CS302-Design and Analysis of Algorithm (Answer Sheet)

Saturday, July 4, 2020

Course Instructor

Mr. Adeel Ashraf Cheema

Mr. Muhammad Haris

Mr. Shoaib Saleem

Serial No:

Final Term Exam Spring Semester 2020

Max Time: 3 Hour

Max Marks: 60

Roll No: 18F-0128 Name: Hassan Ashas Section: D

General Instructions:

- 1. There are Six (6) Questions in total.
- 2. Questions reading and understanding are also part of the exam, only answer what is asked.
- 3. Read the questions carefully for clarity of context and understanding of meaning and make assumptions wherever required, for neither the invigilator will address your queries, nor the teacher/examiner will respond to any of your queries.

Guidelines for Submission:

- 1. You must solve/attempt it on A-4 white paper in your own handwriting and take the picture of that solution and insert it in provided answer sheet docx file. The image can be pasted inside that document under the appropriate question.
- 2. You should submit only one PDF answer sheet file Containing All Six(6) questions answers images.
- 3. Naming Convention of file must be followed.
- 4. Example:
 - a. Rollnumber_Section.pdf
 - b. 18f0123_C.pdf
- 5. You must submit your answer sheet before due time in Assignment Section through LMS (Slate http://203.124.42.218:8080/portal), and also to be emailed to your class teacher within the deadline.
- **6.** Use your **university provided email** for email purpose.
- 7. Subject of email must be "Algo Final Exam Files"
- 8. The email addresses of class teachers are

a. adeel.cheema@nu.edu.pk Section- BCS-8A and BCS-4A

b. m.haris@nu.edu.pk Section- BCS-4B

c. shoaib.saleem@nu.edu.pk Section- BCS-4C and BCS-4D

- 9. Slate and Email submissions submitted after the due time shall not be considered.
- **10.** If you don't finish every part of a question, don't worry! You can still submit what you've done to get marks based on your efforts.
- 11. In case of copied or plagiarized solutions in exam Or If a student provided help to another student during exam both will be awarded "F" grade and it will affect the student CGPA.
- 12. Viva of any student can be conducted by the instructor after conducting an online exam in case of any doubt.

Guidelines for attempting:

- 1. Your answer sheet (Every Image File) must contain your Full name, Roll number and Section and Cleary written in top of the page and must be in readable form.
- 2. Handwriting must be readable.
- 3. Proper explain the steps.
- 4. Answer without steps or explanation (Direct Calculated answer) will get ZERO marks.

	Q-1	Q-2	Q-3	Q-4	Q-5	Q-6	Total
Total Marks	10	10	10	10	10	10	60
Marks Obtained							

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Question 1: Solution: Upload Images of your work here Marks = 2+2+6 = 10Answer without steps or explanation (Direct Calculated answer) will get ZERO marks.

Q UES TION Hassan 18F-0128 CS18-D IA) Reason: -(For sorting in ascending order, as example) > In selection sort, we insert minimum value in first index and maximum of the two values in second index. -> By the time we reach last index, max value is already on last index and hence, we don't have to that. for (i=1; i < n-1; i++) > 13 operations 1B) for (int j=0)] $\angle N-1$;] ++) $\rightarrow 52$ operations if (AEj] $\rightarrow AEj+1] \rightarrow 64$ operations swap (A[j], A[j+1])) operations Total operations = 13+52+64+9 = 138 operations

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IC)
$$T(n) = 2T(\frac{n}{2}) + cn$$

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CSIB-D

T(n)

Hasson

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Question 2: Solution: Upload Images of your work here Marks = 10

Answer without steps or explanation (Direct Calculated answer) will get ZERO marks.

Question 2 Haven Ashes (SIB-D)
1) $T(n) = 0.5 T(\frac{n}{2}) + \frac{1}{n}$
Here, a = 0.5 2
Hence, Master's theorem is
not applicable
z) $T(n) = 16T(%) + n!$
Here $a = 16$, $b = 4$, $f(n) = n!$
log4 16 = 2
- We know that n: 15 greater than
n², hence we can conclude that,
lago a z k => meaning Case 3
Now, p=0 so, we know,
if p ≥0' => O(nt log n)
=> Hence, required answer is,
Oln1
$\Theta(n!) \rightarrow \text{(ase 3)}$ where $P \geq 0$

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3)
$$T(n) = \sqrt{2} T(n/2) + \log n$$
 $\alpha = \sqrt{2}$, $b = 2$, $f(n) = \log n$

Here,

 $\log_2 \sqrt{2} = 0.5$, $k = 0$
 $\log_2 \sqrt{2} = 0.5$, $k = 0$
 $\log_2 \sqrt{2} = 0.5$, $\log_2 \sqrt{2}$
 $\log_3 \sqrt{2} = 0.5$, $\log_3 \sqrt{2}$
 $\log_3 \sqrt{2} = 0.5$
 \log_3

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Question 3: Solution: Upload Images of your work here Marks = 10
Answer without steps or explanation (Direct Calculated answer) will get ZERO marks.

Question 3

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→ Given graph is a directed

graph.

→ Since Kruskel algorithm can't be applied on directed graph, so this solution is not possible.

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Question 4: Solution: Upload Images of your work here Marks = 10
Answer without steps or explanation (Direct Calculated answer) will get ZERO marks.

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Question 5: Solution: Upload Images of your work here Marks = 10
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Question 6: Solution: Upload Images of your work here Marks = 10

Answer without steps or explanation (Direct Calculated answer) will get ZERO marks.

Question 6

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Step 1:-

We have n=5, m=10 \Rightarrow Here, i=n and j=m \Rightarrow $T[i][j] \neq T[i-1][j]$ \Rightarrow $T[5][10] \neq T[4][10]$

> Hence, x[5] = 1So $i = i-1 = \lambda$ i be comes 4 $j = j - \omega[5] = \lambda j$ be comes 6

Step 2:-

i = 4 , j = 6

Now, T[4][6] 7 T[3][6] => x [4] = 1

i be comes

So i=i-1= i becomes 3 $j=j-\omega[4]=$ j becomes 2.

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Step 3:i= 3, j=2

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Now,

 $T = \frac{13}{12} = T[2][2]$ T[3][2] = T[2][2]Hence, x[3] = 0

j remains unchanged.

Step 4:-

i=2, j=2

Now,

T[2][2] ≠ T[1][2]

Hence, x[2]=1

=) i = i-1 = i becomes 1 $j = j - \omega[2] = i$ becomes 0.

-> Hence, sack is full and now loop will be broken.