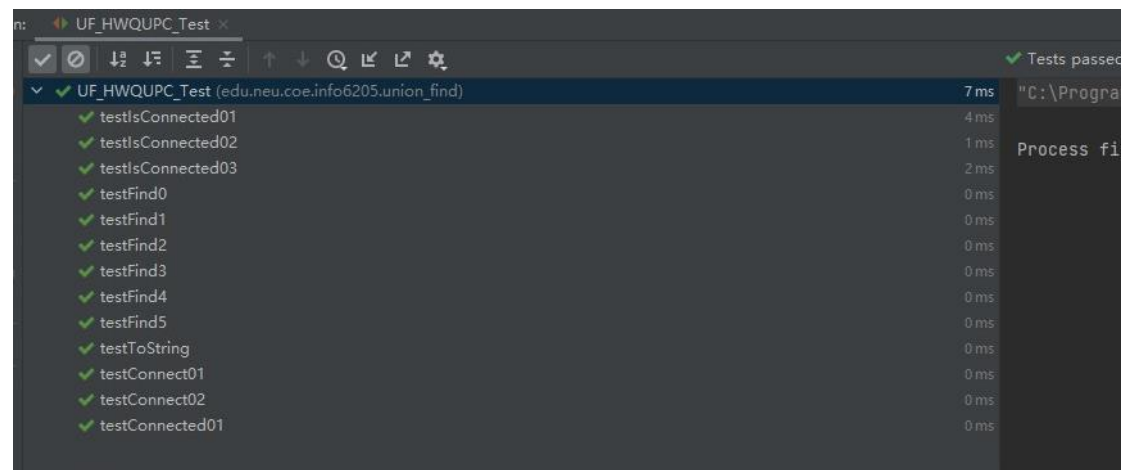


# Report 3

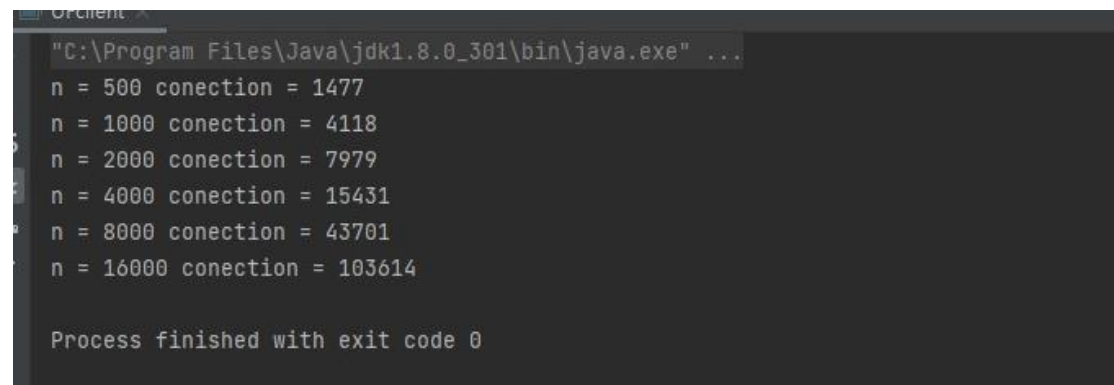
## Task:

Determine the relationship between the number of objects (n) and the number of pairs (m) generated to accomplish this.

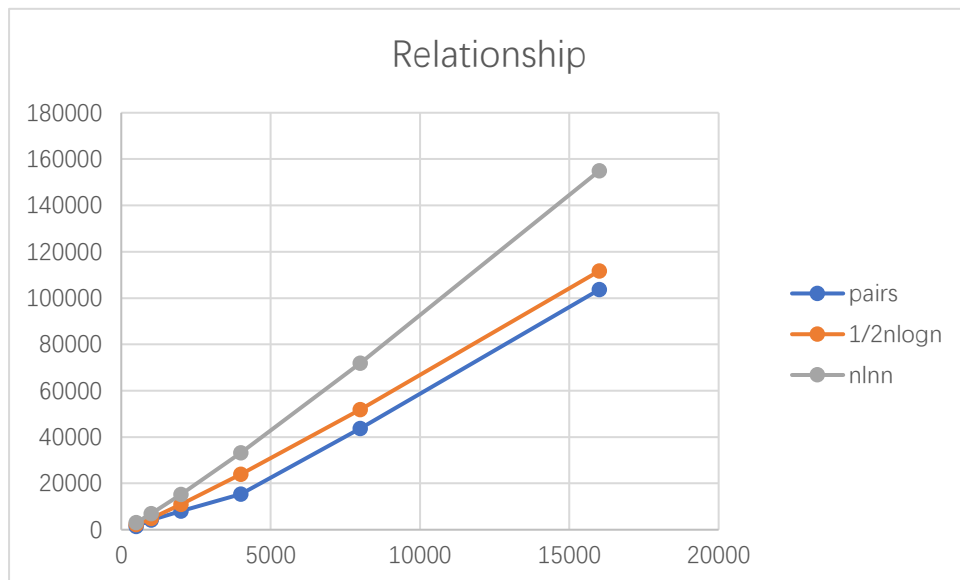
## Unit Test:



## Relationship:



n	pairs	$1/2n\log n$	$n\ln n$
500	1477	2240	3105
1000	4118	4930	6900
2000	7979	10910	15200
4000	15431	23920	33160
8000	43701	51840	71840
16000	103614	111680	154880



After observing, I found the relationship is very close to  $m = n \cdot \ln(n)$  or  $m = 1/2n \cdot \log(n)$

### What I think might be going on:

There are  $n$  objects, to connect all of them,  $(n-1)$  of connections are needed. For the first iteration, the possibility of fulfilling a connection is 100% so the pairs that need to generate is 1.

For the second iteration, there are  $(n-2)$  remaining connections need to be union, which means the possibility is  $(n-2)/(n-1)$ , according to geometric distribution, the

attempts(pairs) will be  $(n-1)/(n-2)$ , thus, to connect all the sites, we need total pairs of:

$$1 + (n-1)/(n-2) + (n-1)/(n-3) + \cdots + (n-1)/1$$

Which is close to  $(n-1) \ln(n-1)$ .