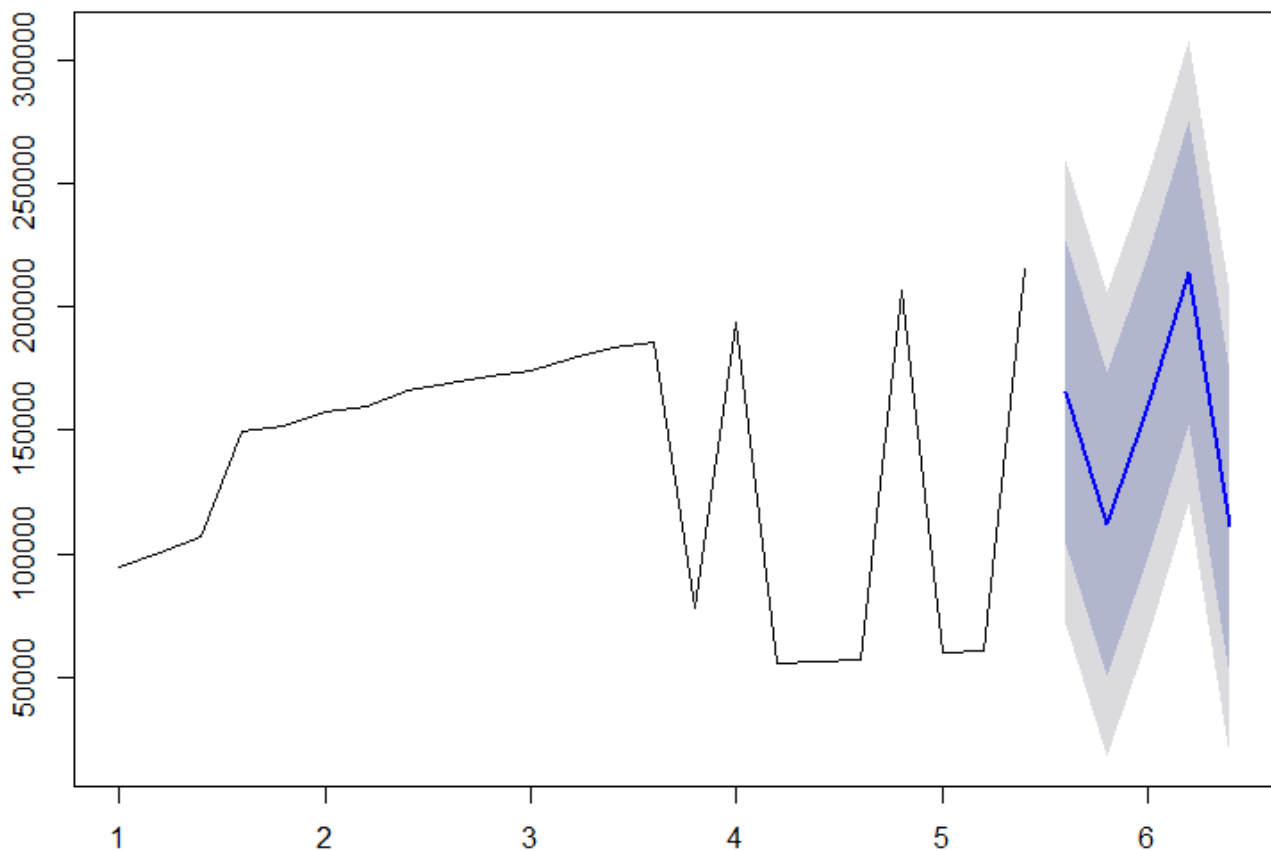
sigma^2 estimated as 2.275e+09:  log likelihood=-280.71
AIC=567.42  AICc=568.68  BIC=570.82

Training set error measures:
              ME      RMSE      MAE      MPE      MAPE      MASE      ACF1
Training set 668.9685 45571.28 38319.67 -17.89152 39.03761 0.5704893 0.04400276
```

With trained ARIMA model, we are going to forecast and plot total sales in next 5days.

```
> forecast(fit,5)
      Point Forecast      Lo 80      Hi 80      Lo 95      Hi 95
5.60      165379.4 104018.53 226740.2  71536.07 259222.6
5.80      112153.8  50792.95 173514.6  18310.49 205997.1
6.00      159545.1  98324.13 220766.1  65915.70 253174.6
6.20      214045.0 152823.96 275265.9 120415.52 307674.4
6.40      111295.8  50074.82 172516.8  17666.38 204925.2
> plot(forecast(fit,5))
```

Forecasts from ARIMA(0,0,0)(0,0,1)[5] with non-zero mean



The model built by the `auto.arima` function is $ARIMA(0,0,0)(0,0,1)$. The coefficients, information criterion (used in comparing different models), and the error terms are given. A plot of the forecasted values show that there is a lot of fluctuation in the total sales, and hence we can see that the low and high values, which are 80% and 95%, have huge differences for the predicted values (depicted by the light grey and dark grey areas in the plot).

Similarly, the forecasting used for each dress to make individual predictions for the inventory. Before that, I have removed duplicate cloth ID and filled up with 0 for NAN value.

```
> indTotalSales <- read.csv("Dress Sales_Remove Duplicate ID.csv")
> indTotalSales[is.na(indTotalSales)] <- 0
> head(indTotalSales)
```

	Dress_ID	x29.08.2013	x31.08.2013	x09.02.2013	x09.04.2013	x09.06.2013	x09.08.2013	x09.10.2013	x09.12.2013	x14.09.2013
1	444282011	0	0	0	76	76	78	80	82	81
2	510519284	0	0	0	190	192	195	197	204	205
3	511503677	0	0	0	623	630	636	640	645	645
4	520233308	524	550	594	603	608	615	616	635	641
5	522776523	432	466	491	510	513	527	534	559	574
6	531254082	203	309	341	348	351	355	355	362	365

```

x16.09.2013 x18.09.2013 x20.09.2013 x22.09.2013 x24.09.2013 x26.09.2013 x28.09.2013 x30.09.2013 x10.02.2013 x10.04.2013
1      81      82      82      84      82      86      88      90      91      96
2      209     211     216     218     216      0     218      0      0      0
3      644     636     628     621     602     602     602     592     585     582
4      647     654     663     671     681      0     736      0      0      0
5      581     589     594     608     593      0     608      0      0      0
6      369     372     378     384     387      0     389      0      0      0

x10.06.2013 x10.08.2010 x10.10.2013 x10.12.2013
1      96      98      101     102
2     213      0      0     204
3     570     564     555     547
4     785      0      0     818
5     619      0      0     616
6     403      0      0     416
```

Now we can forecast total sales for individual clothe.

```
> dataIndTotalSales = indTotalSales[,-1]
>
> i = 0
> n = nrow(dataIndTotalSales)
> tmp = 0
>
> while(i < n) {
+   matrixIndTotalSales <- as.matrix(dataIndTotalSales[i+1,])
+   numMatrixIndTotalSales <- as.numeric(as.vector(matrixIndTotalSales))
+   timeseries <- ts(numMatrixIndTotalSales, start = 1,frequency = 5)
+   fit <- auto.arima(timeseries)
+   predictedvalue <- as.data.frame(forecast(fit,3))
+   productwithpredictedvalue <- data.frame(dressid=indTotalSales[i+1,1],forecast1stday=predictedvalue$`Point Forecast`[1],
+   +                                     forecast2ndday=predictedvalue$`Point Forecast`[2],
+   +                                     forecast3rdday=predictedvalue$`Point Forecast`[3])
+   tmp <- rbind(tmp,productwithpredictedvalue)
+   i <- i+1
+   print(tmp)
+ }
  dressid forecast1stday forecast2ndday forecast3rdday
1         0             0             0             0
2 444282011          102           102           102
  dressid forecast1stday forecast2ndday forecast3rdday
1         0             0.0000        0.0000        0.0000
2 444282011          102.0000       102.0000       102.0000
3 510519284          160.3375       112.6141       161.8902
  dressid forecast1stday forecast2ndday forecast3rdday
1         0             0.0000        0.0000        0.0000
2 444282011          102.0000       102.0000       102.0000
3 510519284          160.3375       112.6141       161.8902
4 511503677          526.2861       506.3566       487.1817
  dressid forecast1stday forecast2ndday forecast3rdday
1         0             0.0000        0.0000        0.0000
2 444282011          102.0000       102.0000       102.0000
3 510519284          160.3375       112.6141       161.8902
4 511503677          526.2861       506.3566       487.1817
5 520233308          336.4290       191.7102       388.8527
```

	dressid	forecast1stday	forecast2ndday	forecast3rdday
1	0	0.0000	0.00000	0.0000
2	444282011	102.0000	102.00000	102.0000
3	510519284	160.3375	112.61409	161.8902
4	511503677	526.2861	506.35656	487.1817
5	520233308	336.4290	191.71019	388.8527
6	522776523	194.0872	143.44370	378.2437
7	531254082	127.3409	99.18477	256.9353

Above data is just the sample only. By right, it will run 475 times and show the details in the table.

Analysis Tasks

To decide the pricing for various upcoming clothes, the store wishes to find how the style, season, and material affect the sales of a dress and if the style of the dress is more influential than its price

a. Firstly, calculate the total sales per dress ID and save it along with the Attribute DataSet file (with column name as Total.Sales). We need to find how style, season, and material affect the sale of a dress. Since they are categorical, let us first use the analysis of variances to see if the different types make an impact.

The required variables are:

Independent Variable: Total.Sales

Dependent Variables: Style, Season, Material

```
> dressSalesWTotalSales = read.csv('Dress Sales with Total Sales.csv')
> attributeClotheOrg = read.csv('Attribute DataSet.csv')
> indDressWTotalSales=cbind(attributeClotheOrg, Total.Sales=dressSalesWTotalSales$Total.sales)
> head(indDressWTotalSales)
```

	Dress_ID	Style	Price	Rating	Size	Season	NeckLine	SleeveLength	waixeline	Material	FabricType	Decoration
1	1006032852	Sexy	Low	4.6	M	Summer	o-neck	sleeveless	empire	null	chiffon	ruffles
2	1212192089	Casual	Low	0.0	L	Summer	o-neck	Petal	natural	microfiber	null	ruffles
3	1190380701	vintage	High	0.0	L	Autumn	o-neck	full	natural	polyester	null	null
4	966005983	Brief	Average	4.6	L	Spring	o-neck	full	natural	silk	chiffon	embroidary
5	876339541	cute	Low	4.5	M	Summer	o-neck	butterfly	natural	chiffonfabric	chiffon	bow
6	1068332458	bohemian	Low	0.0	M	Summer	v-neck	sleeveless	empire	null	null	null

	Pattern.Type	Recommendation	Total.Sales
1	animal	1	75979
2	animal	0	52256
3	print	0	223
4	print	1	39691
5	dot	0	44077
6	print	0	457

Let's find out how style, season, and material can affect Total Sales for individual cloth.

From the p-values we can see that out of the three, only season has a high p-value, thus showing that different seasons have a different impact on the sales.

```
> TestForStyle <- aov(Total.Sales ~ Style, data = indDressWTotalSales)
> summary(TestForStyle)
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Style	12	2.738e+09	228195052	1.527	0.111
Residuals	487	7.278e+10	149450545		

```
>
> TestForSeason <- aov(Total.Sales ~ Season, data = indDressWTotalSales)
> summary(TestForSeason)
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Season	8	3.700e+09	462453725	3.162	0.00167 **
Residuals	491	7.182e+10	146275206		

```
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
>
> TestForMaterial <- aov(Total.Sales ~ Material, data = indDressWTotalSales)
> summary(TestForMaterial)
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Material	24	3.221e+09	134204184	0.882	0.628
Residuals	475	7.230e+10	152210222		

Next, we will try linear regression with Style, Season and Material to find out which of the factors affect the sales more.

```
> lmModel=lm(Total.Sales ~ Style+Season+Material, data = indDresswTotalSales)
> summary(lmModel)
```

Call:

```
lm(formula = Total.Sales ~ Style + Season + Material, data = indDresswTotalSales)
```

Residuals:

Min	1Q	Median	3Q	Max
-18248	-4652	-2017	1170	137639

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	2458.6	15296.2	0.161	0.8724
StyleBrief	6185.9	3886.8	1.591	0.1122
StyleCasual	1770.3	2693.9	0.657	0.5114
Stylecute	4255.2	3169.3	1.343	0.1801
Stylefashion	-2462.1	12375.7	-0.199	0.8424
StyleFlare	-1952.4	9111.6	-0.214	0.8304
StyleNovelty	162.5	5045.3	0.032	0.9743
StyleOL	-2299.6	12436.7	-0.185	0.8534
Styleparty	-888.6	3125.8	-0.284	0.7763
Stylesexy	13426.3	5615.3	2.391	0.0172 *
StyleSexy	4815.1	2946.1	1.634	0.1029
Stylevintage	4858.6	3520.3	1.380	0.1682
Stylework	1534.8	3931.5	0.390	0.6964
SeasonAutumn	3576.2	8751.6	0.409	0.6830
SeasonAutumn	-903.7	9632.7	-0.094	0.9253
Seasonspring	39044.1	12142.6	3.215	0.0014 **
SeasonSpring	4276.4	8650.9	0.494	0.6213
Seasonsummer	3139.5	14828.4	0.212	0.8324
SeasonSummer	2841.9	8645.0	0.329	0.7425
Seasonwinter	-194.1	8806.0	-0.022	0.9824
SeasonWinter	2682.4	8680.0	0.309	0.7574

From below P-Value we can tell Style, Season and Material have big impact to Total Sales

Materialacrylic	-3574.8	14153.8	-0.253	0.8007
Materialcashmere	-4993.9	13731.5	-0.364	0.7163
Materialchiffonfabric	7298.1	12511.5	0.583	0.5600
Materialcotton	-2412.5	12279.1	-0.196	0.8443
Materialknitting	-3650.4	17300.2	-0.211	0.8330
Materiallace	-13165.1	17951.3	-0.733	0.4637
Materiallinen	-349.9	14155.0	-0.025	0.9803
Materiallycra	-1854.8	14087.4	-0.132	0.8953
Materialmicrofiber	11432.0	14073.0	0.812	0.4170
Materialmilksilk	954.1	13407.5	0.071	0.9433
Materialmix	-2706.2	12791.6	-0.212	0.8325
Materialmodal	-6349.9	17190.4	-0.369	0.7120
Materialmodel	-6681.9	17190.4	-0.389	0.6977
Materialnull	-1537.6	12263.1	-0.125	0.9003
Materialnylon	-3816.7	12876.8	-0.296	0.7671
Materialother	-3648.4	15047.8	-0.242	0.8085
Materialpolyster	-2001.9	12329.7	-0.162	0.8711
Materialrayon	-1855.1	12819.9	-0.145	0.8850
Materialshiffon	-4877.1	15100.6	-0.323	0.7469
Materialsilk	-3749.0	12493.5	-0.300	0.7643
Materialsill	-7396.7	17234.8	-0.429	0.6680
Materialspandex	-4822.7	13455.2	-0.358	0.7202
Materialviscos	-4803.1	14863.8	-0.323	0.7467
Materialwool	-2653.8	17325.2	-0.153	0.8783

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 12070 on 455 degrees of freedom
Multiple R-squared: 0.1221, Adjusted R-squared: 0.03719
F-statistic: 1.438 on 44 and 455 DF, p-value: 0.03846

Secondly, to check if style is more influential than the price, let us construct a linear regression model as before, with only the attributes style and price.

Dependent Variable: Total.Sales

Independent Variables: Style, Price

```
> comStyPrModel <- lm(Total.Sales ~ Style + Price, data = indDresswTotalSales)
> summary(comStyPrModel)
```

```
Call:
lm(formula = Total.Sales ~ Style + Price, data = indDresswTotalSales)
```

```
Residuals:
    Min       1Q   Median       3Q      Max
-12610  -4953  -2411    602  143277
```

```
Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)    561.03    9218.52   0.061  0.9515
StyleBrief     6053.18    3809.42   1.589  0.1127
StyleCasual     2916.15    2619.86   1.113  0.2662
Stylecute      7551.39    3097.61   2.438  0.0151 *
Stylefashion  -1817.17    12434.48  -0.146  0.8839
StyleFlare     -575.17    8979.89  -0.064  0.9490
StyleNovelty    852.61    5010.34   0.170  0.8649
StyleOL        1252.00    12620.71  0.099  0.9210
Styleparty     3590.97    3317.13   1.083  0.2795
Stylesexy     12377.13    5234.62   2.364  0.0185 *
StyleSexy      5176.98    2896.84   1.787  0.0746 .
Stylevintage   6121.80    3529.22   1.735  0.0835 .
Stylework      3949.46    3906.25   1.011  0.3125
PriceAverage   1682.14    8889.79   0.189  0.8500
Pricehigh    -2783.49    9219.08  -0.302  0.7628
PriceHigh     1927.38    10150.10  0.190  0.8495
Pricelow     -43.58     9083.79  -0.005  0.9962
PriceLow      4537.90    8963.83   0.506  0.6129
PriceMedium  -1384.03    9091.55  -0.152  0.8791
Pricevery-high -2890.40    9012.44  -0.321  0.7486
```

```
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 12160 on 480 degrees of freedom
Multiple R-squared:  0.05961,    Adjusted R-squared:  0.02239
F-statistic: 1.602 on 19 and 480 DF,  p-value: 0.05153
```

Conclusion:

We can see that the **style** affects more compared to the price range. The price values hardly have any significance whereas the cute, sexy, and vintage style dresses positively affect the sales. The style 'Sexy' has a positive coefficient of 12377, from which we can safely conclude that sexy dresses are a safe bet when looking at the total sales. The p-value is almost 0.05 and hence we can conclude that these variables do affect the sales linearly.

However, the R-squared value is very low, specifying that these variables do not completely explain the significant changes in sales which means they cannot completely be used in predicting the total sales of dresses.

Analysis Tasks

Also, to increase the sales, the management wants to analyze the attributes of dresses and find which are the leading factors affecting the sales of a dress.

We will again use linear regression, however, with all attribute variables to find which variables are most significant.

Dependent Variable: Total.Sales

Independent Variables: All the other variables, except Dress_ID

```
> modeluseAll <- lm(Total.Sales~.-Dress_ID,data = indDressWTotalSales)
> summary(modeluseAll)
```

Call:

```
lm(formula = Total.Sales ~ . - Dress_ID, data = indDressWTotalSales)
```

Residuals:

Min	1Q	Median	3Q	Max
-24359	-3794	0	1919	59098

Coefficients: (7 not defined because of singularities)

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	24704.90	17862.52	1.383	0.16754	
StyleBrief	4874.30	3434.28	1.419	0.15671	
StyleCasual	2096.88	2402.84	0.873	0.38345	
Stylecute	1600.70	2854.88	0.561	0.57537	
Stylefashion	-10126.75	18636.09	-0.543	0.58721	
StyleFlare	2043.71	7842.89	0.261	0.79457	
StyleNovelty	1737.32	4475.92	0.388	0.69815	
StyleOL	15385.85	27300.01	0.564	0.57340	
Styleparty	2172.36	3140.72	0.692	0.48961	
Stylesexy	5348.73	5862.32	0.912	0.36220	
StyleSexy	5628.23	2685.67	2.096	0.03684	*
Stylevintage	6121.19	3167.94	1.932	0.05415	.
Stylework	1804.85	3721.72	0.485	0.62802	
PriceAverage	6754.38	11387.99	0.593	0.55349	
Pricehigh	7296.15	11803.76	0.618	0.53690	
PriceHigh	5407.89	12330.37	0.439	0.66124	
Pricelow	4451.73	11567.35	0.385	0.70058	
PriceLow	8196.48	11492.35	0.713	0.47620	
PriceMedium	2799.93	11538.06	0.243	0.80841	
Pricevery-high	6631.61	11793.75	0.562	0.57428	
Rating	1236.47	259.59	4.763	2.81e-06	***
SizeL	4104.71	1520.05	2.700	0.00727	**
SizeM	1186.31	1355.53	0.875	0.38210	
Sizes	-11441.93	10707.61	-1.069	0.28601	
SizeS	1361.12	2112.62	0.644	0.51982	
Sizesmall	-2138.72	11223.29	-0.191	0.84898	
SizeXL	-178.18	3086.05	-0.058	0.95399	

NeckLinepeterpan-collor	9690.80	25403.58	0.381	0.70309	
NeckLineruffled	150944.44	26865.54	5.619	3.97e-08	***
NeckLineScoop	8122.53	28961.38	0.280	0.77929	
NeckLineslash-neck	8527.08	24942.76	0.342	0.73266	
NeckLinesqare-collor	5682.05	24620.26	0.231	0.81762	
NeckLinesweetheart	13752.76	29058.81	0.473	0.63632	
NeckLineSweetheart	12628.88	24653.51	0.512	0.60880	
NeckLineturndowncollor	14496.57	25084.01	0.578	0.56369	
NeckLinev-neck	11237.33	24864.52	0.452	0.65159	
SleeveLengthcap-sleeves	-35827.44	13222.66	-2.710	0.00707	**
SleeveLengthcapsleeves	-33486.85	11988.62	-2.793	0.00551	**
SleeveLengthfull	-31076.84	10695.68	-2.906	0.00390	**
SleeveLengthhalf	-28542.05	18382.71	-1.553	0.12142	
SleeveLengthhalfsleeve	-29590.10	10755.18	-2.751	0.00625	**
SleeveLengthNULL	-23154.81	13742.64	-1.685	0.09291	.
SleeveLengthPetal	12969.91	18298.38	0.709	0.47893	
SleeveLengthshort	-32132.46	10530.82	-3.051	0.00246	**
SleeveLengthsleeveless	-41724.65	12768.75	-3.268	0.00119	**
SleeveLengthsleeveless	-34322.26	11836.31	-2.900	0.00397	**
SleeveLengthsleeveless	-32975.66	10616.89	-3.106	0.00205	**
SleeveLengthsleeveless	-38905.07	14646.61	-2.656	0.00827	**
SleeveLengththreequarter	-23959.51	11007.41	-2.177	0.03018	*
SleeveLengththreequater	-38754.71	17350.23	-2.234	0.02615	*
SleeveLengththressqatar	-33444.60	11122.03	-3.007	0.00283	**
SleeveLengthturndowncollor	-34870.83	14654.40	-2.380	0.01788	*
SleeveLengthturndowncollor	-39645.37	14621.42	-2.711	0.00703	**
Decorationapplique	-21074.89	11871.32	-1.775	0.07673	.
Decorationbeading	-25944.45	11862.27	-2.187	0.02940	*
Decorationbow	-19811.70	11810.51	-1.677	0.09436	.
Decorationbutton	-22991.52	12038.63	-1.910	0.05699	.
Decorationcascading	-16928.13	15219.10	-1.112	0.26679	.
Decorationcrystal	-19369.51	15275.51	-1.268	0.20565	.
Decorationdraped	-20105.50	15235.98	-1.320	0.18784	.
Decorationembroidary	-17507.98	12694.60	-1.379	0.16874	.
Decorationfeathers	-24561.89	13762.62	-1.785	0.07519	.
Decorationflowers	-25288.59	13450.45	-1.880	0.06093	.
Decorationhollowout	-22947.00	11736.28	-1.955	0.05136	.
Decorationlace	-21155.65	11541.54	-1.833	0.06766	.
Decorationnone	-21462.70	13654.65	-1.572	0.11691	.
Decorationnull	-22178.38	11465.58	-1.934	0.05389	.
Decorationpearls	-21041.40	15726.74	-1.338	0.18180	.
Decorationplain	-25071.10	15177.87	-1.652	0.09948	.
Decorationpleat	-33444.01	18586.91	-1.799	0.07284	.
Decorationpockets	-23620.37	12250.13	-1.928	0.05465	.
Decorationrivet	-21703.97	13017.56	-1.667	0.09637	.
Decorationruched	-26759.17	13279.98	-2.015	0.04468	*
Decorationruffles	-17410.62	11824.78	-1.472	0.14183	.
Decorationsashes	-21381.24	11472.89	-1.864	0.06322	.
Decorationsequined	-21648.81	11811.62	-1.833	0.06769	.
Decorationtassel	-24952.86	15532.44	-1.607	0.10908	.
DecorationTiered	NA	NA	NA	NA	

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 9586 on 345 degrees of freedom
Multiple R-squared: 0.5802, Adjusted R-squared: 0.3929
F-statistic: 3.097 on 154 and 345 DF, p-value: < 2.2e-16

Since linear regression uses dummy variables for categorical variables, we have a lot of variables affecting the sales. Checking the output, we can make the following observations: –

- a. Sexy style makes a positive impact
- b. Rating is of a very high significance
- c. Large size clothes are sold more
- d. Spring season clothes make a positive impact on sales
- e. Ruffled neckline clothes have a very significant positive impact
- f. Sleeve length is significant; however, it affects the sale negatively (sold less)
- g. Ruched and Beaded clothes make a negative impact on sale (sold less)

The multiple and adjusted R-squared values are 58% and 39% respectively. We can conclude that the model is quite robust and the p-value of almost 0 also suggests that there is definitely an impact of these variables on the total sales of the dresses.

Analysis Tasks

To regularize the rating procedure and find its efficiency, the store wants to find if the rating of the dress affects the total sales.

To find the relation between rating and total sales (both are numerical variables), perform a correlation of the two attributes

```
> cor.test(~Total.Sales+Rating,data= indDressWTotalSales)
```

```
Pearson's product-moment correlation
```

```
data: Total.Sales and Rating
t = 4.4531, df = 498, p-value = 1.046e-05
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.1098837 0.2785985
sample estimates:
      cor
0.1956887
```

It can be clearly seen from the result that there is almost no correlation between the two variables. The correlation value is 0.2, which shows a very weak positive association, that is, a higher rating correlates with higher sales. Thus, the rating process has to be regularized.